

# Closing in on mass-degenerate dark matter scenarios with antiprotons and direct detection

On the complementarity of direct and indirect detection

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to appear soon



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# Outline

- Introduction
- Particle Physics Framework
- Relic Density
- Indirect Detection
- Direct Detection
- Results
- Conclusion

# Why consider compressed mass spectra?

Lets consider the case when the dark matter particle  $\chi$  and the next to lightest beyond the Standard Model particle  $\eta$  have a similar mass

$$\Delta m = m_\chi - m_\eta \lesssim m_\chi.$$

## Colliders

- minimal transverse momentum  $p_T$  is required to distinguish jet
- $p_T \approx \Delta m$
- low sensitivity to compressed mass spectra

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## thermal production

- for  $\frac{m_\eta}{m_\chi} \approx 1.2$  coannihilations become important

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## Indirect Detection

- compressed mass spectra exhibit very characteristic features
- annihilation rates are enhanced for small  $\Delta m$
- huge astrophysical uncertainties

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## Direct Detection

- scattering rates are enhanced for small  $\Delta m$
- less astrophysical uncertainties than in Indirect Detection
- good experimental limits

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**But: We need to specify the model in order to compare observables.**

# Particle Physics Framework

Begin with the SM and add new physics

## Particles

- Majorana fermion  $\chi$  as dark matter
- a scalar  $\eta$  as the next to lightest beyond the Standard Model particle

## Assign charges

- $\chi$  is a singlet under  $SU(3) \times SU(2) \times U(1)$
- $\eta$  is a triplet under  $SU(3)$  and (for simplicity) a singlet under  $SU(2)$
- u,d,s or b flavor quantum number for  $\eta$

## Interactions

- a Yukawa interaction with the quarks:  $\mathcal{L}_{int} = f \bar{\chi} q_R \eta$



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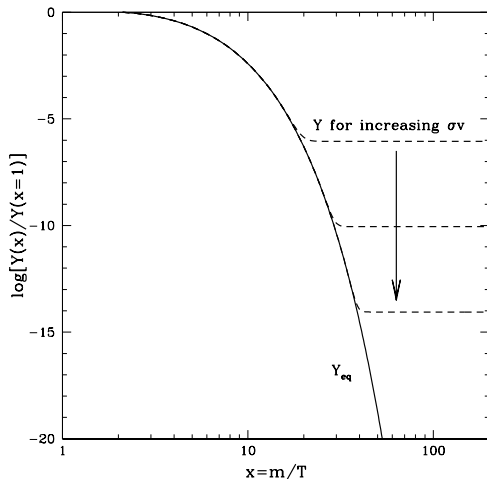
## Interactions

- a Yukawa interaction with the quarks:  $\mathcal{L}_{int} = f \bar{\chi} q_R \eta$

Notice: similar to SUSY with light squarks

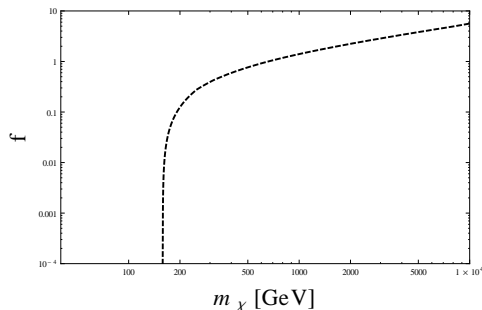
# thermal freeze out

- all particles are in thermal equilibrium in the early Universe
- when temperature  $T \ll m_\chi$  dark matter can't be produced anymore  
→ dark matter freezes out



# Coannihilations

- for  $\frac{\Delta m}{m_\chi} \lesssim 1.2$  more particles need to be included in the Boltzmann equation
- we use MicrOMEGAS for the calculation of the relic density
- specifying  $m_\chi$  and  $\Delta m$  yields constraint on  $f$
- Example: Coupling to u and  $m_\chi/m_\eta = 1.1$



- for  $m_\chi$  smaller than a certain scale the relic density can not be obtained

# Majorana fermions annihilating into light quarks

- thermally averaged cross section  $\langle\sigma_{ann}v\rangle$  can be expanded as

$$\langle\sigma_{ann}v\rangle = a + bv^2 + \mathcal{O}(v^4)$$

- consider annihilations into quarks

- s-wave annihilation is suppressed by chirality

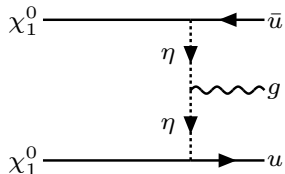
$$\langle\sigma_{ann}v\rangle \approx a \approx \frac{m_f^2}{m_{DM}^2}$$

