Core Corona approach, a model to explain Hyperon Global Polarization and other phenomena in semi-central heavy-ion collisions at low energy.

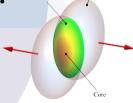
Ivonne Maldonado¹

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September 9^{th} , 2022 Work done in collaboration with

A. Ayala (ICN-UNAM), I. Domínguez (FCFM-UAS) and M.E. Tejeda-Yeomans (UCol)

Reunión Anual de la División de partículas y Campos de la Sociedad Mexicana de Física



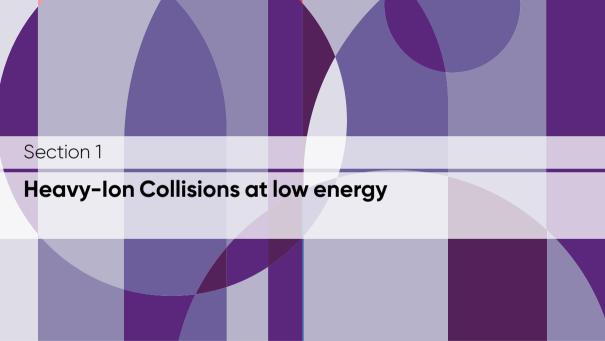
A + A



Outline

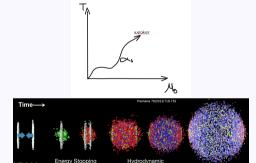
- 1 Heavy-Ion Collisions at low energy
- 2 MPD Experiment
- 3 Hyperon Global Polarization and vorticity
- 4 Core-Corona Model
- 5 Excitation function for the Global Hyperon Polarization
- 6 Polarization from Corona region
- Implementation at MPD
- 8 Summary

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QGP and Heavy-Ion Collisions

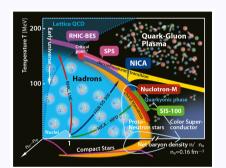
- The QCD predicts a new phase of matter the QGP.
- It exist at early universe, 10 μ s after the big bang.
- Heavy-Ion Collisions reproduce conditions at 10 μs after Big-Bang
- Transition from QGP to hadron gas.
- Strongly interacting matter in equilibrium is characterized by two quantities T and μ_B (or n_B)



Due to asymptotic freedom, α_s diminishes with increasing the energy scale producing that interactions among strongly interacting particles will get weaker as T or μ_B are increased.

J.Phys.Conf.Ser. 50 (2006) 238-242

Exploration of the QCD Phase Diagram



MPD experiment is focus in look for new phenomena in the baryon-rich region of QCD phase diagram

Different experiments allow us to:

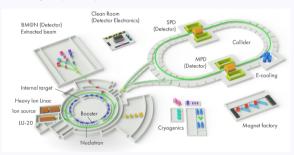
- Scan different parts of the QCD phase diagram which has different characteristics
- At Low energy collisions, matter differ form that studied at SPS, RHIC or LHC, because it consist principally for baryons and few mesons and can be compressed until 3 times the density of nuclear matter for approx 10-12 fm/c
- State of matter produced in HIC has fluid properties.
 - Non-central collisions have a large angular momentum and strong vortical structure.

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NICA The Nuclotron Ion fAcility

Aimed at study of hot and dense nuclear and baryonic matter in HIC at a center of mass energies in the range $\sqrt{s_{NN}}=4-11$ GeV. The average luminosity expected is $1\cdot 10^{27}~{\rm cm}^{-2}{\rm s}^{-1}$.



It look for sheed light on

- In-medium properties of hadrons and the nuclear matter equation of state (EoS)
- The onset of deconfinement (OD) and/or chiral symmetry restoration (CSR)
- Phase transition (PT)
- Mixed Phase (MP)
- The Critical End Point (CEP)

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Multi-Purpose Detector (MPD) Collaboration



MPD International Collaboration was established in 2018 to construct, commission and operate the detector

10 Countries > 450 participants, 31 institutes and JINR

Organization

Acting Spokesperson: Deputy Spokesperson: Institutional Board Chair: Project Manager:

Victor Rigboy Zebo Tana Alejandro Ayala Slava Golovatvuk

Joint Institute for Nuclear Research

AANI Yerevan Armenia: University of Ploydiv, Bulgaria;

Tsinahua University, Beijina, China;

USTC Hefei China:

Huzhou University, Huizhou, China;

Institute of Nuclear and Applied Physics, CAS, Shanahai. China:

Central China Normal University China: Shandona University, Shandona, China:

IHEP. Beiiina. China:

University of South China. China:

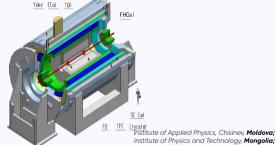
Three Gorges University. China: Institute of Modern Physics of CAS, Lanzhou. China:

Tbilisi State University Tbilisi Georgia:

FCFM-BUAP (Heber Zepeda) Puebla. Mexico:

FC-UCOL (Maria Flena Teieda), Colima Mexico: FCFM-UAS (Isabel Dominauez) Culiacán Mexico:

ICN-UNAM (Alejandro Ayala), Mexico City, Mexico;





MEPhl. Moscow. Russia:

Moscow Institute of Science and Technology Russia:

North Osetian State University Russia:

NRC Kurchatov Institute, ITEP Russia: Kurchatov Institute, Moscow, Russia:

St. Petersburg State University Russia:

SINP Moscow Russia: PNPI. Gatchina. Russia:

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Vinča Institute of Nuclear Sciences Serbia: Pavol Jozef Šafárik University Košice Slovakia



Multi Purpose Detector

MPD physics goals

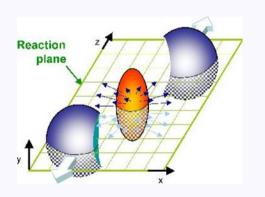
- Hadrochemistry.
- Anisotropic flow measurements.
- Intensity interferometry.
- Fluctuations.
- Short lived resonances.
- Electromagnetic probes.

FD TPC Cryostal

Signals at systematically changing conditions of collision (energy, centrality, system size) using as bulk observables; multi-strange hyperon yields and spectra (OD, EOS); electromagnetic probes (CSR, OD); azimuthal charged-particle cor relations (LPV); event-by-event fluctuation in hadron productions (CEP); correlations involving π , K, p, Λ (OD); directed and elliptic flows for identified hadron species (EOS,OD); reference data (i.e. p + p) will be taken at the same experimental conditions; study of hyperon polarisation and other polarisation phenomena including possible study of the nucleon spin structure via the Drell-Yan (DY) processes after the MPD upgrade



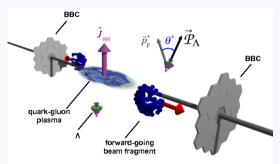
Global Vorticity and polarization in heavy Ion collisions



- Non-central collisions have large angular momentum $L\sim 10^5\hbar$.
- Shear forces in initial condition introduce vorticity to the QGP.
- Spin-orbit coupling: spin alignment, or polarization, along the direction of the vorticity -on average- parallel to J.

