



XIX Mexican Workshop on Particles and Fields

October 2025



**Description of the softened hadron
production at the LHC energies**

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This presentation is based on:



Eur. Phys. J. C (2025) 85:760
<https://doi.org/10.1140/epjc/s10052-025-14469-3>

THE EUROPEAN
PHYSICAL JOURNAL C



Regular Article - Experimental Physics

Scaling laws for softened hadron production at LHC energies

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Received: 3 March 2025 / Accepted: 25 June 2025

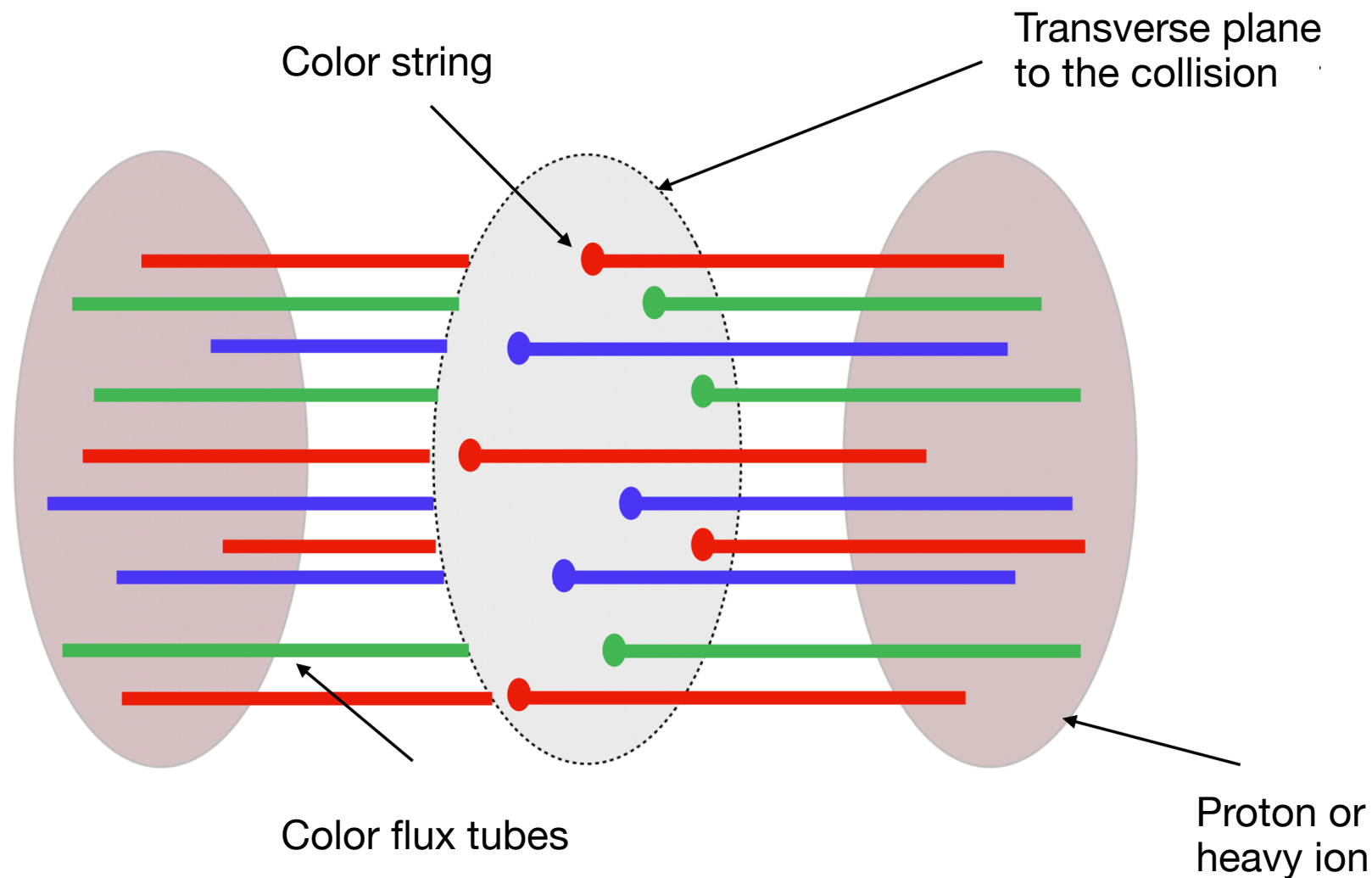
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Particle production from Schwinger mechanism

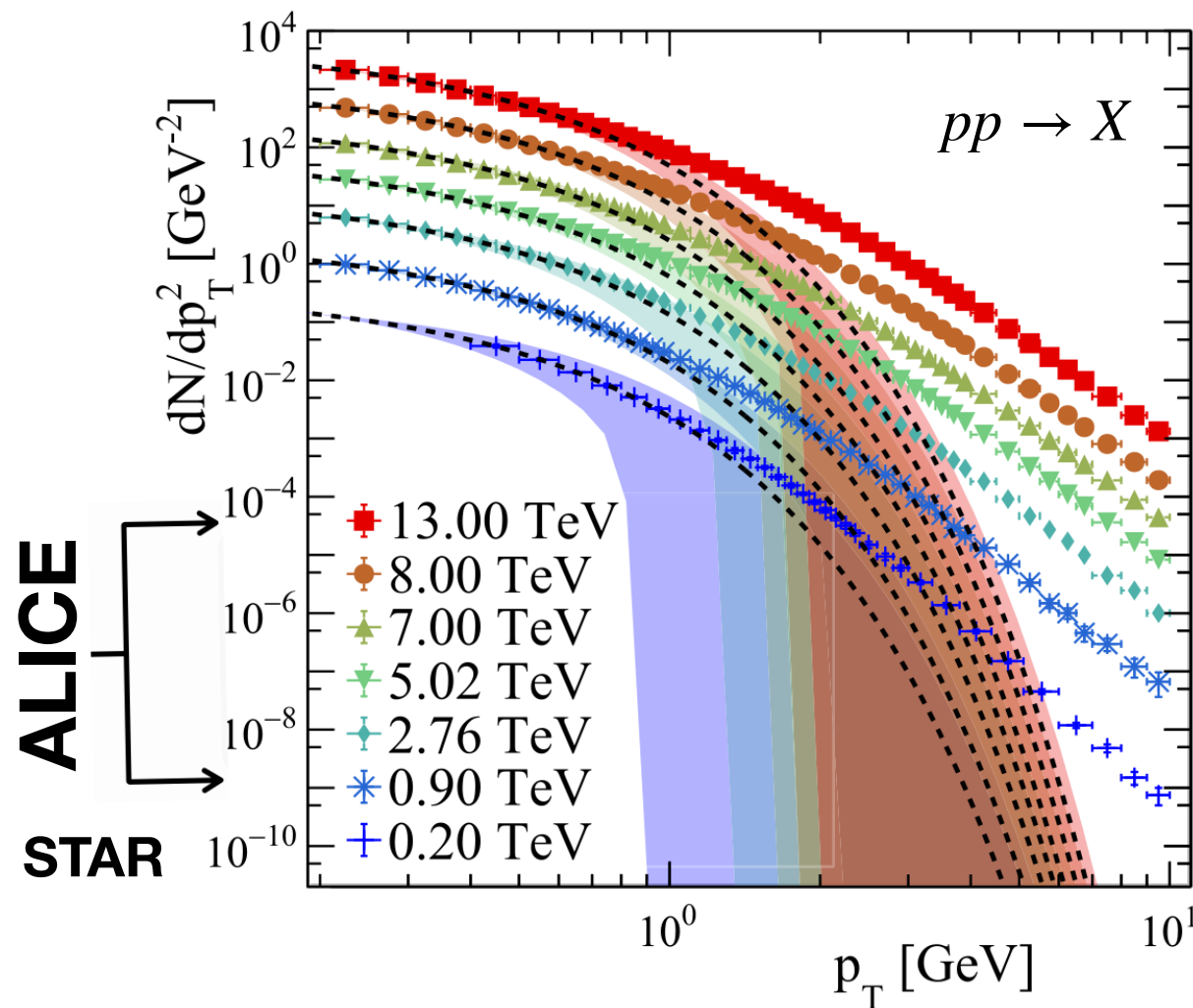


$$\frac{dN}{dp_T^2} \sim \int_0^\infty \exp\left(-\frac{\pi p_T^2}{x^2}\right) P(x) dx$$

Schwinger Mechanism
String tension fluctuations

The Schwinger mechanism represents the probability of observing a particle with transverse momentum p_T produced by the fragmentation of strings with tension x^2 that may fluctuates.