- p-wave suppressed by velocity

$$\langle\sigma_{ann}v\rangle \approx v^2 \approx 10^{-6}$$

# Lifting the chirality suppression

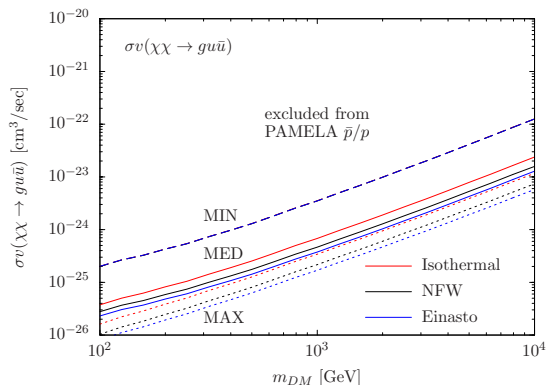
- the suppression can be lifted by the emission of a boson, i.e.  $\gamma$ ,  $W^\pm$ ,  $Z$  or a gluon



- the fragmentation of the gluon increases the production of antiprotons

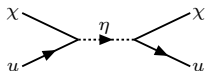
# Constraints from Antiprotons

- the  $\bar{p}/p$  ratio measured by Pamela constrains  $\sigma v$
- main uncertainty: halo model and cosmic ray propagation
- Example:  $m_\eta/m_\chi = 1.1$



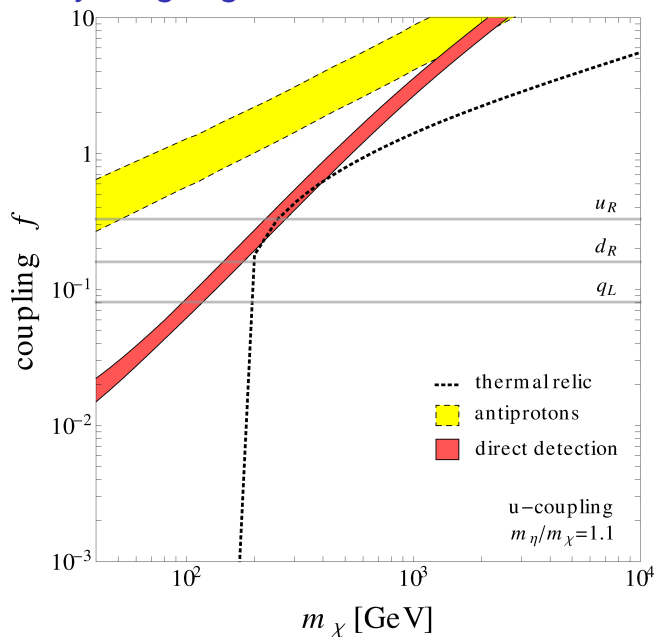
# Dark Matter Nucleon Scattering

- dark matter nucleon scattering is induced microscopically by scattering of quarks and gluons in the nucleus



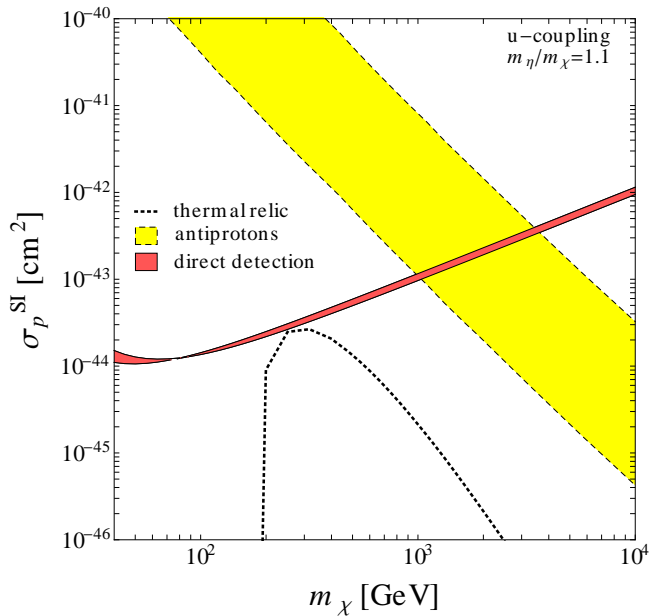
- interactions can be described in terms of effective Lagrangian
- suppression scale  $\Lambda = m_\eta^2 - (m_\chi + m_q)^2$
- compressed spectrum  $\rightarrow$  small  $\Lambda$
- recoil rate is enhanced
- uncertainties: astrophysics (mainly neglected here) and composition of the nucleon

