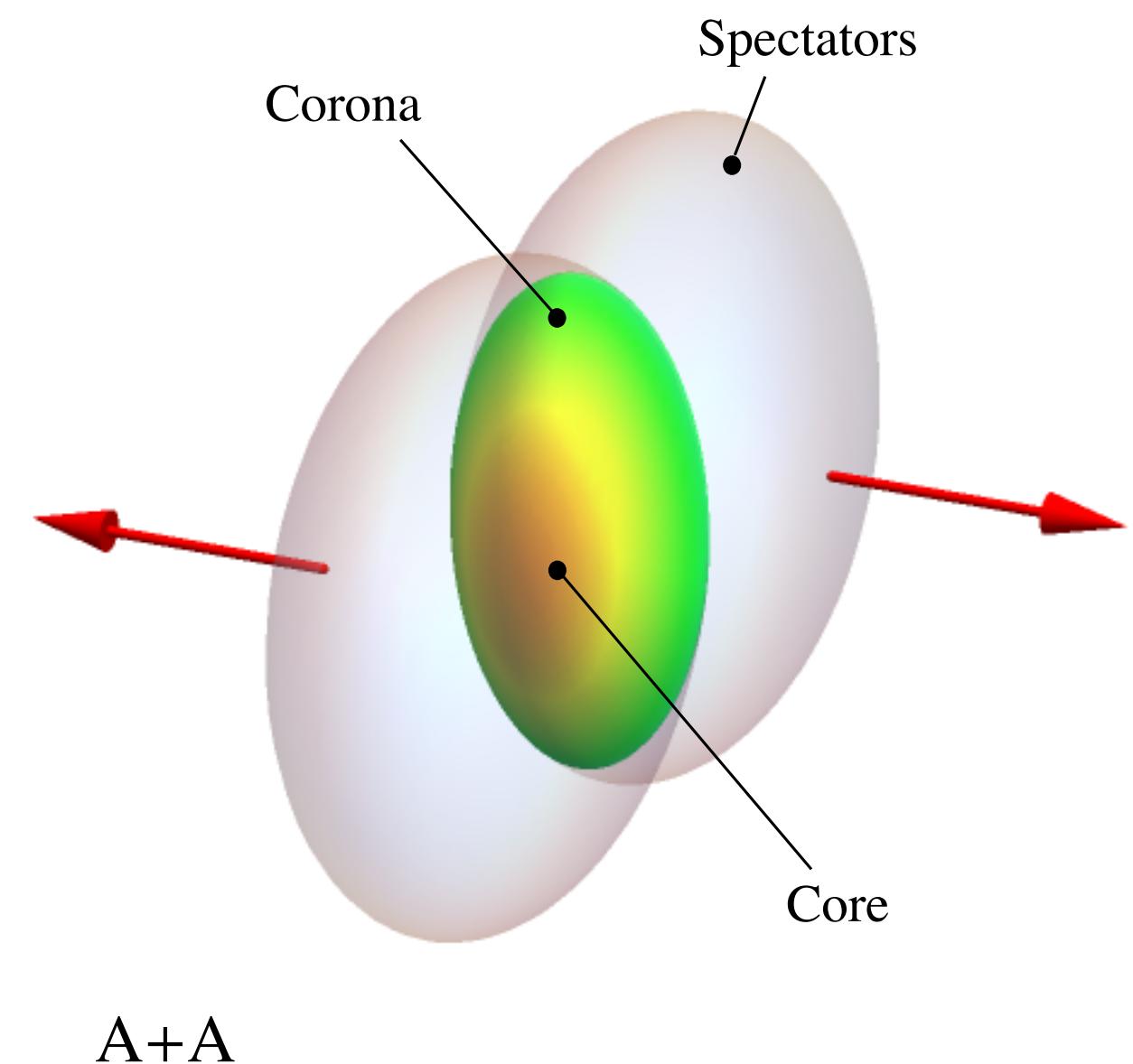


Time to relax and talk about Λ polarization

A. Ayala, D. de la Cruz, S. Hernández-Ortíz, L. A. Hernández, and JS, PLB **801**
(2020) 135169

A. Ayala, D. de la Cruz, L. A. Hernández, and JS, PRD **102** (2020) 056019

A. Ayala, M. A. Ayala Torres, E. Cuautle, I. Dominguez, M. A. Fontaine Sanchez, I. Maldonado, E. Moreno-Barbosa, P. A. Nieto-Marin, M. Rodriguez-Cahuantzi, JS, M. E. Tejeda-Yeomans, and L- Valenzuela-Cazares, PLB **810** (2020) 135818

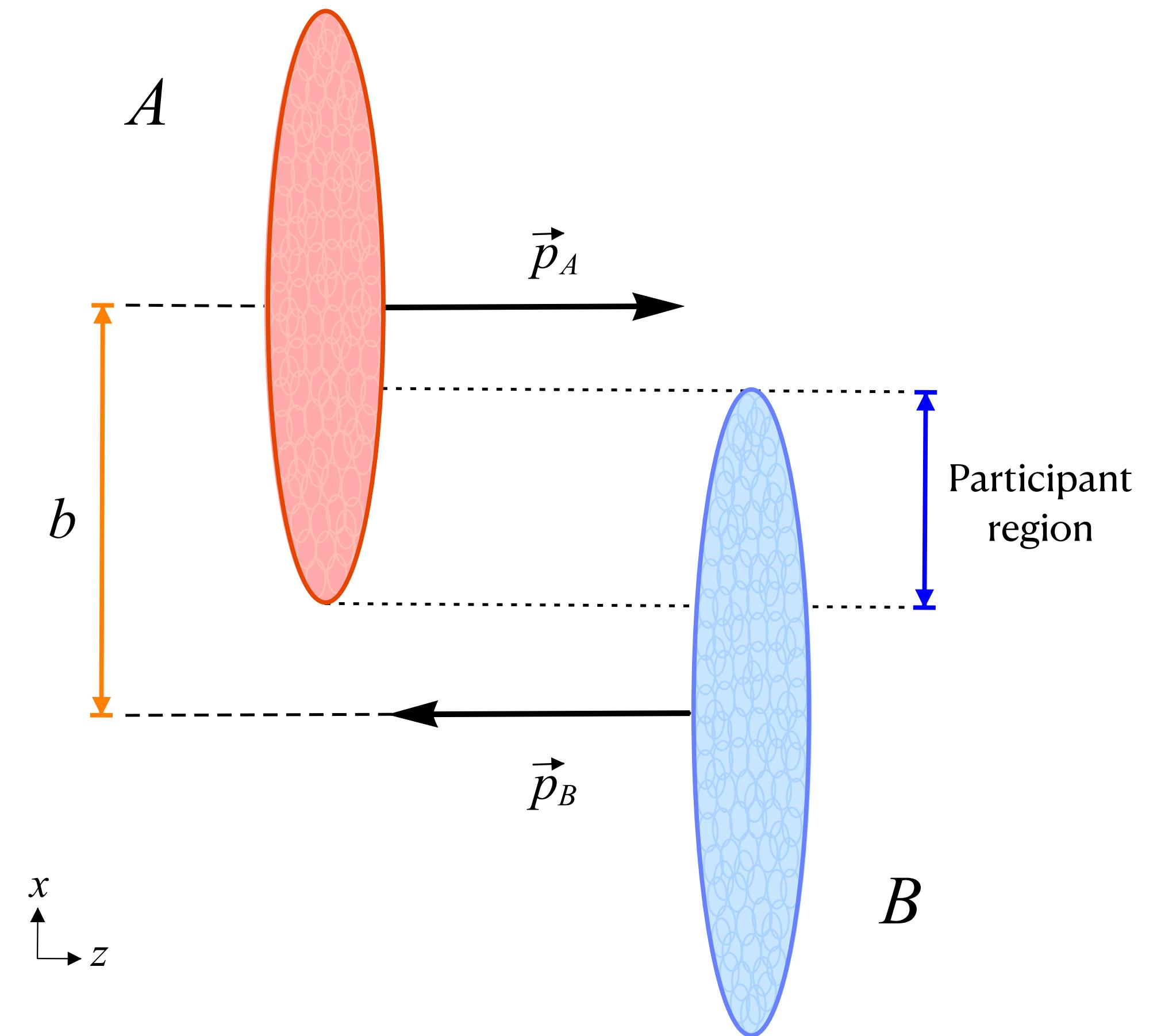
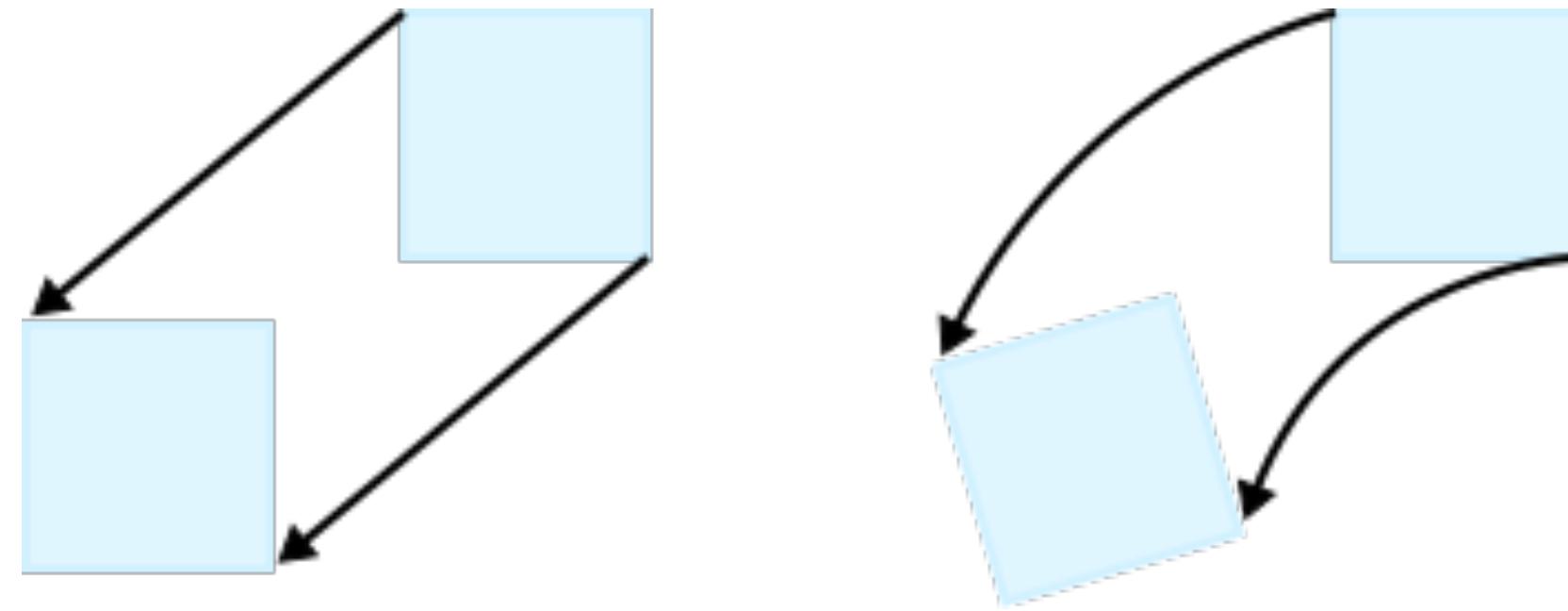


MexNICA Collaboration Winter Meeting, Dec. 17 2020

Heavy-ion collisions

and some of its properties

- “High” energy $\sim 10 - 200 \text{ GeV}$
 - High temperatures $\sim 150 \text{ MeV}$
 - High magnetic fields $\sim m_\pi^2$
 - High global angular momentum $\sim 10^6 \hbar$
- Spinning QGP



Vorticity

Classically

$$\omega = \nabla \times v$$

Relativistic

$$\omega^\mu = \epsilon^{\mu\nu\rho\sigma} u_\nu \partial_\rho u_\sigma$$

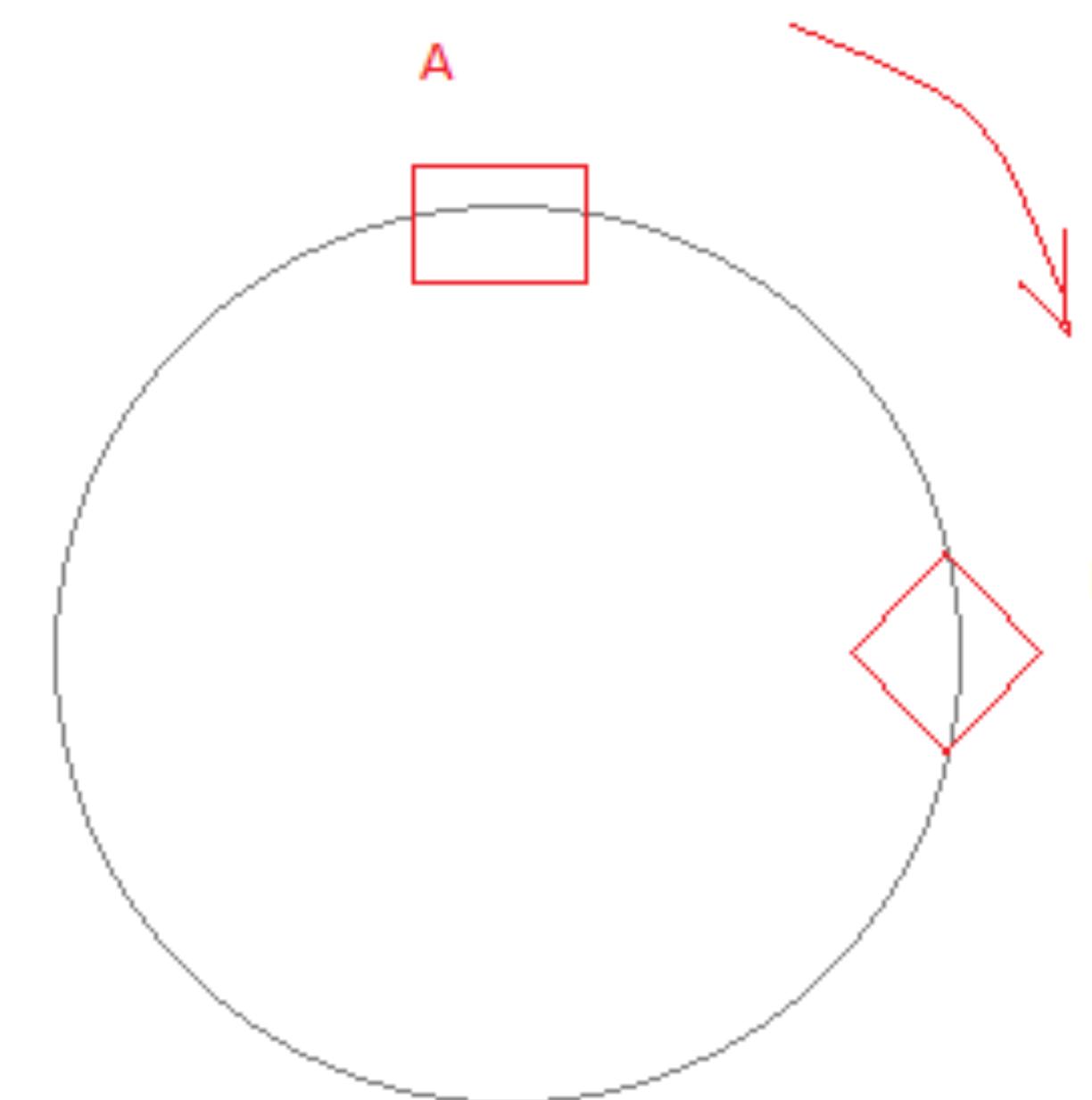
Relativistic-thermal

$$\bar{\omega}_{\mu\nu} = \frac{1}{2} \left[\partial_\nu \beta_\mu - \partial_\mu \beta_\nu \right] \quad \beta_\mu \equiv \frac{u_\mu}{T}$$