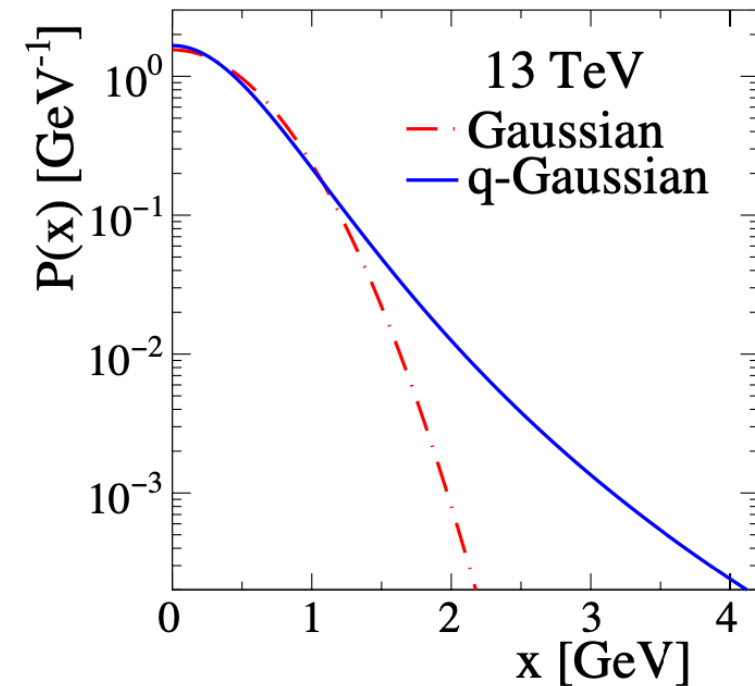
String tension fluctuations



Thermal distribution

$$\frac{dN}{dp_T^2} \sim \exp \left(-p_T \sqrt{\frac{2\pi}{\langle x^2 \rangle}} \right)$$

ALICE Collaboration



q-Gaussian string tension fluctuations

$$P(x) \sim \left(1 + \frac{(q-1)x^2}{2\sigma^2} \right)^{\frac{1}{1-q}}$$

Heavy tailed!

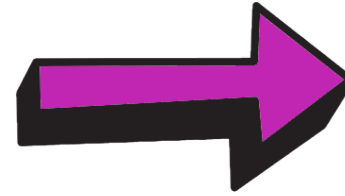
It is motivated by phenomena
raising the high p_T particle
production, such as hard gluon
emission from strings

Nonextensive p_T -spectrum description

Tricomi function

$$\frac{dN}{dp_T^2} \sim U\left(\frac{1}{q-1} - \frac{1}{2}, \frac{1}{2}, \pi p_T^2 \frac{q-1}{2\sigma^2}\right)$$

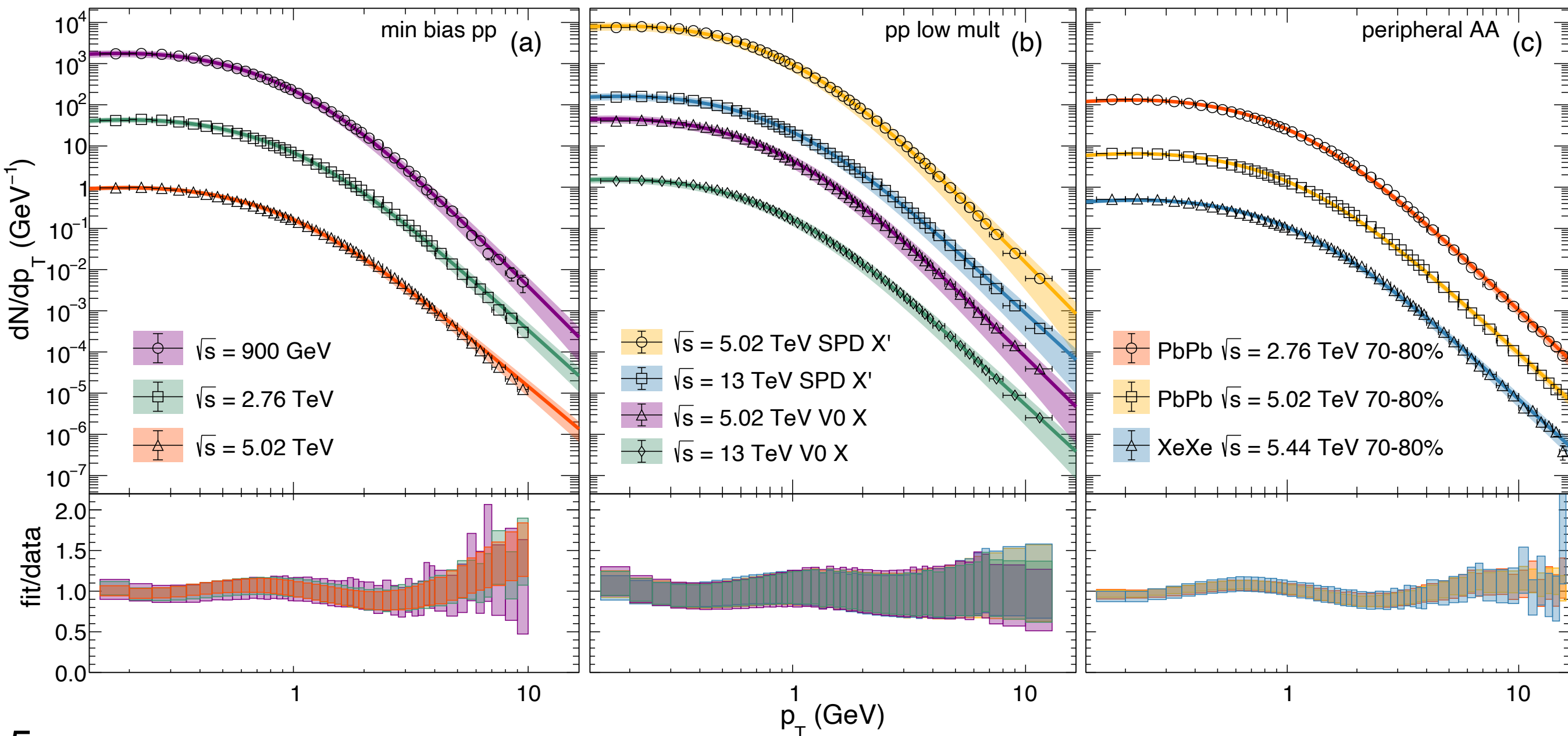
with p_T scale $T_U = \sigma \frac{\Gamma\left(\frac{1}{q-1} - \frac{1}{2}\right)}{\sqrt{2\pi(q-1)}\Gamma\left(\frac{1}{q-1}\right)}$



q marks the departure of the thermal distribution and describes the p_T -spectrum tail

$$1 < q < 3/2$$

Higher values of q implies higher effective temperature



Nonextensive p_T -spectrum description

The production of high p_T particles requires that the system departs from the thermal behavior

