



Analysis of the diffractively produced $\pi^- \pi^- \pi^+$ Final State at COMPASS

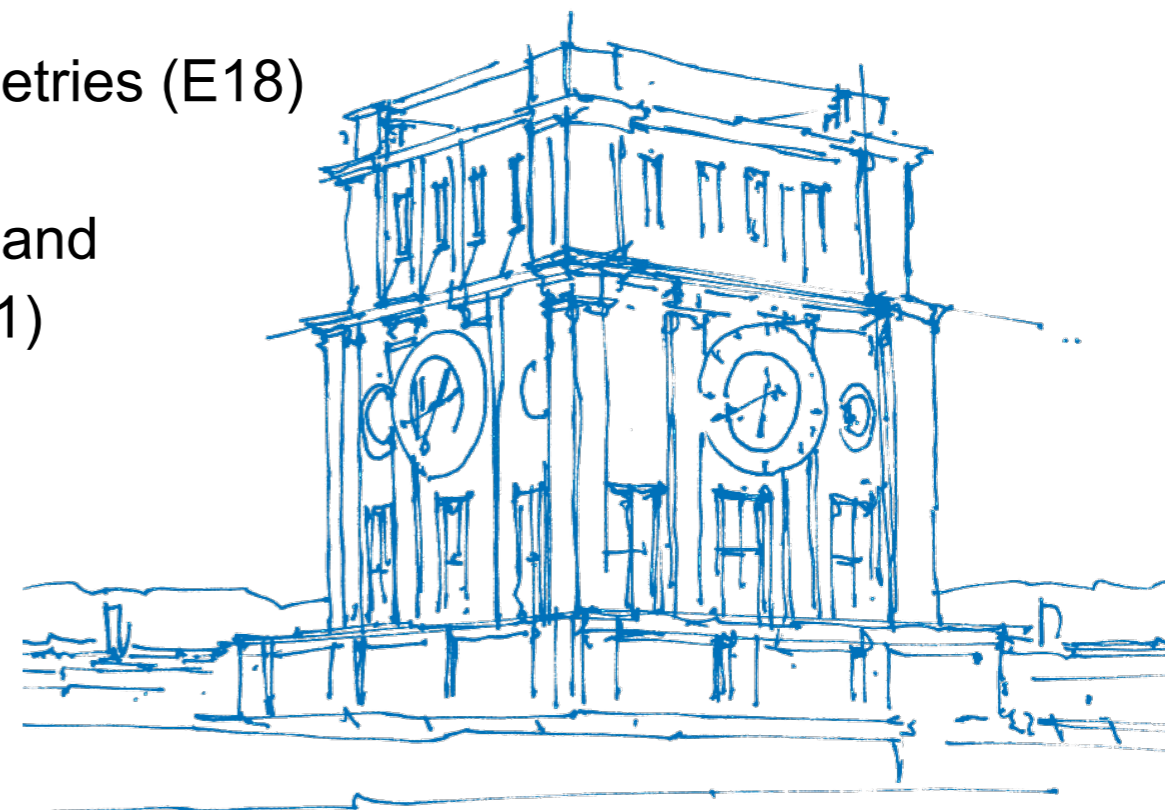
A Surprising π -like Signal

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Structure in memoriam Simon Eidelman (HADRON 2021)

28th July 2021 9:50 (CDMX)



TUM Uhrenturm

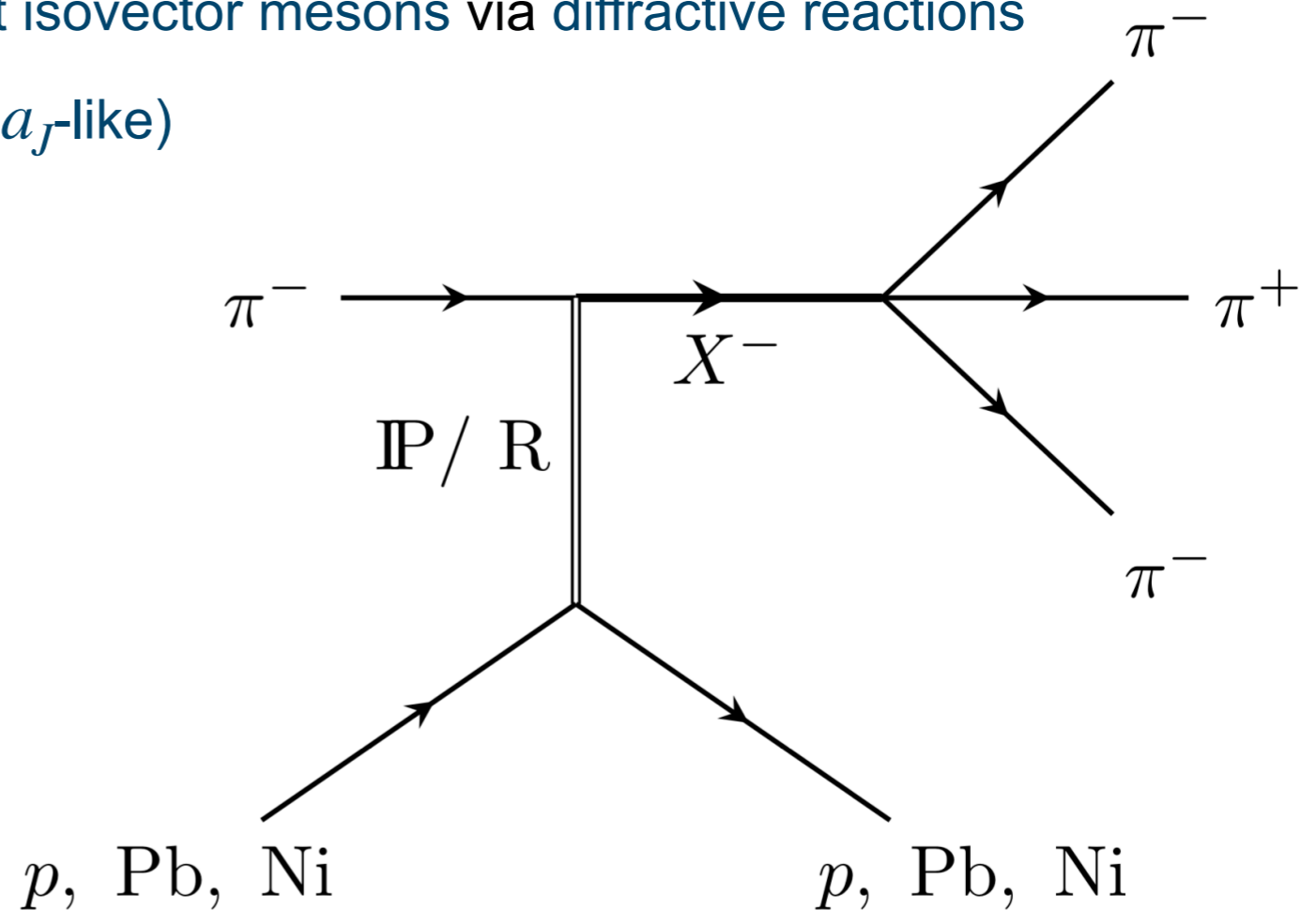


Light-Meson Resonances at COMPASS

Light-Meson Resonances at COMPASS



- π^- beam 190 GeV/c \rightarrow production of light isovector mesons via diffractive reactions
- beam excited to resonance X^- (π_J -like and a_J -like)
- X^- decays into $\pi^- \pi^- \pi^+$ final-state
- target stays intact



Analyzed Targets at COMPASS:

- (light) proton target (in the form of $l\text{H}_2$)
- (heavy) solid state targets lead (Pb) and Nickel (Ni)

Event Selection

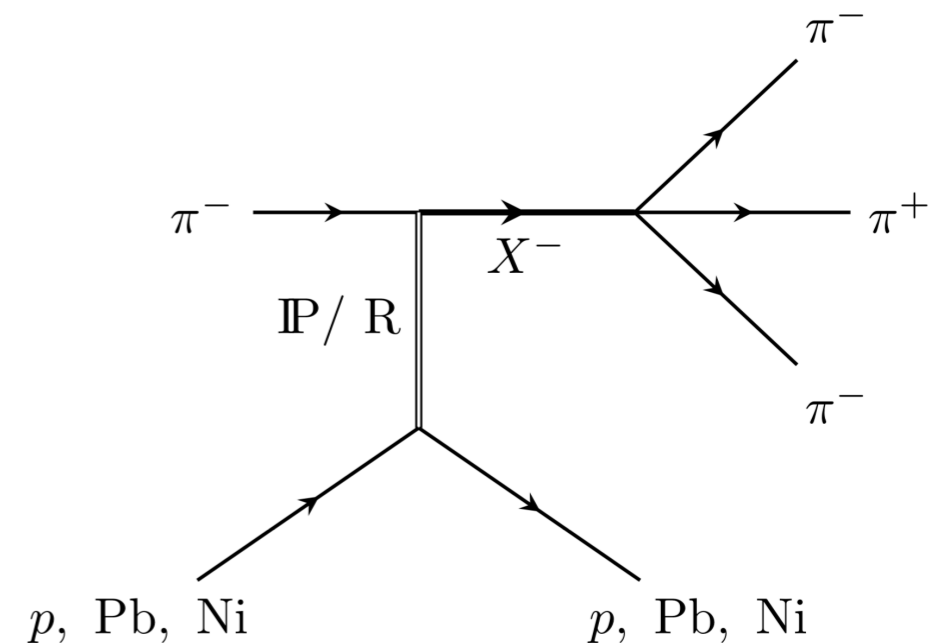
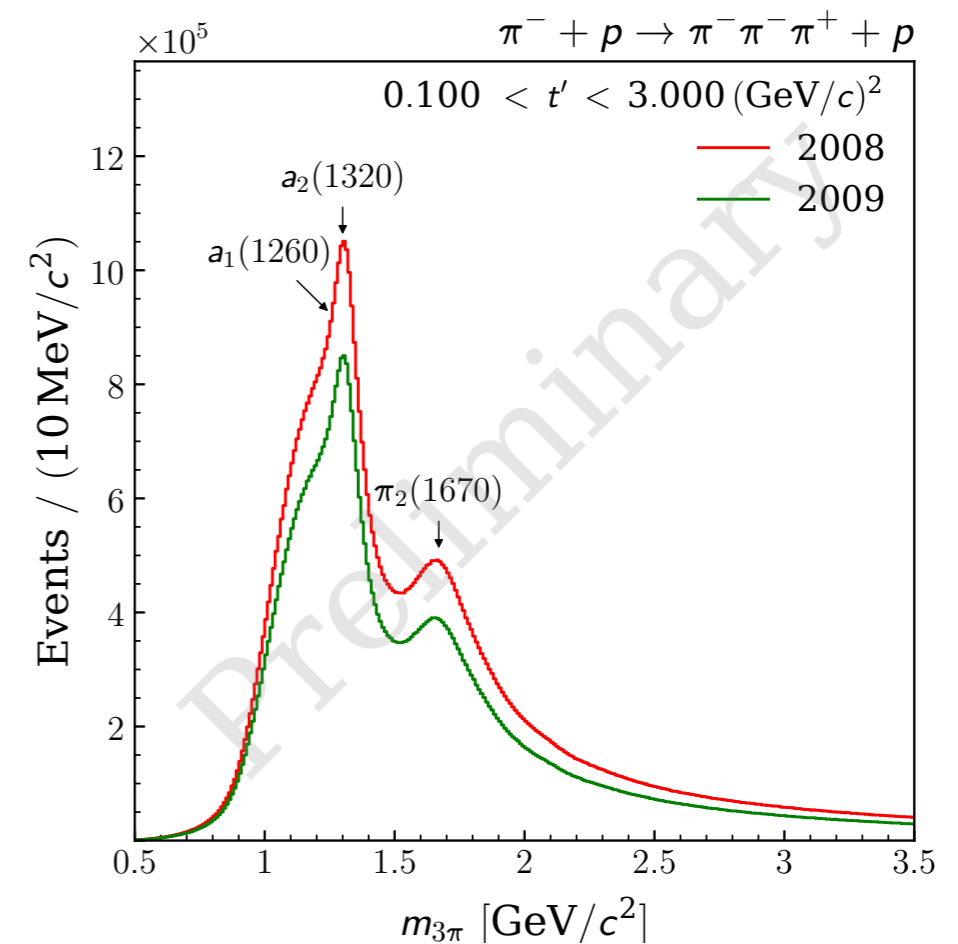
updated lH_2 analysis:

- more data + improved event selection
more than 115 million exclusive $\pi^- \pi^- \pi^+$ events
- (for this talk) kinematic range:
 - $0.5 < m_{3\pi} < 2.5 \text{ GeV}/c^2$
 - $0.1 < t' < 1.0 (\text{GeV}/c)^2$

Heavy targets (Pb and Ni):

- 13.5 million events for Pb target
- 12 million for Ni target
- different t' range: $0.0 < t' < 1.5 (\text{GeV}/c)^2$