# Putting everything together

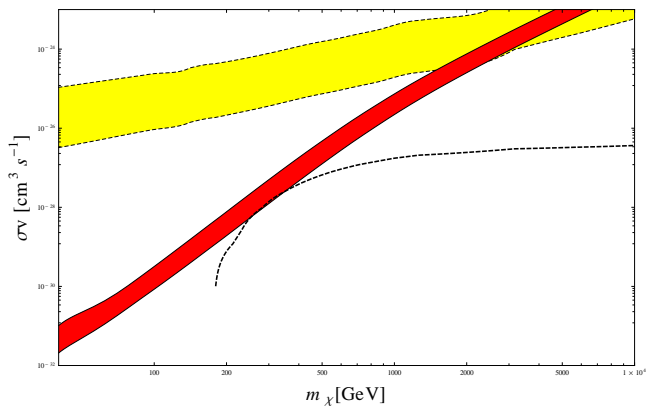




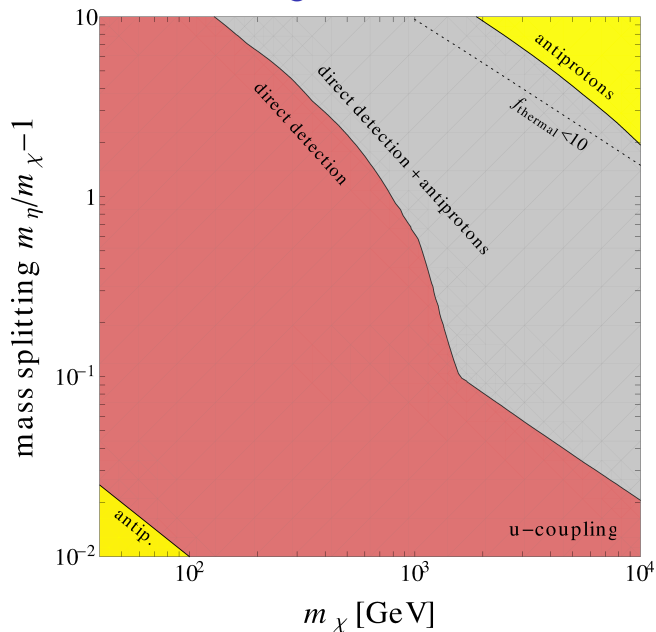
# The Direct Detection Plane



# The Indirect Detection Plane



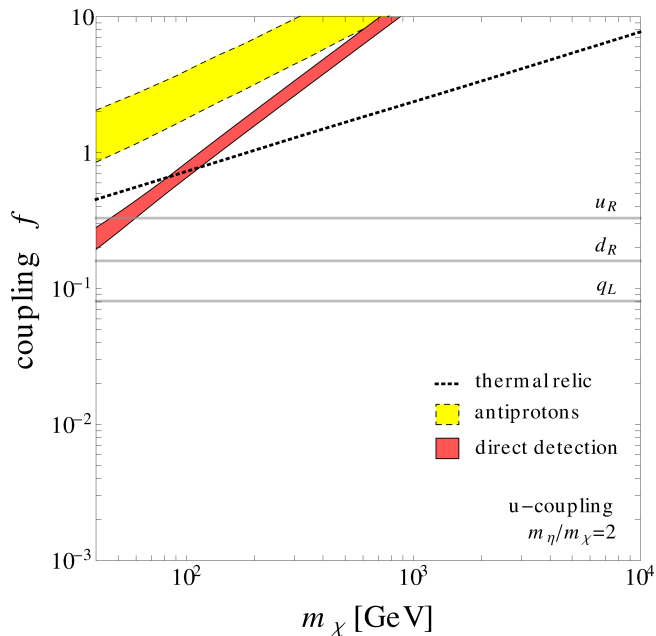
# Which constraint is strongest?



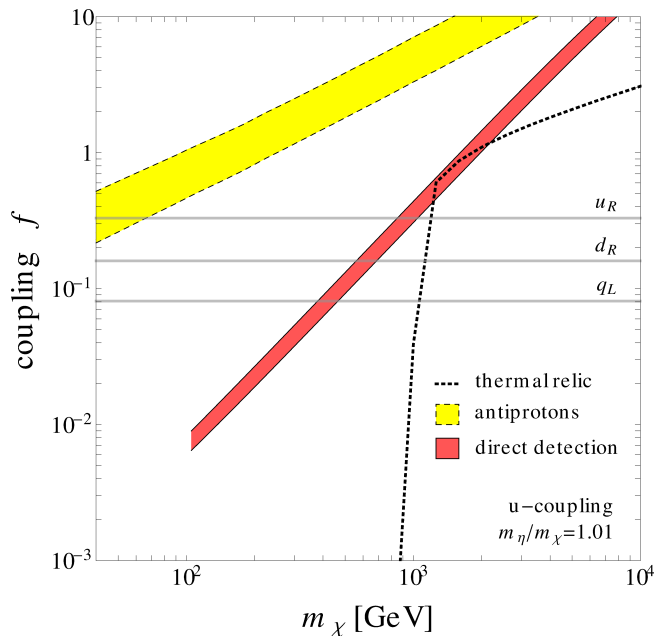
# Conclusions

- compressed mass spectra lead to enhanced signals for dark matter detection experiments
- probes region of parameter space inaccessible at colliders
- direct detection experiments are cutting into the parameter space allowed by thermal production

# Backup



# Backup



# Backup