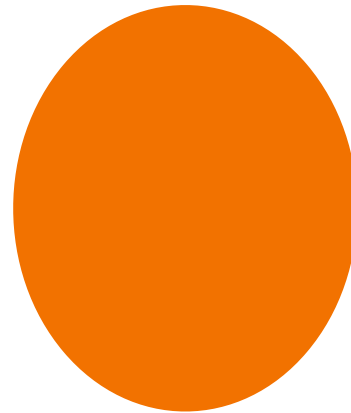
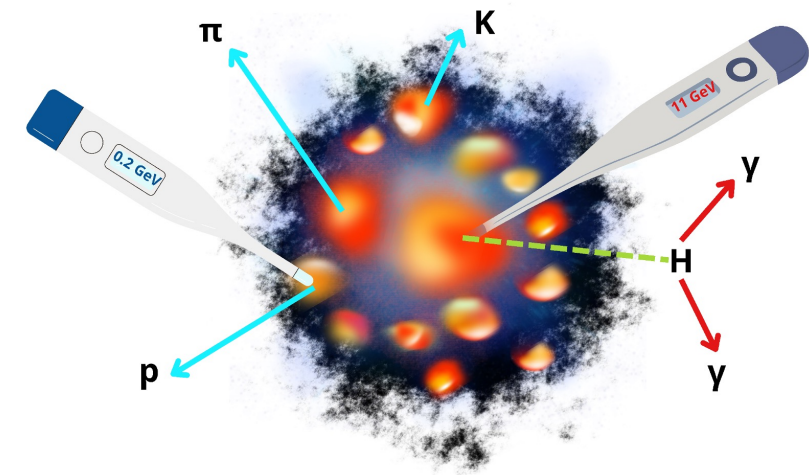
Temperature fluctuations

Nonextensive

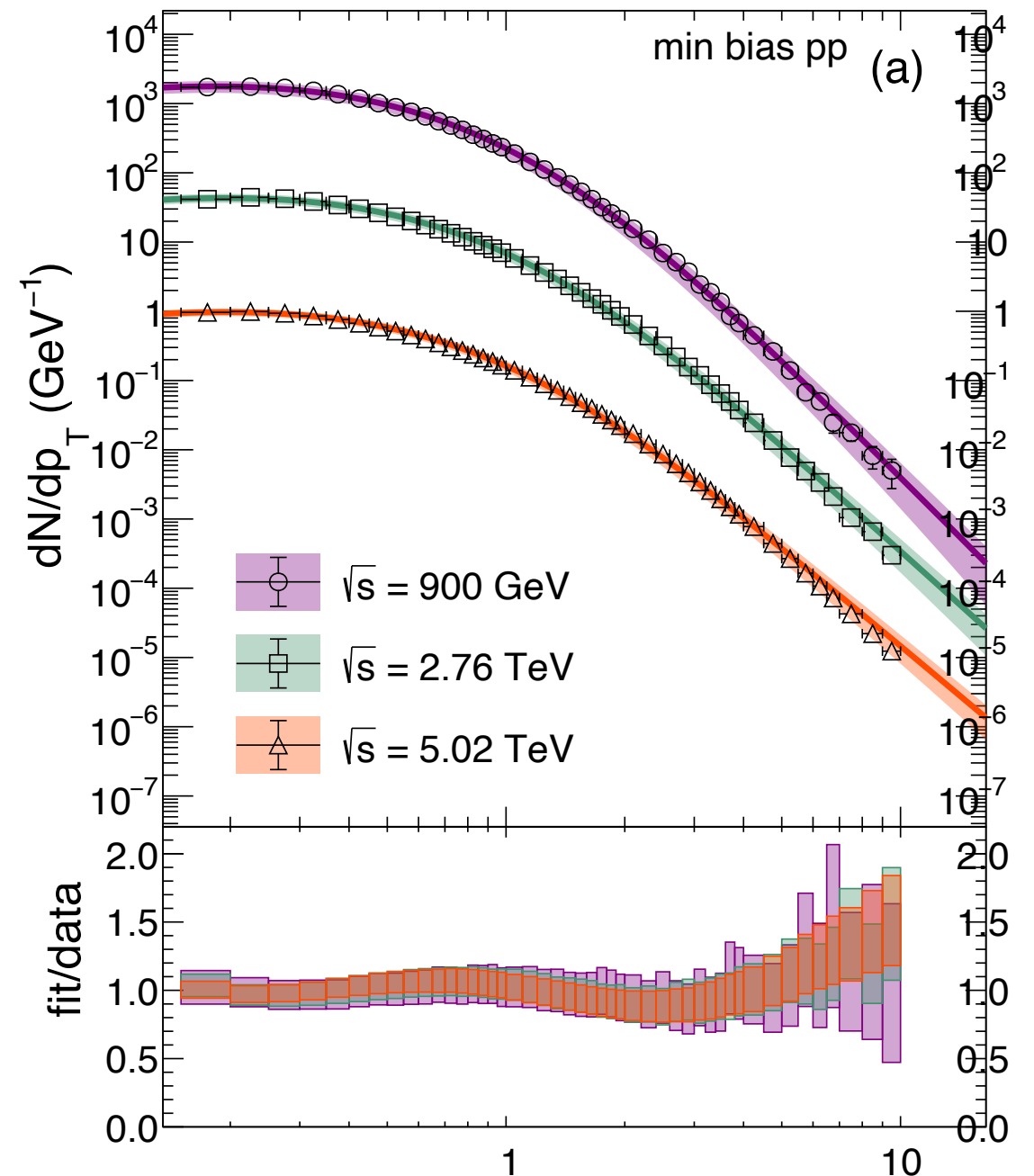
$$\mathcal{T}_U(T) = \frac{2}{T^3} \Gamma \left(\frac{1}{T^2}, \frac{1}{q-1} - \frac{1}{2}, \frac{1}{4z_0} \right)$$

Thermal dist.

