



### Universidad Autónoma de Sinaloa

### Facultad de Ciencias Físico-Matemáticas

#### "Performance of AD detector in Beam-Test"

M.C. Solangel Rojas Torres\* Dr. Ildefonso León Monzón\* Dr. Gerardo Herrera Corral\*\*

\* Universidad Autónoma de Sinaloa. \*\*Centro de Investigación y de Estudios Avanzados del Instituto Politécnco Nacional

4/11/2017

# Content

- ALICE Diffractive detector.
- Beam test setup.
- Results and discussion.
  - $\cdot$  Efficiency.
  - $\cdot$  Border analysis.
  - $\cdot$  Time and charge analysis.
- Final comments.

### **AD detector**

- Study of diffractive physics is of a great interest topic for LHC CERN.
- ALICE have an excellent tracking and particle identification, providing a good capabilities to investigate diffractive production as can be seen in [2] [3] ,proving that is possible to measure single and double diffractive processes.
- ALICE Diffractive was designed to improve the sensitivity of ALICE increasing the pseudorapidity coverage of the experiment.



#### **Mechanical design and geometry**

- Plastic scintillator: BC-404
- WLS bars: *ELJEN (EJ-280)*
- Optical fibers: Kuraray (PSM-Clear)
- PMTs: Hamamats- R5946 (16 dinodes)





### **Beam-test Setup**

- Were used two kind of detectors for trigger:

1) Scintillator hodoscopes  $\rightarrow$  Black-Left and Black-Right

2) Cherenkov radiators  $\rightarrow$  **T0-end** and **T0-start** 

- In a special run were measured the properties of the WLS bar using a pixel detector at **1.5 GeV/c**.

- The momentum of the beam for the general scans was set at 1 GeV/c, and some extra runs were taken at 1.5, 2 and 6 GeV/c.

- Were used an ADA and ADC modules, labeled as AD1 and AD2 respectively.



### **Front End Electronic integration**

FEE system installed for the beam test. The same electronic system as the one installed in ALICE. Configuration and connexions during the beam test.



### Beam-test Setup (table positions)

- In the table below can be seen:
  - The table positions.
  - T0 detector overlap area.
  - Collimator aperture.
  - Beam momentum.

- The fiber length used for the test was 47 cm. •
- Were done scans along the Y and X axis respect to the points shown in the the draw shown at the right.



No.	Section	x position (cm)	y position (cm)	<b>T0 overlap</b> ( <i>cm</i> )	Collimator (cm)	Entries
1	Center	0	0.5	0.2	2.4	18561
2	Border	2.5	8.8	0.1	4.0	250159
3	Conn. 1	14.45	9.05	0.1	2.4	1071
4	Conn. 2	14.45	-8.05	0.1	2.4	1020
5	Fiber	53.0	-1.5	0.1	2.4	47117
6	PMT	55.5	-0.5	0.1	2.4	2357
	WLS (pixel)	2.0	8.0	2.0	0.5	32640

# **Results and discussion**

# Efficiency and charge plots Scan a long the center



Efficiency calculation :

 $\text{Efficiency} = \frac{N}{N_{\text{total}}} = \frac{\text{T0-start} \land \text{T0-end} \land \text{AD}}{\text{T0-start} \land \text{T0-end}}$ 

Was fitted a Cumulative gaussian distribution to the borders :

$$p = F(x|\mu, \sigma) = \frac{1}{\sigma \sqrt{2\pi}} \int_{-\infty}^{x} e^{\frac{-(t-\mu)^{2}}{2\sigma^{2}}} dt$$

Charge calculation :

- Where selected Time≠0 events.
- Was fitted a Landau+Gaussian distribution and MPV value was taken



# Efficiency and charge plots Scan a long the center



(1) Center

0

-10 <del>- </del>

x=0 y=0

20

(4) Connector-2

x=14.45 y=-8.05

30

	X-axis length (mm)	Y-axis length (mm)
Real	216	181
AD1	220 ± 0.35	192.32 ± 0.4
AD2	219.9 ± 0.35	192.49 ± 0.32

