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Photo-production of vector mesons as a probe of low x evolution: the case of excited states

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the process — LHC: the most energetic photon source ever built



photon induced collisions at the TeV scale

- two ions (protons) pass each other with impact parameters b > 2 R→ hadronic interactions strongly suppressed
- high photon flux ~ Z² well described by Weizsäcker-Williams approximation (electromagnetic field = a beam of quasi real photons)

otoporto at small x



- exclusive photo production Xsec. of J/Psi ~ gluon²
- ultra small x = M_V^2/W^2 ~ region 10⁻²-10⁻⁵ accessible at the LHC
- UPC vector meson production (VM) = a tool to access the potentially saturated proton

shown: ALICE data (arXiv: 1406:7819) and HERA data (ep scattering)

why? low x evolution, saturation and all that



- gluon distribution grows
 like a power at low x
- at some x: low density approximation invalid, patrons "overlap", recombination effects → growth with 1/x slows down
- already reached in UPCs at LHC? (saturation models describe data ...)

why? low x evolution, saturation and all that



- here: care actually about the **dilute** low x evolution = BFKL
- interesting by itself: the perturbative or hard Pomeron
- non-linear effects must manifest themselves as a breakdown of BFKL
- known up to NLO, including resummation

Studied so far: J/Ψ and $\Upsilon(1s)$

[Bautista, Fernando Tellez, MH; 1607.05203]

Procedure in a nut-shell

- take light-cone wave function used for dipole/ saturation models (from literature) and calculate their transform to Mellin space
- combine with fit of NLO BFKL gluon [MH, Salas, Sabio Vera; 1209.1353; 1301.5283]
- improve the calculation of the real part of the scattering amplitude

Pretty good description of data







- and even data:
 - → LHCb-CONF-2016-007
 → H1 data in the low energy region with pretty large uncertainties
- are there also ALICE data?

to study it within the BFKL framework, follow the same path as before

= calculate the Mellin transform of the light-front wave function of excited states

$$\begin{split} \Phi_{V,T}(\gamma, z, M) &= 8\pi^2 e \hat{e}_f N_T \frac{\Gamma(\gamma)\Gamma(1-\gamma)}{m_f^2} \left(\frac{8z(1-z)}{M^2 R_{2s}^2} \right)^{\gamma} e^{-\frac{m_f^2 R_{2s}^2}{8z(1-z)} + \frac{m_f^2 R_{2s}^2}{2}} \left(\frac{m_f^2 R_{2s}^2}{8z(1-z)} \right)^2 \cdot \\ & \cdot \left[\left(1 + \alpha_{2s} \left(2 + \frac{m_f^2 R_{2s}^2}{4z(1-z)} - m_f^2 R_{2s}^2 \right) \right) U \left(2 - \gamma, 1, \frac{\epsilon^2 R_{2s}^2}{8z(1-z)} \right) - \ldots \right] \\ & \left[\ldots - 2 \left(2 - \gamma \right)^2 U \left(3 - \gamma, 1, \frac{\epsilon^2 R_{2s}^2}{8z(1-z)} \right) + \ldots \right] \\ & \left[+ \left[z^2 + (1-z)^2 \right] \epsilon^2 \left((2-\gamma) \left(1 + \alpha_{2s} \left(\frac{m_f^2 R_{2s}^2}{4z(1-z)} - m_f^2 R_{2s}^2 \right) \right) U \left(3 - \gamma, 2, \frac{\epsilon^2 R_{2s}^2}{8z(1-z)} \right) \right) + \right] \\ & \left[\ldots + 2 \left(2 - \gamma \right)^2 \left(3 - \gamma \right) \alpha_{2s} \cdot U \left(4 - \gamma, 2, \frac{\epsilon^2 R_{2s}^2}{8z(1-z)} \right) \right] \end{split}$$
(7)



 vary renormalization scale to check stability → looks good

Preliminary results: $\Psi(2s)$



- data: H1 and LHCb; need to adjust normalisation
- two choices of the hard scale are shown

Summary

- perturbative low x evolution (=BFKL) appears to describe also excited states of vector mesons
- need to fix normalisation constant (→ similar to J/Ψ and Y(1s)); problem: low energy points with huge error bars
- to be done: compare with other approaches + final checks
- intermediate terms: address the normalisation issue