→ lH_2 + heavy targets: large kinematic range





Partial-Wave Decomposition: Method

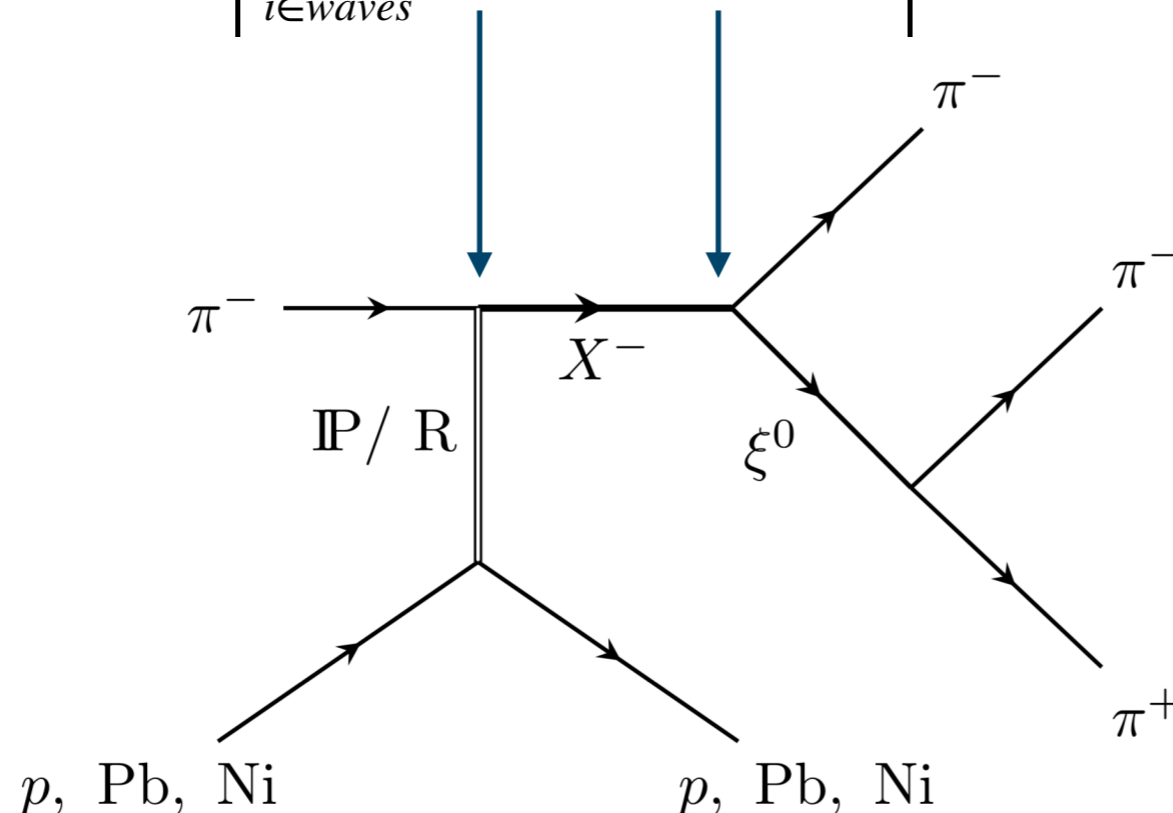
Partial-Wave Decomposition: Method



Model the **full** measured distribution:

- event described by 5-dim. kinematic variable τ
- factorization + isobar model
- sum over X^- quantum numbers and decays (**wave**) $i = (I^G, J^{PC}, M, \xi_0, L)$:
88 wave model (as published)
- build fit model

$$I(\tau; m_{3\pi}, t') = \left| \sum_{i \in \text{waves}} T_i(m_{3\pi}, t') \psi_i(\tau; m_{3\pi}) \right|^2 + |T_{flat}|^2$$



Isobars ξ_0 :

- $\sigma(500)$
- $\rho(770)$
- $f_0(980)$
- $f_2(1270)$
- $f_0(1500)$
- $\rho_3(1690)$

Partial-Wave Decomposition: Method



$$I(\tau; m_{3\pi}, t') = \left| \sum_{i \in \text{waves}} T_i(m_{3\pi}, t') \psi_i(\tau; m_{3\pi}) \right|^2 + \left| T_{flat} \right|^2$$

$$i = (I^G, J^{PC}, M, \xi_0, L)$$

$T_i \rightarrow X^-$ resonance information

- 2D-binning in $m_{3\pi}$ and $t' \rightarrow T_i(m_{3\pi}, t')$
- fit in every bin:
 - intensities $|T_i|^2$
 - relative phases $\arg(T_i T_j^*)$

→ non-parametric / “model independent” extraction



Partial-Wave Decomposition: Results

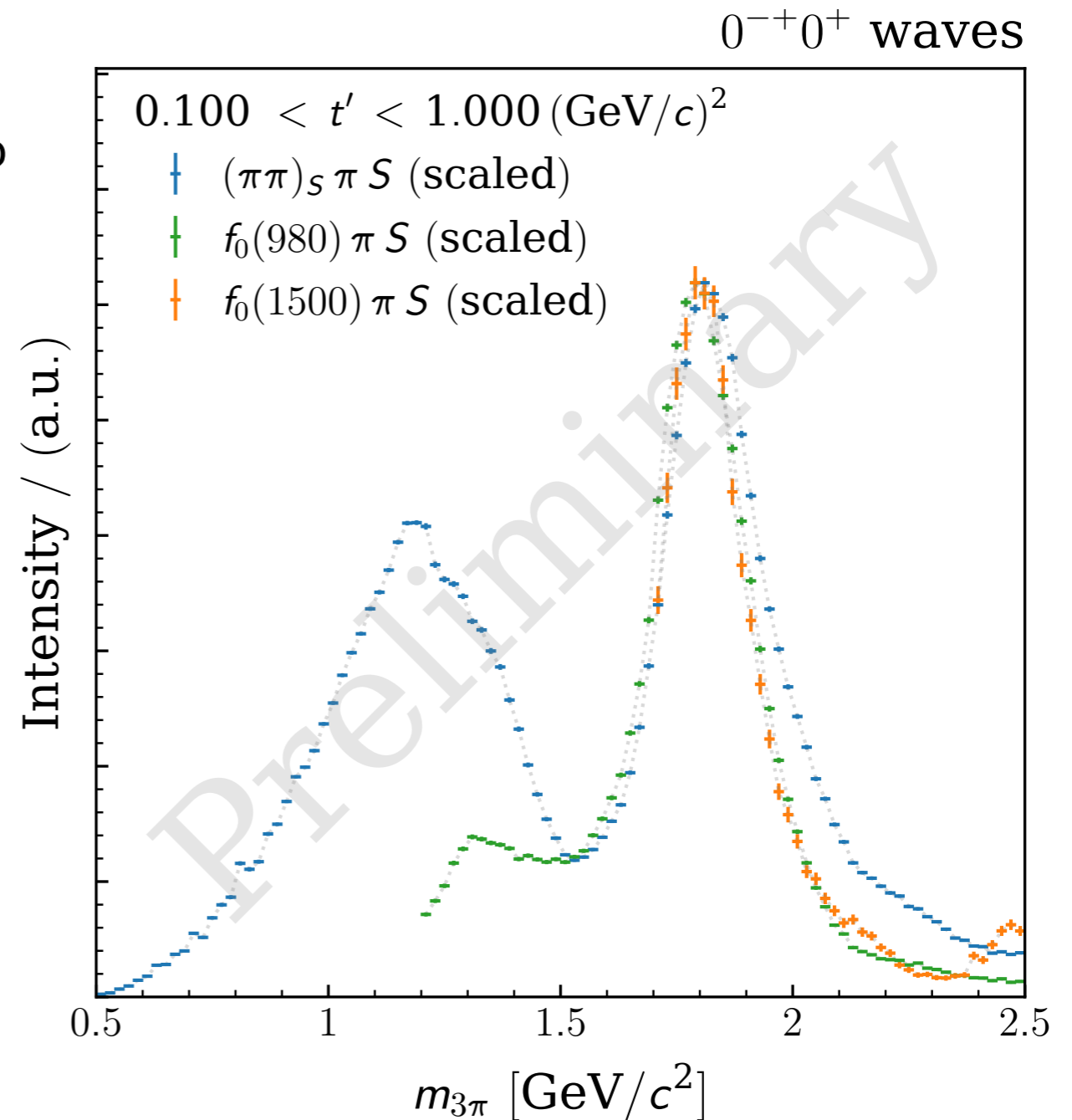
Partial-Wave Decomposition: 0^{-+} waves



Here lH_2 data: π -like objects

- signal of the $\pi(1800)$ resonance decaying into scalar isobars
- scaled to $\pi(1800)$ intensity peak
- excellent agreement in $\pi(1800)$ peak

→ what about decays into other isobars?



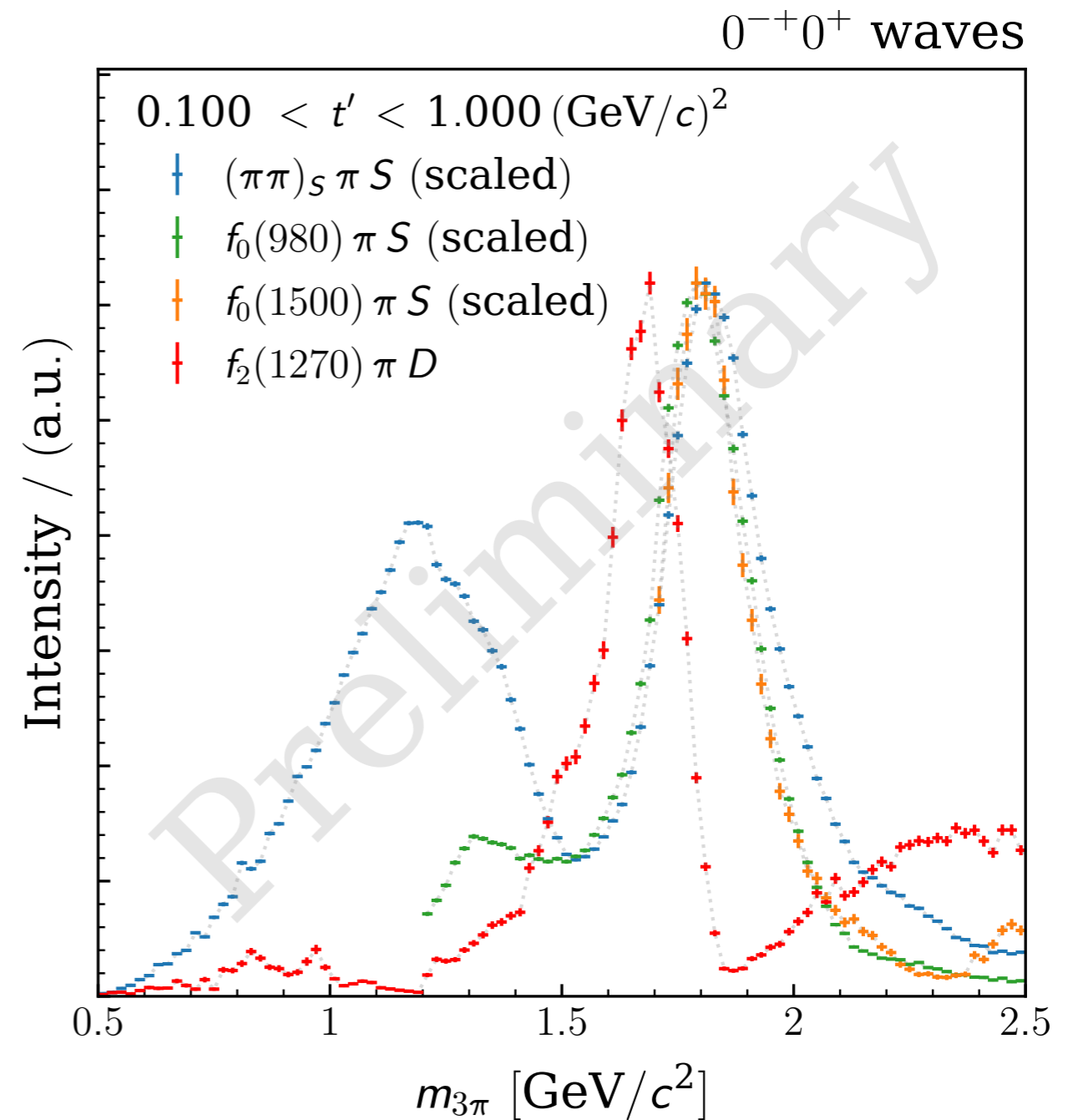
Partial-Wave Decomposition: 0^{-+} waves



Here lH_2 data:

- narrow signal in $0^{-+}0^+ f_2(1270) \pi D$

wave but at lower mass



Partial-Wave Decomposition: 0^{-+} waves



Here lH_2 data:

- narrow signal in $0^{-+}0^+ f_2(1270) \pi D$ wave but **at lower mass**
- seen by the VES experiment [1] →
26 wave model
Be target at low $t' < 0.06 (\text{GeV}/c)^2$