Vorticity

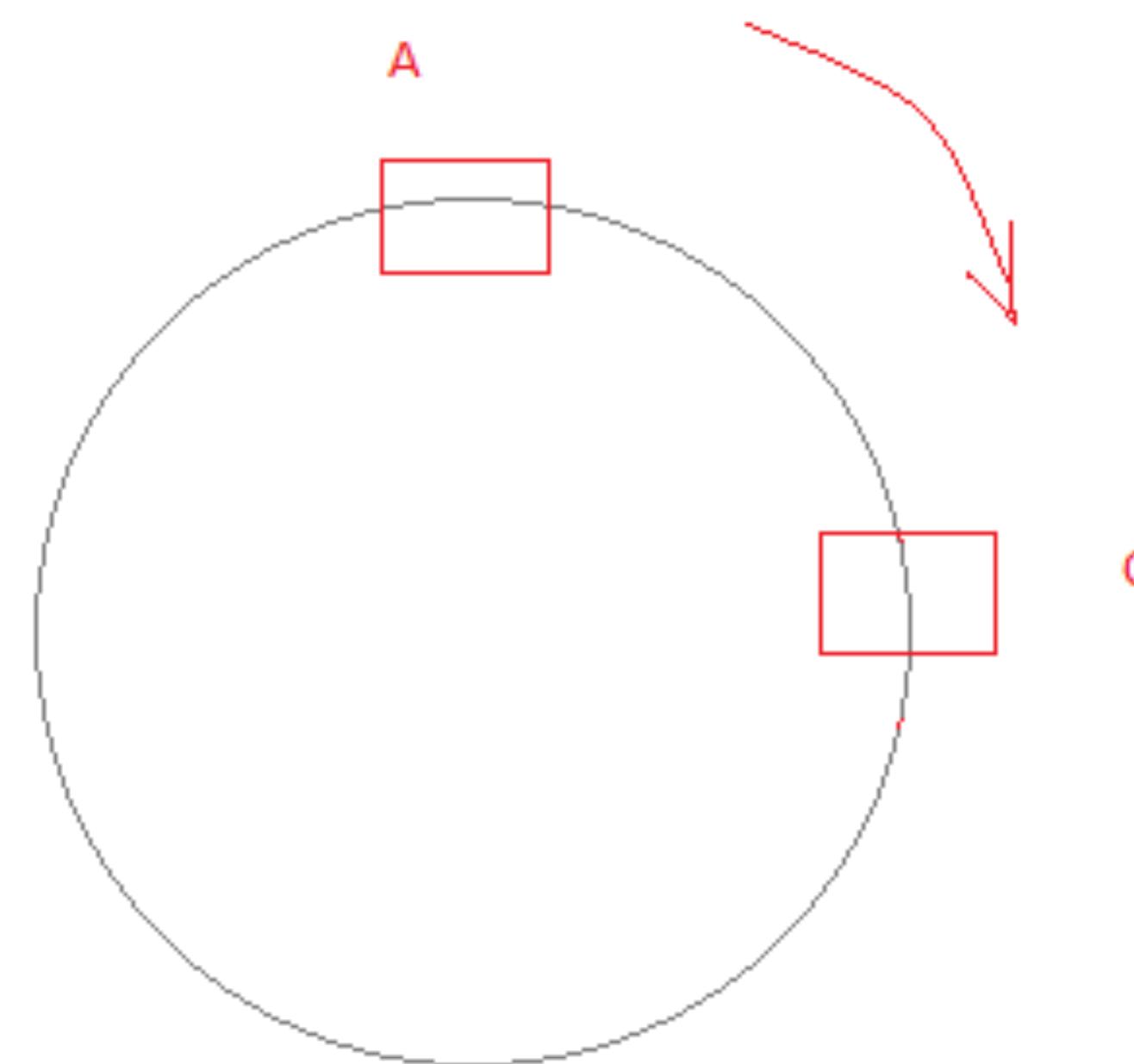
Classically

$$\omega = \nabla \times v$$

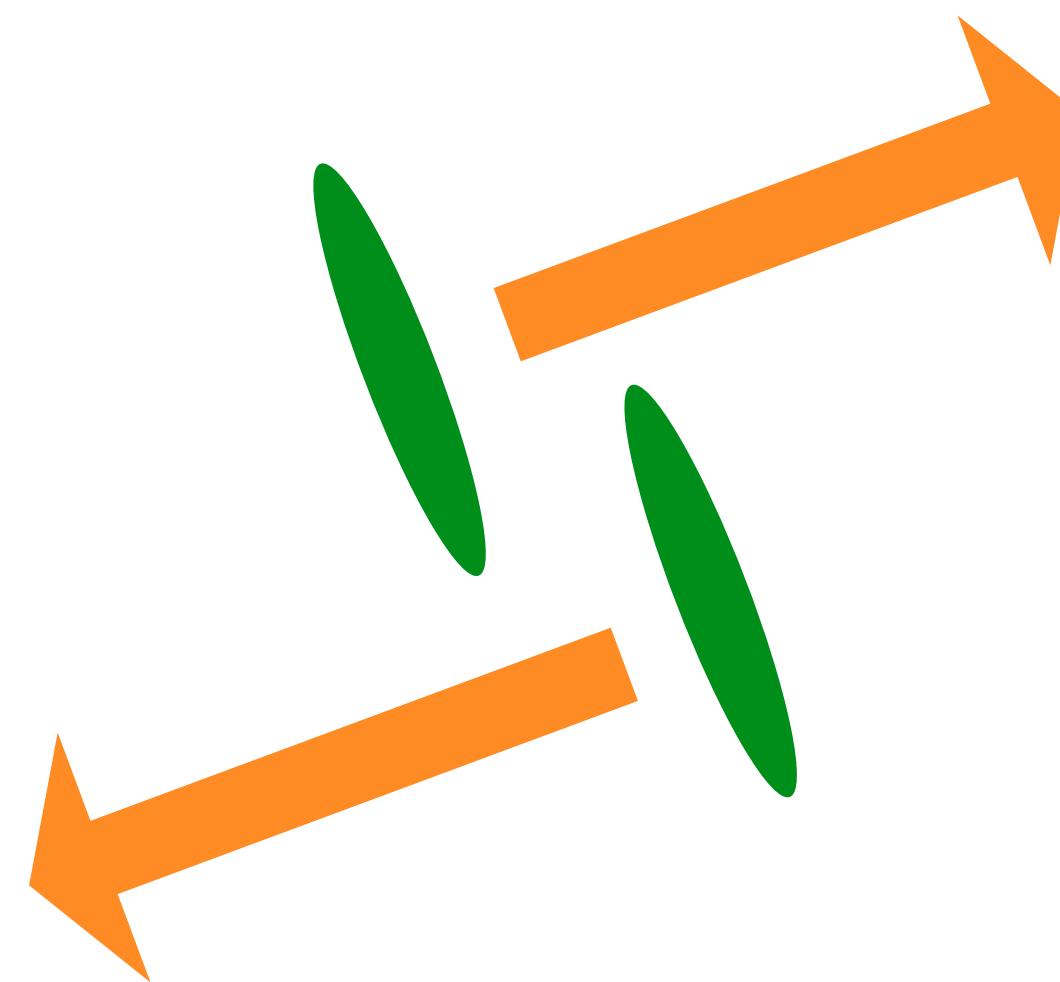


Relativistic-thermal

$$\bar{\omega}_{\mu\nu} = \frac{1}{2} [\partial_\nu \beta_\mu - \partial_\mu \beta_\nu] \quad \beta_\mu \equiv \frac{u_\mu}{T}$$



Spinning QGP



Large global angular momentum

$$J = \vec{r} \times \vec{p} \sim \frac{Ab\sqrt{s_{NN}}}{2} \sim 10^6 \hbar$$



how does this translate into vorticity?

Spinning QGP

$$\omega = \frac{(\mathcal{P}_\Lambda + \mathcal{P}_{\bar{\Lambda}})}{\hbar} k_B T$$

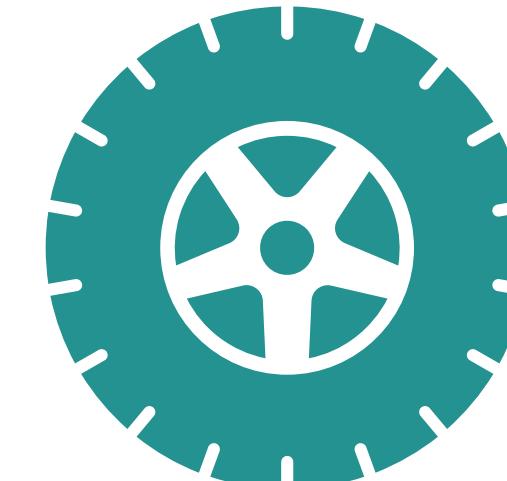


$$\omega \simeq 9 \times 10^{21} \text{ s}^{-1} \simeq 6 \text{ MeV} \simeq 0.03 \text{ fm}^{-1}$$

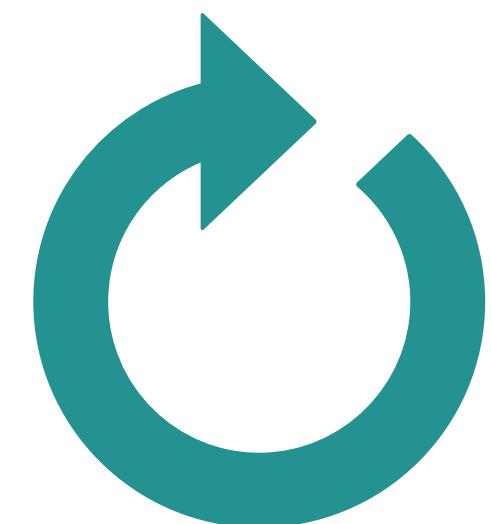
“The most vortical fluid”



