## Evolution of $\Delta$ and the risetime with time

Long-term performance call

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## Outline

- Study of the $\Delta$ as a function of the year by making windows of time and plotting the mean value for each bin
- Explanation in terms of the risetime


## Evolution of $\Delta$

- The average value of $\Delta$ is decreasing with time
- The same behaviour is observed for $X_{\text {max }}$ obtained from the $\Delta$, since it is a linear scaling of the values of $\Delta: X_{\max }=a+b \Delta+c \log \left(E_{\mathrm{SD}} / \mathrm{eV}\right)$
- All energies and zenith angles (up to $60^{\circ}$ ) included (plots made for different energy bins in the backup)


- Thanks for the data to Carlos Todero (data until 08/2018)


## Explanation in terms of the risetime

- $\Delta_{i}$ is obtained from the risetime: $\Delta_{i}=\frac{t_{1 / 2}-t_{1 / 2}^{\text {bench }}}{\sigma_{1 / 2}}$
- What is known as "Delta" is obtained as an average over all the stations for each event $\langle\Delta\rangle=\frac{1}{N} \sum_{i=1}^{N} \Delta_{i}$
- All energies and zenith angles (up to 45 degrees) included

- Risetime decreases $\Longrightarrow \Delta$ decreases

Backup

## Energy and zenith distribution

- Energy and zenith distributions of the data used to make the plots for $\Delta$



## Bins of energy for $\Delta$



## Bins of energy for $\Delta$ (continuation)

4

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## Bins of energy for $t_{1 / 2}$




## Risetime error

- All energies and zenith angles (up to 45 degrees) included



## Ratio of the risetime and its uncertainty