$0^{-+}0^+ f_2(1270) \pi D$

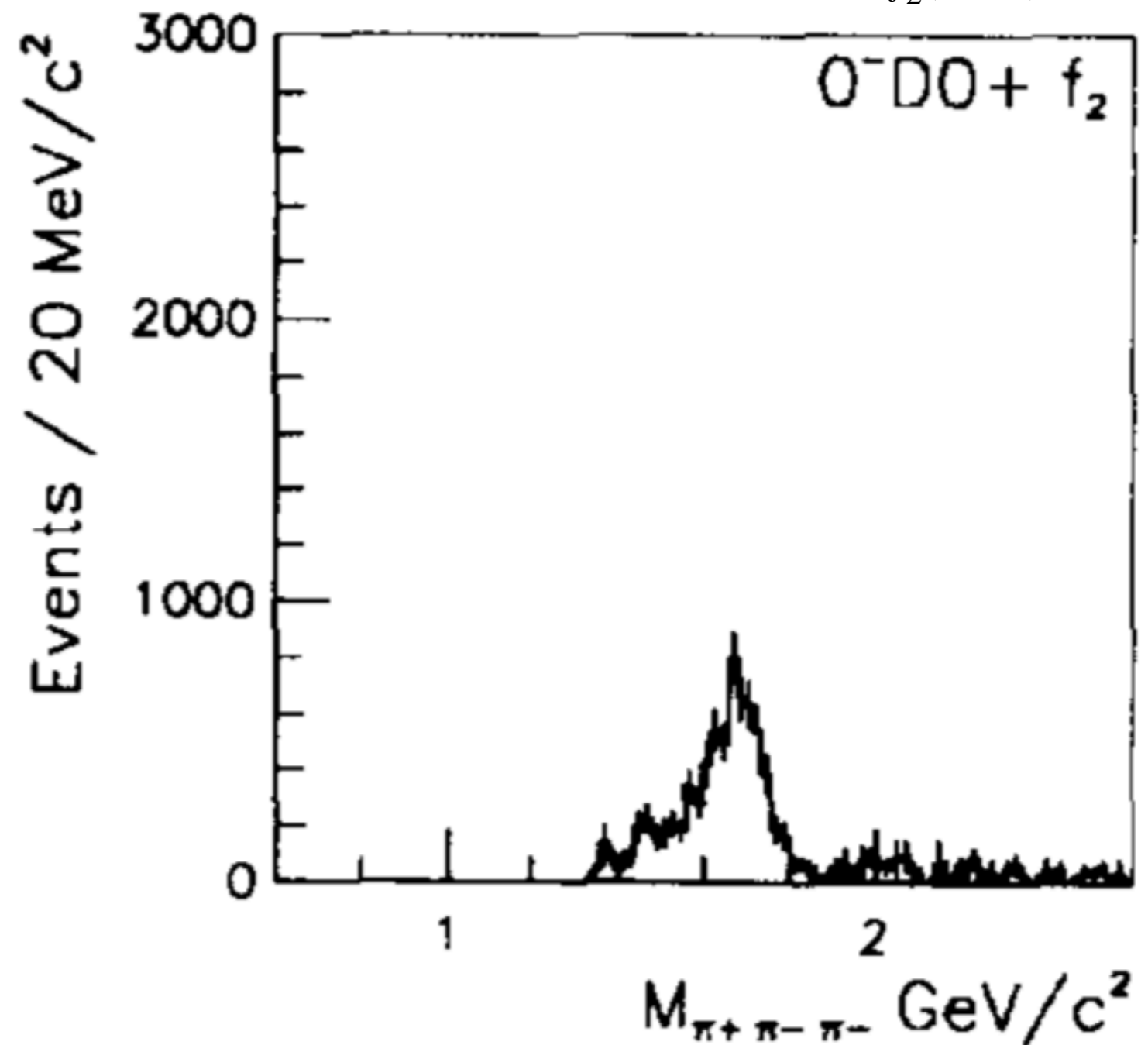


Figure 4 (d) of [1]

Partial-Wave Decomposition: 0^{-+} waves



Here I_{H_2} data:

- narrow signal in $0^{-+}0^+ f_2(1270) \pi D$

wave but **at lower mass**

- seen by the VES experiment [1] \rightarrow

26 wave model

Be target at low $t' < 0.06 (\text{GeV}/c)^2$

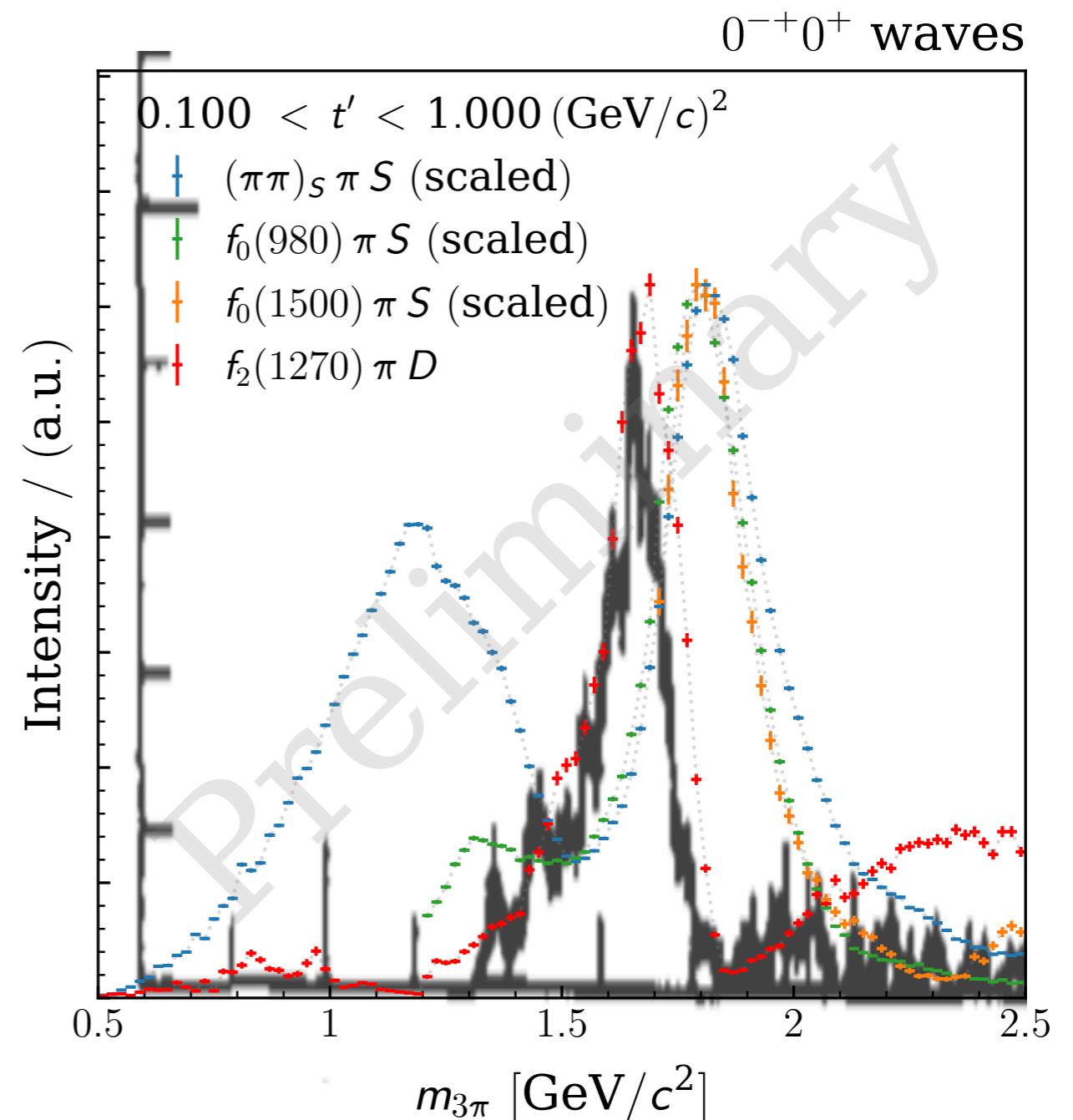


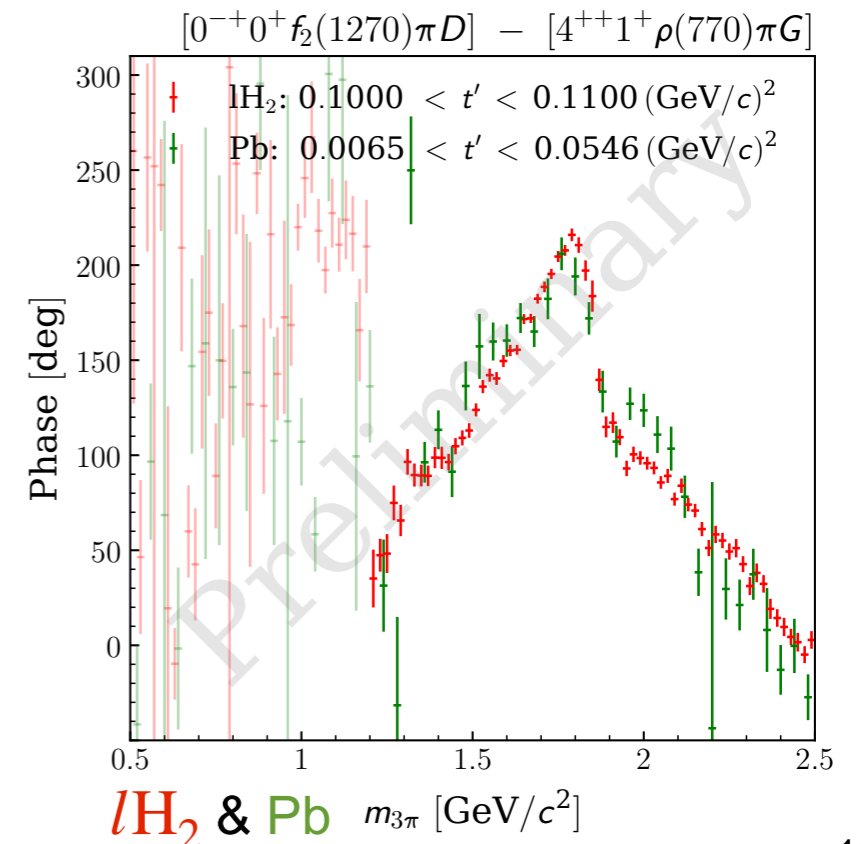
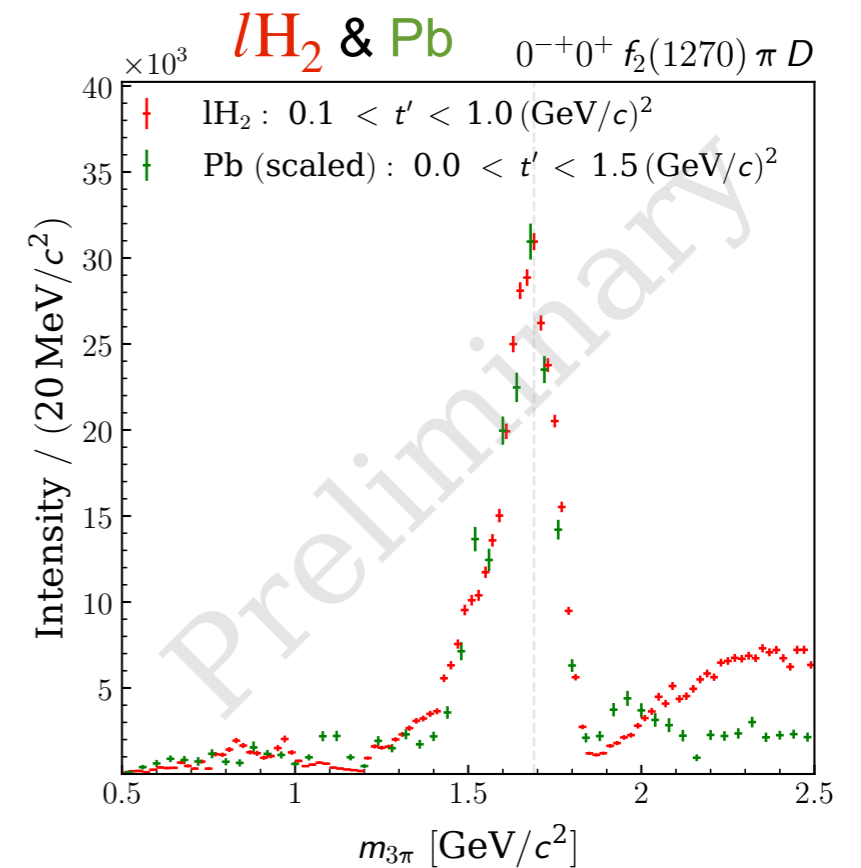
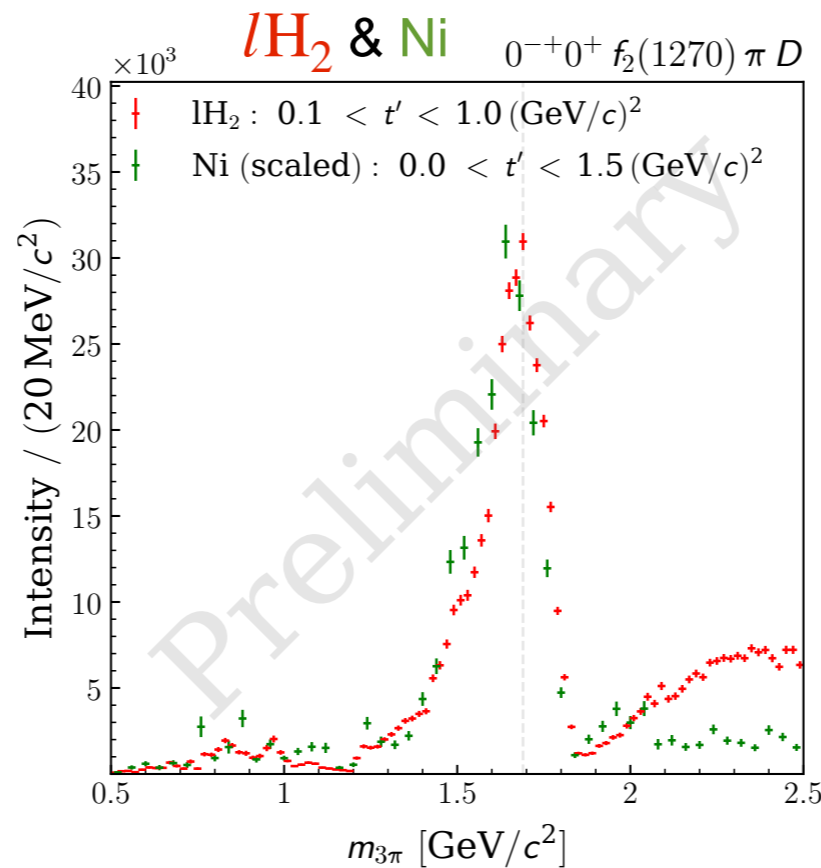
Figure 4 (d) of [1] (scaled)

