

# Simulations and Theory of the Effect of Atmospheric Electricity on Cosmic Rays

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# Introduction

- Atmospheric electric fields (AEFs), generated by thunderstorms, influence the acceleration of charged particles.
  - They possibly produce a change in the intensity of the CR detected on the ground.
  - High-altitude observatories such as the Sierra Negra CR Observatory (SN-CRO), located at 4,580 m asl, will have a greater probability of observing the effect of AEFs.
- Objective:
  - Analyze the possible effect of AEFs on the CR detected by the Solar Neutron Telescope (TNS), installed at SN-CRO, Mexico.



# Presentation Outline

1. Effects of AEF on CR
  2. Dorman's General Theory
  3. Simulations
  4. Results & Discussion
  5. Conclusions
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A futuristic space scene showing the Earth from space. The Earth is curved, showing blue oceans and brown landmasses. Several bright blue energy beams or laser lines intersect in the dark space above the Earth. The beams create a sense of advanced technology and energy. The overall color palette is dominated by deep blues and blacks, with the bright blue of the beams and the Earth's atmosphere.

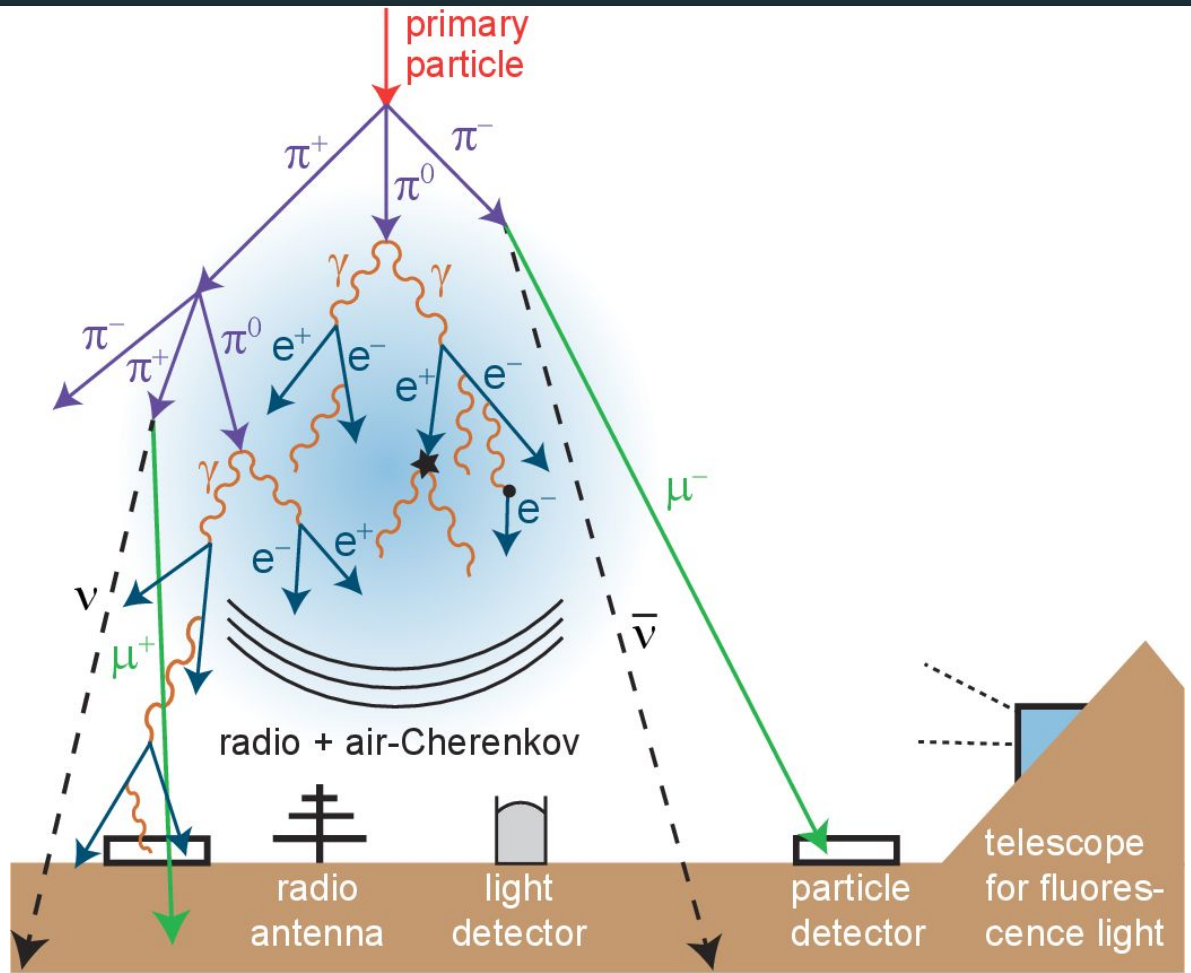
# Effects of AEF on CR

# Cosmic Rays



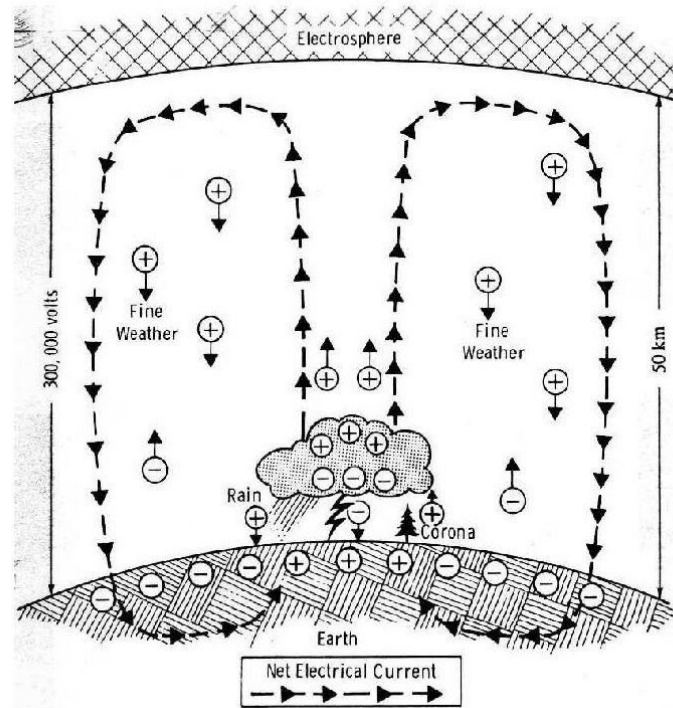
Taken from [1]

- CR constantly arrive on Earth from different sources in the Universe.
- They produce secondary particles in EAS.



Taken from [2]

# Atmospheric Electric Fields



## Muon Mechanism

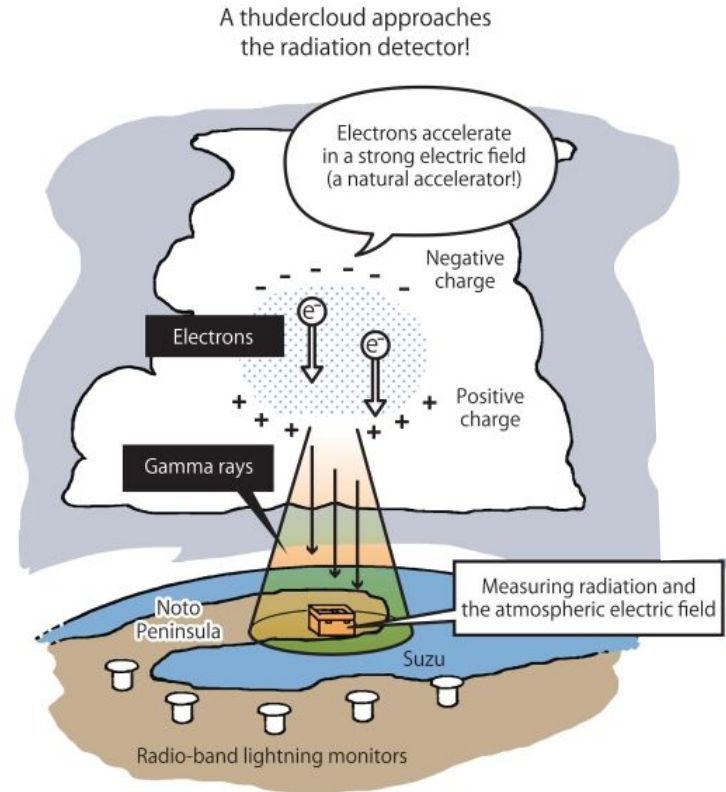
- The variation of AEFs entails the decrease in the intensity of muons.
- Scintillator plastic detectors ( $E \sim 100$  MeV) observe decreases during thunderstorms.



