

The energy density representation of the strangeness enhancement from p+p to Pb+Pb

E. Cuautle and G. Paic
Instituto de Ciencias Nucleares, UNAM

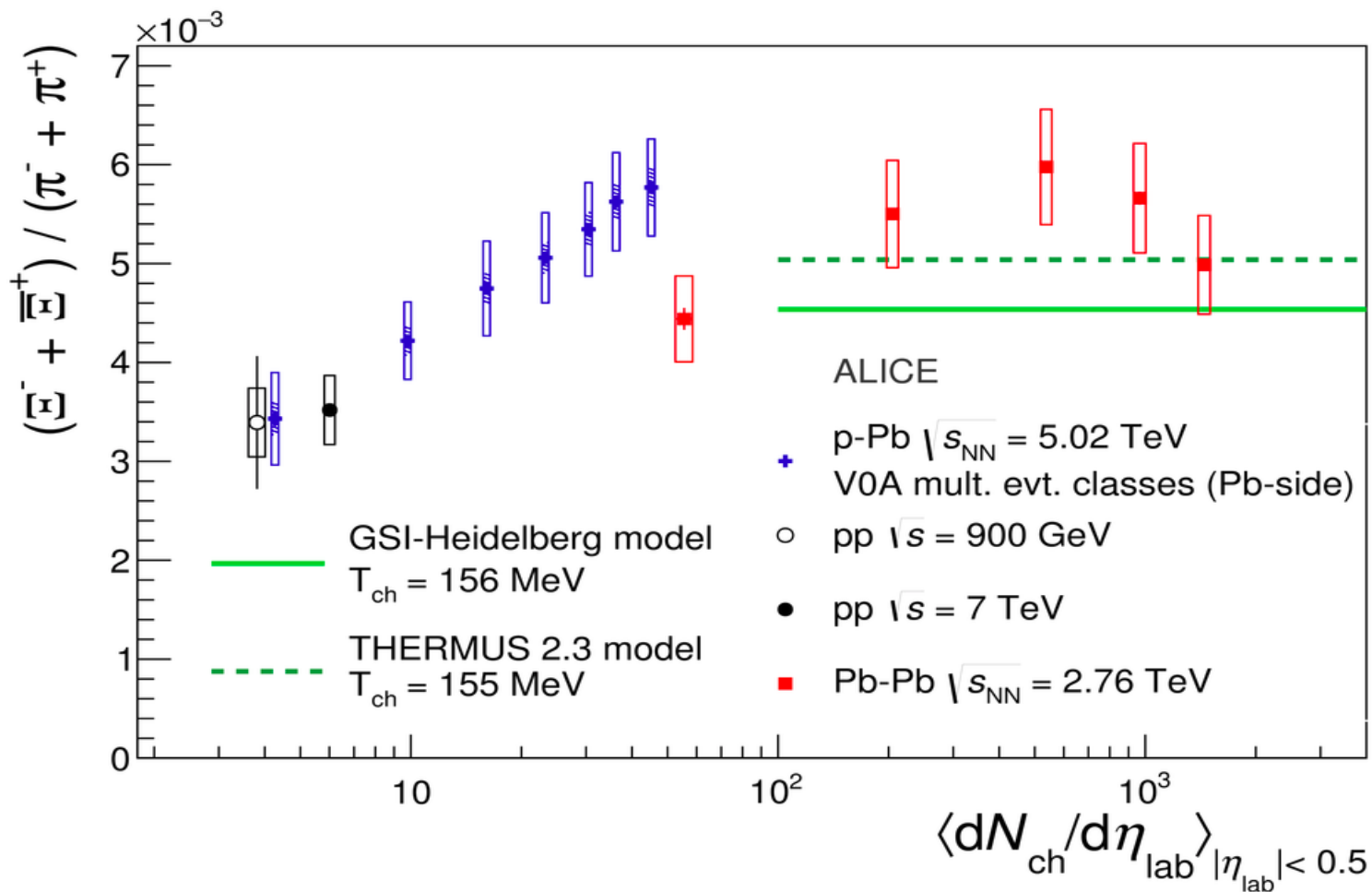
- [Int.J.Mod.Phys. E25 \(2016\) no.07, 1642009](#)
- [ArXiv:1608.02101](#)

Outline

- ✓ **Motivation**
(production of strangeness on different systems)
- ✓ **Density of charged hadron production and energy**
- ✓ **Ratios multi-strangeness baryons to pion**
 - On pt bins vs charged hadron density
 - On integrated pt vs energy density
- ✓ **Conclusions**