Partial-Wave Decomposition: Comparison



Comparison of
liquid hydrogen (lH_2)
heavy target (Ni & Pb)

- intensity peak at the same position
- rapid phase motion!
- for liquid-hydrogen data: shoulder above $1.8 \text{ GeV}/c^2$
 → most likely non-resonant:
 - strong t' dependence of shoulder
 - wave-set dependence





Resonance-Model Fit

Resonance-Model Fit: 7 selected waves

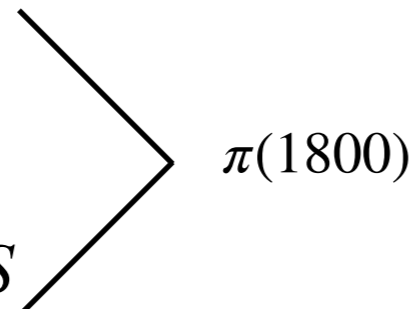


Fit selected waves:

- Breit-Wigner + nonresonant component
- seven waves
- fit intensities and phases simultaneously

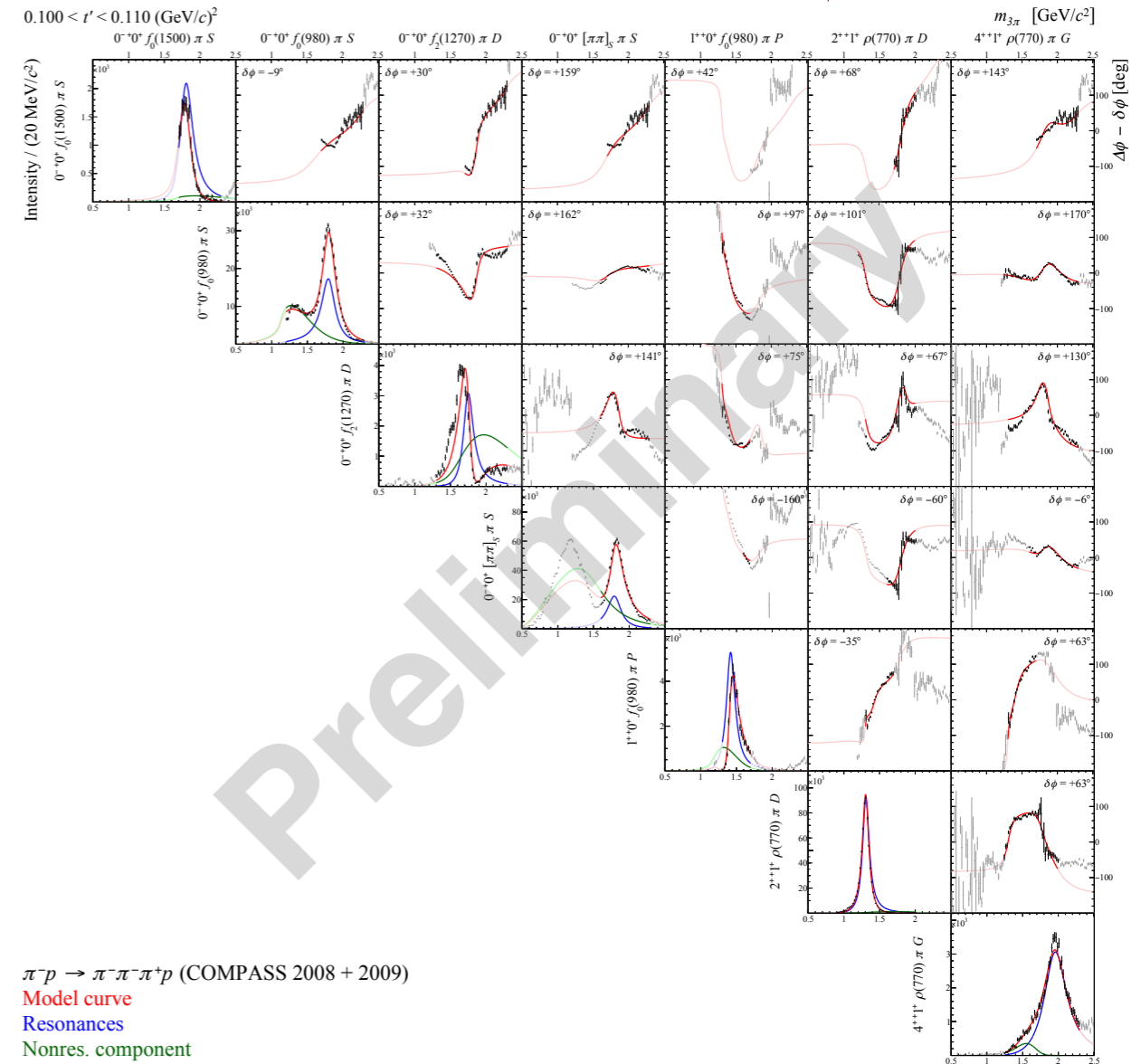
Model:

- four 0^{-+} waves:
 - $0^{-+}0^{+} [\pi\pi]_S \pi S$
 - $0^{-+}0^{+} f_0(980) \pi S$
 - $0^{-+}0^{+} f_0(1500) \pi S$
 - $0^{-+}0^{+} f_2(1270) \pi D$: different models



$\pi(1800)$

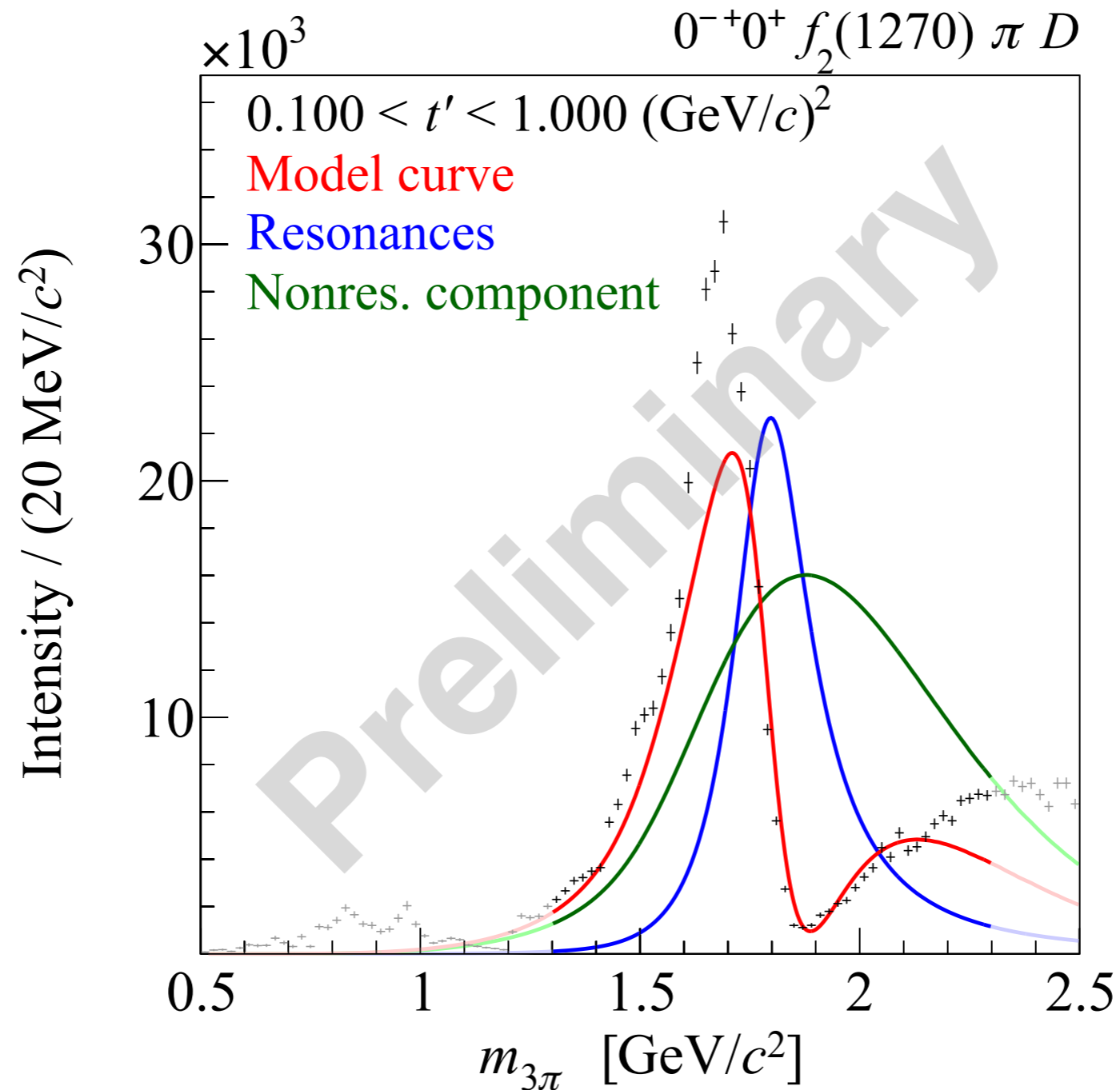
- three additional waves to interfere against:
 - $1^{++}0^{+} f_0(980) \pi P: a_1(1420)$
 - $2^{++}1^{+} \rho(770) \pi D: a_2(1320)$
 - $4^{++}1^{+} \rho(770) \pi G: a_4(1970)$