An estimation\* of the beam size was calculated using the sigma information of the gaussian cumulative distribution function:

 $\sigma_x$ =11.29 ± 0.31 mm  $\sigma_y$ =8.53 ± 0.16 mm

\*Average of four sigma, two sides and modules per axis.

x (cm)

(6) PMT (photocathode)

x=55.5 y=1.5

(5) Bunch of fibers

x=53.0 v=2.5

10

9

8

6

5

MPV (ADC)

# Efficiency and charge plots **Scan a long Connectors**



# **Border Analysis (Pixel detector)**

### **Border analysis**

The pixel detector\* was placed behind the AD modules to get a precise information of the characteristics in the WLS bar.





\* Povided by ITS group (arxiv:1607.01171)

13

#### Charge and Time vs Pixel position



14

Top row:

- **Charge** and **time** respect to the horizontal pixel position (**X axis**).
- The responce is along this axis is **homogeneus**.

#### **Bottom row:**

- Charge and time respect to the vertical pixel position (Y axis).
- In this axis is seen the border effect.

#### Regions definition for analysis Charge vs Y pixel position\*

Selection of event in WLS Bar and plastic scintillator



\*Due that in a single event triggered can be fired several pixels, was used an average pixel position per event.

#### Number of pixel fired VS RMS (of pixels positions)

The RMS value of the pixels position fired on every event was calculated in order to clean the data.



### **Charge correlation of AD1 vs AD2**

Cut  $\rightarrow$  RMS  $\leq$  1





Results for the charge distribution after the selection.

The charge produced in the WLS bar is less than one ADC count, consistent with zero because the electronic system can not measure fractions of ADC (0.6 pC per ADC count).

#### **WLS-bar efficiency analysis**

 $Eff. = \frac{Black-start \land Black-end \land Pixel \land AD}{Black-start \land Black-end \land Pixel}$ 

- Time flags used to calculate the efficiency.
- RMS cut was applied.



 $3.264 \pm 0.317$ 

AD2

# **Time and Charge analysis**

The particle selection was made using **Black-start** and **T0-end** time difference.



 $\Delta t$ =t(T0.end)-t(Black.start), 1GeV/c



21

- The time response of the AD modules have been analyzed respect to TO-end detector.
- T0-end have a good time resolution of ~50 ps.
- The beam momentum was set at 1 GeV/c.





#### Time slewing

A correction was applied to eliminate the slewing effect due to the pulse amplitude according to:

$$t(Q) = p0 + p1 \cdot Q^{p2}$$

where p0, p1, and p2 are constants parameters.

Once we obtain the parameters from the fit, the time corrected is calculated subtracting the time t(Q) to the measured time:

$$t(\text{corr.}) = t(\text{measured}) - t(Q)$$



 $\Delta t \rightarrow$  T0.end - AD2 (Clean, Slewing), 1GeV/c



 $\Delta t = t(T0.end) - t(AD1), 1GeV/c$  $\Delta t = t(T0.end) - t(AD2), 1GeV/c$  $\stackrel{\text{general}}{\stackrel{\text{general}}{=}} t(\pi^*) = 67.71 \pm 0.01 \text{ ns}, \ \sigma = 1.16 \pm 0.05 \text{ ns} \\ 10^3 = t(p^*) = 72.08 \pm 0.06 \text{ ns}, \ \sigma = 0.78 \pm 0.05 \text{ ns}$ Events 10<sup>3</sup> t(π<sup>+</sup>)=67.15±0.01 ns, σ=1.11±0.01 ns t(p<sup>+</sup>)=71.83±0.07 ns, σ=0.87±0.05 ns The resolution of the ∆t(π)=4.68±0.07 ns detector after apply the correction (bottom row) 10<sup>2</sup> 10<sup>2</sup> **p**<sup>+</sup> have an improvement p+  $\pi^+$  $\pi^+$ respect to the one no corrected (top row). 10 10 65 50 55 60 65 70 75 50 55 60 70 75 ∆t (ns) ∆t (ns) ∆t=t(T0.end)-t(AD1), After slewing at 1GeV/c ∆t=t(T0.end)-t(AD2), After slewing at 1GeV/c Events Events t(π\*)=0.02±0.01 ns, σ=0.93±0.00 ns t(π<sup>+</sup>)=0.07±0.01 ns, σ=0.84±0.00 ns t(p<sup>+</sup>)=3.90±0.05 ns, σ=0.76±0.04 ns t(p<sup>+</sup>)=3.73±0.06 ns, σ=0.74±0.04 ns 10<sup>3</sup> <sup>10<sup>3</sup></sup> =∆t=3.66±0.06 ns ∆t=3.88±0.05 ns **p**<sup>+</sup> 10<sup>2</sup> t(corr.) = t(measured) - t(Q) $\pi^+$ 10<sup>2</sup> **p**<sup>+</sup>  $\pi^+$ 10 10 0 -20 -15 -10 5 -5 0 5 ∆t (ns)  $\Delta t (ns)$ 

# Charge

Charges distributions for 1 GeV/c beam momentum for all particles and pions and protons separated.



# Results

Time - resolution	before and	d after time	slewing	correction.

Momentum	AD1				AD2			
(GeV/c)	$\sigma$ (ns)		Slewing corr. $\sigma$ (ns)		$\sigma$ (ns)		Slewing corr. $\sigma$ (ns)	
	$\pi^+$	$p^+$	$\pi^+$	$p^+$	$\pi^+$	$p^+$	$\pi^+$	$p^+$
1.0	$1.1\pm0.01$	$0.87\pm0.05$	$0.93\pm0.01$	$0.76\pm0.04$	$1.18\pm0.01$	$0.78\pm0.05$	$0.84\pm0.01$	$0.74\pm0.04$
1.5	$2.5\pm0.04$	$1.43\pm0.06$	$1.55\pm0.02$	$1.48\pm0.07$	$3.11\pm0.06$	$1.64\pm0.07$	$1.45\pm0.02$	$1.54\pm0.06$
2.0	$2.6\pm0.02$	$1.82\pm0.03$	$1.60\pm0.01$	$1.7\pm0.03$	$3.15\pm0.03$	$1.84\pm0.03$	$1.44\pm0.01$	$1.60\pm0.02$
6.0	$1.20\pm0.03$		1.12 =	± 0.02	1.27 =	± 0.03	1.18 -	1 0.02 ± 0.02

#### **Charge** – MPV of pions, protons and both combined.

Momentum		AD1			AD2	
(GeV/c)			Charge (AI	DC counts)		
	$\pi^+ + p^+$	$\pi^+$	$p^+$	$\pi^+ + p^+$	$\pi^+$	$p^+$
1.0	$8.08\pm0.03$	$7.98\pm0.03$	$13.27\pm0.036$	$8.02\pm0.03$	$8.12\pm0.03$	$13.61\pm0.24$
1.5	$8.3\pm0.04$	$8.18\pm0.04$	$9.72\pm0.16$	$8.56\pm0.05$	$8.45\pm0.05$	$9.94\pm0.13$
2.0	$8.21\pm0.02$	$8.12\pm0.02$	$8.80\pm0.06$	$8.41\pm0.02$	$8.35\pm0.02$	$8.89\pm0.06$
6.0	$7.23\pm0.09$	-	-	$7.14\pm0.08$	-	-

For the **6 GeV/c** beam momentum was not possible to separate the pions and protons.

### Time measurement Particle identification

- The composition of the beam in T10 beam facilities is mainly composed by pion and protons.
- Trough Time of flight technique is possible to identify the particles 1, 1.5 and 6 GeV/c.