$$\mathcal{T}_{th}(T) = \delta(T - T_{th})$$

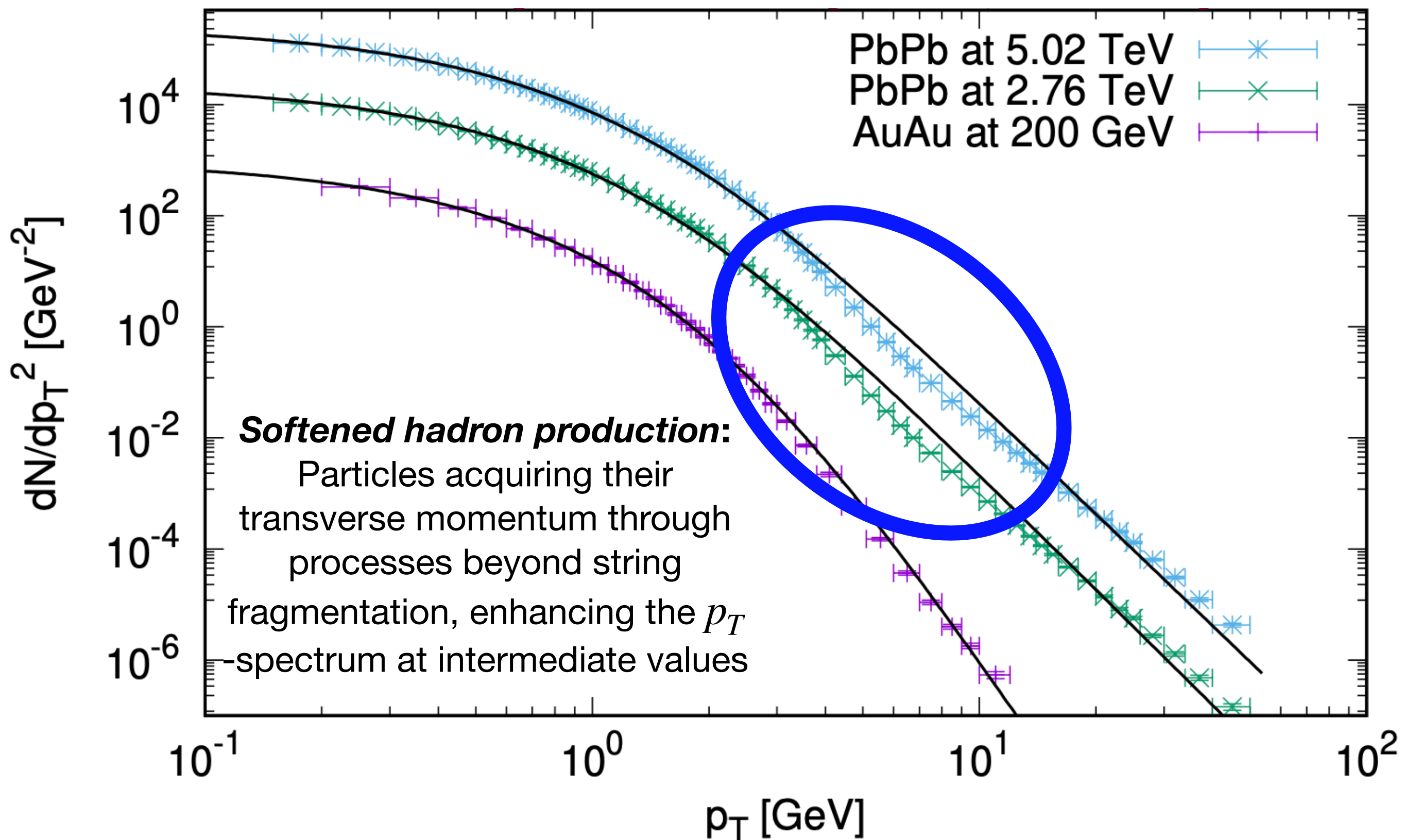


This is a mean field model type, where the production of high p_T particles is incorporated as the observation of rare events produced by the enhancement of having strings with higher tensions