Resonance-Model Fit: lH_2 data

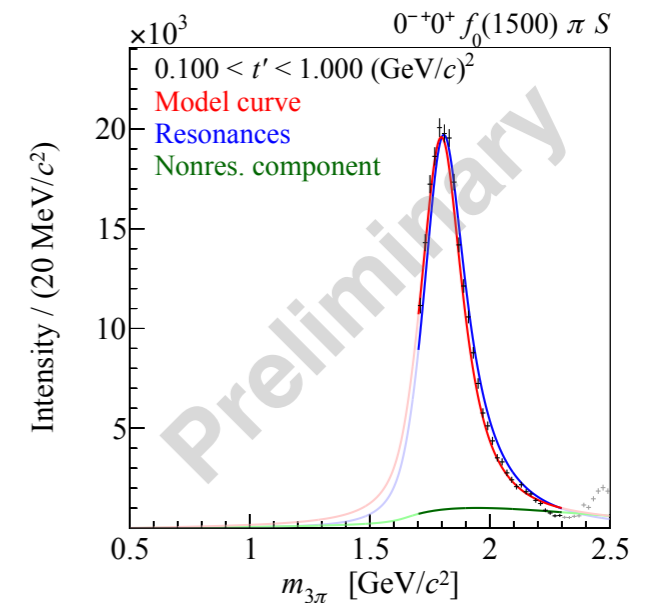
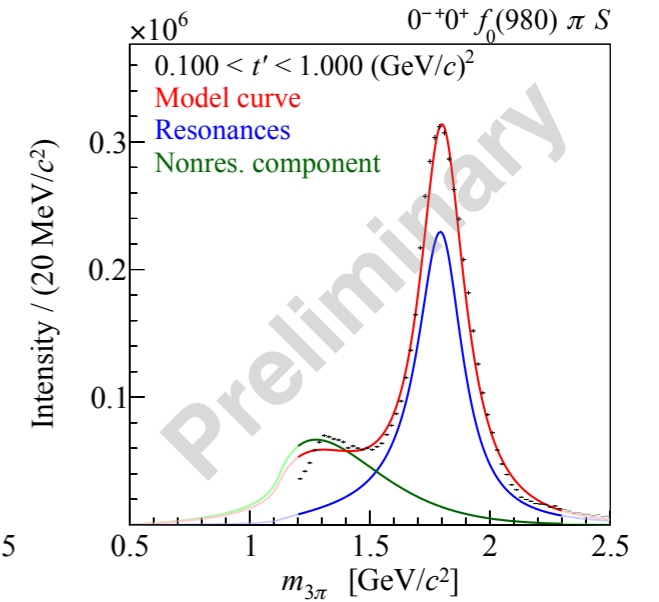
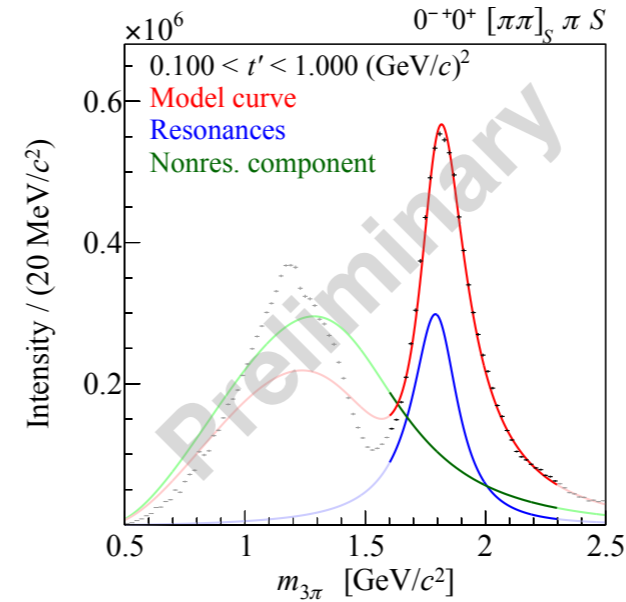
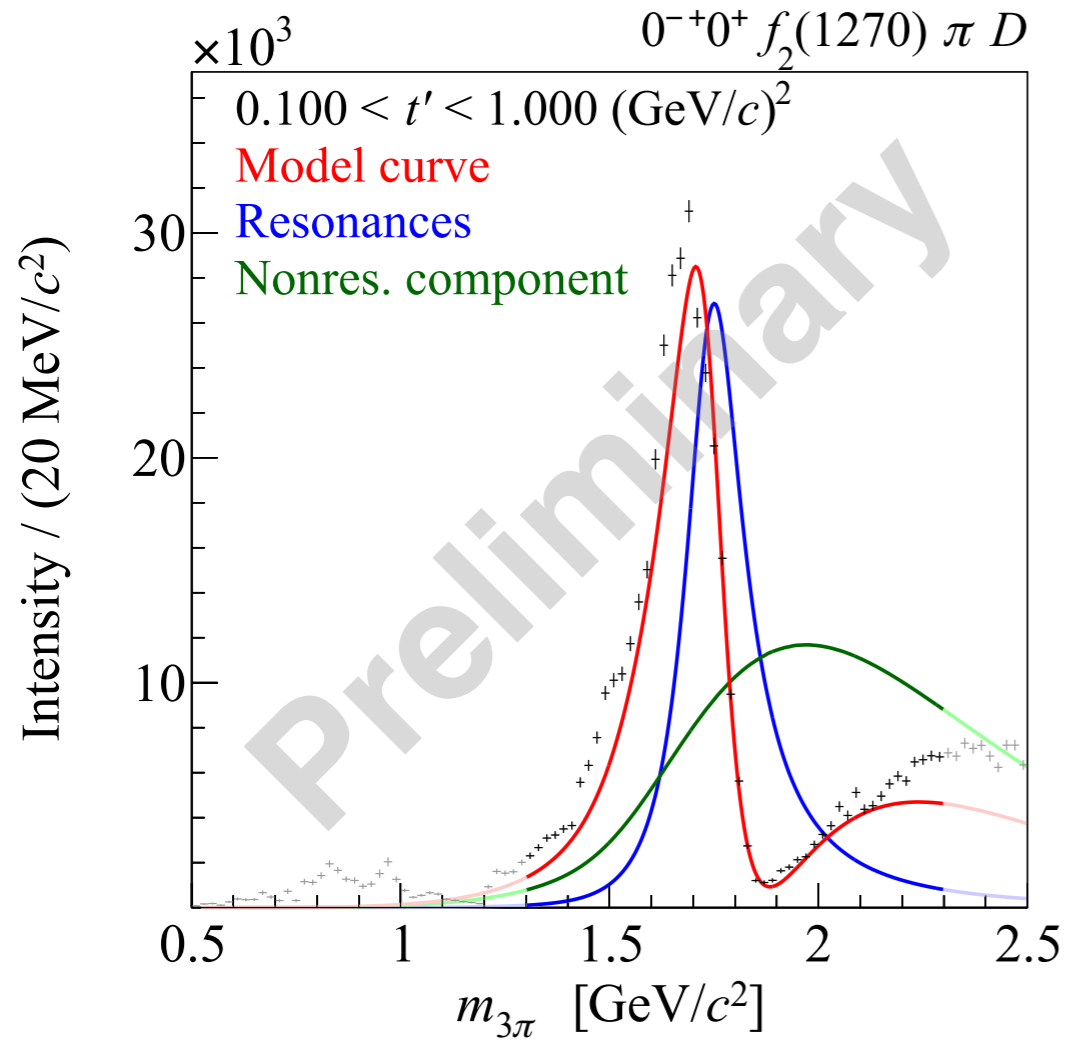


$0^{-+}0^{+} f_2(1270) \pi D: \pi(1800) + \text{nonresonant component}:$



fails to described intensity peak \rightarrow try separate “ $\pi(1700)$ ”

Resonance-Model Fit: $I\text{H}_2$ data



“ $\pi(1700)$ ”:

$$m_0 = 1740 \text{ MeV}/c^2, \Gamma_0 = 171 \text{ MeV}/c^2$$

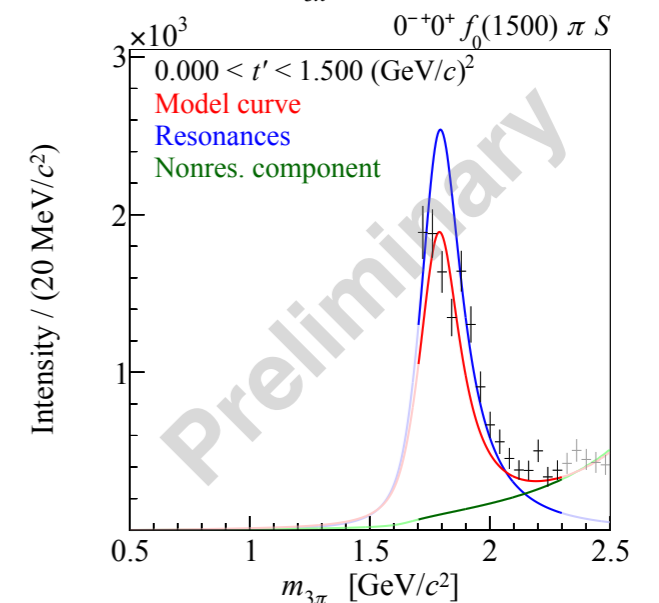
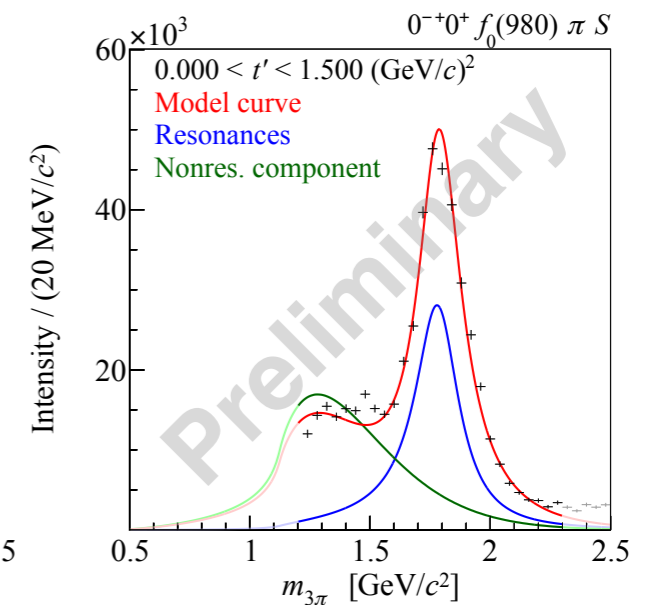
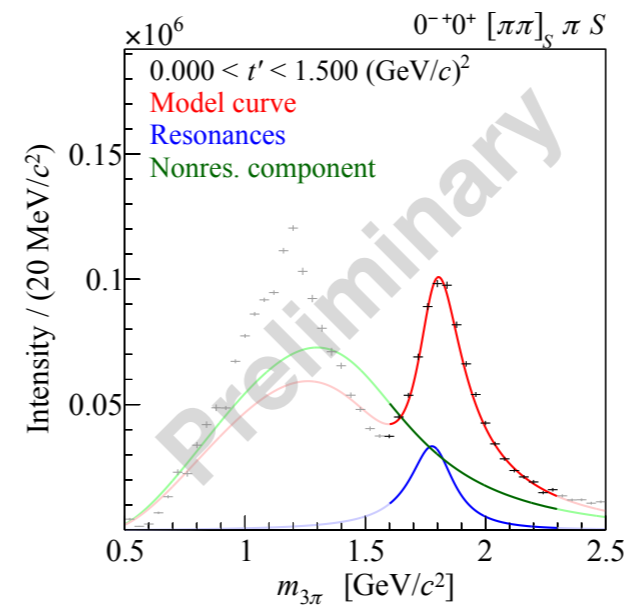
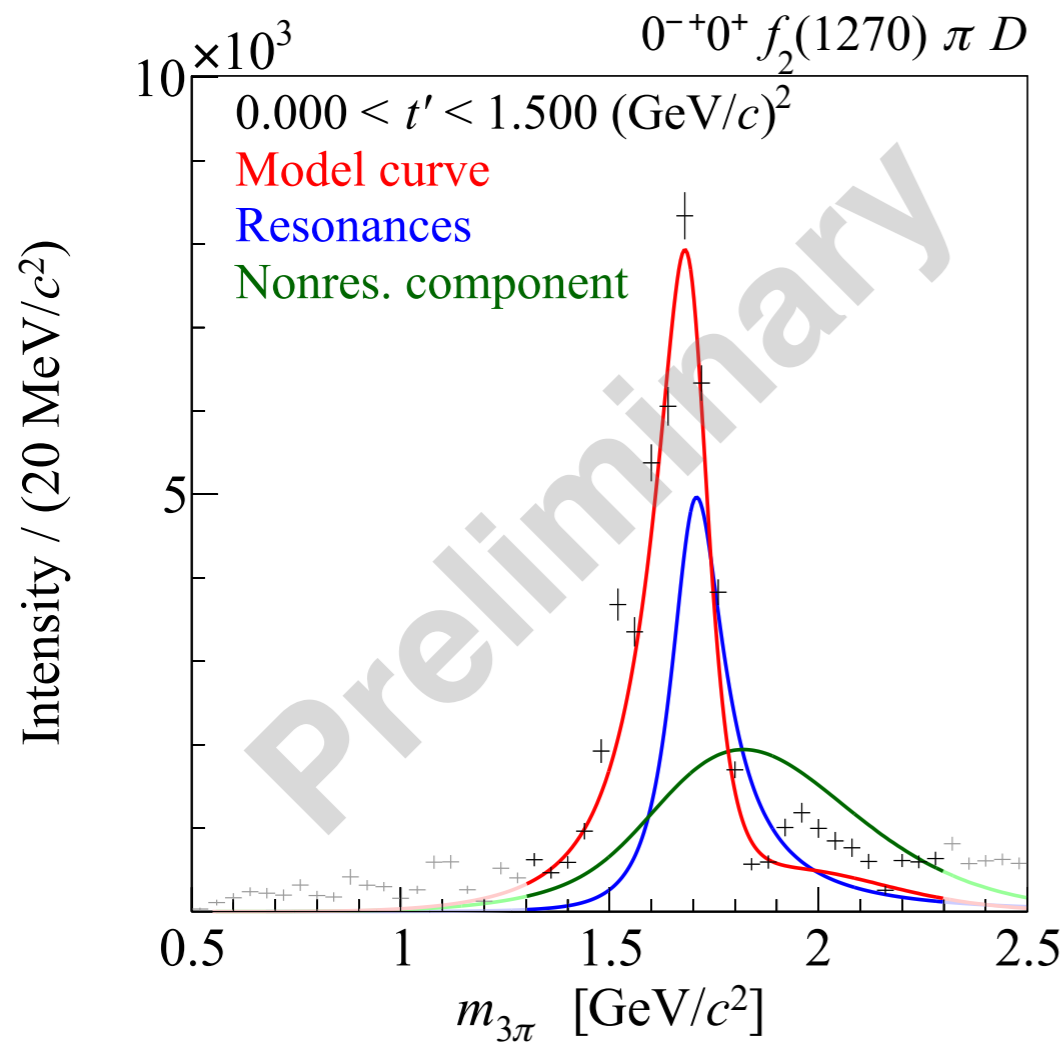
$$\Delta m_0 = 55 \text{ MeV}/c^2 \text{ and } \Delta \Gamma_0 = 59 \text{ MeV}/c^2$$