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Why are we interested in measure Hyperon Global Polar

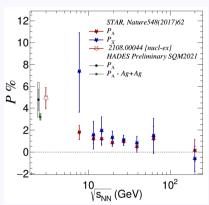


The fluid at midrapidity has a whirling substructure oriented (on average) in the direction of the total angular momentum, \hat{J} . [Nature 548.62-65(2017)]

- The Λ and $\bar{\Lambda}$ polarization are linked to the properties of the medium produced in relativistic heavy-ion collisions.
- For semi-central collisions, Angular momentum can be quantified in terms of the thermal vorticity
- The global polarization can be measured using the self-analysing $\Lambda/\bar{\Lambda}$ decays.

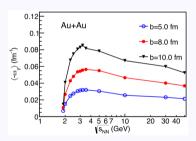
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Global Polarization as a function of energy



Energy range $\sqrt{s_{NN}} = \{2, 11\} GeV$ can be covered by ongoing/future experiments.

STAR BES-II + FXT: 3-19 GeV HADES:2-3 GeV NICA:4-11 GeV → MPD



Energy dependence of kinematic vorticity predicted by a transport model (UrQMD)

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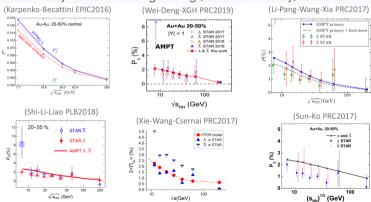
^aX.-G. Deng et al., PRC101.064908(2020)

∧ Global Polarization models

v-Hydro, partonic/hadronic transport, etc.

redlf the system is in thermal equilibrium, then equilibrium of spin degrees of freedom (spin and orbital angular momentum)

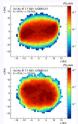
Summary from Xu-Guang Huang (Fudan University) - QM 2019



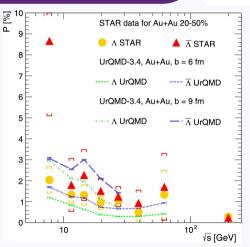
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$ar{\Lambda}$ Polarization

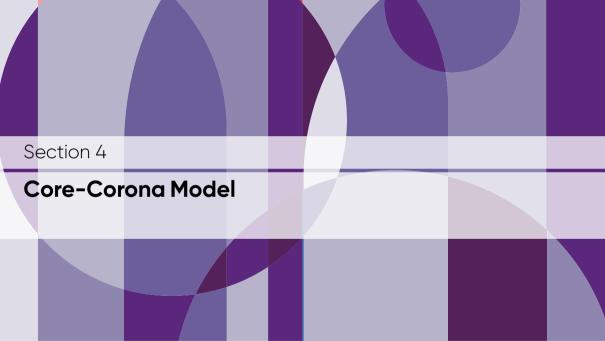
The stronger polarization of is explained by the different space-time distributions of Λ and $\bar{\Lambda}$ and by different freeze-out conditions of both hyperons.



Density distributions of Λ (upper plot) and $\bar{\Lambda}$ (bottom plot) in the reaction plane in UrQMD calculations of Au+Au collisions.



Phys.Lett.B.803(2020)135298

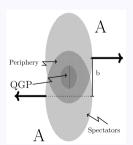


Core-Corona Model

... finding new probes for the existence of a QGP, can make polarization measurements a powerful analyzing tool in high energy heavy-ion collisions.

Avala Quautle Herrera and Montaño Phys. Rev. C 65 (2002) 024/022

Change in polarization w.r.t. p + p collisions as a means to identify the production of deconfined matter.



- In the Corona, reactions like: $p+p\to K+\Lambda+p$ Polarization is described by Lund Model, DeGrand-Miettinen model or Gluon bremsstrahlung mechanism. Λ spin is that of s-quark
- In the Core: spin alignment driven by vorticity or magnetic field

Another studies with core-corona approach

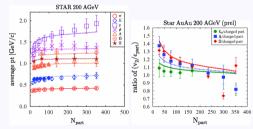
Core-Corona approach has been used to explain data from different experiments

- Centrality Dependence of Strangeness Enhancement in Ultrarelativistic Heavy Ion Collisions - a Core-Corona Effect¹.
- Is the centrality dependence of the elliptic flow v_2 and of the average $\langle p_T \rangle$ more than a Core-Corona Effect?²

Observable $O(N_{part})$ as a function of centrality

$$O(N_{part}) = f_{core}O_{core} + (1 - f_{core})O_{corona}$$

core - central collisions corona - pp collisions f_{core} - fraction of core nucleons



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¹Phys.Lett.B 673(2009)19-23

²Phys.Rev.C 82(2010)034906

Our approach for Hyperon Global Polarization with Core-Model

- Core meets corona: A two-component source to explain Λ and $\bar{\Lambda}$ global polarization in semi-central heavy-ion collisions Phys.Lett.B Volume 810, (2020) 135818
- The rise and fall of Λ and $\bar{\Lambda}$ global polarization in semi-central heavy-ion collisions at HADES, NICA and RHIC energies from the core-corona model arXiv:2106.14379v1 [hep-ph] 28 Jun 2021

The rise and fall of Λ and $\overline{\Lambda}$ global polarization in semi-central heavy-ion collisions at HADES, NICA and RHIC energies from the core-corona model

Alejandro Ayada^{1,2}, Isabel Domingued², Ivonne Maldonado², and María Elena Tejeda-Yeomana⁴

¹Instituto de Ciencias Nucleares, inversidad Necional Autónoma de Mética, Apartado Postal 70-343, CdMz 04510, Mexico.

²Centre for Theoretical and Mathematical Physics, and Department of Physics,

[Instituto of Cience Society of Physics, Company of Physics, Physics of Physics, Company of Physics, Compa

³Facultad de Ciencias Físico-Matemáticas, Universidad Autónoma de Sinaloa, Avenida de las Américas y Boulevard Universitarios, Ciudad Universitaria, C.P., 80000, Culiaccia, Sinaloa, Mexico. ⁴Pacultad de Ciencias - CUICBAS, Universidad de Colima, Bernal Días del Castillo No. 310. Col. Villas Son Sekastida, 82015 Colima, Mexico.