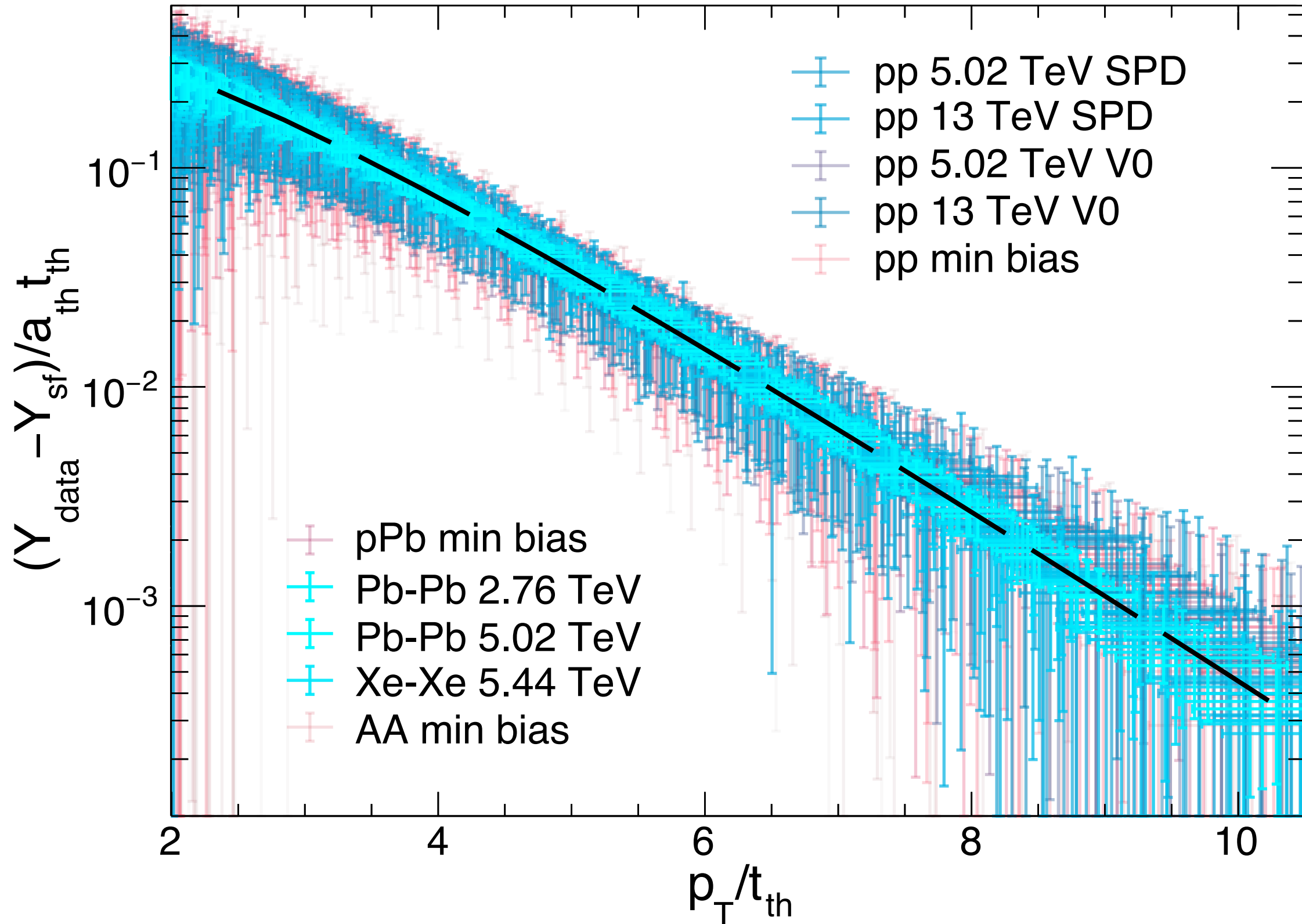


The string fragmentation is the baseline for the charge particle production

Central heavy ion collisions



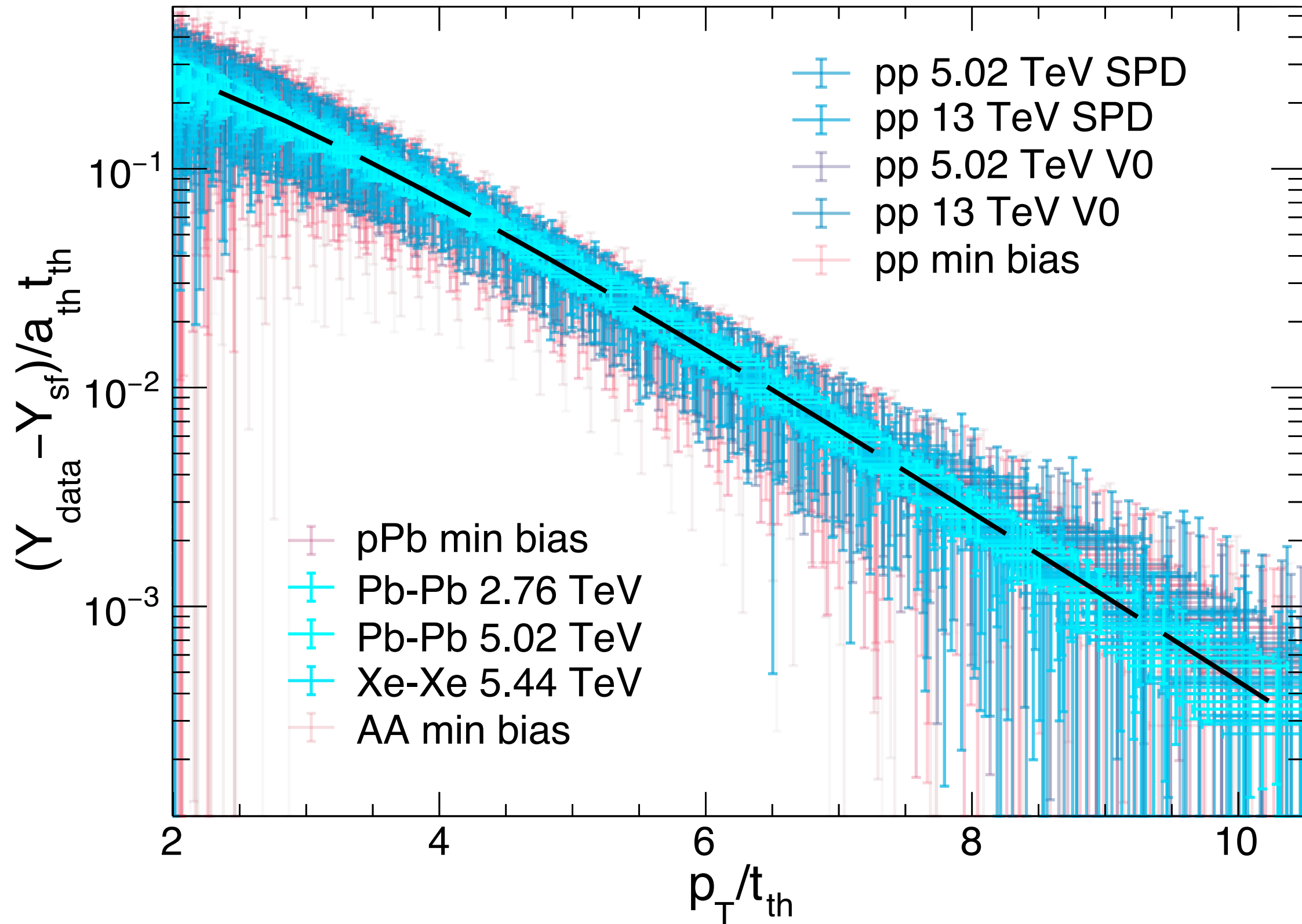
Data-driven analysis at intermediate p_T values



The softened hadron produced in all the analyzed colliding systems collapse, following

$$Y_{\text{data}} - Y_{\text{sf}} = a_{\text{th}} p_T \exp(-p_T/t_{\text{th}})$$

Data-driven analysis at intermediate p_T values



This does not imply that the production of softened hadrons comes from thermal processes, but these particles redistribute their transverse momentum in this form

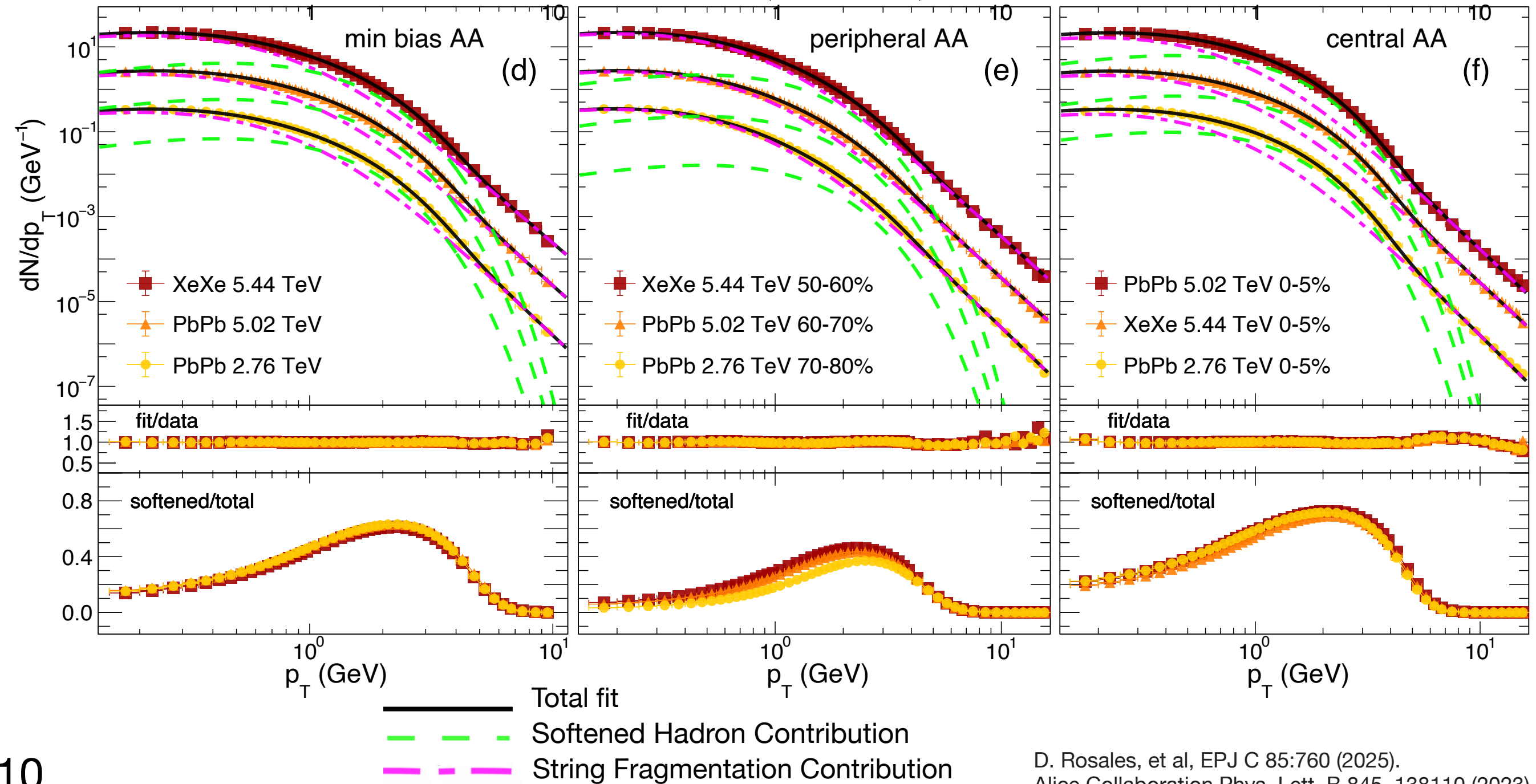
Two contributions to the p_T - spectrum

$$\frac{dN}{dp_T^2} = A_U U \left(\frac{1}{q-1} - \frac{1}{2}, \frac{1}{2}, \pi p_T^2 \frac{q-1}{2\sigma^2} \right) + A_{th} \exp(-p_T/T_{th})$$

Effective temperature linked to the complete p_T - spectrum

$$T_{\text{eff}}^{-1} = \frac{1}{A_U^* + A_{th}} \left(\frac{A_U^*}{T_U} + \frac{A_{th}}{T_{th}} \right) \quad \text{with} \quad A_U^* = \frac{A_U \sqrt{\pi}}{\Gamma\left(\frac{1}{q-1}\right)}$$