Production of multistrange baryons vs $dN/d\eta$

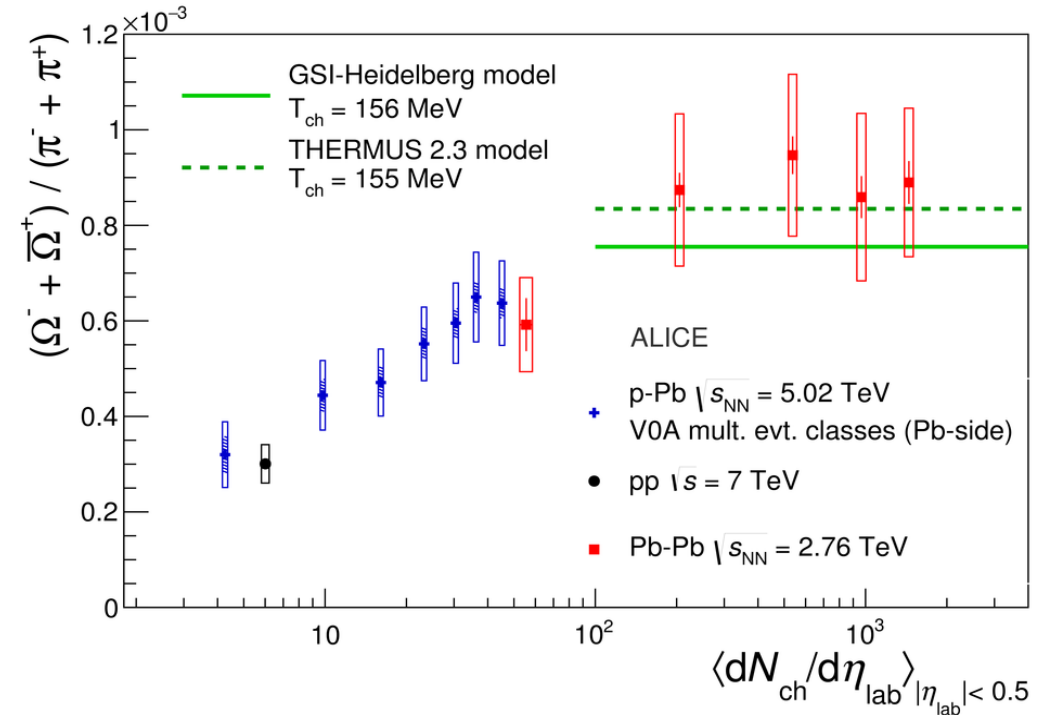
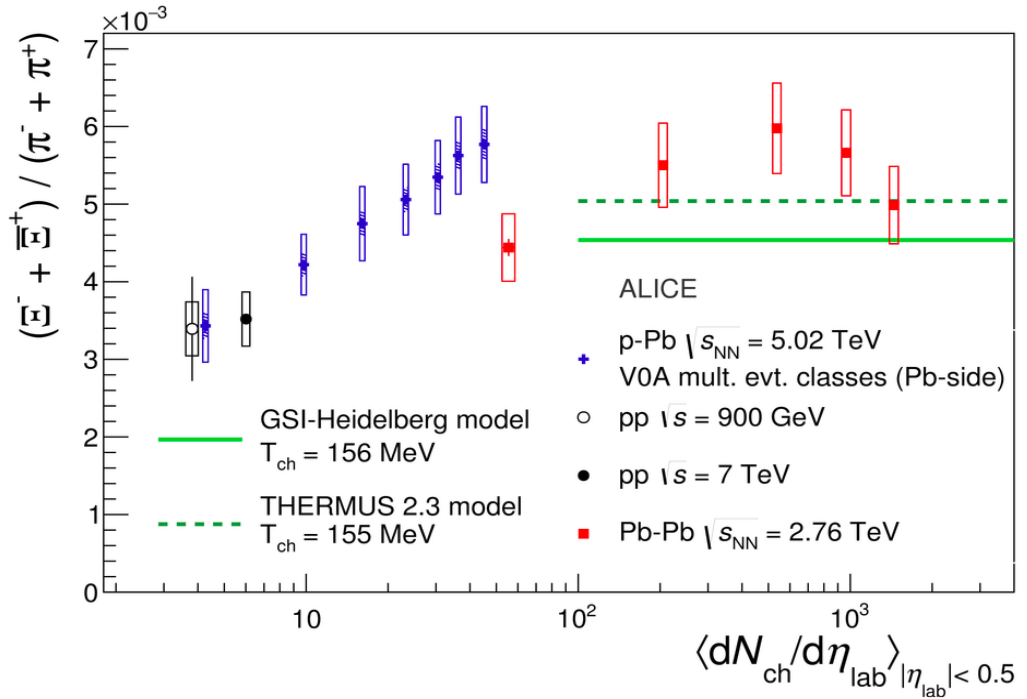
p+Pb: PLB 758(2016) 389; Pb+Pb: PLB 728 (2014) 216