$$\omega_u \sim 10^{-17} \text{ s}^{-1}$$

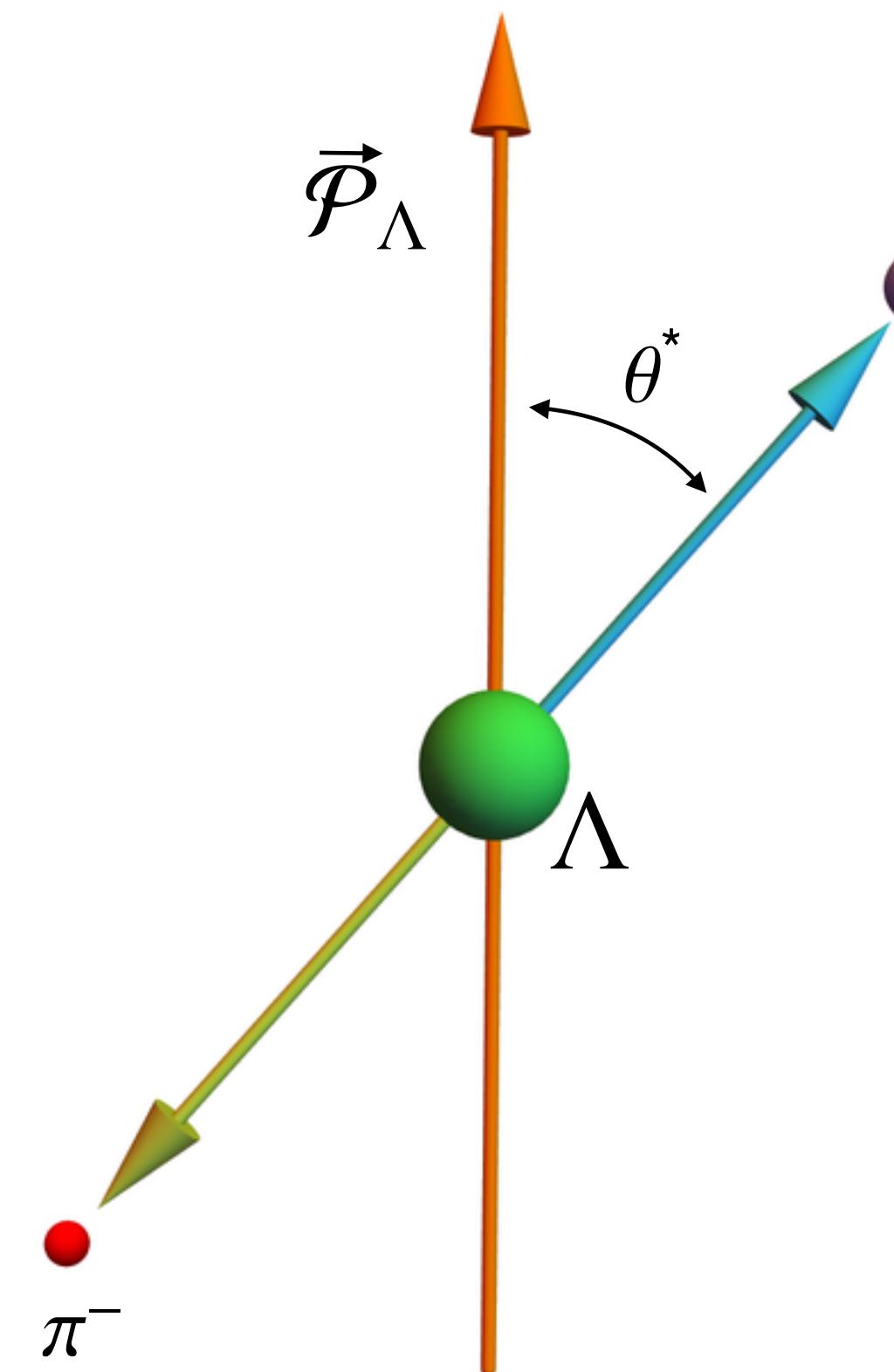


$$\omega_a \sim 10^2 \text{ s}^{-1}$$



$$\omega_{QGP} \sim 10^{22} \text{ s}^{-1}$$

Λ hyperon polarization: probing the swirl



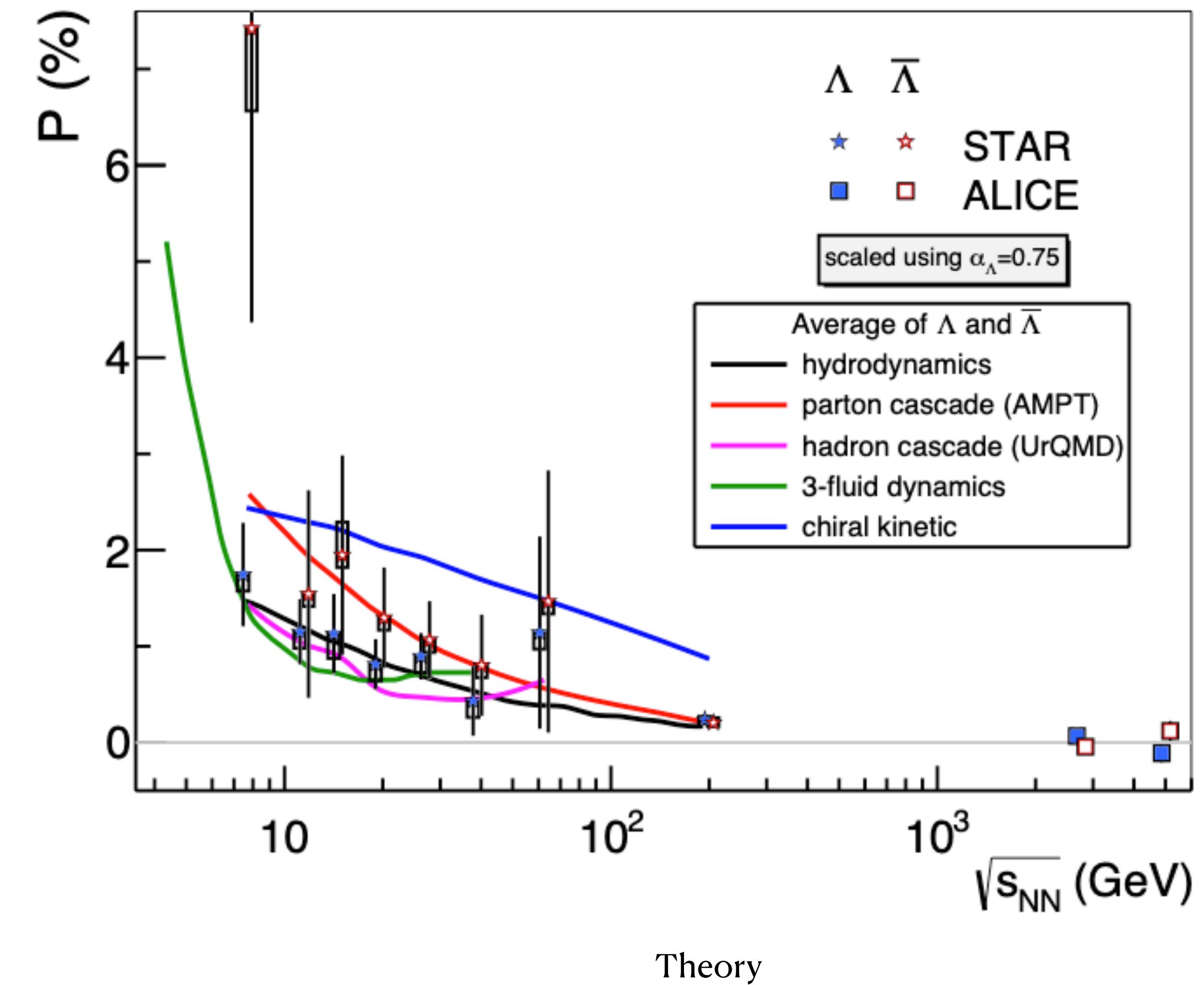
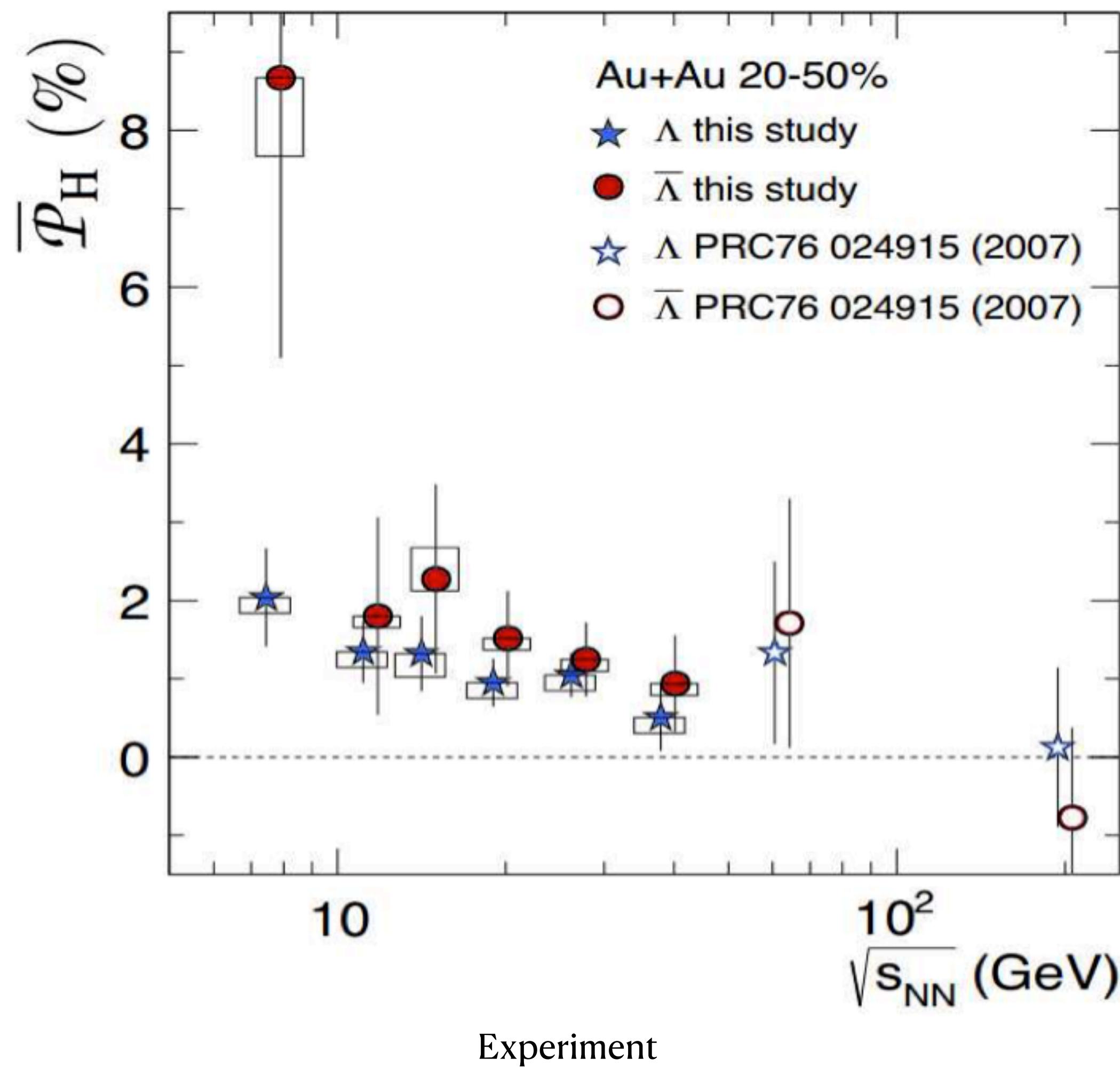
$$\frac{dN}{d \cos \theta^*} \propto 1 + \alpha_\Lambda \mathcal{P}_\Lambda \cos \theta^*$$
$$S^\mu = -\frac{1}{8m} e^{\mu\rho\sigma\tau} p_\tau \frac{\int d\Sigma_\lambda p^\lambda n_F (1 - n_F) \bar{\omega}_{\rho\sigma}}{\int d\Sigma_\lambda p^\lambda n_F}$$

Becattini et al. 2013

Polarization in direction \vec{n} :