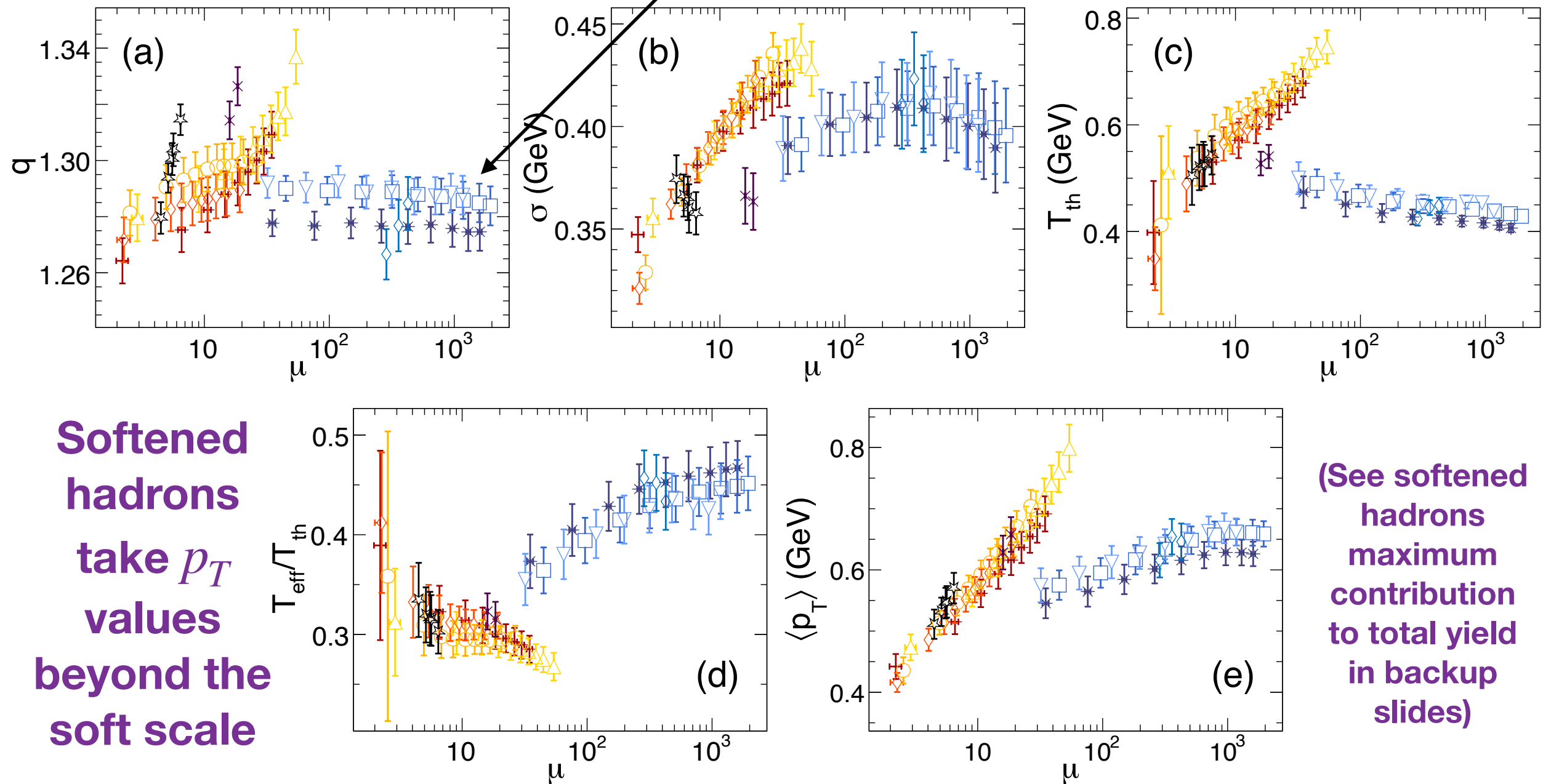
p_T scale associated with the softened hadrons



Physical meaning

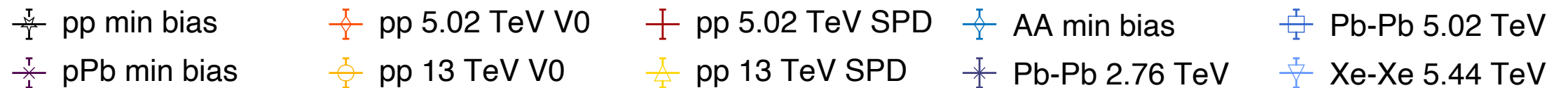
Lower q values mean lower probability of producing high p_T hadrons

Suppression of high p_T particles at the most central AA collisions



Softened hadrons take p_T values beyond the soft scale

(See softened hadrons maximum contribution to total yield in backup slides)



Softened hadron's contributions

$$E_n = \frac{A_{th} \int_0^\infty p_T^n e^{-p_T/T_{th}} dp_T}{\int_0^\infty p_T^n \frac{dN}{dp_T^2} dp_T}$$

$$n = 0$$

Weighted
contribution of
softened hadron's
to the p_T -spectrum

$$E \frac{dN}{dp_T^2}$$

$$n = 1$$

Weighted
contribution of
softened hadron's
to charged particles
produced N_{ch}

$$E_{N_{ch}}$$

$$n = 2$$

Weighted
contribution of
softened hadron's
to mean p_T

$$E_{\langle p_T \rangle}$$

$E_n = 0$ means that all the particle production comes from the fragmentation of color strings.