$\pi(1800)$:

$$m_0 = 1795 \text{ MeV}/c^2, \Gamma_0 = 230 \text{ MeV}/c^2$$

- excellent description

Resonance-Model Fit: Lead (Pb) data



“ $\pi(1700)$ ”:

$$m_0 = 1698 \text{ MeV}/c^2, \Gamma_0 = 157 \text{ MeV}/c^2$$

$$\Delta m_0 = 83 \text{ MeV}/c^2 \text{ and } \Delta \Gamma_0 = 64 \text{ MeV}/c^2$$

$\pi(1800)$:

$$m_0 = 1781 \text{ MeV}/c^2, \Gamma_0 = 221 \text{ MeV}/c^2$$

- excellent description

→ consistent picture for both data sets:

separation in lighter “ $\pi(1700)$ ” and heavier $\pi(1800)$ preferred

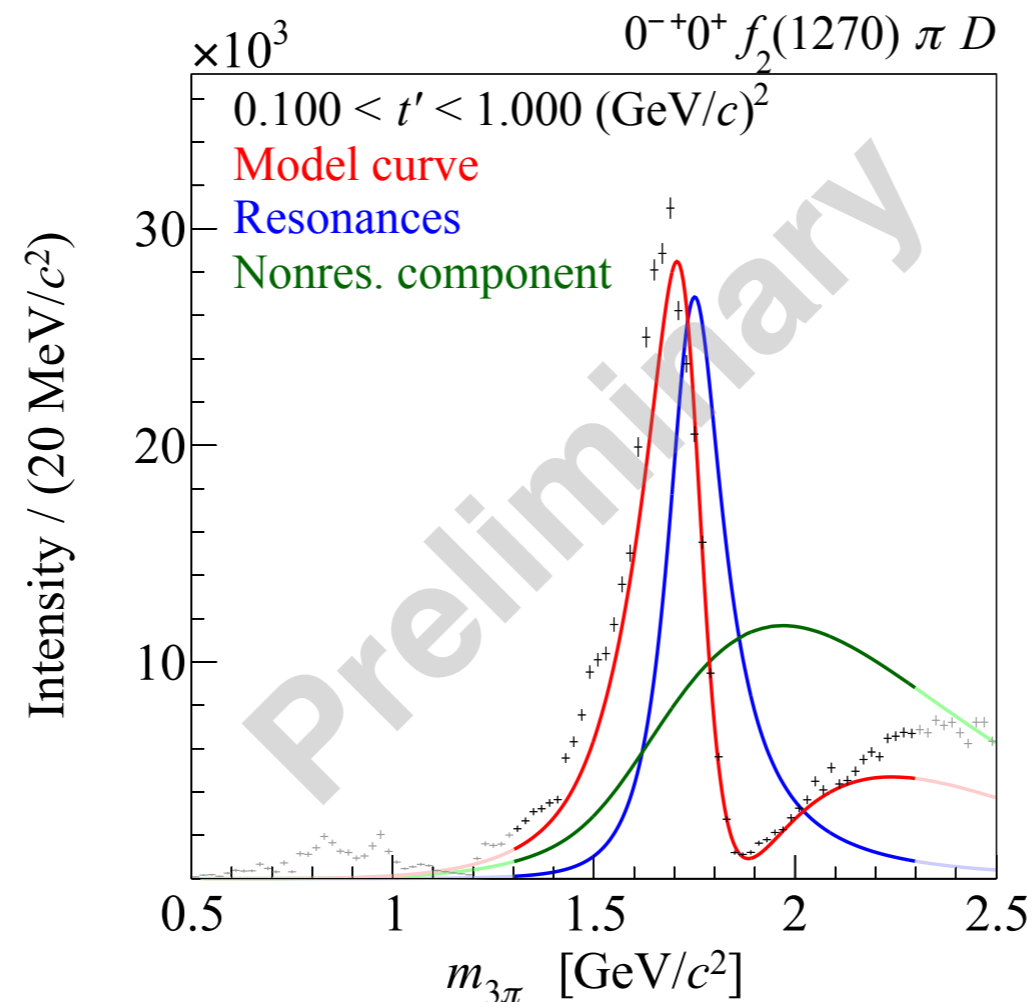


Possible Interpretations

Possible Interpretations: Shifted $\pi(1800)$



$\pi(1800)$ peak shifted by interference with more complicated nonresonant component (?)



We tried:

- studies of partial-wave model (we go beyond the 88-wave model: up to $\mathcal{O}(700)$ waves)
 - peak stable, high-mass shoulder changes
- studies of models for coherent non-resonant background: Deck, Central Production
- more complicated resonance-models: e.g. two Breit-Wigners
 - one resonance used as effective background

Possible Interpretations: Resonance?



Close and Page: How to distinguish hybrids from radial quarkonia [1]

→ hybrid $\pi_H(1800)$ + additional quark-model state at lower mass?

- theory prediction for $\pi_H(1800)$ decay: $f_2 \pi D$ and $\omega\rho$ decays suppressed
- VES
 - $\pi^- \text{Be} \rightarrow \pi^+ \pi^- \pi^- \text{Be}$ [2] → $f_2 \pi D$ signal like we see it
 - $\pi^- \text{Be} \rightarrow \omega \pi^- \pi^0 \text{Be}$ [3] → $\omega\rho$ signal: $m_0 = 1737 \text{ MeV}/c^2$, $\Gamma_0 = 259 \text{ MeV}/c^2$
 - speculate about π_H and $q\bar{q}$ -state
- $\omega\rho$ also accessible at COMPASS (upcoming analysis)
- Maybe further insights from lattice QCD?
 - e.g. like prediction of $\pi_1(1600)$ decay modes by the Hadron Spectrum Collaboration [4]

[1] Close, Frank E. and Page, Philip R., Phys.Rev.D 56 (1997) 1584-158

[2] VES Collaboration: D.V Amelin et al., Physics Letters B, Volume 356, Issue 4, 1995, Pages 595-600

[3] VES Collaboration arXiv:hep-ex/9810013v1, 6 Oct 1998

[4] A.Woss et al., PRD 103, 054502 (2021)



Thank you for your attention!

Questions?



Acknowledgements

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Stephan Paul and the COMPASS hadron analysis group



Additional Material for Discussion

Partial-Wave Decomposition: Method



From the intensity of an event we can get it's detection probability (for a specific set of parameters):

$$P(\tau^j; m_{3pi}^j, t^j) = \frac{I(\tau^j; m_{3pi}^j, t^j)}{\int_{\Omega} I(\tau; m_{3pi}, t') d \text{LIPS}(\tau)}$$

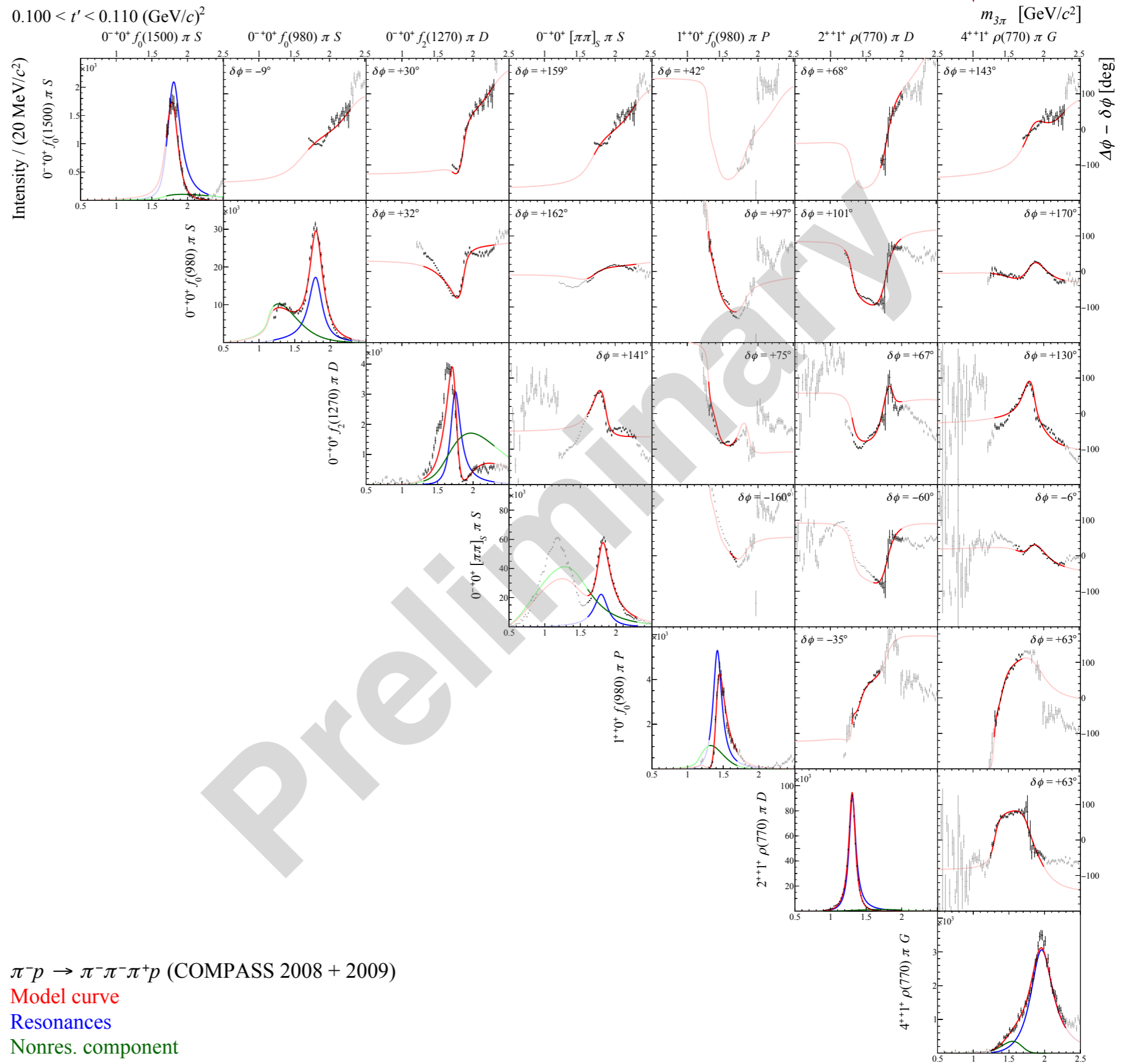
The product of the individual probabilities over all events times the Poisson distribution of the number of events (it's also random!) results in extended likelihood Ansatz:

$$\mathcal{L} = \frac{\bar{n}}{n!} e^{-\bar{n}} \prod_j^n P(\tau^j; m_{3pi}^j, t^j)$$

For numerical stability: take the logarithm $\mathcal{L} \rightarrow \log(\mathcal{L})$

\rightarrow maximize $\log(\mathcal{L}) \rightarrow n$ transition amplitudes per bin $(T_0, T_1, \dots, T_i, \dots, T_n)^T = \vec{T} \in \mathbb{C}^n$