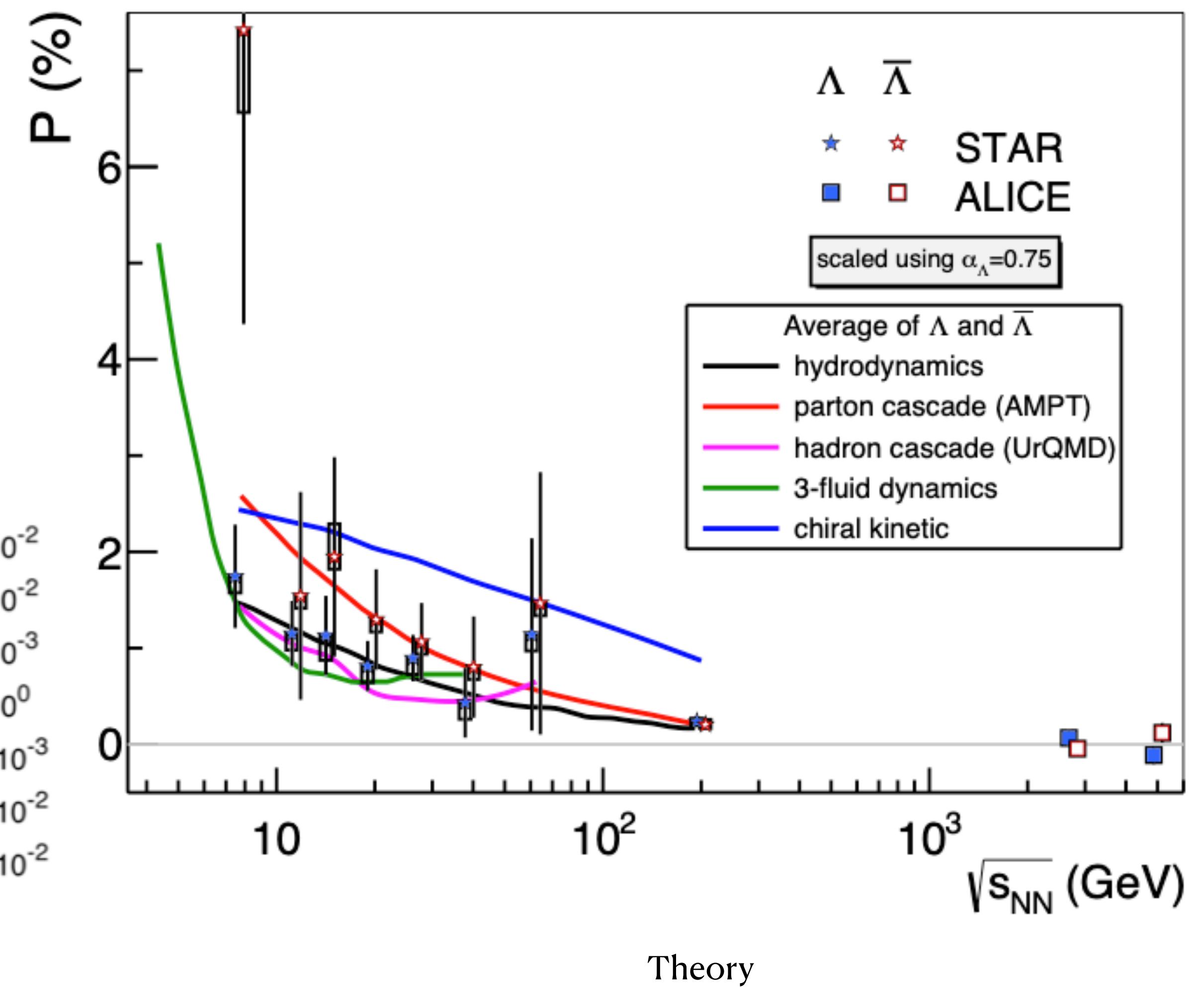
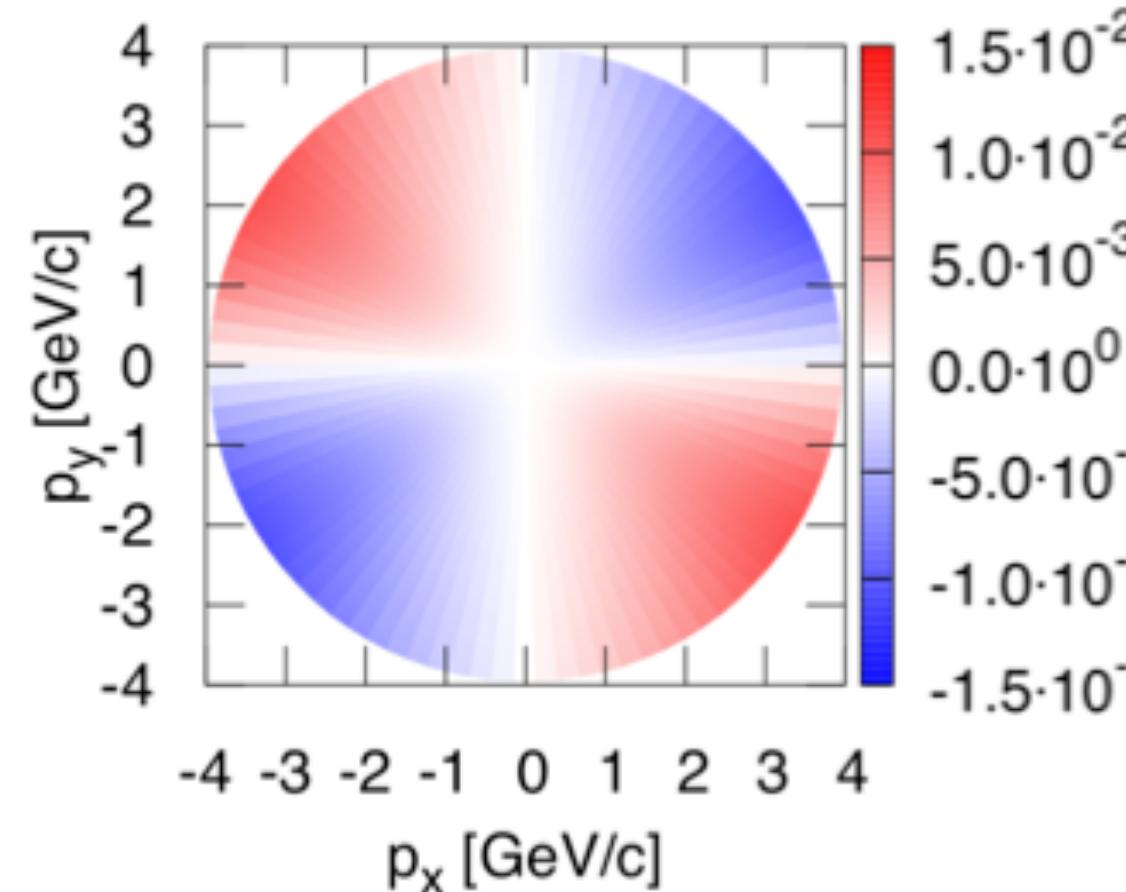
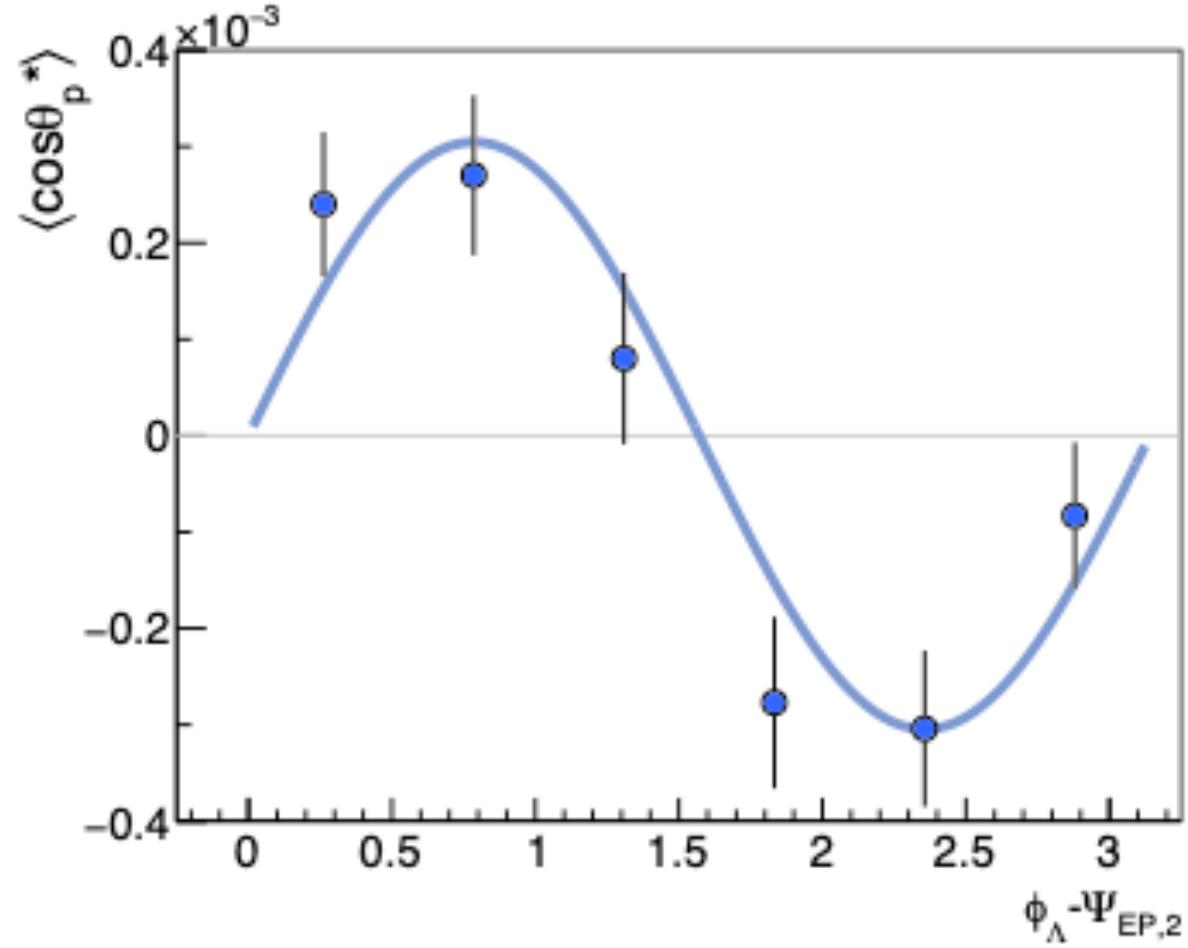
$$\mathcal{P}_n \sim \vec{S} \cdot \vec{n}$$

Polarization measurements



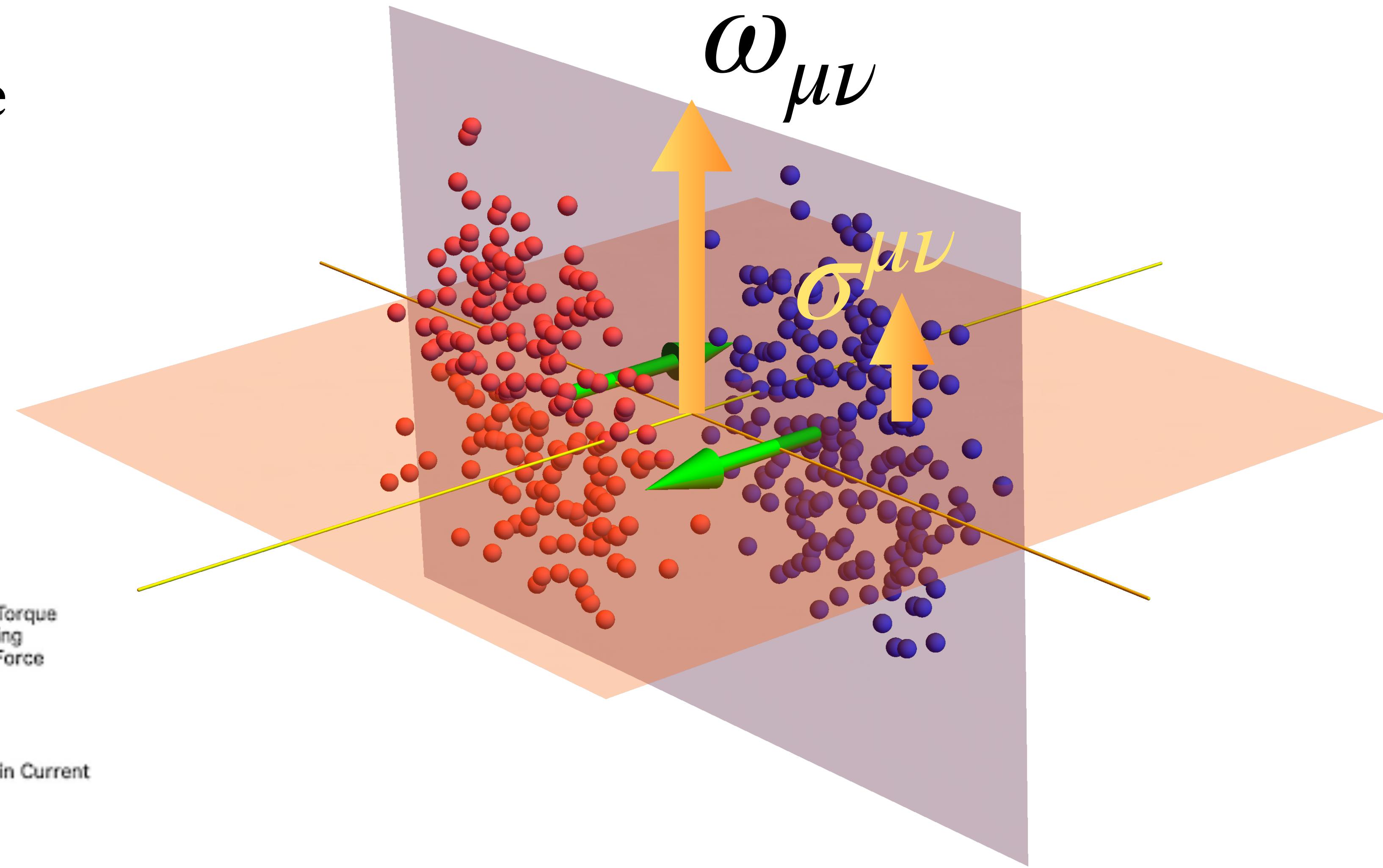
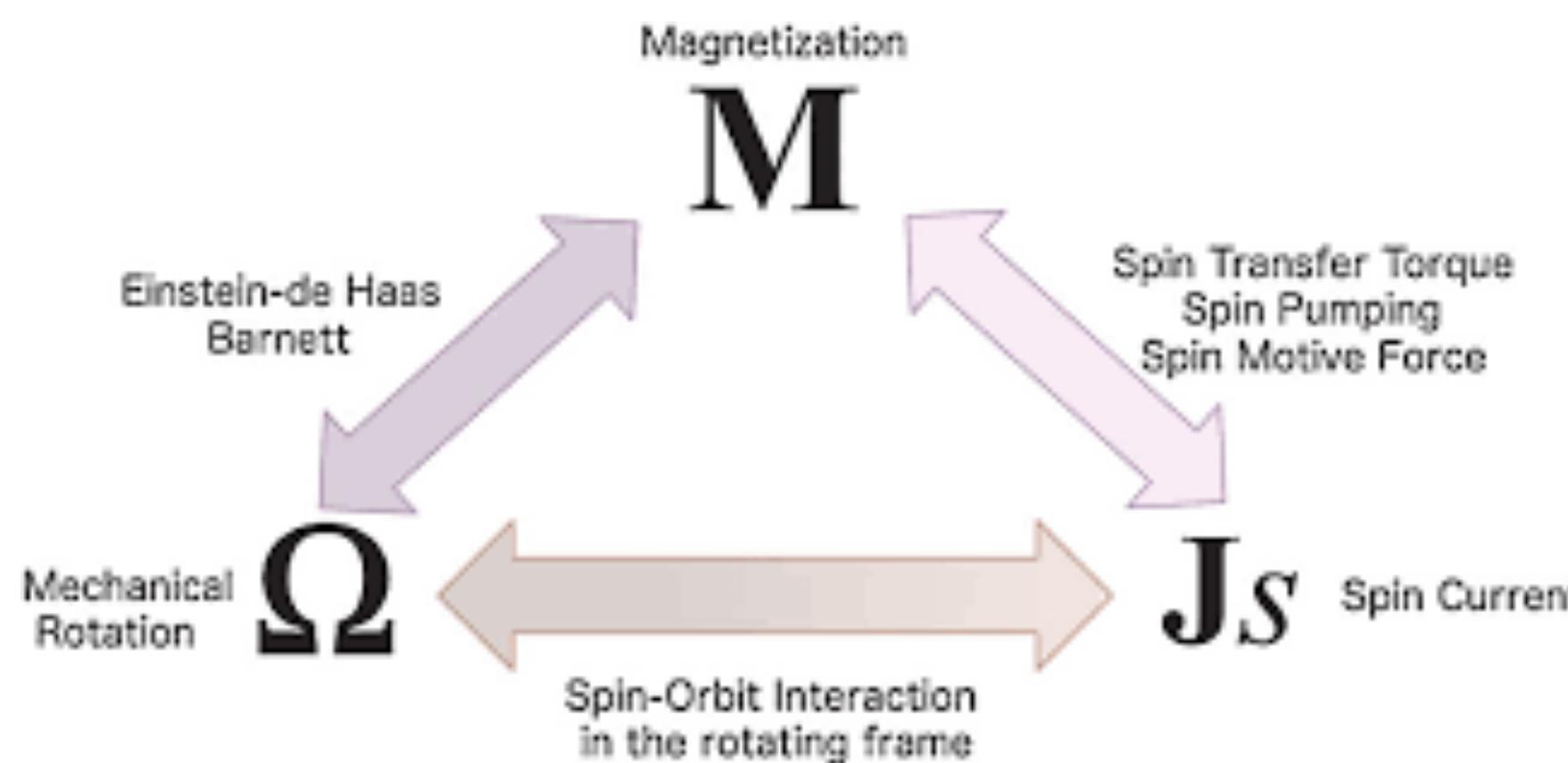
Polarization measurements

- Good agreement with exp.
- Disagreement for local polarization



What if there is a spin-vorticity interaction?