We compute the Λ and $\bar{\Lambda}$ global polarizations in sum-central heavy-ion collisions using the occurs model where the source of Λ and $\bar{\Lambda}$ is taken a consisting of a high-density core and a less dense corona. We show that the overall properties of the polarization excitation functions are consistent of the constant of the polarization excitation functions consistent on the constant of the

I. INTRODUCTION

The Beam Energy Scan (BES) at RHIC, performed by the STAR Collaboration $\overline{\text{IIR}}$ Π_{DI} has shown a trend for the A and $\overline{\text{A}}$ global polarization to increase as the energy of the collision decreases and that this increase is faster for $\overline{\text{A}}$ s than for As. In addition, the HADES Collaboration has recently provided preliminary results on the Λ elobal polarization in Λ_{DI} +and collisions at $\sqrt{\text{Cww}} = 2.42$ short-lived but intense magnetic fields [21] $\overline{23}$ and the possibility that Λ and $\overline{\Lambda}$ align their spins with the direction of the angular momentum created in the reaction during the life-time of the evolving system [23] $\overline{23}$

In a recent work [22], we have shown that when in semi-central heavy-ion collisions, the source of As and $\Delta \hat{r}$ is modeled as a high-density over and a less dense occura, the global polarization properties of these hyperons, as a GGP is produced in the core when the density of participants is larger than a critical value. At the same time, this region corresponds to the low baryon density. On the other hand, the corona corresponds to the region with relative the contraction of th

rXiv:2106.14379v1 [hep-ph] 28 Jun 2021

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Core-Corona Model: Two-component source

In heavy-ion collisions, Λ and $\bar{\Lambda}$ come from different density regions

• Core: QGP processes (lowest order QCD processes)

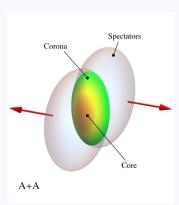
$$q ar q o s ar s$$
 and $g g o s ar s$

• Corona: Via n + n reactions by recombination-like processes (ud from incoming nucleons + s from sea)

The number of Λ s can be written as: $N_{\Lambda} = N_{\Lambda_{QGP}} + N_{\Lambda_{REC}}$ Then the polarization given by:

$$\mathcal{P} = rac{N^{\uparrow} - N^{\downarrow}}{N^{\uparrow} + N^{\downarrow}}$$

can be rewritten in terms of the number of Λs (or $\bar{\Lambda} s$) produced in the different density regions



Phys.Lett.B 810 (2020) 135818

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Rewriting Polarization

$$\mathcal{P}^{\Lambda} = \frac{(N^{\uparrow}_{\Lambda_{QGP}} + N^{\uparrow}_{\Lambda_{REC}}) - (N^{\downarrow}_{\Lambda_{QGP}} + N^{\downarrow}_{\Lambda_{REC}})}{(N^{\uparrow}_{\Lambda_{QGP}} + N^{\uparrow}_{\Lambda_{REC}}) + (N^{\downarrow}_{\Lambda_{QGP}} + N^{\downarrow}_{\Lambda_{REC}})}$$

$$\mathcal{P}^{\bar{\Lambda}} = \frac{(N^{\uparrow}_{\bar{\Lambda}_{QGP}} + N^{\uparrow}_{\bar{\Lambda}_{REC}}) - (N^{\downarrow}_{\bar{\Lambda}_{QGP}} + N^{\downarrow}_{\bar{\Lambda}_{REC}})}{(N^{\uparrow}_{\bar{\Lambda}_{QGP}} + N^{\uparrow}_{\bar{\Lambda}_{REC}}) + (N^{\downarrow}_{\bar{\Lambda}_{QGP}} + N^{\downarrow}_{\bar{\Lambda}_{REC}})}$$

After some alaebra, we aet:

$$\mathcal{P}^{\Lambda} = \frac{\left(\mathcal{P}^{\Lambda}_{REC} + \frac{N^{\uparrow}_{\Lambda_{QGP}} - N^{\downarrow}_{\Lambda_{QGP}}}{N_{\Lambda_{REC}}}\right)}{\left(1 + \frac{N_{\Lambda_{QGP}}}{N_{\Lambda_{REC}}}\right)} \qquad \qquad \mathcal{P}^{\bar{\Lambda}} = \frac{\left(\mathcal{P}^{\bar{\Lambda}}_{REC} + \frac{N^{\uparrow}_{\Lambda_{QGP}} - N^{\downarrow}_{\Lambda_{QGP}}}{N_{\bar{\Lambda}_{REC}}}\right)}{\left(1 + \frac{N_{\bar{\Lambda}_{QGP}}}{N_{\bar{\Lambda}_{REC}}}\right)}$$

$$\mathcal{P}^{\bar{\Lambda}} = \frac{\left(\mathcal{P}_{REC}^{\bar{\Lambda}} + \frac{N_{\bar{\Lambda}_{QGP}}^{\uparrow} - N_{\bar{\Lambda}_{QGP}}^{\downarrow}}{N_{\bar{\Lambda}_{REC}}}\right)}{\left(1 + \frac{N_{\bar{\Lambda}_{QGP}}}{N_{\bar{\Lambda}_{REC}}}\right)}$$

Where the polarization along the angular momentum produced in the corona is:

$$\mathcal{P}_{REC}^{\Lambda} = rac{N_{\Lambda_{REC}}^{\uparrow} - N_{\Lambda_{REC}}^{\downarrow}}{N_{\Lambda_{REC}}^{\uparrow} + N_{\Lambda_{REC}}^{\downarrow}}$$

$$\mathcal{P}_{REC}^{ar{\Lambda}} = rac{N_{ar{\Lambda}_{REC}}^{\uparrow} - N_{ar{\Lambda}_{REC}}^{\downarrow}}{N_{ar{\Lambda}_{REC}}^{\uparrow} + N_{ar{\Lambda}_{REC}}^{\downarrow}}$$

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Assumptions: Polarization of Λ ($\bar{\Lambda}$) from the Corona

$$\begin{split} \mathcal{P}^{\Lambda} &= \frac{\left(\mathcal{P}_{REC}^{\Lambda} + \frac{N_{\Lambda_{QGP}}^{\uparrow} - N_{\Lambda_{QGP}}^{\downarrow}}{N_{\Lambda_{REC}}}\right)}{\left(1 + \frac{N_{\Lambda_{QGP}}}{N_{\Lambda_{REC}}}\right)} \\ \mathcal{P}^{\bar{\Lambda}} &= \frac{\left(\mathcal{P}_{REC}^{\bar{\Lambda}} + \frac{N_{\bar{\Lambda}_{QGP}}^{\uparrow} - N_{\bar{\Lambda}_{QGP}}^{\downarrow}}{N_{\bar{\Lambda}_{REC}}}\right)}{\left(1 + \frac{N_{\bar{\Lambda}_{QGP}}}{N_{\bar{\Lambda}_{REC}}}\right)} \end{split}$$

Where

$$\mathcal{P}_{REC}^{\Lambda} = rac{N_{\Lambda_{REC}}^{\uparrow} - N_{\Lambda_{REC}}^{\downarrow}}{N_{\Lambda_{REC}}^{\uparrow} + N_{\Lambda_{REC}}^{\downarrow}}
onumber \ \mathcal{P}_{REC}^{ar{\Lambda}} = rac{N_{ar{\Lambda}_{REC}}^{\uparrow} - N_{ar{\Lambda}_{REC}}^{\downarrow}}{N_{ar{\Lambda}_{REC}}^{\uparrow} + N_{ar{\Lambda}_{REC}}^{\downarrow}}$$

- Nucleon-nucleon scattering not enough to align the spin in the direction of the angular momentum.
- Polarization of Λ and $\bar{\Lambda}$ averages to zero.