Scaling laws

$$E \frac{dN}{dp_T^2} \propto (\mu \langle p_T \rangle)^{\beta_3}$$

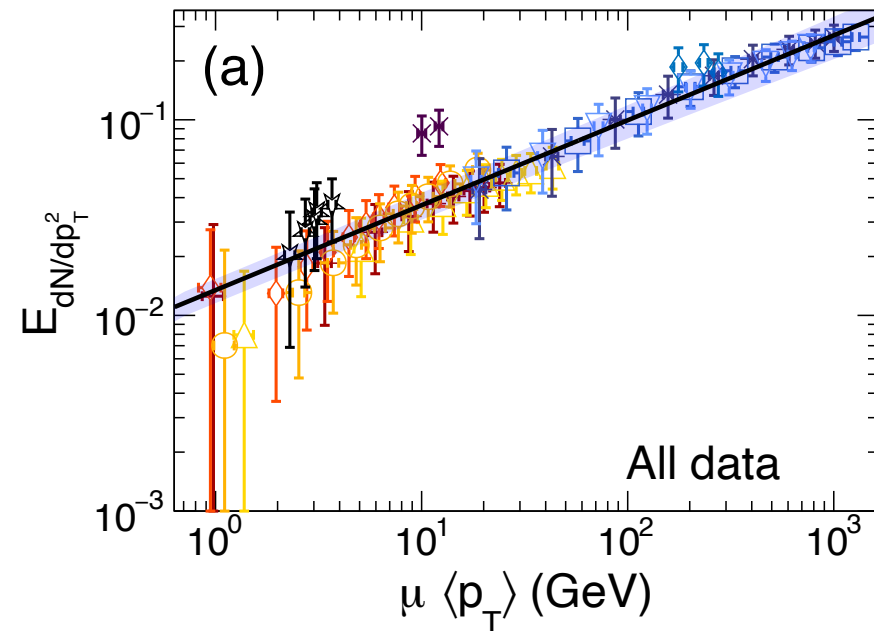
$$\beta_3 = 0.43(1)$$

$$E_{N_{ch}} \propto \mu^{\beta_4}$$

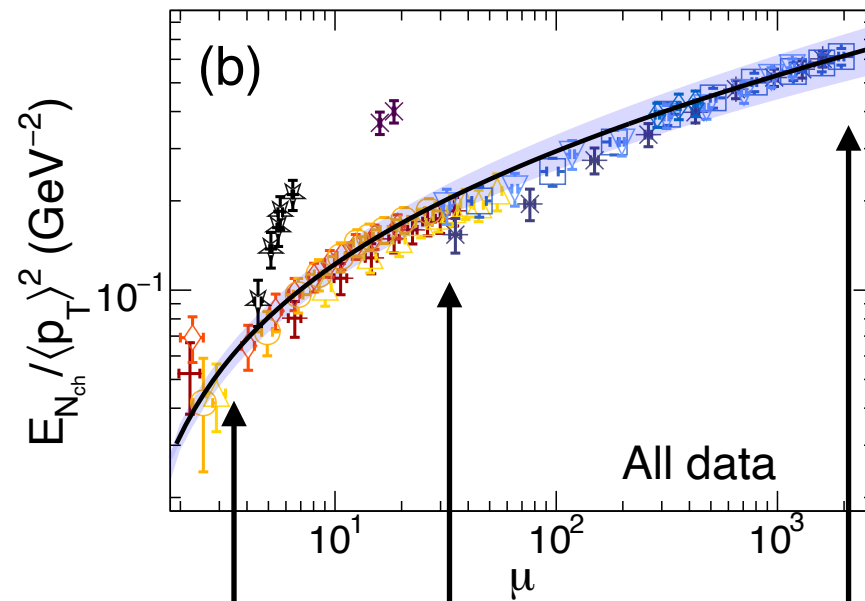
$$\beta_4 = 0.08(1)$$

$$\frac{E_{\langle p_T \rangle}}{\langle p_T \rangle} \propto \mu^{\beta_5} + e^{-2/\mu} - 1$$

$$\beta_5 = 0.20(1)$$



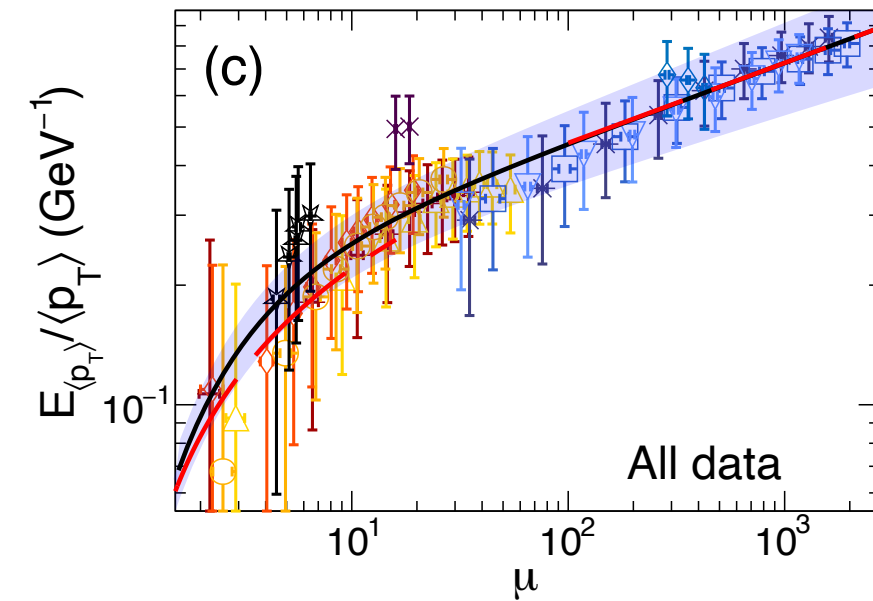
Softened
hadron
production
increases
with $\mu \langle p_T \rangle$



1 particle per
50 events

30% of softened
hadrons

Highest multiplicity pp
collisions have
comparable values with
peripheral AA collision



Universal
scaling law for
pp, pPb y AA
collisions

Conclusions

By considering a nonextensive description through q-Gaussian string tension fluctuations

$$\frac{dN}{dp_T^2} = A_U U \left(\frac{1}{q-1} - \frac{1}{2}, \frac{1}{2}, \pi p_T^2 \frac{q-1}{2\sigma^2} \right) + A_{th} \exp(-p_T/T_{th})$$

String fragmentation Collective phenomena

The main results are the scaling laws for the contribution of the softened hadrons.

From this, we can conclude that the physical mechanisms producing the softened hadrons have similar origins for all colliding systems.

Thank you !

For more details:

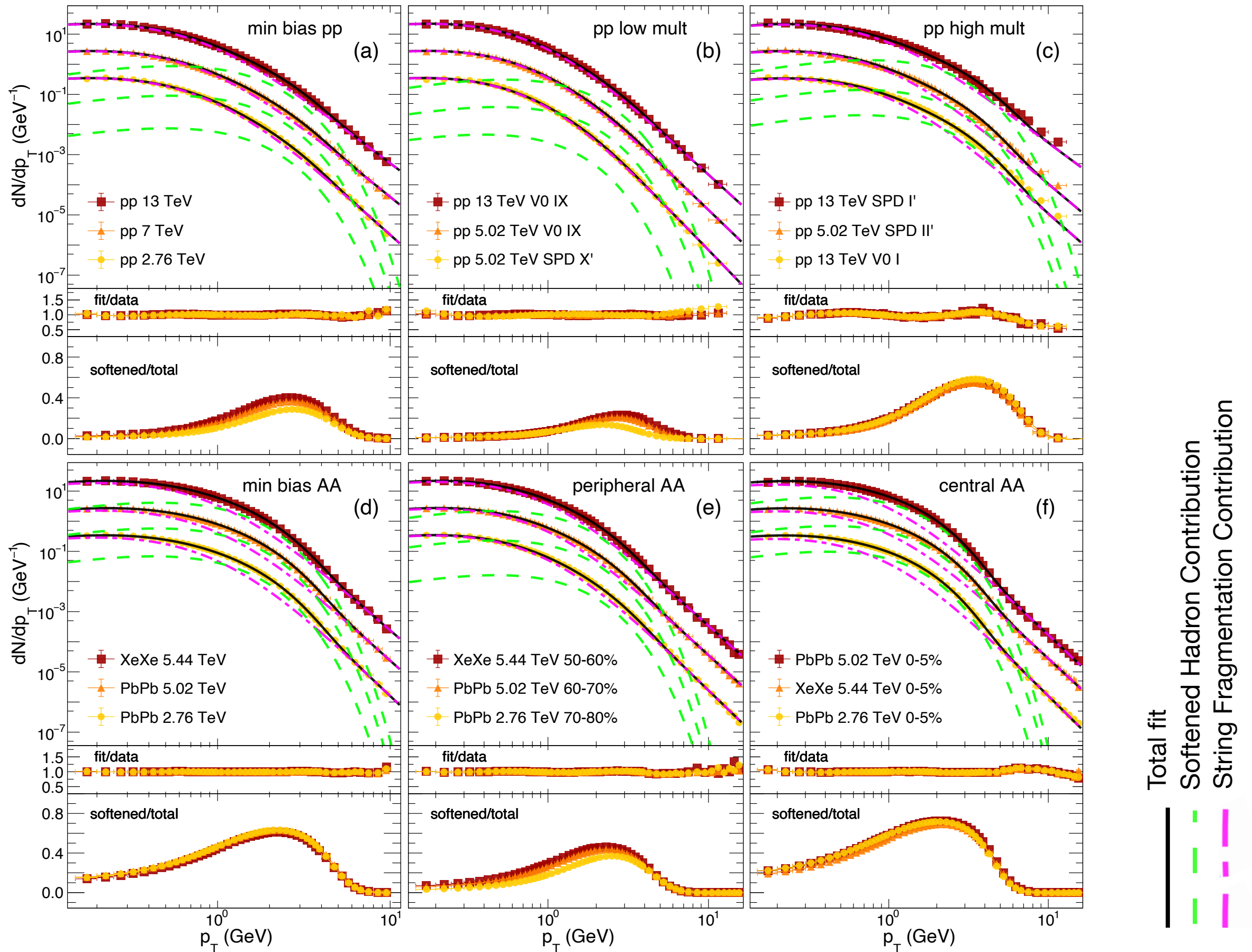
- [1] D. Rosales, et al, EPJ C 85:760 **(2025)**
- [2] D. Rosales Herrera, et al, Phys. Rev. C 110, 015205 **(2024)**
- [3] D. Rosales Herrera, et al, Phys. Rev. C 109, 034915 **(2024)**
- [4] J. R. Alvarado García, et al, J. Phys. G: Nucl. Part. Phys. 50, 125105 **(2023)**
- [5] J. E. Ramírez, et al, Eur. Phys. J. A 59, 250 **(2023)**