- Interaction can induce spin alignment
- Alignment ceases at the relaxation time

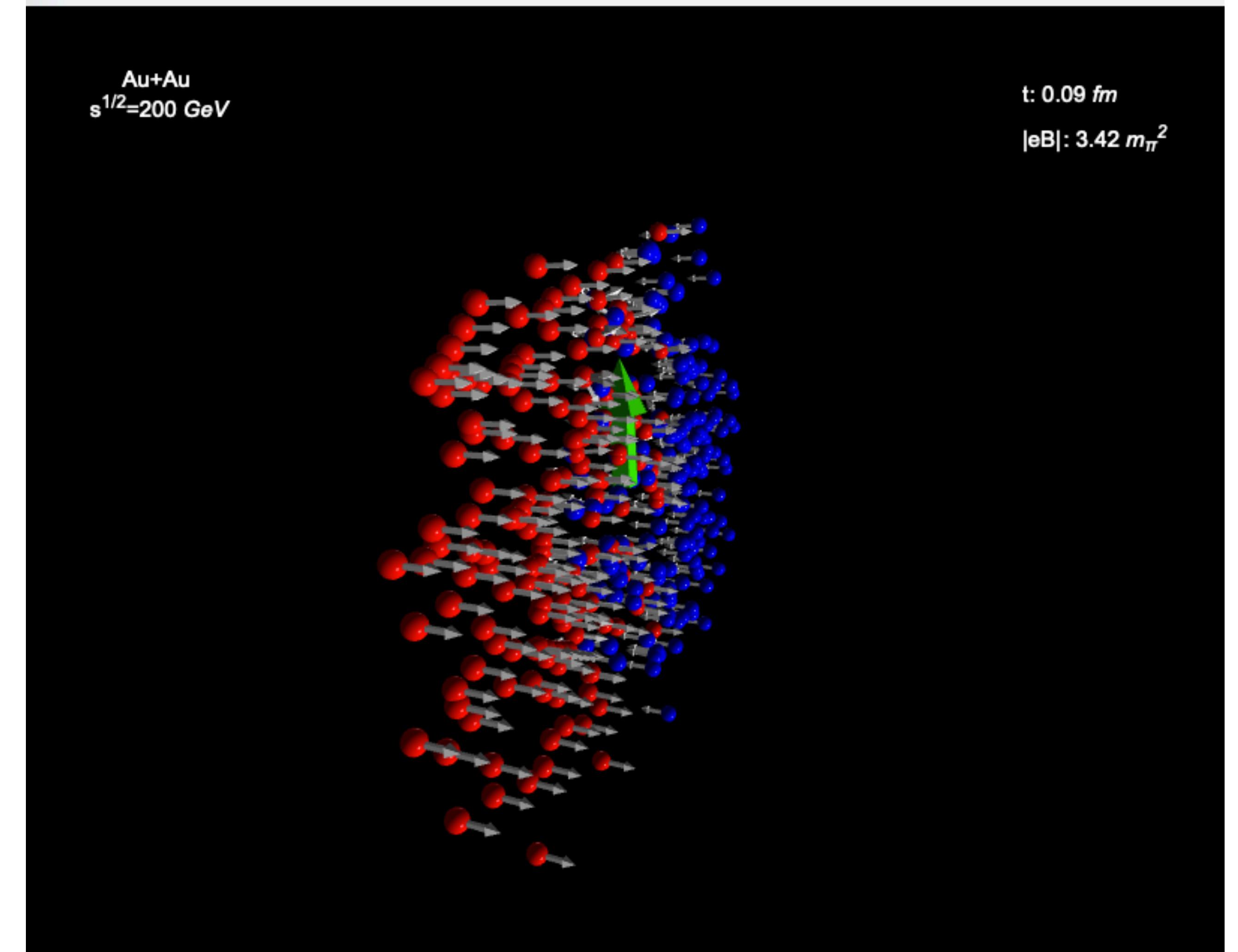


Why is this relevant?

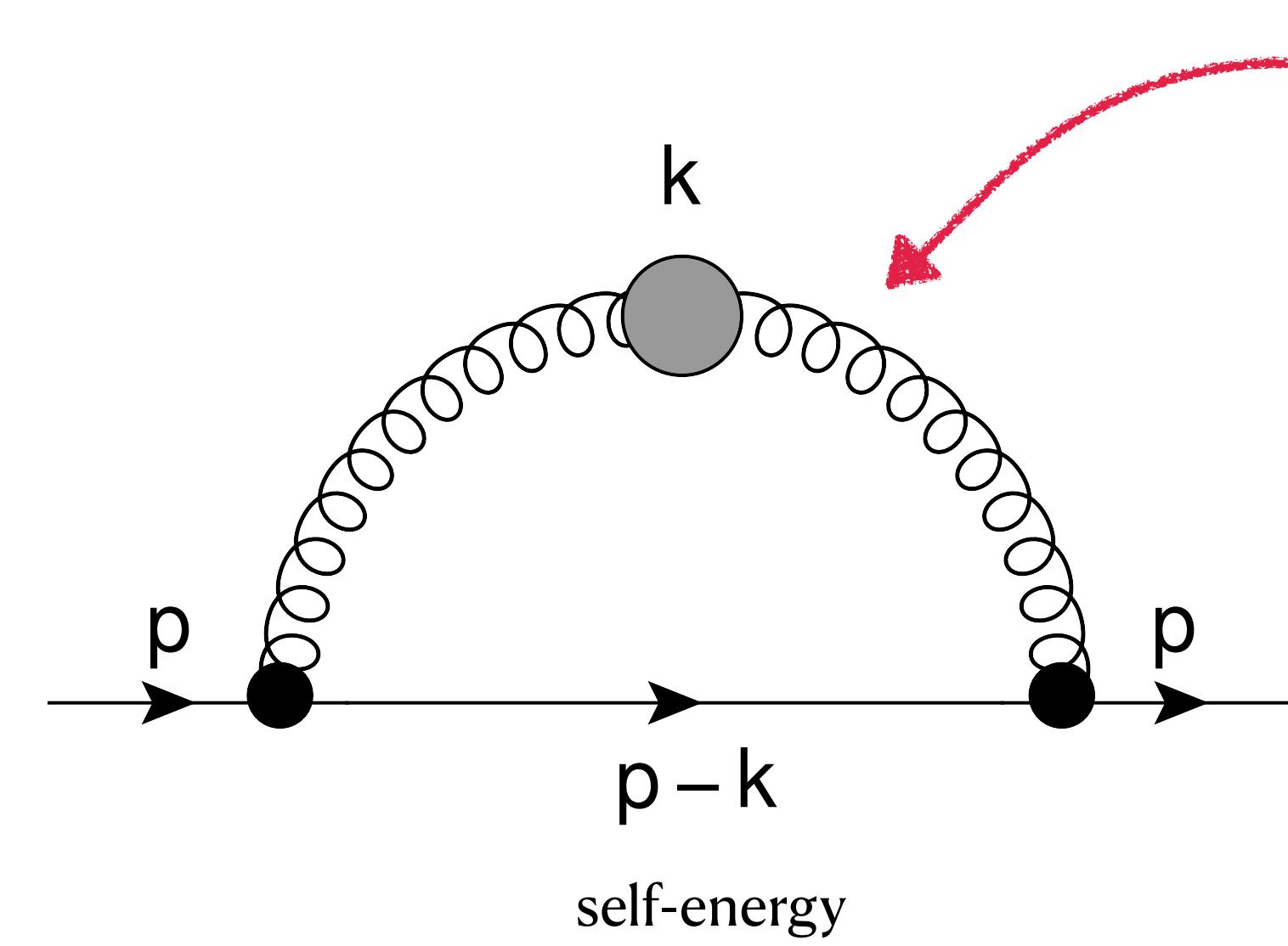
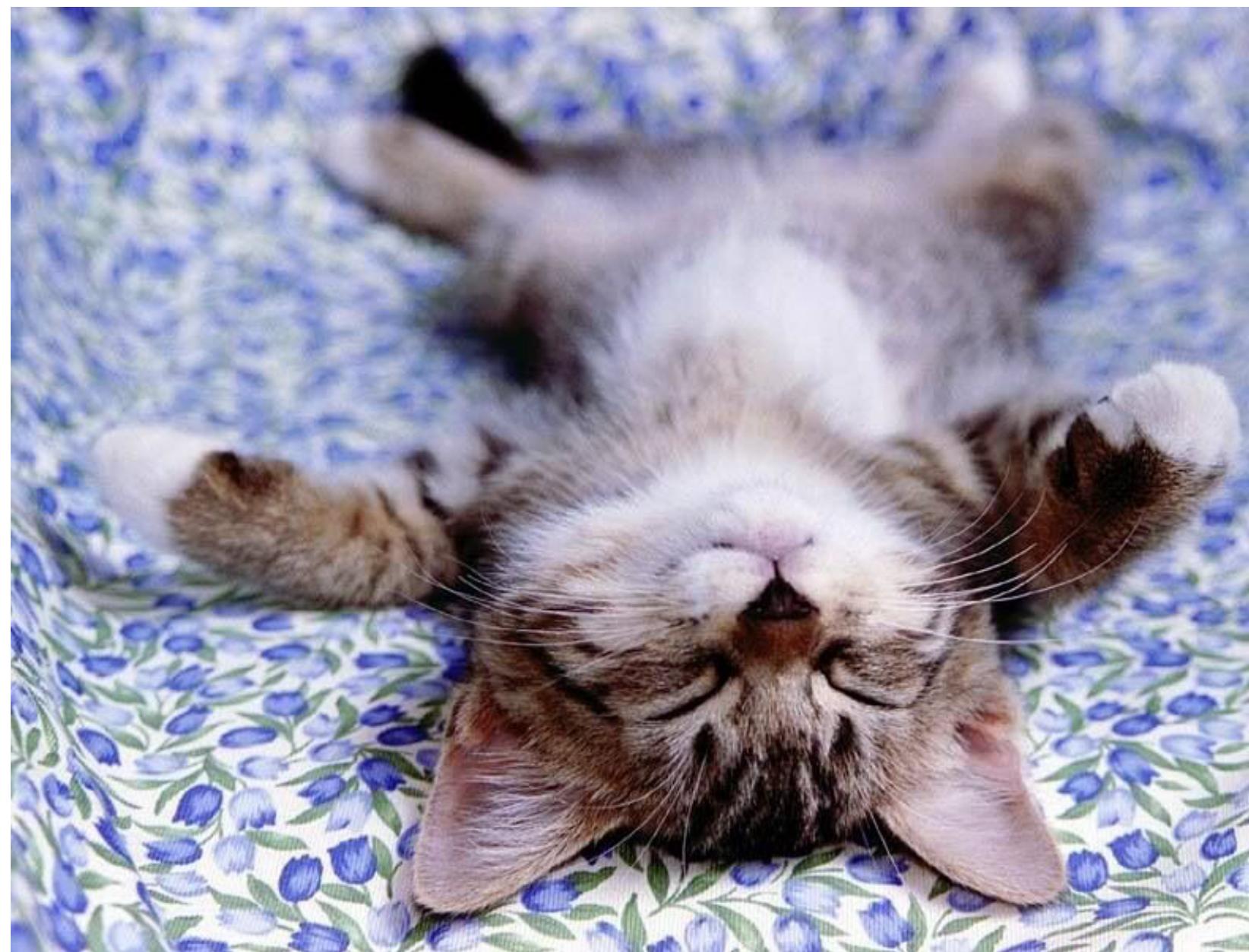
Vorticity from simulations

- UrQMD to track particle's momentum & energy
- Obtain velocity
- Take curl

$$\omega = \nabla \times \vec{v}$$



Calculation of the relaxation time



$$\Gamma = \tilde{f}(p_0) \text{Tr} [\gamma^0 \text{Im} \Sigma]$$

$$\tau = \frac{1}{\Gamma}$$

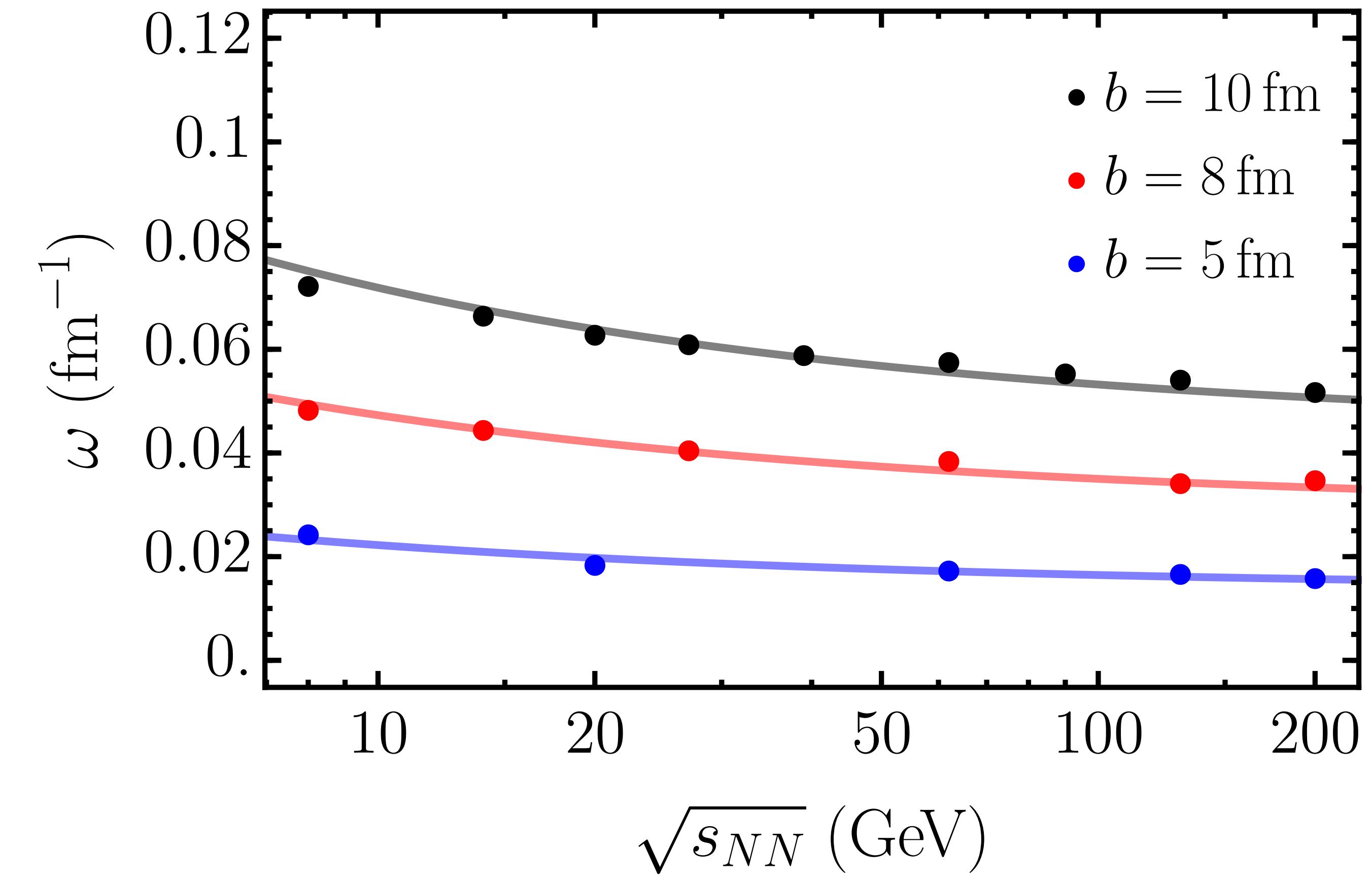
Calculation of the relaxation time

$$\Gamma \propto \left(\frac{\omega}{T} \right)^2$$

How to obtain ω ?