Theory 
$$\rightarrow \Delta t = t_1 - t_2 = \frac{L}{c} \left[ \left( 1 + \frac{m_1^2 c^2}{p_1^2} \right)^{1/2} - \left( 1 + \frac{m_2^2 c^2}{p_2^2} \right)^{1/2} \right]$$

 $-t_{\rm T0-end}$ 

Experiment 
$$\rightarrow \qquad \Delta t = t_{AD}$$



### **Time measurement** Particle identification (energy deposition)

The particles passing through a detector change its energy because they deposit energy in the material [13]. Such energy is translated to an amount of charge measured, using this we obtained a calibration of the energy deposition in the material. For scintillators detectors the energy loss probability distribution is adequately described by the highly-skewed Landau (or **Landau-Vavilov**) distribution [14].

The most probable energy loss is:

$$\Delta_p = \xi \left( \ln \frac{2mc^2 \beta^2 \gamma^2}{I} + \ln \frac{\xi}{I} + j + \beta^2 - \Delta(\beta \gamma) \right)$$

donde j = 0.200

the density effect correction is negglected  $\Delta(\beta\gamma)$ 

$$\xi = \frac{K}{2} \frac{Z}{A} z^2 (x/\beta^2)$$

$$K = 4\pi N_A r_e m_e c^2 = 0.307075 \text{ MeV mol}^{-1} \cdot \text{cm}^2$$



#### **Stages definitions**



Momentum and energy of the particles before and after interact with the Black-start detector.

Initial momentum	$p_{out}$ (MeV/c)		$E_{in}$ (MeV)		$E_{out}$ (MeV)	
(MeV/c)	$\pi^+$	$p^+$	$\pi^+$	$p^+$	$\pi^+$	$p^+$
1000	988.96	975.63	1009.69	1371.26	998.76	1353.59
1500	1488.75	1484.31	1506.48	1769.28	1495.28	1755.99
2000	1988.54	1986.90	2004.86	2209.15	1993.43	2197.30
6000	5987.56	5988.99	6001.62	6072.92	5989.18	6062.04

#### Momentum of particles in each stage.

Momentum*		Pion momentum (MeV/c)					Proton momentum (MeV/c)			
(MeV/c)	$p_{s1}$	$p_{s2}$	$p_{s3}$	$p_{s4}$	$p_{s5}$	$p_{s1}$	$p_{s2}$	$p_{s3}$	$p_{s4}$	$p_{s5}$
1000	988.96	982.21	975.46	964.15	952.84	975.63	960.47	945.10	919.55	892.92
1500	1488.75	1481.87	1474.99	1463.41	1451.85	1484.31	1474.67	1464.99	1449.20	1433.26
2000	1988.54	1981.52	1974.51	1962.52	1950.55	1986.90	1978.88	1970.85	1957.70	1944.52
6000	5987.56	5985.93	5984.30	5977.79	5971.27	5988.99	5982.26	5975.53	5964.31	5953.08

#### Time of flight difference of the particles in each stage.

$\Delta t = t_1 - t_2 = \frac{L}{c} \left[ \left( 1 + \frac{m_1^2 c^2}{p_1^2} \right)^{1/2} - \left( 1 + \frac{m_2^2 c^2}{p_2^2} \right)^{1/2} \right]$	2
---	---

Momentum*	Г	Time of flight difference (ns/m)						
(MeV/c)	$\Delta t_{s0}$	$\Delta t_{s1}$	$\Delta t_{s2}$	$\Delta t_{s3}$	$\Delta t_{s4}$	$\Delta t_{s5}$		
1000	1.206	1.229	1.244	1.391	1.463	1.467		
1500	0.584	0.593	0.598	0.622	0.635	0.636		
2000	0.341	0.338	0.340	0.348	0.352	0.359		
6000	0.040	0.040	0.040	0.040	0.040	0.040		

The energy loss of the particles leads to an increasing time of flight in each stage after interacting with the material of the detector.