Taken from [3]



# Electron Mechanism (Runaway electron avalanche)



Taken from [4]

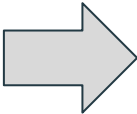
# Dorman's General Theory

- The intensity of any secondary CR component of type  $i$ , may be described by equation:

$$I_i(h_o, R_c, g, T(h), e(h), \mathbf{E}(h)) = \int_{R_c}^{\infty} D(R) m_i(h_o, R, g, T(h), e(h), \mathbf{E}(h)) dR$$

Assuming:

$$\Delta \mathbf{E}(h) = \mathbf{E}(h) - \mathbf{E}_o(h)$$



$$\left( \frac{\Delta I_i(h_o, R_c, g_o, T_o(h), e_o(h), \mathbf{E}(h))}{I_i(h_o, R_c, g_o, T_o(h), e_o(h), \mathbf{E}_o(h))} \right)_E = \int_0^{h_o} W_{iE}(h, h_o, R_c) \Delta \mathbf{E}(h) dh \quad \dots (1)$$

Where the AEF coefficient is:

$$W_{iE}(h, h_o, R_c) = \int_{R_c}^{\infty} \frac{\delta m_i(h_o, R, g_o, T_o(h), e_o(h), \mathbf{E}(h))}{m_i(h_o, R, g_o, T_o(h), e_o(h), \mathbf{E}_o(h))} W_{iR_c}(h_o, R, g_o, T_o(h), e_o(h), \mathbf{E}_o(h)) dR$$

And the coupling function:

$$W_{iR_c}(h_o, R, g_o, T_o(h), e_o(h), \mathbf{E}_o(h)) = \frac{D_o(R) m_i(h_o, R, g_o, T_o(h), e_o(h), \mathbf{E}_o(h))}{I_i(h_o, R_c, g_o, T_o(h), e_o(h), \mathbf{E}_o(h))}$$