→ UrQMD/AMPT/etc.

$$\omega = \frac{\omega_0}{2} \frac{b^2}{V} \left[1 + 2 \left(\frac{m_N}{\sqrt{s_{NN}}} \right)^{1/2} \right]$$

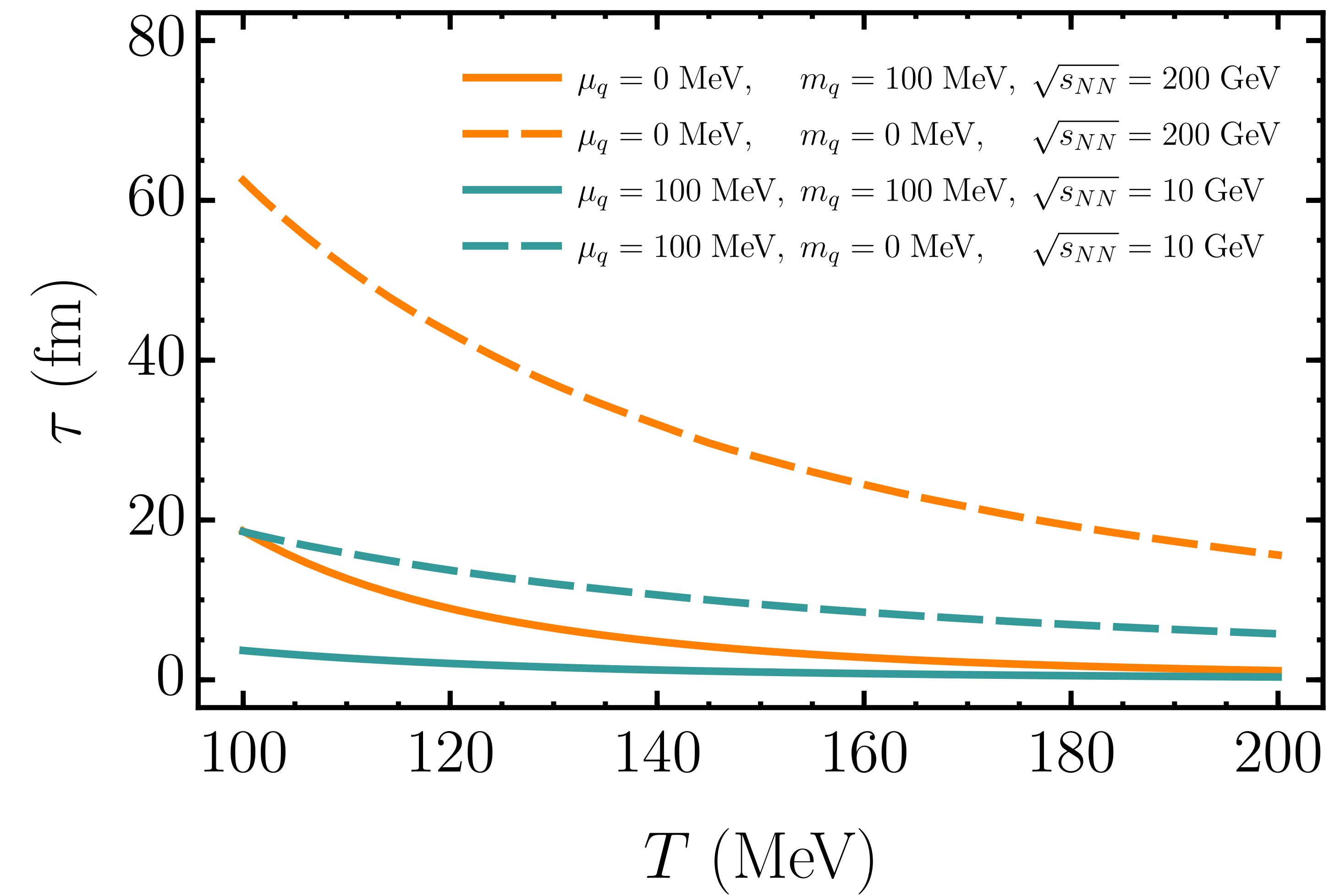
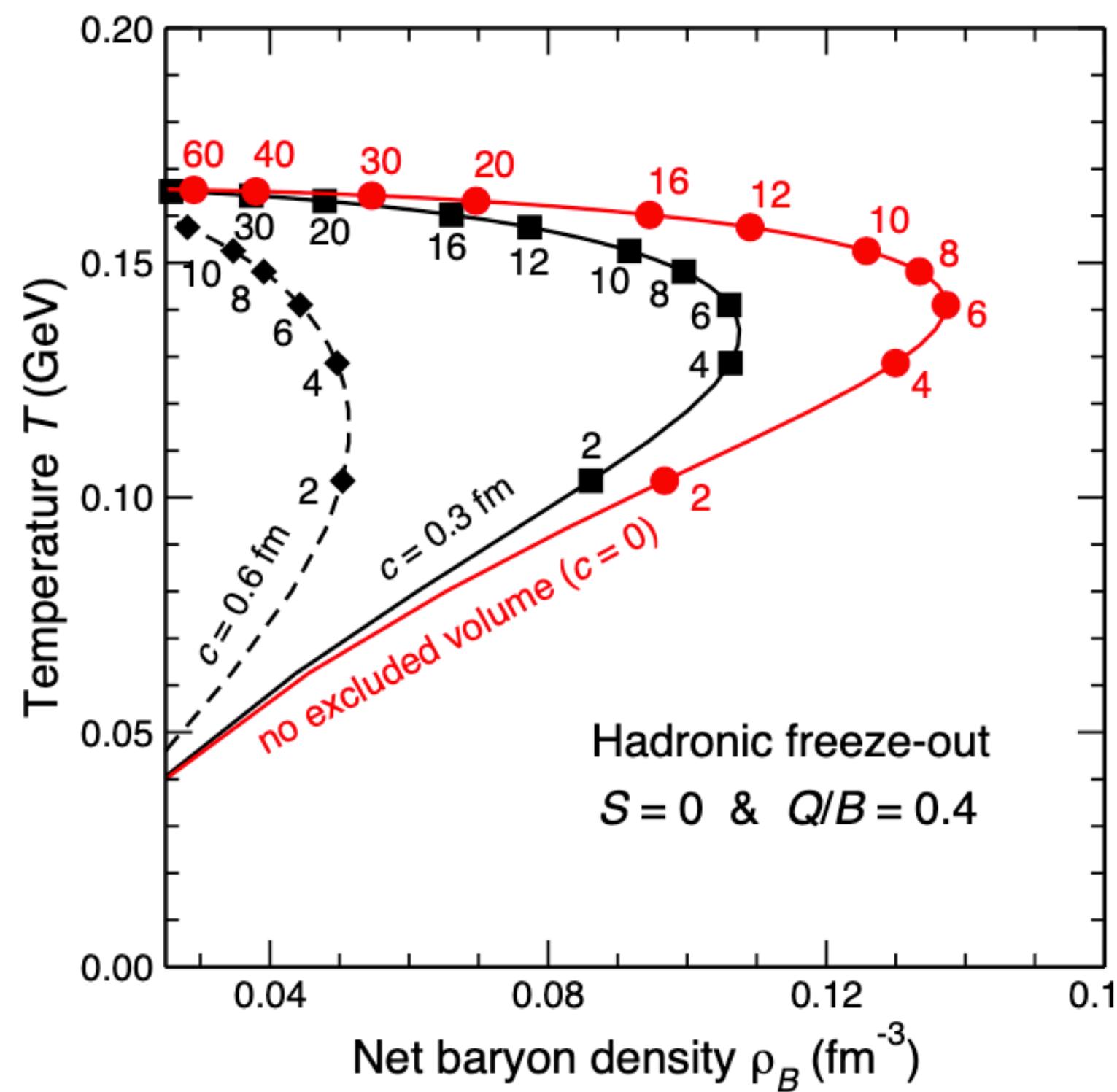