$$\mathcal{P}_{REC}^{\Lambda} = \mathcal{P}_{REC}^{\bar{\Lambda}} = 0$$

Assumptions: Intrinsic Polarization

$$\begin{split} \mathcal{P}^{\bar{\Lambda}} &= \frac{\left(\mathcal{P}^{\bar{\Lambda}}_{REC} + \frac{N^{\uparrow}_{\Lambda_{QGP}} - N^{\downarrow}_{\Lambda_{QGP}}}{N_{\Lambda_{REC}}}\right)}{\left(1 + \frac{N_{\Lambda_{QGP}}}{N_{\Lambda_{REC}}}\right)} \\ \mathcal{P}^{\bar{\Lambda}} &= \frac{\left(\mathcal{P}^{\bar{\Lambda}}_{REC} + \frac{N^{\uparrow}_{\Lambda_{QGP}} - N^{\downarrow}_{\bar{\Lambda}_{QGP}}}{N_{\bar{\Lambda}_{REC}}}\right)}{\left(1 + \frac{N_{\bar{\Lambda}_{QGP}}}{N_{\bar{\Lambda}_{REC}}}\right)} \end{split}$$

We define ${\bf z}$ and $\bar{\bf z}$ which represent the Λ and $\bar{\Lambda}$ intrinsic polarization respectively

$$egin{align*} N_{\Lambda_{QGP}}^{\uparrow} - N_{\Lambda_{QGP}}^{\downarrow} &= \mathbf{z} N_{\Lambda_{QGP}} \ N_{ar{\Lambda}_{QGP}}^{\uparrow} - N_{ar{\Lambda}_{QGP}}^{\downarrow} &= ar{\mathbf{z}} N_{ar{\Lambda}_{QGP}} \end{aligned}$$

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Assumptions: The ratio $N_{ar{\Lambda}_{REC(QGP)}}/N_{\Lambda_{REC(QGP)}}$

$$\begin{split} \mathcal{P}^{\bar{\Lambda}} &= \frac{\left(\mathcal{P}^{\bar{\Lambda}}_{REC} + \frac{N^{\uparrow}_{\Lambda_{QGP}} - N^{\downarrow}_{\Lambda_{QGP}}}{N_{\Lambda_{REC}}}\right)}{\left(1 + \frac{N_{\Lambda_{QGP}}}{N_{\Lambda_{REC}}}\right)} \\ \mathcal{P}^{\bar{\Lambda}} &= \frac{\left(\mathcal{P}^{\bar{\Lambda}}_{REC} + \frac{N^{\uparrow}_{\bar{\Lambda}_{QGP}} - N^{\downarrow}_{\bar{\Lambda}_{QGP}}}{N_{\bar{\Lambda}_{REC}}}\right)}{\left(1 + \frac{N_{\bar{\Lambda}_{QGP}}}{N_{\bar{\Lambda}_{REC}}}\right)} \end{split}$$

The number of $\bar{\Lambda}$ s are proportional to an energy-dependent coefficient $\mathbf{w}(\mathbf{w}')$ times the number of Λ s in the corona(core).

$$egin{array}{lcl} N_{ar{\Lambda}_{REC}} &=& \mathbf{w} N_{\Lambda_{REC}} \ N_{ar{\Lambda}_{QGP}} &=& \mathbf{w}' N_{\Lambda_{QGP}} \end{array}$$

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Λ and $\bar{\Lambda}$ global polarization

With this assumptions:

Polarization from Corona

$$\mathcal{P}_{REC}^{\Lambda} = \mathcal{P}_{REC}^{\bar{\Lambda}} = 0$$

Ratio $\bar{\Lambda}/\Lambda$

$$egin{array}{lcl} N_{ar{\Lambda}_{REC}} & = & w N_{\Lambda_{REC}} \ N_{ar{\Lambda}_{OGP}} & = & w' N_{\Lambda_{QGP}} \end{array}$$

Intrinsic Polarization

$$\begin{array}{cccc} N^{\uparrow}_{\Lambda_{QGP}} - N^{\downarrow}_{\Lambda_{QGP}} & = & z N_{\Lambda_{QGP}} \\ N^{\uparrow}_{\bar{\Lambda}_{QGP}} - N^{\downarrow}_{\bar{\Lambda}_{QGP}} & = & \bar{z} N_{\bar{\Lambda}_{QGP}} \end{array}$$

Global polarization **depends on** the coefficients $w_{\rm I}$ $w_{\rm I}'$, $z_{\rm I}$ \bar{z} and the ratio $\frac{N_{\Lambda_{QGP}}}{N_{\Lambda_{REC}}}$ that can be estimated from data or calculated.

Global Polarization

$$\mathcal{P}^{\Lambda} = rac{zrac{N_{\Lambda_{QGP}}}{N_{\Lambda_{REC}}}}{1 + rac{N_{\Lambda_{QGP}}}{N_{\Lambda_{REC}}}}$$
 $\mathcal{P}^{ar{\Lambda}} = rac{ar{z}\left(rac{w'}{w}
ight)rac{N_{\Lambda_{QGP}}}{N_{\Lambda_{REC}}}}{1 + \left(rac{w'}{w}
ight)rac{N_{\Lambda_{QGP}}}{N_{\Lambda_{REC}}}}$

Estimating from data - $\bar{\Lambda}/\Lambda$ in the Corona

Ratio $\bar{\Lambda}/\Lambda$

$$N_{\bar{\Lambda}_{REC}} = w N_{\Lambda_{REC}}$$

$$N_{\bar{\Lambda}_{QGP}} = w' N_{\Lambda_{QGP}}$$

Global Polarization

$$\mathcal{P}^{\Lambda} = \frac{z \frac{\overline{N_{\Lambda_{QGP}}}}{\overline{N_{\Lambda_{REC}}}}}{1 + \frac{\overline{N_{\Lambda_{QGP}}}}{\overline{N_{\Lambda_{REC}}}}}$$

$$\mathcal{P}^{\bar{\Lambda}} = \frac{\overline{z} \left(\frac{w'}{w}\right) \frac{\overline{N_{\Lambda_{QGP}}}}{\overline{N_{\Lambda_{REC}}}}}{1 + \left(\frac{w'}{w}\right) \frac{\overline{N_{\Lambda_{QGP}}}}{\overline{N_{\Lambda_{REC}}}}}$$

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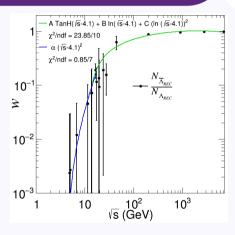
The ratio $w=N_{ar{\Lambda}_{REC}}/N_{\Lambda_{REC}}$