Resonance Model Fit: $I H_2$ data



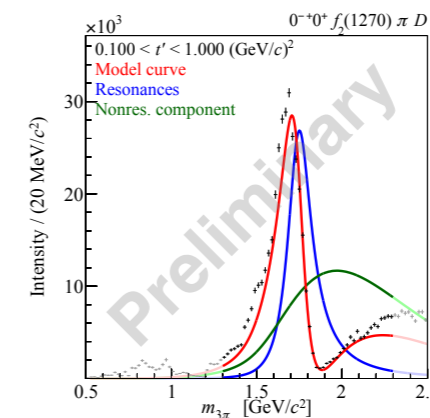
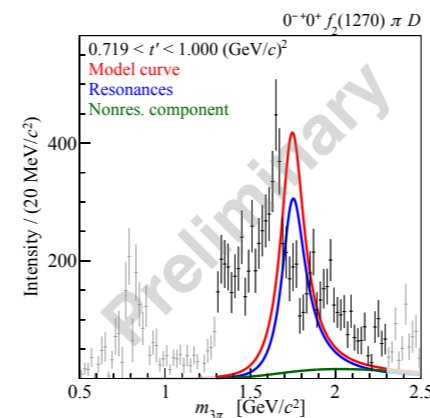
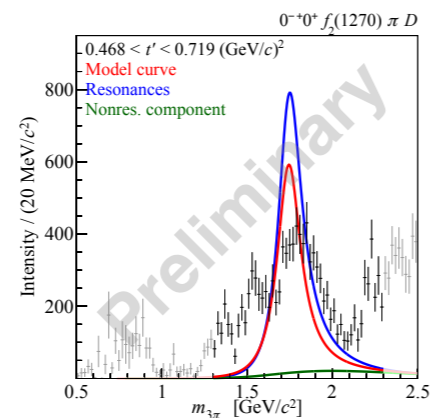
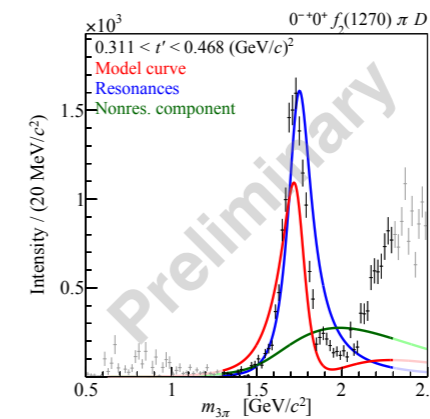
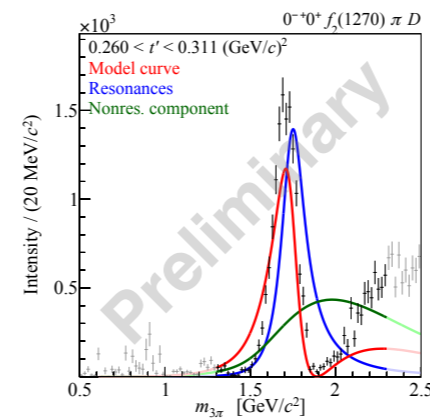
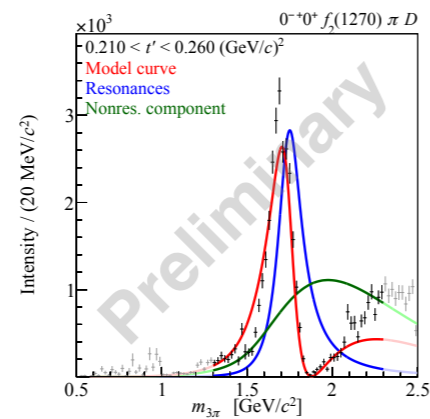
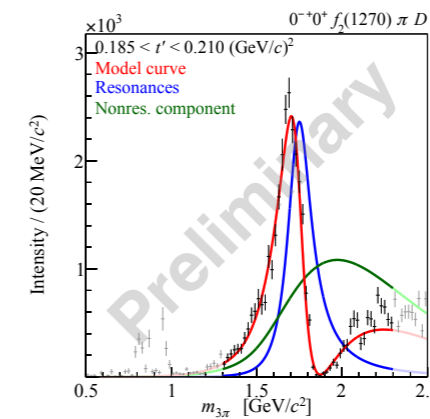
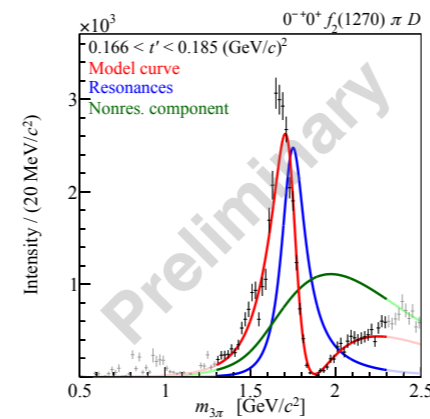
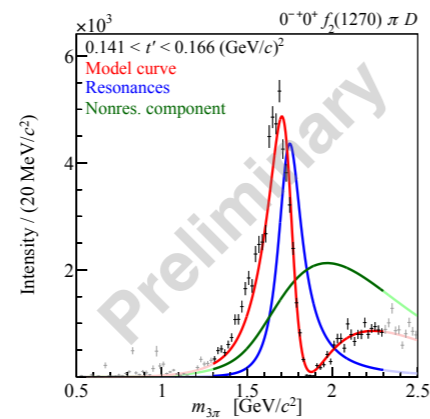
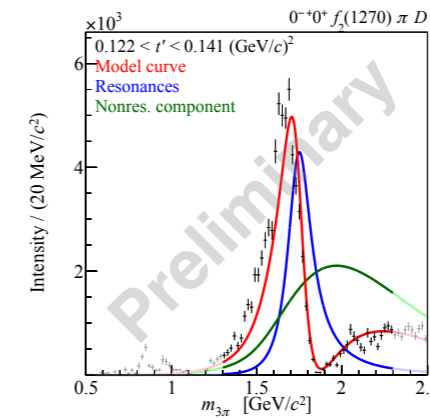
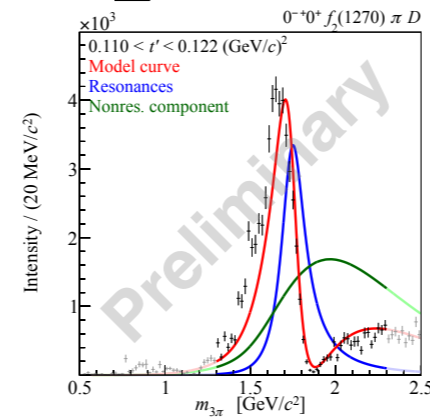
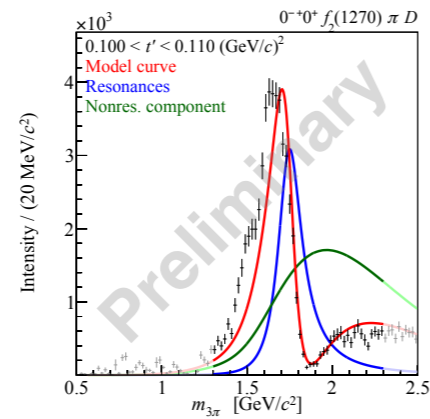
$\pi^- p \rightarrow \pi^- \pi^- \pi^+ p$ (COMPASS 2008 + 2009)

Model curve

Resonances

Nonres. component

Resonance Model Fit: I/H_2 data

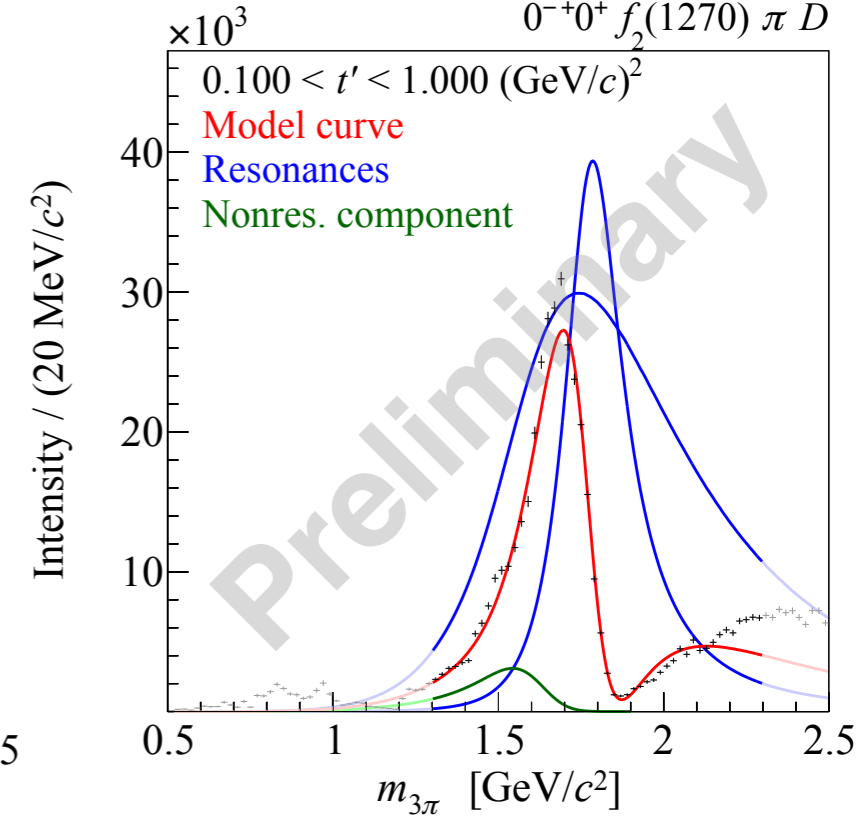
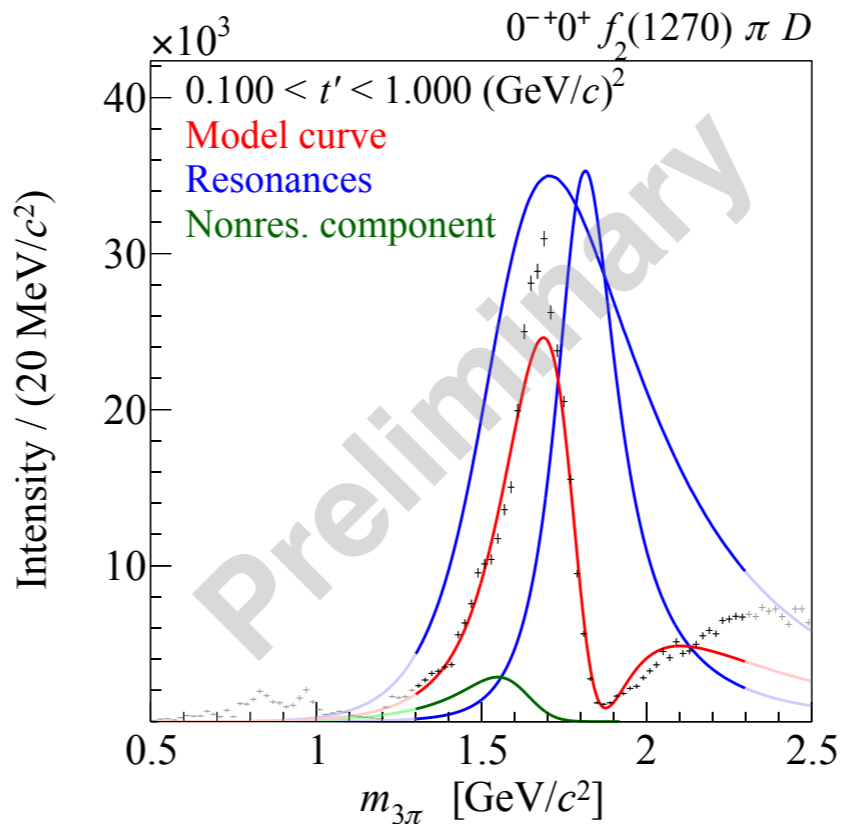
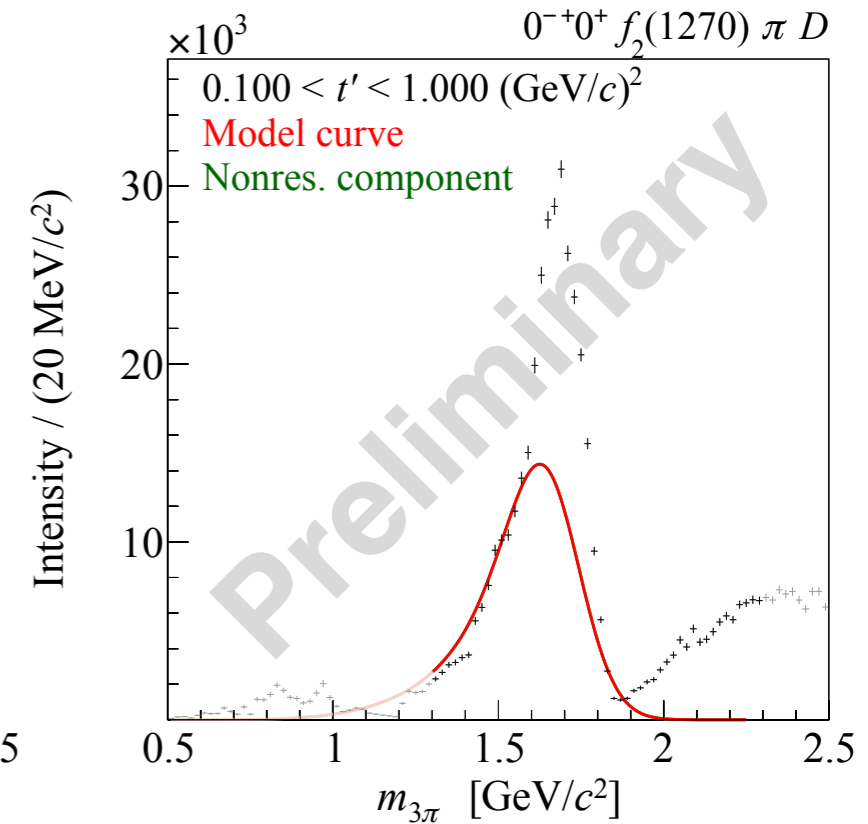
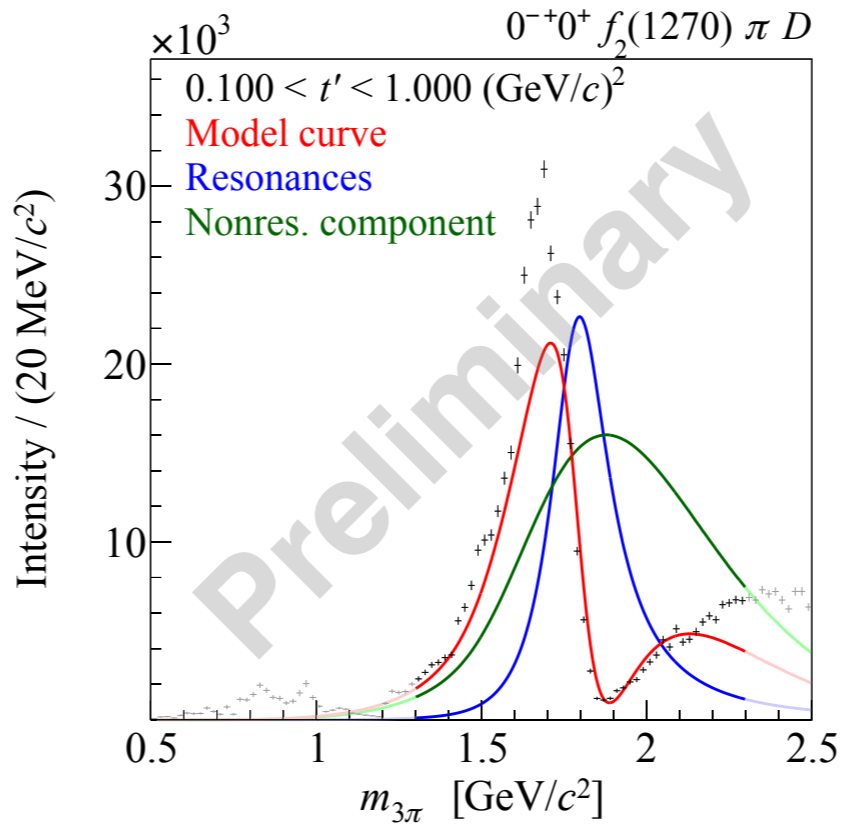