#### **Time of flight** Corrected with the energy deposition

#### 1 GeV/c

Detector	Distance (cm)	Theoretical $\Delta t$ (ns)	$\Delta t$ (ns)	Slewing corr. $\Delta t$ (ns)
AD1	305.5	4.067	$4.68\pm0.07$	$3.9\pm0.05$
AD2	302.5	4.030	$4.37\pm0.06$	$3.66\pm0.06$
T0.start	62.0	0.907	$1.18\pm0.04$	-
Black.start	371.0	4.882	$5.27\pm0.04$	$4.66\pm0.03$
Black.end	845.0	13.438	$14.29\pm0.09$	$14.5\pm0.07$

#### 1.5 GeV/c

Detector	Theoretical $\Delta t$ (ns)	$\Delta t$ (ns)	Slewing corr. $\Delta t$ (ns)
AD1	1.809	$2.03\pm0.08$	$1.83\pm0.09$
AD2	1.791	$1.2\pm0.1$	$1.68\pm0.08$
T0-start	0.394	$0.14\pm0.01$	-
Black-start	2.200	$2.1\pm0.03$	$2.11\pm0.02$
Black-end	5.824	$6.12\pm0.04$	$6.29\pm0.03$

#### 2 GeV/c

Detector	Theoretical $\Delta t$ (ns)	$\Delta t$ (ns)	Slewing corr. $\Delta t$ (ns)
AD1	1.010	$0.72\pm0.04$	$0.66\pm0.04$
AD2	1.000	$0.14\pm0.5$	$0.54\pm0.04$
T0-start	0.218	$1.0\pm0.01$	-
Black-start	1.233	$1.19\pm0.02$	$1.09\pm0.02$
Black-end	3.288	$3.21\pm0.09$	$3.77\pm0.01$

The theoretical time of flight difference between pions and protons of each stage was calculated using the corresponding momentum.

The measured values of the time of flight after and before apply the time slewing correction are compared with the theoretical calculations in the tables below.

### **Energy calibration**

#### Theoretical energy deposition in AD1 and AD2.

Momentum*	AD1 (MeV)		AD2 (MeV)		Energy ratio $(p^+/\pi^+)$	
(MeV/c)	$\pi^+$	$p^+$	$\pi^+$	$p^+$	AD1	AD2
1000	6.685	10.885	6.683	10.954	1.628	1.639
1500	6.853	8.138	6.850	8.157	1.188	1.191
2000	7.000	7.248	6.998	7.255	1.035	1.037
6000	7.632	6.652	7.632	6.651	0.872	0.872

#### **Energy calibration in AD1 and AD2:**

ration of the energy deposited and the charge measured in each detector.

Momentum*	AD1 (Me	eV/ADC)	AD2 (MeV/ADC)		
(MeV/c)	$\pi^+$	$p^+$	$\pi^+$	$p^+$	
1000	$0.8377 \pm 0.0031$	$0.8203 \pm 0.0022$	$0.8230 \pm 0.0030$	$0.8049 \pm 0.0142$	
1500	$0.8377 \pm 0.0041$	$0.8372 \pm 0.0138$	$0.8107 \pm 0.0048$	$0.8206 \pm 0.0107$	
2000	$0.8620 \pm 0.0021$	$0.8236 \pm 0.0056$	$0.8380 \pm 0.0020$	$0.8161 \pm 0.0055$	

The energy deposited calculated respect to the measured charge are consistent. **The average value of the calibration is:** 

 $\varepsilon = 0.8322 \pm 0.0124 \text{ MeV}/\text{ADC}$ 

#### **Other sections** Charge, time and efficiency

Charge and efficiencies of the different sections of the detector.