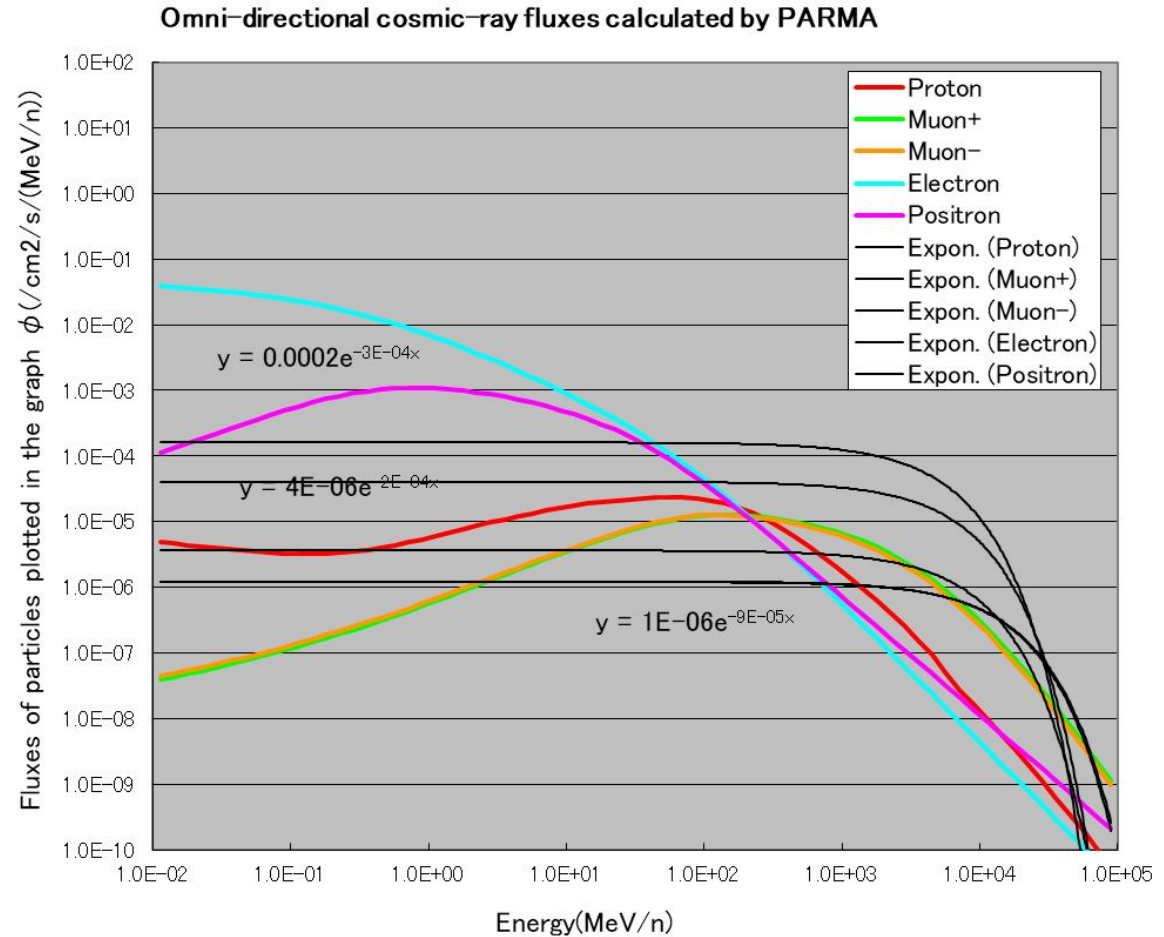
# Simulations

- EXPACS
  - Simulation of secondary RC flux.
  - The intensities of protons, muons, electrons and positrons were considered as the total charged component of secondary CR.
  - We fitted exponential functions to the flux of the charged particle component to find the coupling function.
- CORSIKA
  - Simulation of EAS.
  - The hadronic interactions for our simulations were modeled with QGSJET II-04 for high energies (above 80 GeV) and FLUKA for low energies (below 80 GeV).
  - Simulation performed with and without a simple point dipole AEF.