Model as p + p collisions

- Experimental data obtained from p + p collisions at different energies¹
- w is defined only for $\sqrt{s} > 4.1 {\rm GeV}$. The threshold energy for

$$p + p \rightarrow p + p + \Lambda + \bar{\Lambda}$$

• w is smaller than 1 except for energies $\sqrt{s} > 1$ TeV



M. Gazdzicki and D. Rohrich, Z. Phys. C 71 (1996) 55; V. Blobel et al. Nucl. Phys. B 69(1974), 454-492; J. W. Chapman et al., Phys. Lett. 47B (1973) 465; D. Brick et al., Nucl. Phys. B 164 (1980) 1; C. Höhne, CERN-THESIS-2003-034; J. Baechler et al. [NA35 Collaboration], Nucl. Phys. A 525 (1991) 221C; G. Charlton et al., Phys. Rev. D 20 (1993) 573; H. Kichmii et al., Phys. Rev. D 20 (1997) 37; F. W. Busser et al., Phys. Lett. 61B (1976) 309; S. Erhan, et al., Phys. Lett. 85B(1979) 474; B. I. Abeley et al., ISTAR Collaboration]. Phys. Rev. D 20 (1996)

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Calculating ratio $\bar{\Lambda}/\Lambda$ in the core

Ratio $\bar{\Lambda}/\Lambda$

$$N_{\bar{\Lambda}_{REC}} = w N_{\Lambda_{REC}}$$

$$N_{\bar{\Lambda}_{QGP}} = w' N_{\Lambda_{QGP}}$$

Global Polarization

$$\mathcal{P}^{\Lambda} = rac{z_{oldsymbol{N}_{\Lambda REC}}}{1 + rac{N_{\Lambda_{QGP}}}{N_{\Lambda_{REC}}}}$$
 $\mathcal{P}^{ar{\Lambda}} = rac{ar{z} \left(rac{w'}{w}
ight) rac{N_{\Lambda_{QGP}}}{N_{\Lambda_{REC}}}}{1 + \left(rac{w'}{w'}
ight) rac{N_{\Lambda_{QGP}}}{N_{\Lambda_{QGP}}}}$

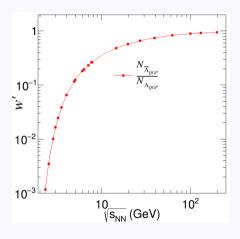
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The ratio $w'=N_{ar{\Lambda}_{QGP}}/N_{\Lambda_{QGP}}$

• The coefficient w' is computed as the ratio of the equilibrium distributions of \bar{s} to s-quark for a given temperature T and chemical potential $\mu=\mu_B/3$ given by:

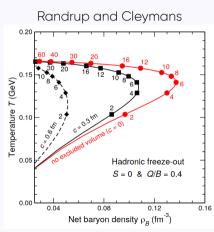
$$w' = \frac{e^{(m_s - \mu)/T} + 1}{e^{(m_s + \mu)/T} + 1}$$

where $m_s=100$ MeV is the mass of the s-quark and T and μ_B are taken along the curve of the maximum chemical potential at freeze out.



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μ_B and T at freeze out



Eur.Phys.J. 52 (2016) 218-219

At maximum freeze-out baryon density in nuclear collisions, the extracted values of T and μ_B exhibits a smooth and monotonic dependence on the collision energy

$$T(\mu_B) = 166 - 139\mu_B^2 - 53\mu_B^4$$

$$\mu_B(\sqrt{s_{NN}}) = \frac{1308}{1000 + 0.273\sqrt{s_{NN}}}$$

Phys.Rev.C 74 (2006) 047901

Calculating intrinsic

Intrinsic Polarization

$$N_{\Lambda_{QGP}}^{\uparrow} - N_{\Lambda_{QGP}}^{\downarrow} = z N_{\Lambda_{QGP}}$$

 $N_{\bar{\Lambda}_{QGP}}^{\uparrow} - N_{\bar{\Lambda}_{QGP}}^{\downarrow} = \bar{z} N_{\bar{\Lambda}_{QGP}}$

Global Polarization

$$\mathcal{P}^{\Lambda} = \frac{z \frac{N_{\Lambda_{QGP}}}{N_{\Lambda_{REC}}}}{1 + \frac{N_{\Lambda_{QGP}}}{N_{\Lambda_{REC}}}}$$

$$\mathcal{P}^{\bar{\Lambda}} = \frac{\bar{z} \left(\frac{w'}{w}\right) \frac{N_{\Lambda_{QGP}}}{N_{\Lambda_{REC}}}}{1 + \left(\frac{w'}{w}\right) \frac{N_{\Lambda_{QGP}}}{N_{\Lambda_{REC}}}}$$

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Intrinsic Polarization

Intrinsic polarization is given by:

$$z = 1 - e^{-\Delta \tau_{QGP}/\tau}$$

and

$$\bar{z} = 1 - e^{-\Delta \tau_{QGP}/\bar{\tau}}$$

in terms of the relaxation times au and $ar{ au}$ and the QGP life-time Δau_{QGP} .

The relaxation time can be computed as the inverse of the interaction rate between the thermal vorticity and the quark spin, which is modeled by an effective vertex

$$\tau \equiv 1/\Gamma$$

where

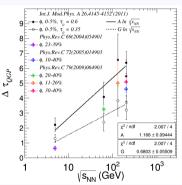
$$\Gamma = V \int \frac{d^3p}{2\pi^3} \Gamma(p_0)$$
, with $V = \pi R^2 \Delta \tau_{QGP}$

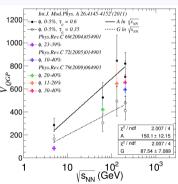
V is the volume of the core region⁴, related to the QGP life-time Δau_{QGP} in a Bjorken expansion scenario.

$$\Delta \tau_{QGP} = \tau_f - \tau_0 = \tau_0 \left[\left(\frac{T_0}{T_f} \right)^3 - 1 \right]$$

⁴A. Ayala. D. de la Cruz, L. A. Herńandez, and J. Salinas, Phys.Rev.D 102,056019 (2020)

Volume and QGP life-time $\Delta au_{QGP}= au_0[\left(rac{T_0}{T_f} ight)^3-1]$

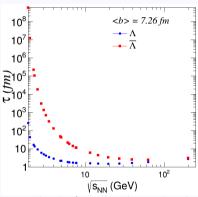


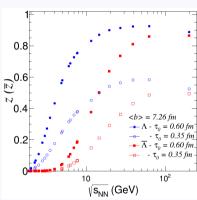


 T_0 is estimated from p_T of ϕ mesons, $au_0=0.35-0.60$ fm to incorporate the effect of collision centrality, and T_f is taken as the value along the maximum chemical potential curve at freeze-out

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Relaxation time and intrinsic polarization as a function





For energies below the Λ production threshold energy, the τ and $\bar{\tau}$ increase dramatically, as expected, since the interaction rate should vanish below these energies.