Section	AD1	AD2	AD1	AD2	
	Charge (A	DC counts)	Efficiency (%)		
Border	$8.42\pm0.02$	$9.24\pm0.01$	$78.94 \pm 0.09$	$71.6\pm0.08$	
Conn. 1	$1.31\pm0.56$	$0.34\pm0.21$	$2.78\pm0.53$	$4.85\pm0.7$	
Conn. 2	$6.27 \pm 1.38$	$0.27\pm0.18$	$8.24\pm0.91$	$7.81\pm0.88$	
Fibres	$3.66\pm0.14$	$2.14\pm0.02$	$10.99\pm0.15$	$8.66\pm0.14$	
PMT	$3.59\pm0.39$	$2.56\pm0.001$	$38.94 \pm 1.06$	$40.25 \pm 1.07$	

Time resolution after the time slewing correction.

Time difference of the signal generated in each section with respect to the center of the AD module.

Section	AD1: $\sigma$ (ns)		AD2: $\sigma$ (ns)		AD1 (ns)	AD2 (ns)
	$\pi^+$	$p^+$	$\pi^+$	$p^+$	$\Delta t$ (w.r.t.	center)
Center	$7.98\pm0.03$	$13.27\pm0.036$	$8.12\pm0.03$	$13.61\pm0.24$	$0\pm~0.01$	$0\pm0.01$
Border	$0.89\pm0.01$	$0.83\pm0.02$	$0.81\pm0.001$	$0.85\pm0.03$	$0.19\pm0.03$	$0.6\pm0.01$
Conn. 1	$1.17\pm0.2$	$0.95\pm0.3$	$1.54\pm0.26$	$0.43\pm0.14$	$\textbf{-0.27}\pm0.92$	$0.55\pm0.32$
Conn. 2	$0.75\pm0.7$	$0.37\pm0.13$	$1.27\pm0.12$	$0.56\pm0.2$	$\textbf{-}0.1\pm0.44$	$0.82\pm0.15$
Fibres	$0.81\pm0.02$	-	$0.99\pm0.3$	-	$7.97\pm0.01$	$7.25\pm0.05$
PMT	$0.68\pm0.03$	-	$0.89\pm0.05$	-	$8.47\pm0.01$	$7.77\pm0.07$

### **Time Resolution**

The comparison of the global time resolution, see Table 8.5, and what is reported in [45] (300 and 500 ps in ADA and ADC respectively) do not match; nevertheless the dependency of the time resolution with respect to the charge have been considered.



# Final comments.

- The results have been included in the Monte Carlo analysis.
- Technical note of the Beam test performance. Work in progress.
- Is an important reference for the AD upgrade (Forward Diffractive Detector) for the Run II.

# Thank you!

### Bibliography

- 1) Measurement of inelastic, single- and double-diffraction cross sections in proton-proton collisions at the LHC with ALICE, The ALICE Collaboration, Junio 8, 2013. *Eur.Phys.J.*
- 2) A Study of Diffractive Production in ALICE, O. Villalobos Baillie, 2012. Journal of Physics.
- 3) Diffractive Physics, A.D. Martin, H. Hoeth, et. al., Junio 12, 2012. PoS QNP2012 (2012) 017
- 4) Diffractive physics in ALICE at the LHC, Gerardo Herrera Corral. *AIP Conf. Proc.*
- 5) Diffraction physics with ALICE at the LHC, Sergey Evdokimov, Diciembre 24, 2014. *Conference C14-06-23.7.*
- 6) Diffraction and rapidity gap measurements with the ATLAS detector, Pauline Bernat, Octubre 20, 2012. ATL-PHYS-PROC 2012-233, ATL.PHYS-PROC-2012-1275.
- 7) Report of the Working Group on Diffractive Physics and Color Coherence, Michael Albrow, Andrew Brandt, Alfred Mueller, Carl Schmidt. *Inspire 541307.*
- 8) New Forward and Diffractive Physics at CMS, Alberto Santoro, 2011. J. Phys.
- 9) Pomeron Physics and QCD, O. Nachtmann, Diciembre 19, 2003. HD-THEP-03-63
- 10) O. V. Baillie, the Alice Collaboration, A study of diffractive production in 124 ALICE, Journal of Physics: Conference Series 381 (1) (2012) 012039.
- 11) S. Evdokimov, Difraction physics with ALICE at the LHCarXiv:1412.127.7300.
- 12) Front end electronics and first results of the ALICE V0 detector, Y. Zoccarato et. al., 6 October 2010, Nuclear Instruments and Methods in Physics Research A.
- 13) C. Grupen, B. Schwartz, Particle Detectors, second edition Edition, Cambridge monographs on particle physics and cosmology., 2008.
- 14) N. Radiation Physics Division, PML, Tables of x-ray mass attenuation coefficients and mass energy-absorption coefficients from 1 kev to 20 mev for elements z = 1 to 92 and 48 additional substances of dosimetric interest (July 2004).