Calculation of the relaxation time

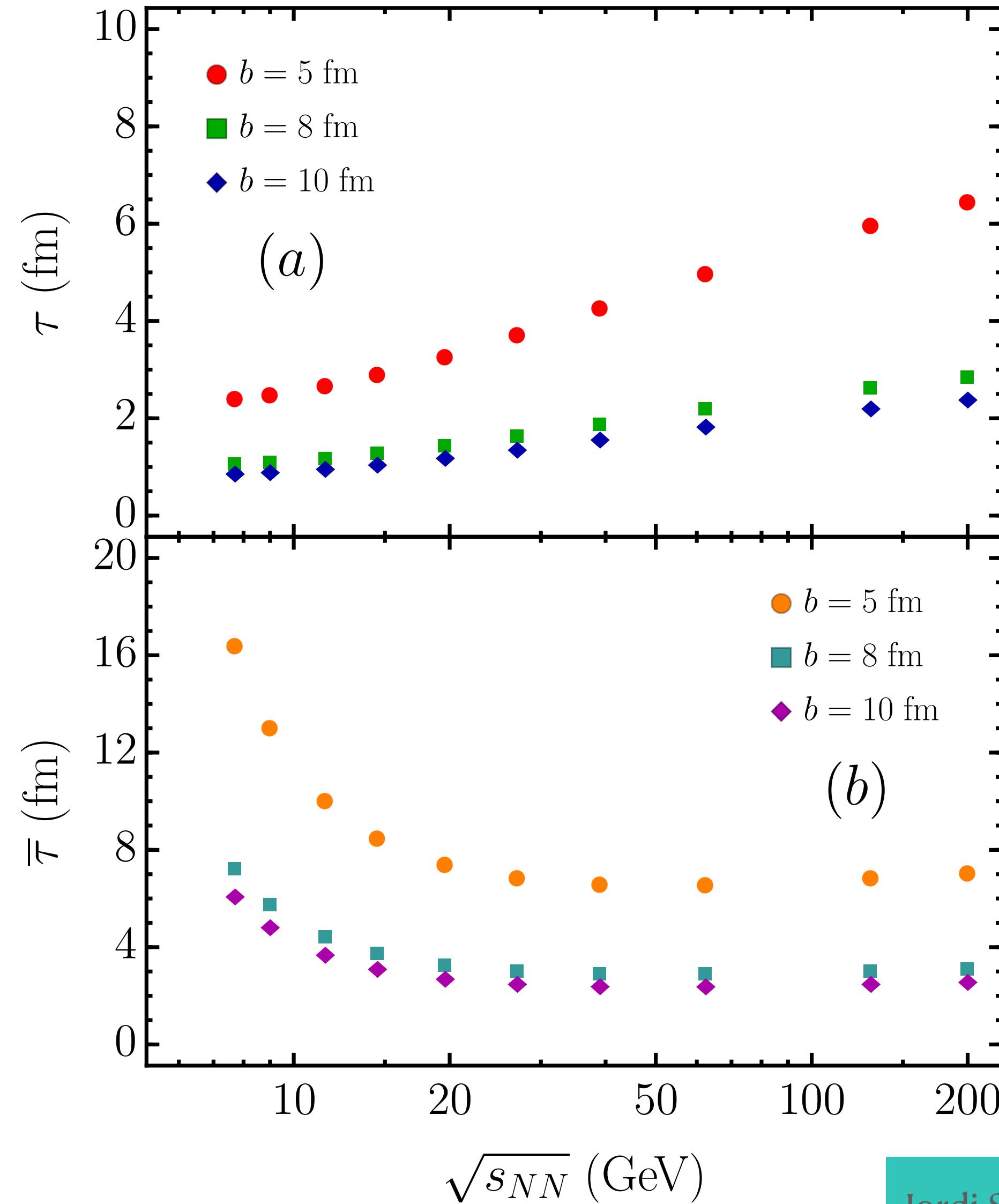
$\mu_{\text{LHC}} \sim 2 \text{ MeV}$

$\mu_{\text{RHIC}} \sim 20 \text{ MeV}$

$\mu_{\text{NICA}} \sim 200 \text{ MeV}$



Relaxation time for realistic HICs



$$\tau \propto \frac{1}{\omega^2} \propto \frac{1}{b^4}$$

→ Strong dependence on b

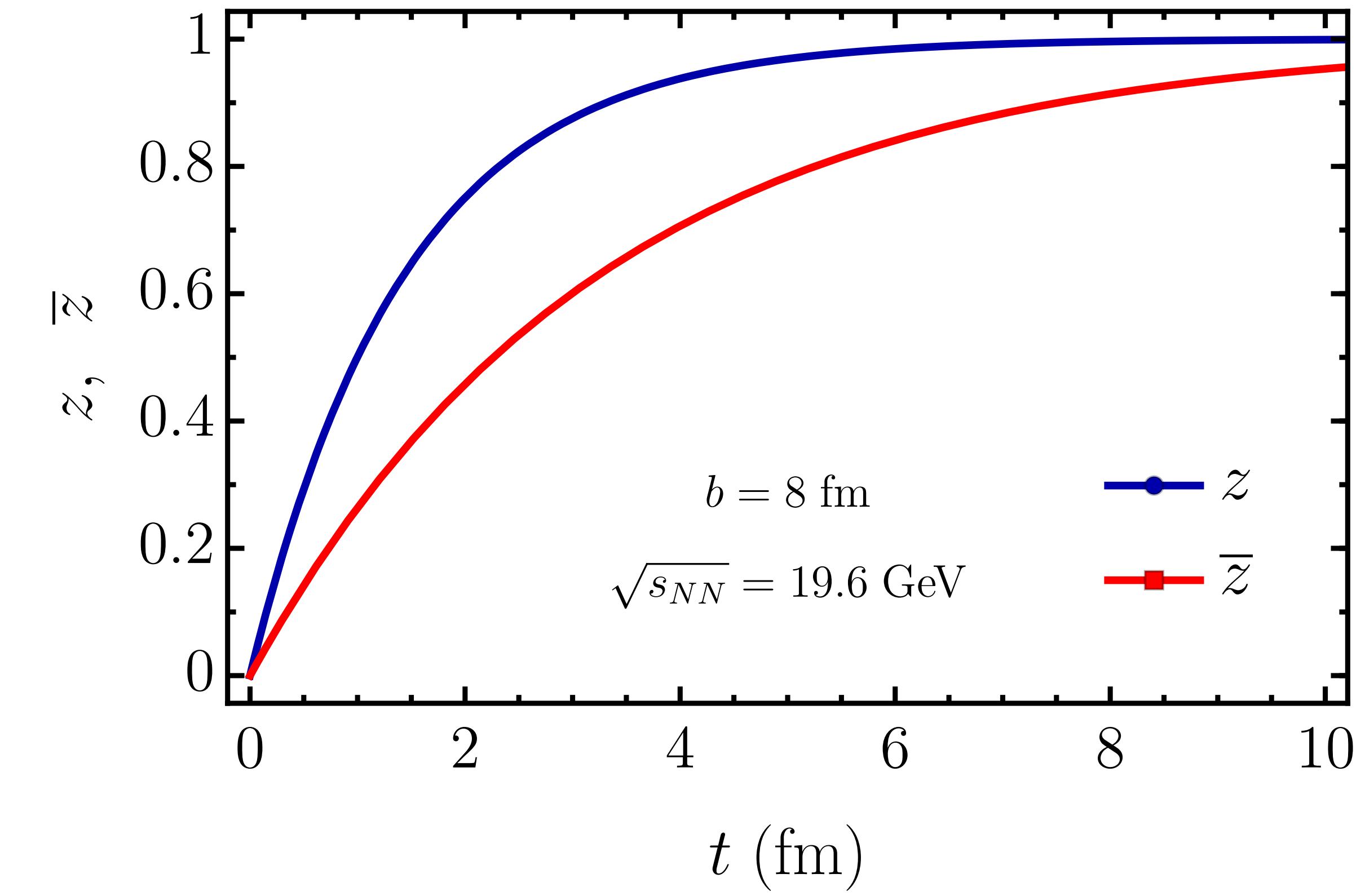
→ Larger relaxation times for \bar{s}

→ Different behavior for s and \bar{s}

Intrinsic global polarization

$$z = 1 - e^{-t/\tau}$$

$$\bar{z} = 1 - e^{-t/\bar{\tau}}$$



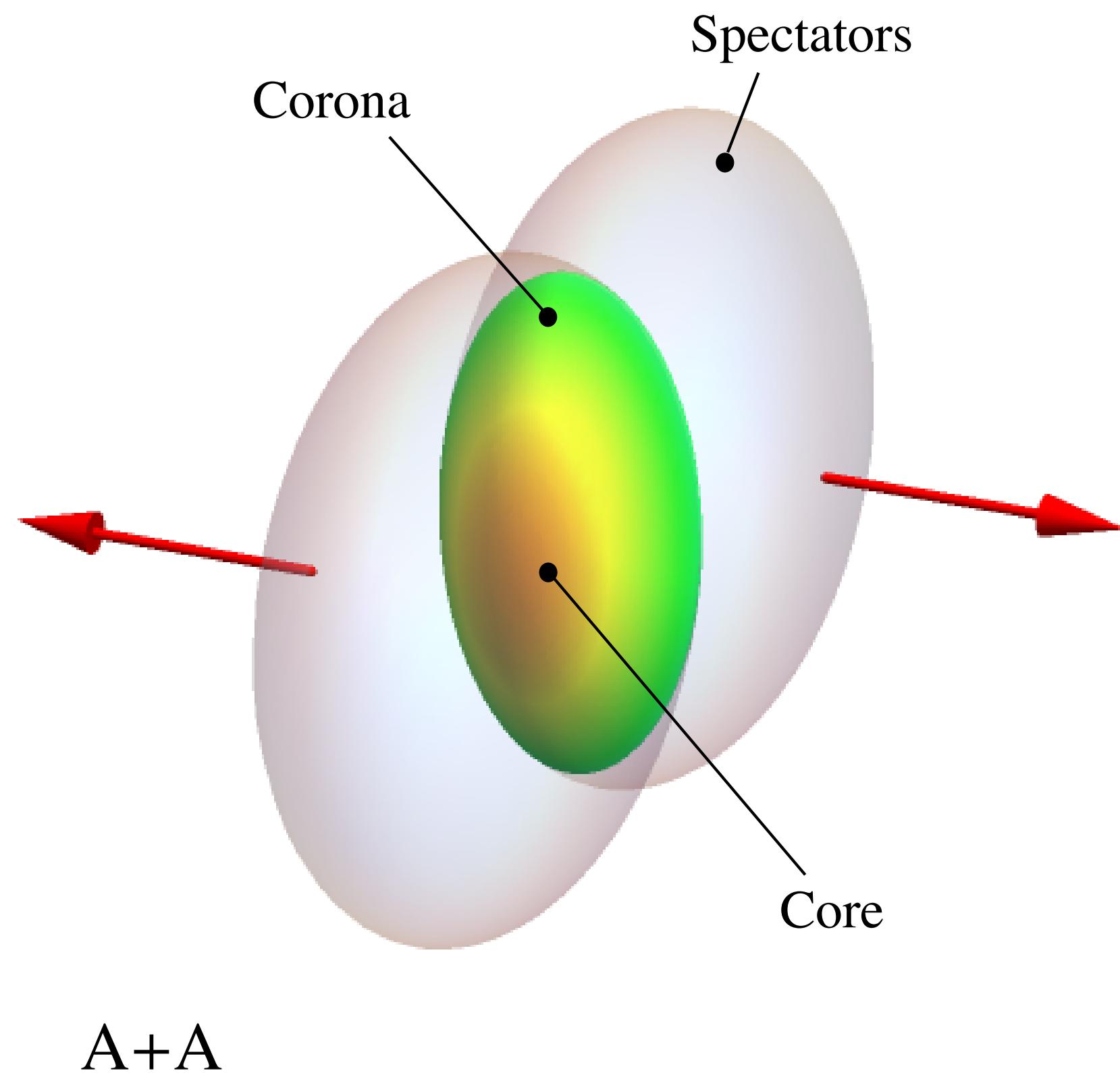
Λ s should polarize more than $\bar{\Lambda}$!

Λ polarization from a two-component source

$$N_{\Lambda} = \underbrace{N_{\Lambda}^{\text{QGP}}}_{\text{Core}} + \underbrace{N_{\Lambda}^{\text{REC}}}_{\text{Corona}}$$

It is reasonable to think that Λ s will be generated in different amounts in each region!

$$\mathcal{P}_{\Lambda} = \frac{\left(N_{\Lambda}^{\uparrow} \text{QGP} + N_{\Lambda}^{\uparrow} \text{REC} \right) - \left(N_{\Lambda}^{\downarrow} \text{QGP} + N_{\Lambda}^{\downarrow} \text{REC} \right)}{\left(N_{\Lambda}^{\uparrow} \text{QGP} + N_{\Lambda}^{\downarrow} \text{REC} \right) + \left(N_{\Lambda}^{\uparrow} \text{QGP} + N_{\Lambda}^{\downarrow} \text{REC} \right)}$$



Λ polarization from a two-component source

This can be rewritten as

$$\mathcal{P}^\Lambda = \frac{z \frac{N_\Lambda \text{QGP}}{N_\Lambda \text{REC}}}{\left(1 + \frac{N_\Lambda \text{QGP}}{N_\Lambda \text{REC}}\right)}$$

$$\mathcal{P}^{\bar{\Lambda}} = \frac{\bar{z} \frac{N_{\bar{\Lambda}} \text{QGP}}{N_{\bar{\Lambda}} \text{REC}}}{\left(1 + \frac{N_{\bar{\Lambda}} \text{QGP}}{N_{\bar{\Lambda}} \text{REC}}\right)}$$

Some simplifications...

$$N_{\bar{\Lambda}} \text{QGP} \simeq N_\Lambda \text{QGP}$$

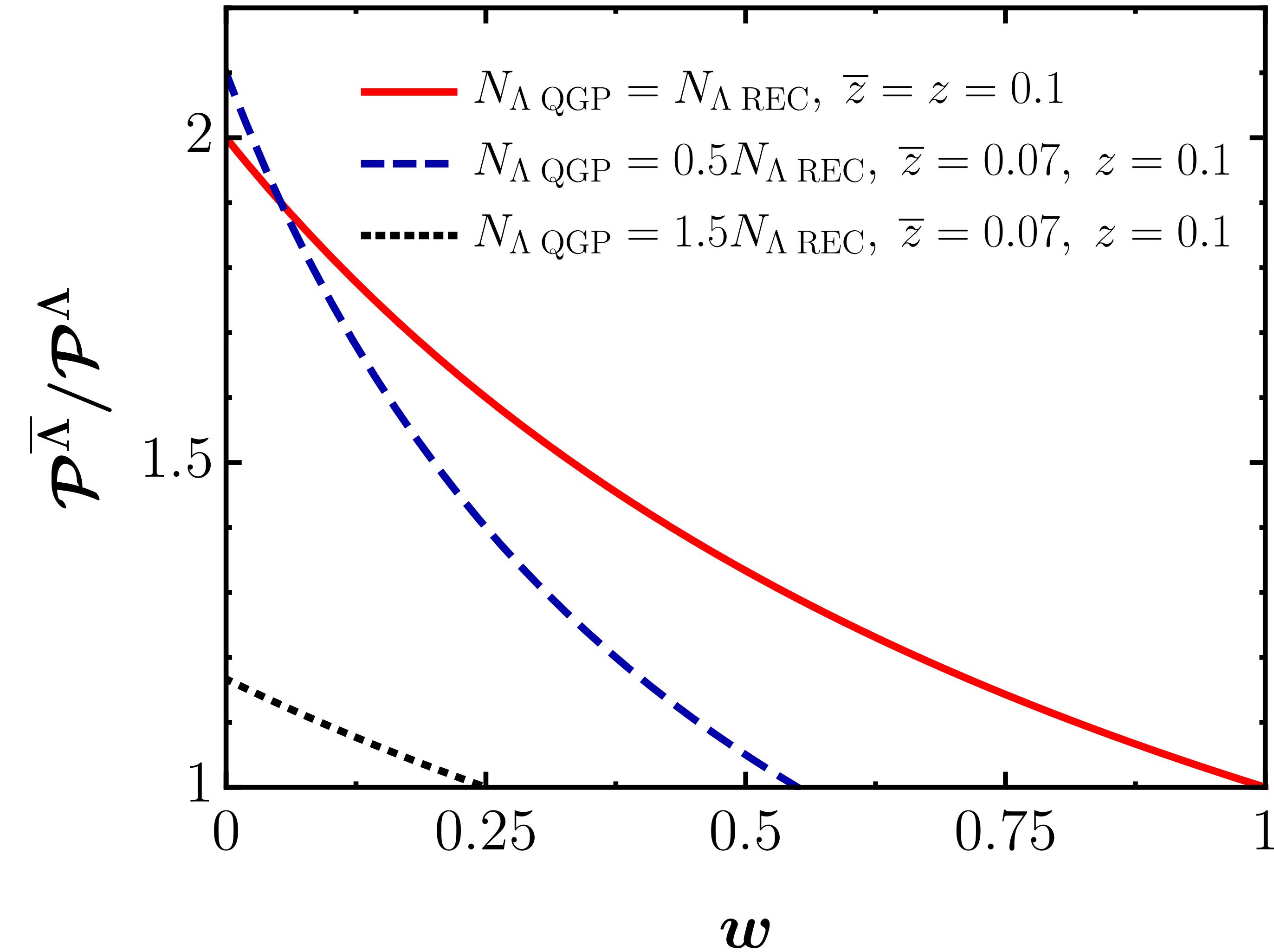
$$N_{\bar{\Lambda}} \text{REC} := w N_\Lambda \text{REC}$$

suppression factor

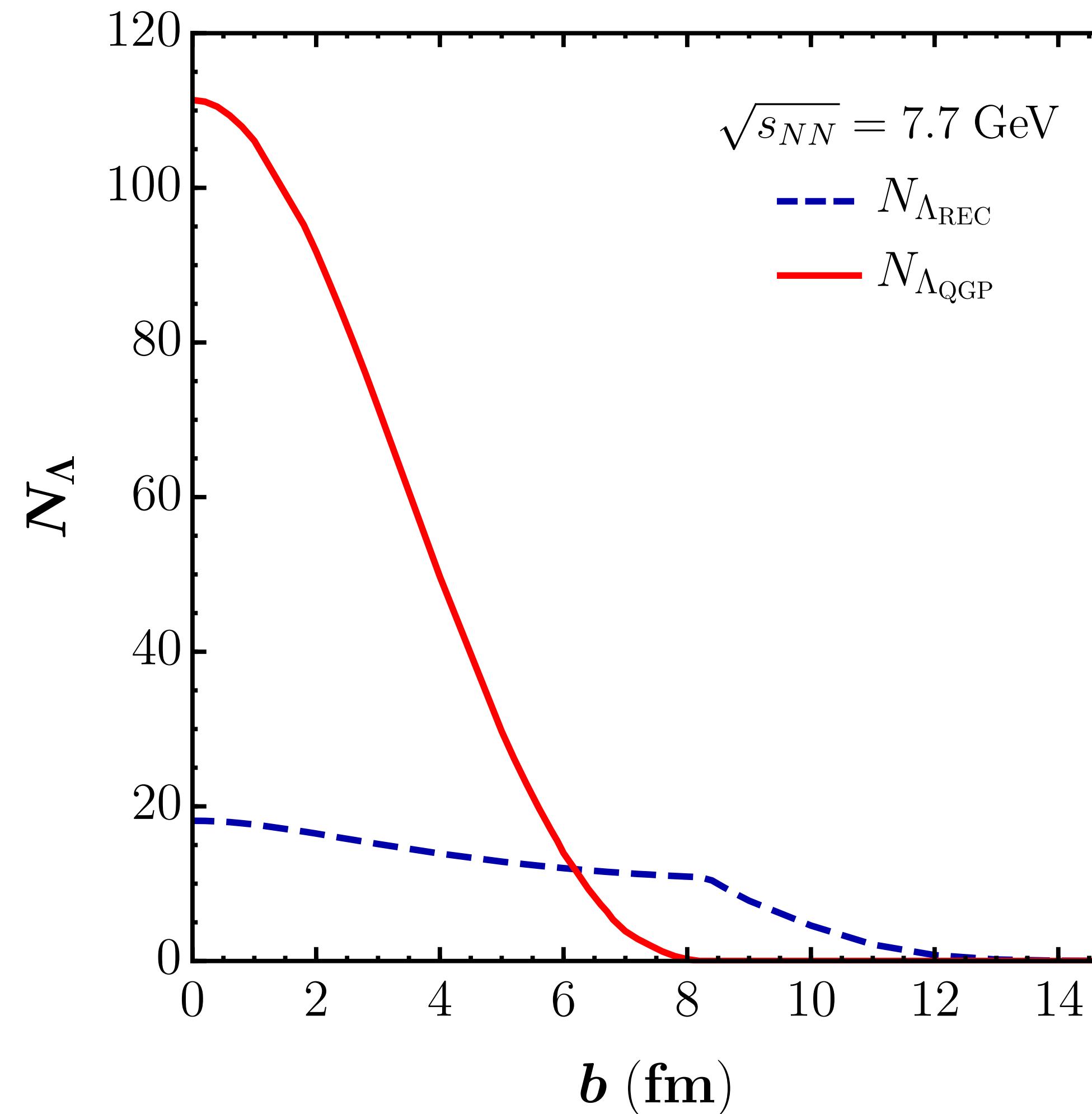
Λ polarization from a two-component source