Backup slides



Two contributions to the p_T - spectrum

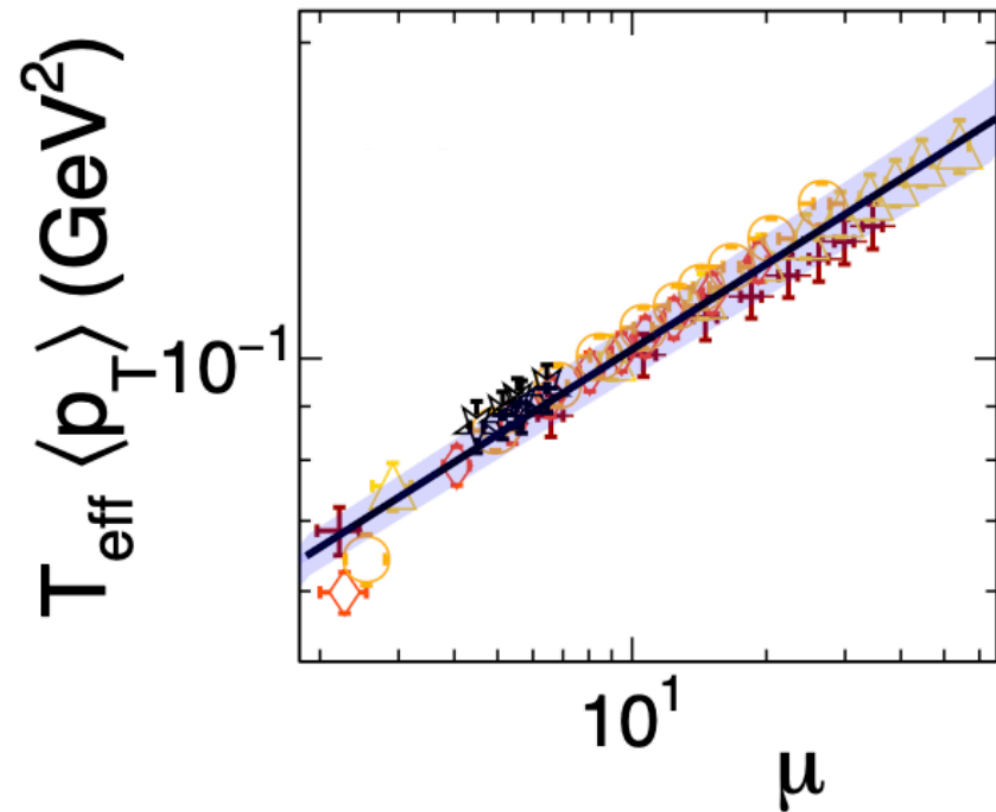


Dissimilarities between small and large systems

Small systems

$$T_{eff} \propto \mu^{\beta_2} / \langle p_T \rangle$$

$$\beta_2 = 0.270(9)$$

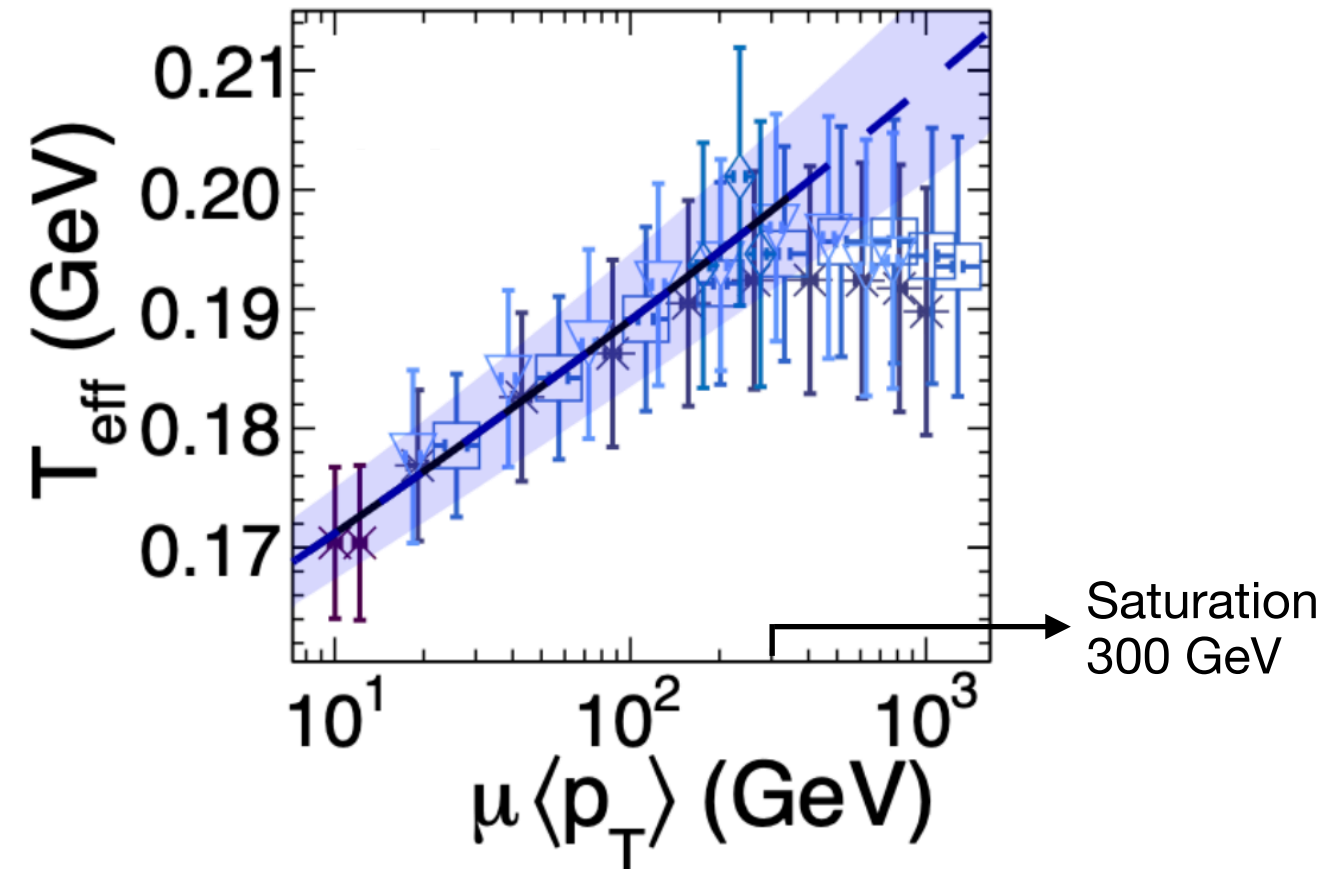


- pp 5.02 TeV V0
- pp 13 TeV V0
- + pp 5.02 TeV SPD
- △ pp 13 TeV SPD
- × pp min bias

Large systems

$$T_{eff} \sim (\mu \langle p_T \rangle)^{\beta_1}$$

$$\beta_1 = 0.043(2)$$



- AA min bias
- × Pb-Pb 2.76 TeV
- Pb-Pb 5.02 TeV
- △ Xe-Xe 5.44 TeV
- × pPb min bias