# Appendix

## **FEE** connexion





39

# Air gap identification



#### AD1 → Charge vs Y (pixel position) Selection of event in WLS Bar and plastic scintillator



Bottom plot: The charge along the X axis looks homogeneous.

#### $AD2 \rightarrow Charge vs Y$ (pixel position) Selection of event in WLS Bar and plastic scintillator



**Top plot:** Region **A** and **B** defined on **AD2** module along the **Y** axis. **Bottom plot:** The **charge** along the **X** axis looks homogeneous.

# **RMS** cleaning



$$RMS = \sqrt{RMS_X^2 + RMS_Y^2}$$

$$RMS_X = \sqrt{\frac{1}{N}\sum_i (x_i^2 - x_{mean}^2)} \quad and \quad RMS_Y = \sqrt{\frac{1}{N}\sum_i (y_i^2 - y_{mean}^2)}$$

25 30 # of Pixel

#### **Energy deposition**

The particles passing through a detector change its energy because they deposit energy in the material [81]. Such energy is translated to an amount of charge measured, using this we obtained a calibration of the energy deposition in the material. For scintillators detectors the energy loss probability distribution is adequately described by the highly-skewed Landau (or Landau-Vavilov) distribution [82].

The most probable energy loss is:

$$\Delta_p = \xi \left( \ln \frac{2mc^2 \beta^2 \gamma^2}{I} + \ln \frac{\xi}{I} + j + \beta^2 - \Delta(\beta \gamma) \right) \qquad \qquad \xi = \frac{K}{2} \frac{Z}{A} z^2 (x/\beta^2)$$

 $m = \text{mass of the particle (eV/c^2)}.$  c = speed of ligth.  $\beta = pc/E.$  E = energy of the particle (eV).  $\beta \gamma = p/mc.$  j = 0.2 I = mean exitation value (eV).  $\Delta(\beta \gamma) = \text{density effect correction}.$   $K = 4\pi \text{NA r}_{e} \text{ m}_{e} \text{ c}^{2} = 0.307075 \text{ MeV mol}^{-1} \text{ cm}^{2}$  Z = atomic number A = atomic mass z = charge $x = \text{detector thickness (g/cm^{2})}$ 



### **Resolución temporal**

Se seleccionó la distribución de carga para analizar la resolución temporal a diferentes cargas.

#### Selección de cargas con datos de la prueba de haz (AD1).



#### Beam test



25

20

15

210

Clean room







AD1-Slice(1)



Time resolution vs Charge



### **Resolución temporal**



48

# **Results using pixel detector**

#### **Charges (ADC counts)**

	WLS (mean)
AD1	$0.34 \pm 0.06$
AD2	$0.10 \pm 0.03$
AD	$0.22 \pm 0.08$

#### Efficiency (%)

	WLS
AD1	$3.69 \pm 0.67$
AD2	$3.26 \pm 0.32$
AD	$3.47 \pm 0.74$