$$\mathcal{P}^{\Lambda} = \frac{z \frac{N_{\Lambda} \text{QGP}}{N_{\Lambda} \text{REC}}}{\left(1 + \frac{N_{\Lambda} \text{QGP}}{N_{\Lambda} \text{REC}}\right)}$$

$$\mathcal{P}^{\bar{\Lambda}} = \frac{\frac{z}{w} \frac{N_{\Lambda} \text{QGP}}{N_{\Lambda} \text{REC}}}{\left(1 + \frac{1}{w} \frac{N_{\Lambda} \text{QGP}}{N_{\Lambda} \text{REC}}\right)}$$



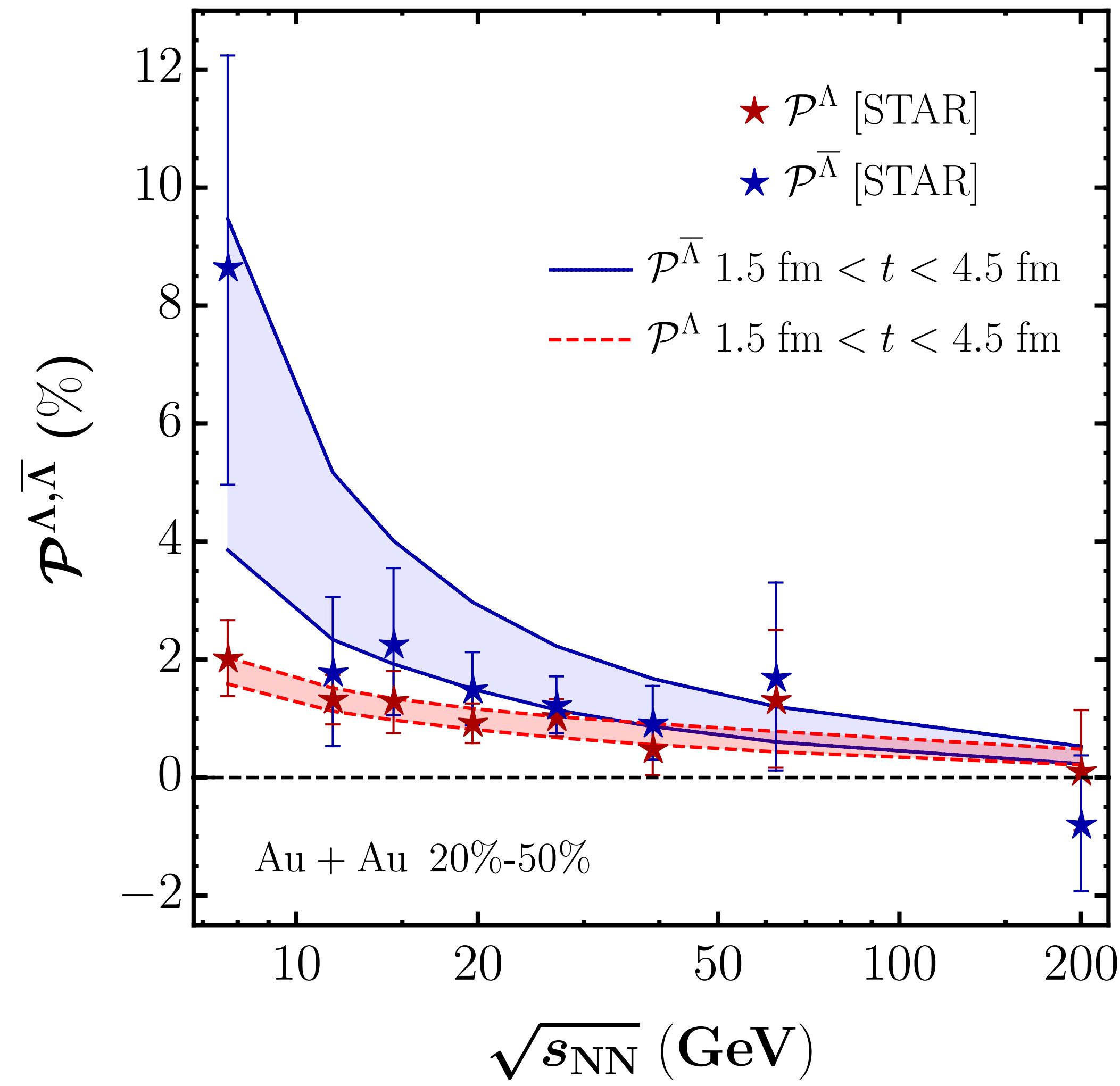
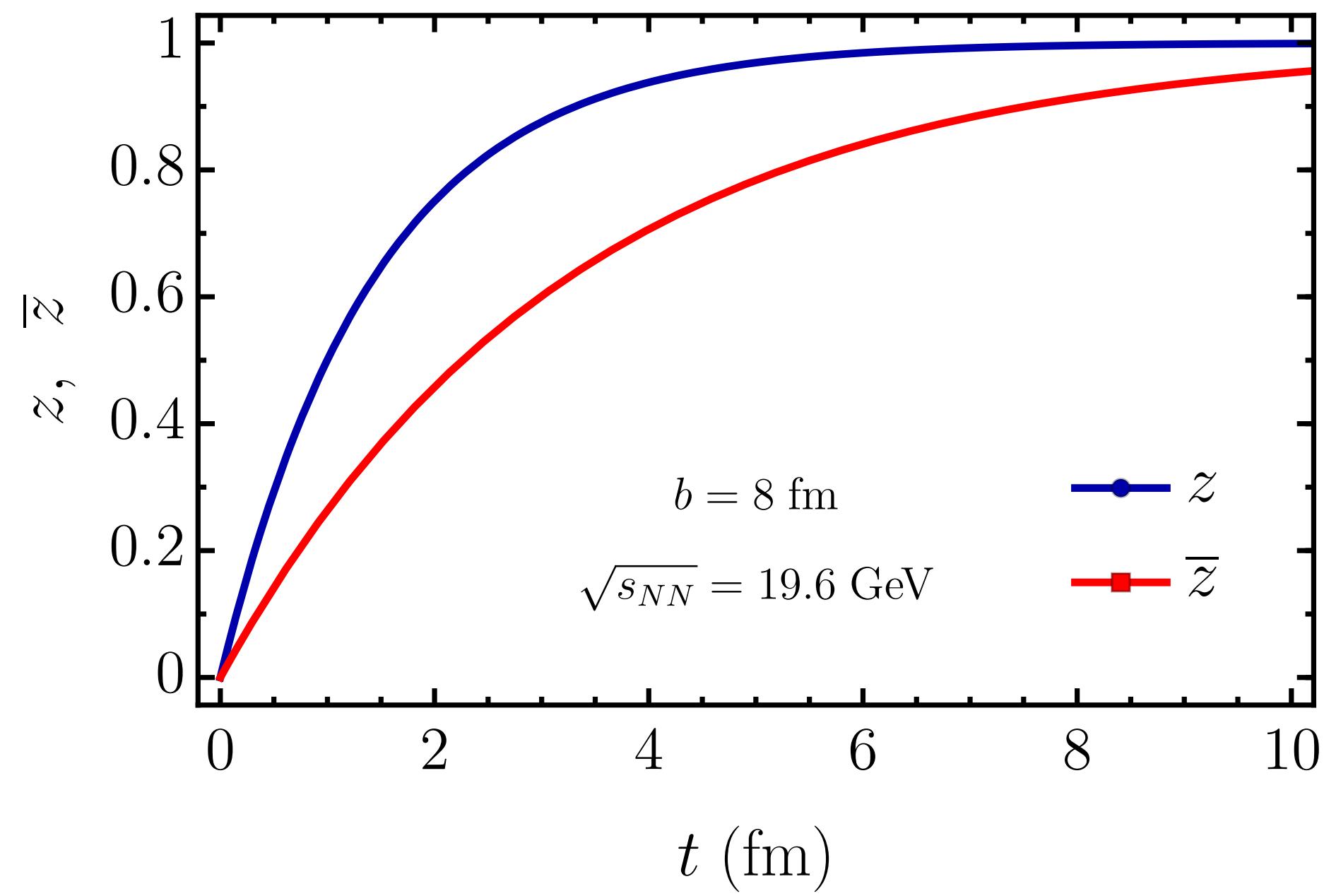
Λ polarization from a two-component source



- Swapping of dominant region
- Semi-central collisions

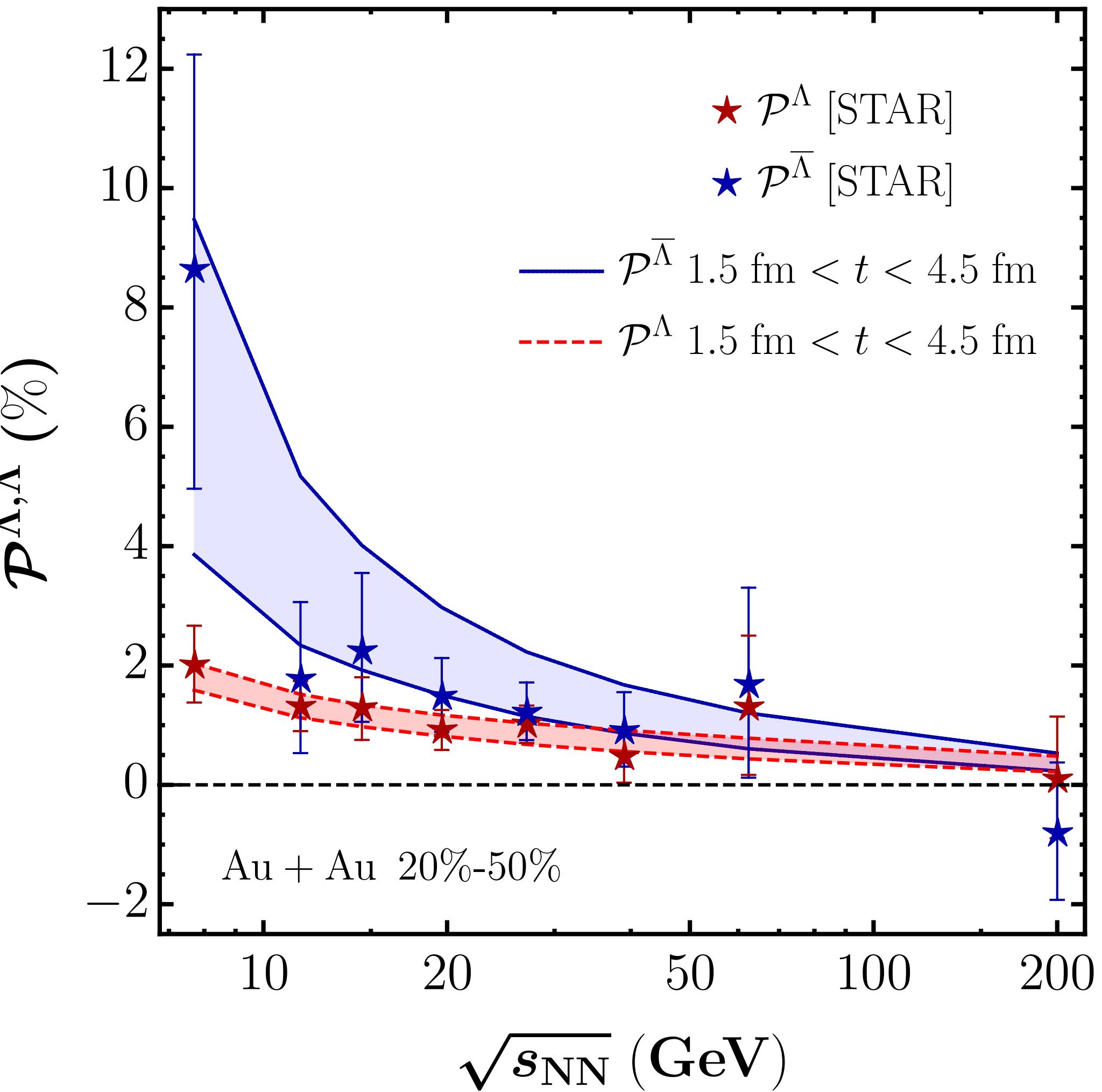
Λ polarization from a two-component source

- More polarization of $\bar{\Lambda}$ s than Λ s!
- Data well described for QGP formation times between 1.5 and 4.5 fm



Summary

- Vorticity generated in HIC's
- Polarization measurements to probe vorticity
- Spin alignment is quite important!
- Good agreement



Questions?