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Calculating Λ abundances

Ratio Core/Corona

$$\frac{N_{\Lambda_{QGP}}}{N_{\Lambda_{REC}}}$$

Global Polarization

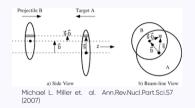
$$\mathcal{P}^{\Lambda} = \frac{z \frac{N_{\Lambda_{QGP}}}{N_{\Lambda_{REC}}}}{1 + \frac{N_{\Lambda_{QGP}}}{N_{\Lambda_{REC}}}}$$

$$\mathcal{P}^{\bar{\Lambda}} = \frac{\bar{z} \left(\frac{w'}{w}\right) \frac{N_{\Lambda_{QGP}}}{N_{\Lambda_{REC}}}}{1 + \left(\frac{w'}{w}\right) \frac{N_{\Lambda_{QGP}}}{N_{\Lambda_{REC}}}}$$

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Production of Λ in the core and the corona

The nuclear overlap model, as described by Eskola in Nucl. Phys. B323(1989)37



Describes the density of participants of the collision

$$n_p(\mathbf{s},\mathbf{b}) = T_A(\mathbf{s})[1 - e^{-\sigma_{NN}T_B(\mathbf{s}-\mathbf{b})}] + T_B(\mathbf{s}-\mathbf{b})[1 - e^{-\sigma_{NN}T_A(\mathbf{s})}]$$

The thickness function T_A in terms of Woods-Saxon profile density ρ_A

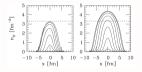
$$T_A(z,s) = \int_{-\infty}^{\infty} \rho_A(z,\mathbf{s}) dz$$

 $\rho_A(\mathbf{s}) = \frac{\rho_0}{1 + e^{(r-R_A)/a}}$

${ m J}/\Psi$ suppression at Pb+Pb collisions: a Hint of Quark Gluon Plasma Production?

Critical Density $n_c = 3.3 fm$

Participants required to QGP formationPhys.Rev.Lett. 77 (1996)1703-1706



The density of participants $n_p(s)$, for s along the direction of the impact parameter, for various values of the impact parameter: $b=0,2,4\cdots$ fm. left: S–U collision; right: Pb–Pb collision. The horizontal dashed line corresponds to the largest density achieved in the S–U system, $n_p=3.3 \, \text{fm}^{-2}$

Production of Λ in the core and the corona

Number of Λ s in the core

Average number of strange quarks produced in the QGP scales with the number of participants in the collision.

J. Letessier, J. Rafelski and A. Tounsi, Phys. Lett. B 389 (1996)

$$\langle s \rangle = N_{\Lambda_{QGP}} = c N_{p_{QGP}}^2$$

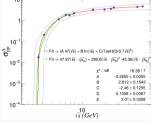
with $0.001 \leq c \leq 0.005$. As are not the only strange hadrons produced in the reaction c=0.0025

$$N_{p_{QGP}} = \int n_p(\mathbf{s,b}) heta[n_p(\mathbf{s,b}) - n_c] d^2s$$

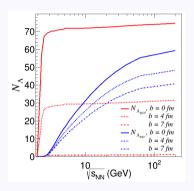
Number of Λ s in the corona

$$N_{\Lambda_{REC}} = \sigma_{NN}^{\Lambda} \int \, T_B(\mathbf{b} \! - \! \mathbf{s}) \, T_A(\mathbf{s}) heta[n_c \! - \! n_p(\mathbf{s,b})] \, d^2 s$$

where σ_{NN}^{Λ} is obtained from experimental data



Number of Λ s and $\bar{\Lambda}$ s as a function of energy



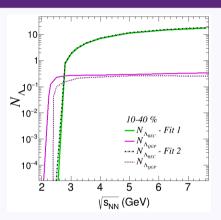
 $N_{\Lambda_{QGP}}$ and $N_{\Lambda_{REC}}$ as a function of the collision energy for impact parameters b=0,4,7 fm.

- At small b, Λ particle production is dominated by the core region.
- For peripheral collisions, Λ particle production is dominated by the corona region

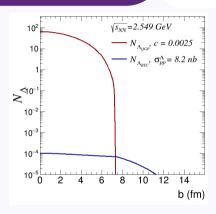
 → relevant for vorticity and polarization studies.

Core-corona model introduces a critical density of participants n_c above which the core can be produced. For peripheral collisions is difficult to achieve this critical density n_c , even for the largest collision energies.

As in the Core and Corona



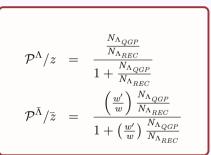
At low energies $N_{\Lambda_{QGP}}$ depends on σ_{NN} , different parametrizations impact on the strenght of polarization

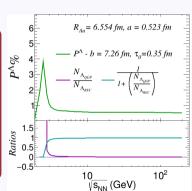


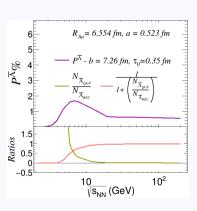
 σ_{NN} affects the ratio $N_{\Lambda QGP}/N_{\Lambda_{REC}}$ and the value of b at which the ratio is smaller than 1



The ratios describing the polarization



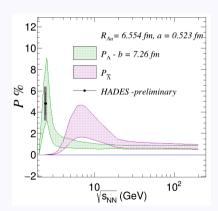


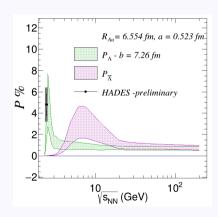


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Λ and $ar{\Lambda}$ polarization in Au+Au at HADES centrality

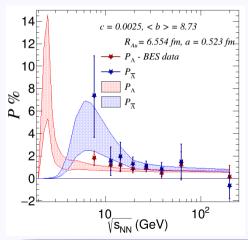
10 - 40 %





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Λ and $\bar{\Lambda}$ in Au+Au at BES centrality



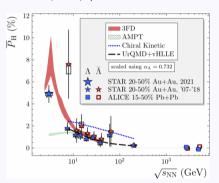
20 - 50 %

- Similar trend to the case of the analysis with smaller centrality.
- Magnitude of global polarization increases for a larger centrality as a consequence of the angular velocity increase

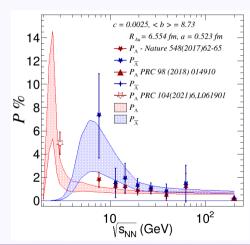
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Recent Results - Au + Au at $\sqrt{s_{NN}} = 3$ GeV

Recently STAR collaboration presents: Phys.Rev.C 104(2021)6,L061901



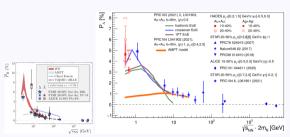
Our previous prediction fits the new value. 3FD model predicts also a peak.