Resonance Model Fit: I/H_2 Systematics

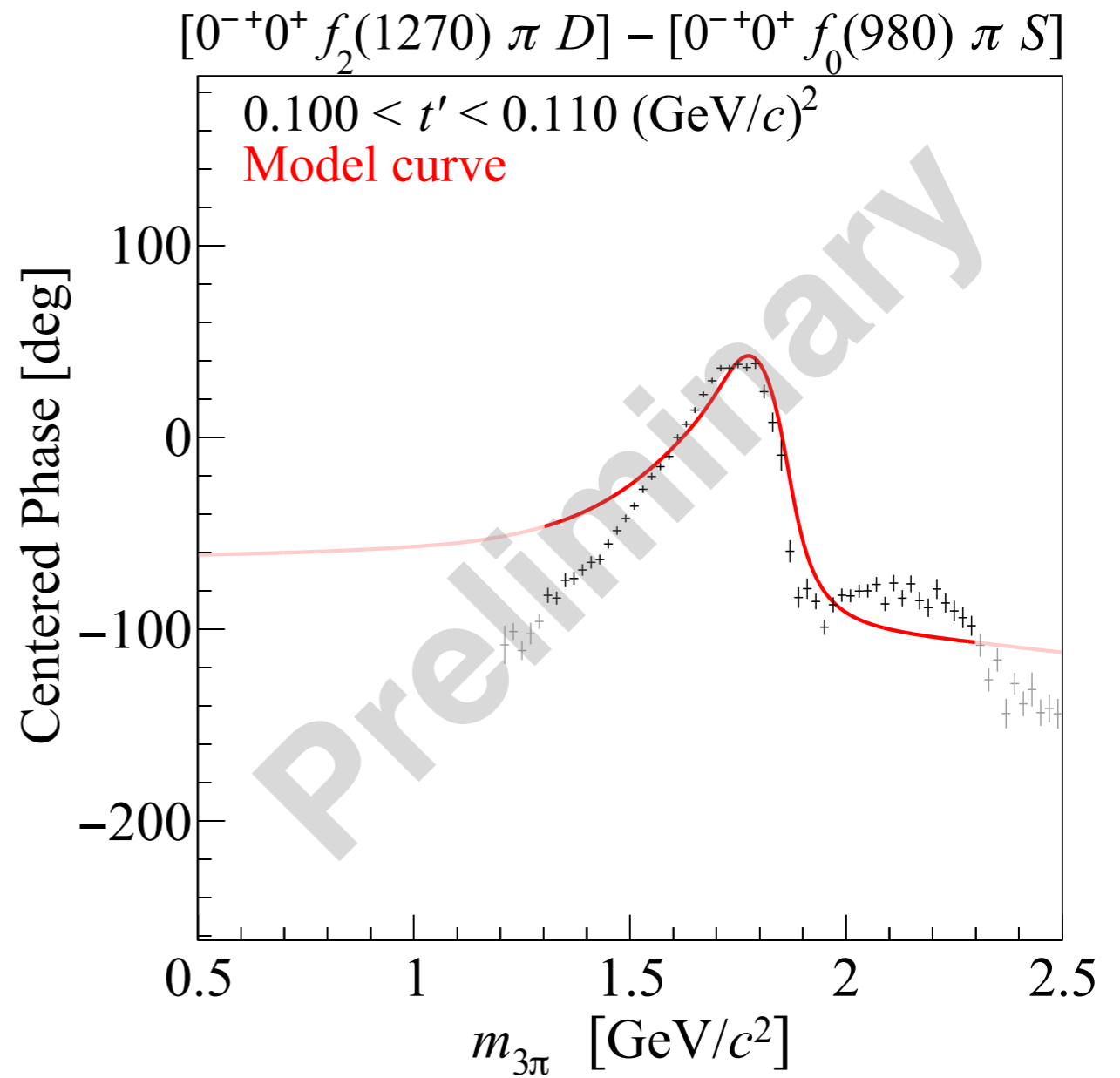
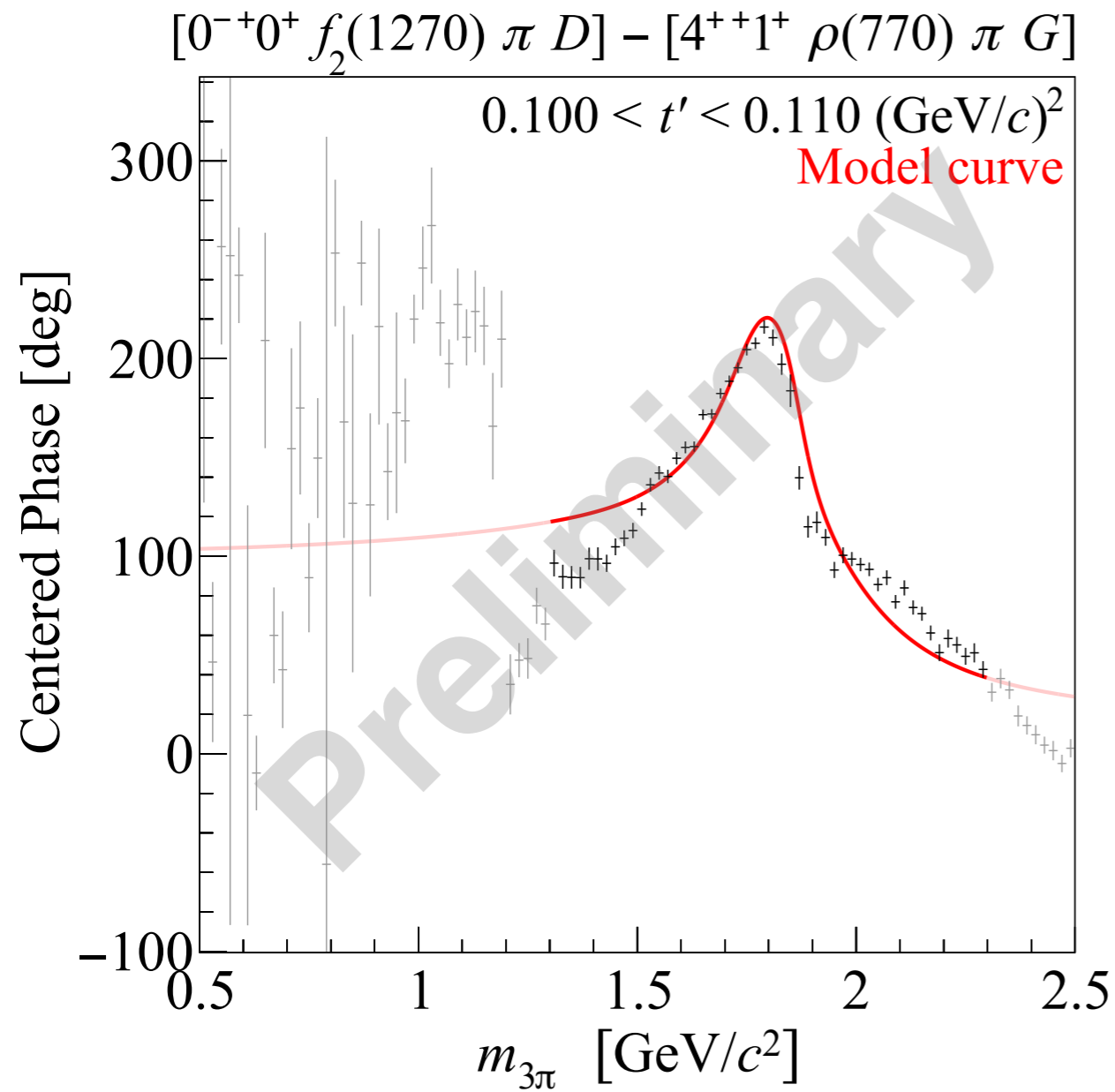
Systematic Studies:

- top left: fit **only $\pi(1800)$**
 - intensity not well described
- top right: fit **only nonresonant:**
 - no able to capture the signal at all
- bottom **two resonances:**
 - left: “ $\pi(1700)$ ” + $\pi(1800)$
 - right: two free resonances
 - one resonance used as background

→ unphysical addition of BW



Resonance Model Fit: lH_2 data



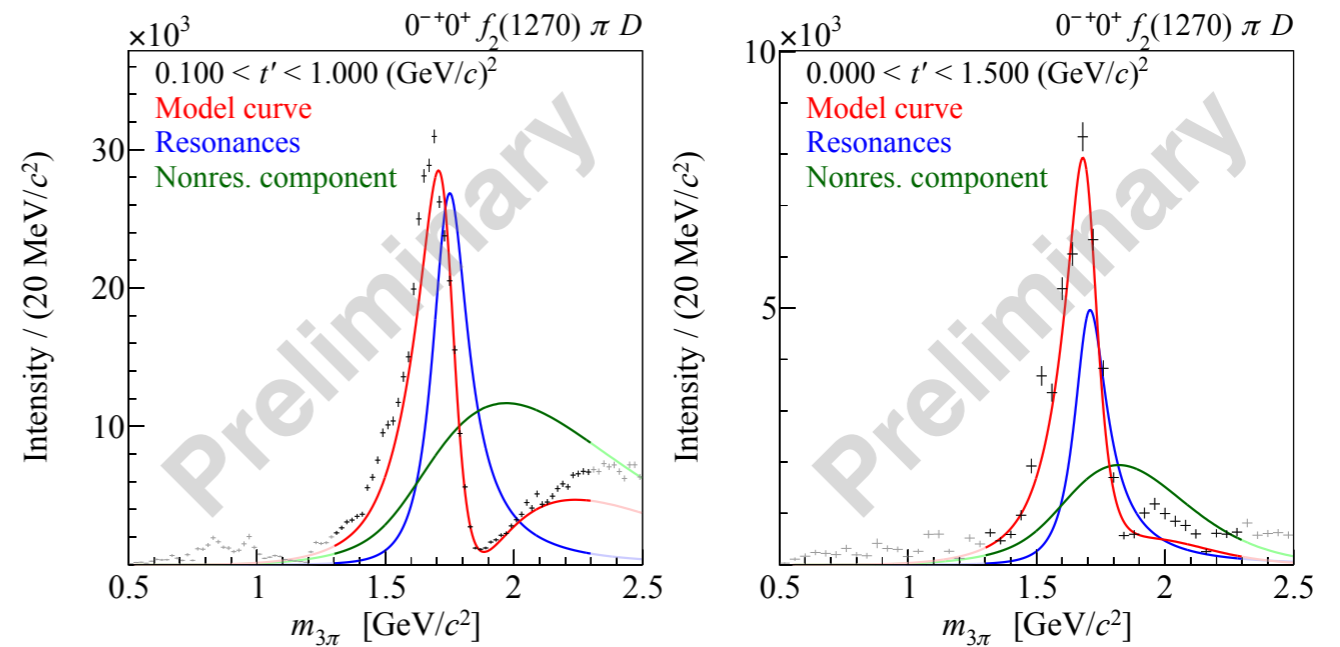
Resonance Model Fit



Both $I\text{H}_2$ and Pb data show a separation of the additional free “ $\pi(1700)$ ” component

Resonance	Mass [MeV/ c^2]	Width [MeV/ c^2]	Published Mass [MeV/ c^2]	Published Width [MeV/ c^2]
$\pi(1700)$	1740	171	—	—
$\pi(1800)$	1795	230	1804^{+6}_{-9}	220^{+8}_{-11}
$a_1(1420)$	1414	149	1411^{+4}_{-5}	161^{+11}_{-14}
$a_2(1320)$	1316	115	$1314.5^{+4.0}_{-3.3}$	$106.6^{+3.4}_{-7.0}$
$a_4(1970)$	1939	395	1935^{+11}_{-13}	333^{+16}_{-21}

Resonance	Mass [MeV/ c^2]	Width [MeV/ c^2]
$\pi(1700)$	1698	157
$\pi(1800)$	1781	221
$a_1(1420)$	1414	166
$a_2(1320)$	1318	102
$a_4(1970)$	1988	322



Pb data stronger separation: different (maybe smaller?) background (t' range)