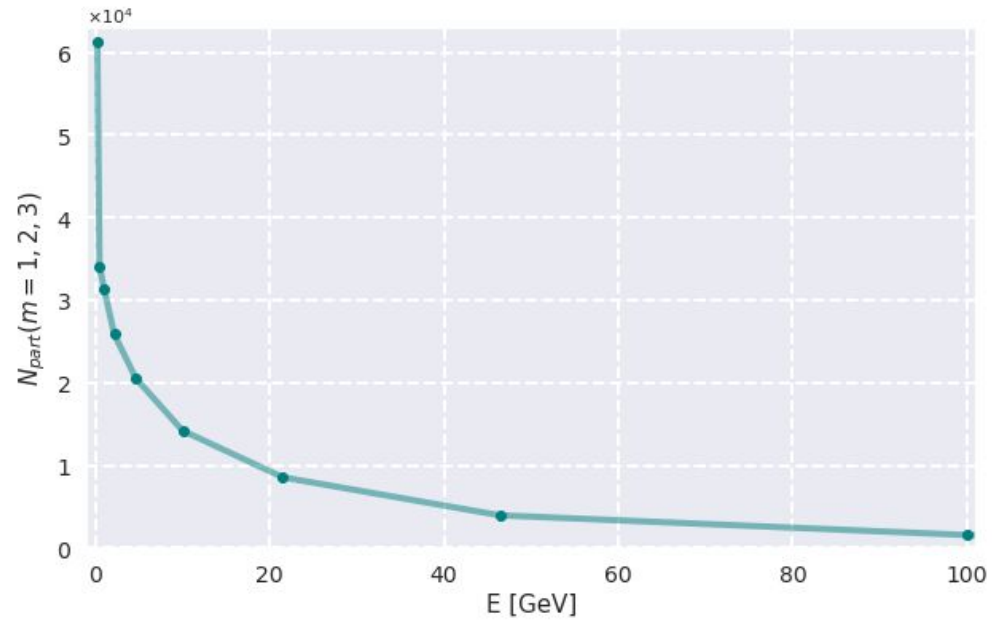
| Input conditions in the white columns                        |                                      |
|--|--------------------------------------|
| Altitude or Atmospheric depth                                | 4.58 (km)                            |
| Location or  | 8.24 (GV)                            |
| Cut-off rigidity   | 142 No meaning                       |
| Solar activity, Time, or Count rate of neutron monitor (cps) | 2019 Year                            |
|  | 10 Month                             |
|  | 15 Day                               |
| Surrounding Environment                                      | Ideal atmosphere                     |
| Local Effect Parameter                                       | 0.2 No meaning                       |
| Definition of dose   | Effective Dose                       |
| Output flux unit   | $\phi$ (/cm <sup>2</sup> /s/(MeVln)) |
| Output dose unit   | (uSv/h)                              |



# EXPACS Results



# CORSIKA Results



# Solving Dorman's AEF coefficient equation

- We found an AEF coefficient for the total charged secondary CR component:

$$W_{iE}(h, h_0, R_c) \approx 2 \times 10^{-4} \% (kV/m)^{-1} (g/cm^2)^{-1}$$

- Finally, solving equation 1:

$$\left( \frac{\Delta I_i(h_0, R_c, g_0, T_0(h), e_0(h), \mathbf{E}(h))}{I_i(h_0, R_c, g_0, T_0(h), e_0(h), \mathbf{E}_0(h))} \right)_E = \int_0^{h_0} W_{iE}(h, h_0, R_c) \Delta \mathbf{E}(h) dh$$

With  $E(h) = 10$  kV/m,  $E(h) = 20$  kV/m and  $E(h) = 30$  kV/m, the intensity variations for the total charged component were  $\pm 1.15\%$ ,  $\pm 2.32\%$  and  $\pm 3.47\%$ , respectively.

# Conclusions

- Based on the EAS simulations performed with CORSIKA and EXPACS to solve the equations representing the AEF effect on CR flux proposed by Dorman, we conclude that the effect of AEF on secondary CRs is significant at the Sierra Negra altitude (4580 m a.s.l.).
- We found that for the total charged component of secondary CRs, the variation attributed to AEF is 1.15-3.47% at Sierra Negra.





Thank you!

# References

[1] CERN. Cosmic rays: particles from outer space. Revisado el 20/07/2020.

<https://home.cern/science/physics/cosmic-rays-particles-outer-space>.

[2] Radio detection of Extensive Air Showers (ECSR 2016)

<https://www.semanticscholar.org/paper/Radio-detection-of-Extensive-Air-Showers-%28ECSR-Schroder/dcd064b9d9a93433180a847e809088571bf7e484/figure/0>

[3]

<https://www.forbes.com/sites/startswithabang/2021/02/03/why-the-unexpected-muon-was-the-biggest-surprise-in-particle-physics-history/?sh=ba915a771519>

[4] [https://www.u-tokyo.ac.jp/focus/en/articles/z0508\\_00006.html](https://www.u-tokyo.ac.jp/focus/en/articles/z0508_00006.html)