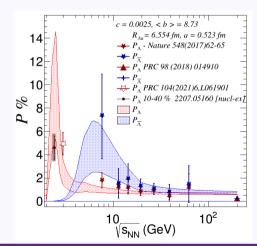
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More Recent Results - Au + Au at $\sqrt{s_{NN}} = 2.42$ GeV

Recently HADES collaboration presents: arXiv:2207.05160 [nucl-ex]



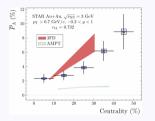
Our previous prediction fits the new value. 3FD model peak is shown for $b=8{\rm fm}$ (left) and $b=5{\rm fm}$ (right)



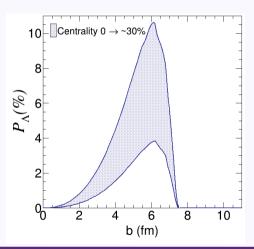
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- In non-central collisions Λ and $\bar{\Lambda}$ hyperons can be produced from different density zones within the interaction region: core or corona.
- Polarization properties of Λ and $\bar{\Lambda}$ differ depending on the region they come from.
- Since the ratio of the number of $\bar{\Lambda}s$ to Λs coming from the corona is less than 1: the global $\bar{\Lambda}$ polarization can be larger than the global Λ polarization.
- This amplifying effect is favored when the number of Λs coming from the core is smaller than the number of Λs coming from the corona.
- This happens for collisions with intermediate to large impact parameters, which correspond to the kind of collisions that favor the development of a larger thermal vorticity.

Λ polarization as a function of centrality for Au+Au at $\sqrt{s_{NN}}=3~{\rm GeV}$



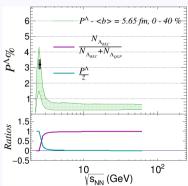
Polarization for more peripheral collisions goes to zero, as the critical density n_c of the system is not achieved, vanishing the number of Λ s from the core.

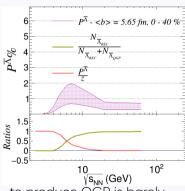


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Λ and $ar{\Lambda}$ polarization in Ag+Ag collisions

Similar trend to Au+Au



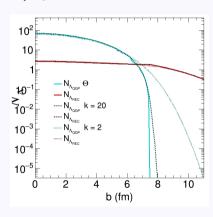


Due the system's size, the minimum critical density n_c to produce QGP is barely achieved for non-central collisions.

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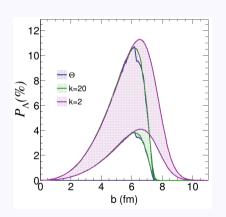
The number of Λ 's is dependent on the critical density $n_c = 3.3 \text{ fm}^{-2}$.

- A change in the value of the n_c , allow the QGP formation for higher b.
- Change $\theta(x) \to \frac{1}{1+2e^{-2kx}}$ with $k = \{2, 20\}.$
- Higher $k \to \theta(x)$

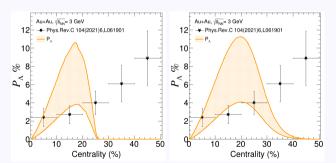


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Polarization as a function of centrality



The polarization increases for 20–30% centrality bin, and is different from zero for 30–40% however does not describe data at higher bins of centrality



What about the contribution of P_{REC} ?

- Which is the effect of transverse Λ polarization in the corona?
- The polarization in pp collisions is not zero³.

• At
$$\sqrt{s} = 19.6 \text{GeV} \to \mathcal{P} = -0.25 \pm 0.26$$

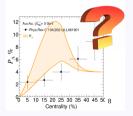
• At
$$\sqrt{s} = 53 \text{GeV} \to \mathcal{P} = -0.34 \pm 0.07$$

• At
$$\sqrt{s}=62 \text{GeV} \rightarrow \mathcal{P}=-0.40\pm0.10$$

$$\mathcal{P}^{\Lambda} = \frac{\mathcal{P}^{\Lambda}_{REC} + z \frac{N_{\Lambda_{QGP}}}{N_{\Lambda_{REC}}}}{1 + \frac{N_{\Lambda_{QGP}}}{N_{\Lambda_{REC}}}}$$

In more peripheral collisions transverse polarization is not diluted by rescattering within QCD medium and can be measured at MPD⁴.

Which is the value w.r.t. the angular momentum?



Adding an arbitrary value of $\mathcal{P}_{REC}^{\Lambda}$ Data could be described?

⁵PoS HEP2005 (2006) 122, V. Blobel et al., Nucl. Phys. B122 (1977) 429, Phys. Rev., D11:2405, 1975

⁶Nazarova, et. al. Phys. of Part. and Nuclei Lett., 2021, Vol. 18, No. 4, pp. 429–438



Measurement procedure of Hyperon Global Polarization

① Λ and $\bar{\Lambda}$ identification through their decay products and measurement of the azimuthal angle of the decay baryon in Λ rest frame.

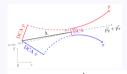
$$\frac{dN}{d\Omega} = \frac{N}{4\pi} \left(1 + \alpha \mathcal{P}_H cos\theta \right)$$

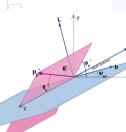
 $\alpha_H = 0.732 \pm 0.014$ - new hyperon decay parameter

- $oldsymbol{2}$ Flow technique measurement $ightarrow \Psi_{EP}$ and its Resolution R_{EP}
- 3 Polarization as a function of the difference of these angles

Global Polarization

$$\mathcal{P}_{H} = \frac{8}{\pi \alpha_{H}} \frac{\left\langle \sin \left(\phi_{p}^{*} - \Psi_{EP}^{(1)}\right) \right\rangle}{R_{EP}}$$





Polarization from Corona region

In pp collisions, transverse polarization is measured with respect to production plane.

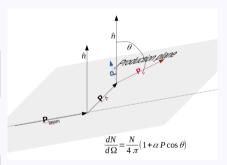
Polarization along vector \hat{n} perpendicular to the plane defined by the beam \hat{p}_{beam} and Λ directions, p_{Λ}

$$\hat{n} \equiv \frac{\bar{p}_{beam} \times \bar{p}_{\Lambda}}{|\bar{p}_{beam} \times \bar{p}_{\Lambda}|}$$

Assuming the beam direction parallel to \hat{z} , we can express \hat{n} like:

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$$\hat{n} = \frac{1}{p_{T_{\Lambda}}}(-p_{y_{\Lambda}}, p_{x_{\Lambda}}, 0)$$



Local Polarization projected along angular momentum

Assuming that in pp collisions, polarization \mathcal{P}_T is only different from zero along \hat{n} ; for Λ 's in the corona, the contribution to global polarization can be measured by:

$$\frac{dN}{d\Omega} = \frac{N}{4\pi} \left(1 + \alpha \mathcal{P}_T \cos \sigma^* \right)$$

where σ^* is the angle between \hat{n} and the direction of the angular momentum $\hat{L} = \hat{b} \times \hat{p}_{beam} = (\sin \Psi_{RP}, -\cos \Psi_{RP}, 0)$. Then $cos\sigma^*$ is given by:

$$\cos \sigma^* = \hat{n} \cdot \hat{L} = \frac{1}{p_{T_{\Lambda}}} \left(-p_{y_{\Lambda}} \sin \Psi_{RP} - p_{x_{\Lambda}} \cos \Psi_{RP} \right)$$

Substituting

$$p_{x_{\Lambda}} = p_{\Lambda} \sin \theta_{\Lambda} \cos \phi_{\Lambda}, p_{y_{\Lambda}} = p_{\Lambda} \sin \theta_{\Lambda} \sin \phi_{\Lambda}, p_{T_{\Lambda}} = p_{\Lambda} \sin \theta_{\Lambda}$$

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Local Polarization projected along angular momentum

then

$$\cos \sigma^* = -\sin \phi_{\Lambda} \sin \Psi_{RP} - \cos \phi_{\Lambda} \cos \Psi_{RP}$$
$$= -\cos (\phi_{\Lambda} - \Psi_{RP})$$

angular distribution can be rewritten like:

$$\frac{dN}{d\Omega} = \frac{N}{4\pi} \left(1 - \alpha \mathcal{P}_T \cos \left(\phi_{\Lambda} - \Psi_{RP} \right) \right)$$

Considering $d\Omega = \sin\theta d\theta d\phi$ and integrating w.r.t. $d\theta$?

$$\frac{dN}{d\phi} = \int_0^{\pi} \left[\frac{N}{4\pi} (1 - \alpha \mathcal{P}_T \cos(\phi_{\Lambda} - \Psi_{RP})) \right] \sin\theta \, d\theta$$
$$= \frac{N}{2\pi} (1 - \alpha \mathcal{P}_T \cos(\phi_{\Lambda} - \Psi_{RP}))$$

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Local Polarization projected along angular momentum

Calculating the mean angular distribution $\langle \cos{(\phi_{\Lambda} - \Psi_{RP})} \rangle$

$$\langle \cos \left(\phi_{\Lambda} - \Psi_{RP} \right) \rangle = -\frac{\alpha \mathcal{P}_T}{2}$$

The transverse polarization projected along angular momentum should be

$${\cal P}_T = rac{-2\langle\cos\left(\phi_{\Lambda} - \Psi_{RP}
ight)
angle}{lpha}$$

that differs from the global polarization given by $\mathcal{P}_{\Lambda} = -\frac{8\langle\sin{(\phi_p - \Psi_{RP})}\rangle}{\pi\alpha}$ There is a similarity between this expression and directed flow for Λ s Can we measure this contribution experimentally?

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Perspectives of study at MPD with UrQMD

The UrQMD generator implements an **hybrid model** that includes an ideal fluid-dynamic evolution for the hot an dense stage^a.

The **fluid-dynamic evolution** is carried out by the SHASTA (SHarp and Smooth Transport Algorithm)^b

Implementation of EoS that includes a **deconfinement plus a chiral phase transition**, through a smooth crossover between a chiral hadronic model and an interacting constituent quark model ^c.

A **core-corona like separation** mechanism for the initial state of the fluid evolution. Quark density cut in η intervals for select particles in the fluid-dynamical evolution d.

FIG. 1. (Color online) Contour plot of the local rest frame energy density in the transverse plane (z = 0) of a central (b = 0) collision of Pb+Pb at $E_{lob}=40\Lambda$ GeV. The energy density is normalized to the ground state energy density $(\epsilon_0\approx 145~{\rm MeV/fm}^3)$. The two green lines correspond to lines of a constant energy density of $\epsilon/\epsilon_0=5~{\rm and}~7$.

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^aPhys. Rev. C 78 (2008) 044901

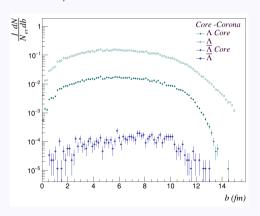
^bNucl.Phys.A595(1995)346, Nucl. Phys.A595(1995)383

^cPhys.Rev.C84,045208(2011)

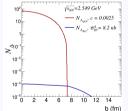
^dPhys.Rev.C84.024905(2011)

Core-Corona dN/db

From pure MC ~ 89 k events



 Λ abundances in different regions differs from critical density - Glauber calculation



However we can use it to estimate the contribution to Global polarization

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Implementation in MPD

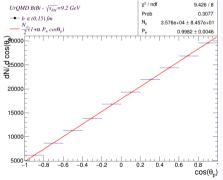
As a first attempt assign an arbitrary local polarization \rightarrow 40% only to corona particles.

- Class MpdUrQMDGenerator → modified to read parent process type.
- ullet Assign a fixed local polarization value to Λs in the corona in the \hat{n} direction
- Transfer polarization to decay particles by the same procedure developed to Hyperon Global Polarization transfer in PHSD (PWG2 - E. Nazarova, and V. Voronyuk, ⁷)
- ullet Λ reconstruction and measurement of Hyperon Global Polarization with MCTracks.

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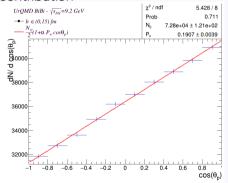
Polarization transfer

All Λs in the corona are polarized, projection along its own ${\cal P}$ is consistent with 100%



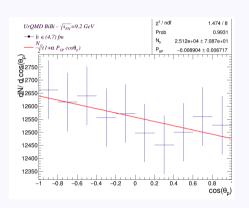
sample ~ 36 k events

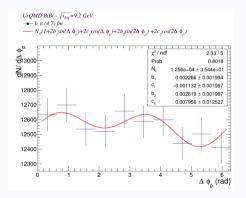
Local Polarization measured in all the Λ sample, smaller than 40% due to core contribution



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Polarization for Λ produced at $b \in (4,7)fm$



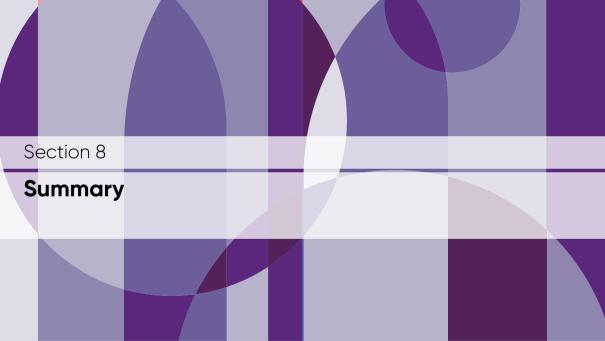


$$\mathcal{P} \sim -0.009$$

$$\mathcal{P} = -\frac{8}{\pi \alpha_{\Lambda}} \frac{b_1}{R_{SP}} \rightarrow \sim -0.010$$

Does local polarization contribute to global polarization?

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Summary

- The description of global polarization has been shown with the core-corona model, which describes the experimental data at energy ranges of the HADES, STAR and NICA experiments.
- It has been shown that local polarization could contribute to global polarization with a fraction of the value of transverse polarization measured in pp collisions
- UrQMD has been proposed to simulate both the hydrodynamic phase of the core and cascade transport of the corona and separate Λ contribution.
- Mpdroot has been used to simulate the decay and transport of polarization in the charged decay of Λ .
- It has been shown that local polarization could contribute to global polarization, however, the results are inconclusive, due to the size of the sample used and the uncertainties of the calculation.

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¡ GRACIAS!



IX Collaboration Meeting of the MPD Experiment at the NICA Facility

Work in progress and future plans

- Increase the size of the sample to repeat measurements and verify results.
- Get polarization with reconstructed tracks.
- Contribute to the implementation of core separation to another measurements within MPD.

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