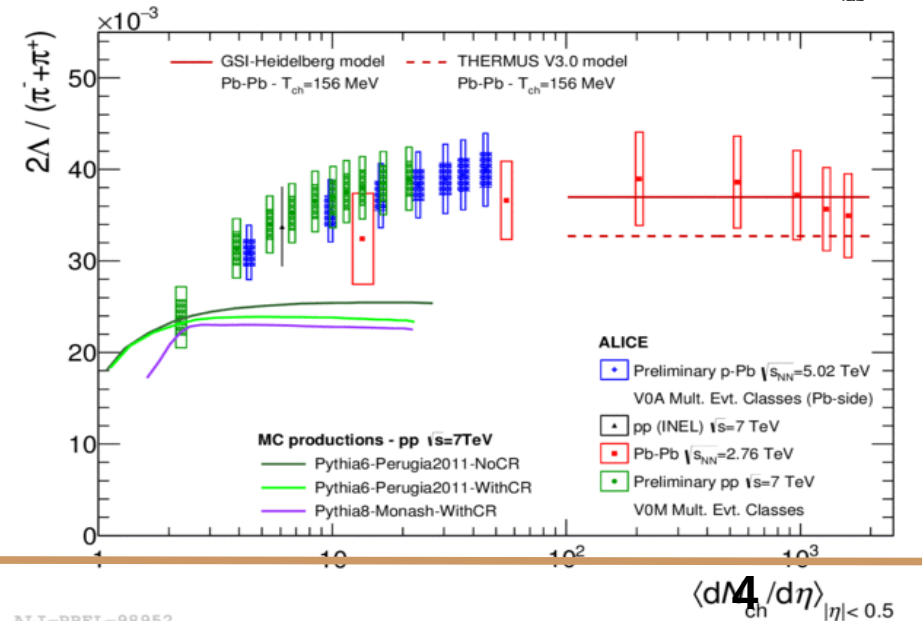
- The p-p and p-pb seems to follow the same trend. But what about pb-pb? Does the Thermal model describe data?
- Is it possible to compare ratios using $dN/d\eta$, from different systems?
- Strangeness production is not described by Pythia

Multistrange/pion vs $\langle dN/d \rangle$

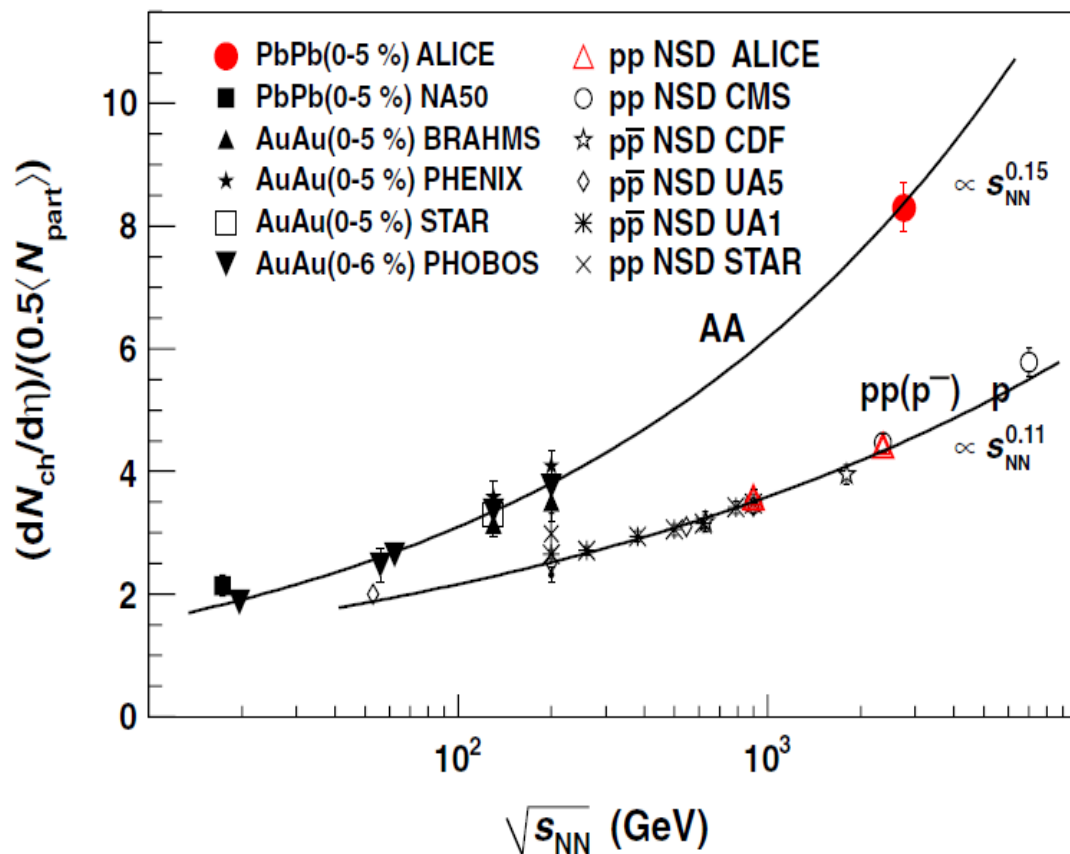
ALICE: ArXiv: 1512.07227



- ✓ $\Lambda/\pi, \Xi/\pi, \Omega/\pi$ approaching Grand Canonical saturation limit in a similar way.
- ✓ Pythia do not describe the data. Usually this MC fail to reproduce strangeness productions



Charged hadron and energy density

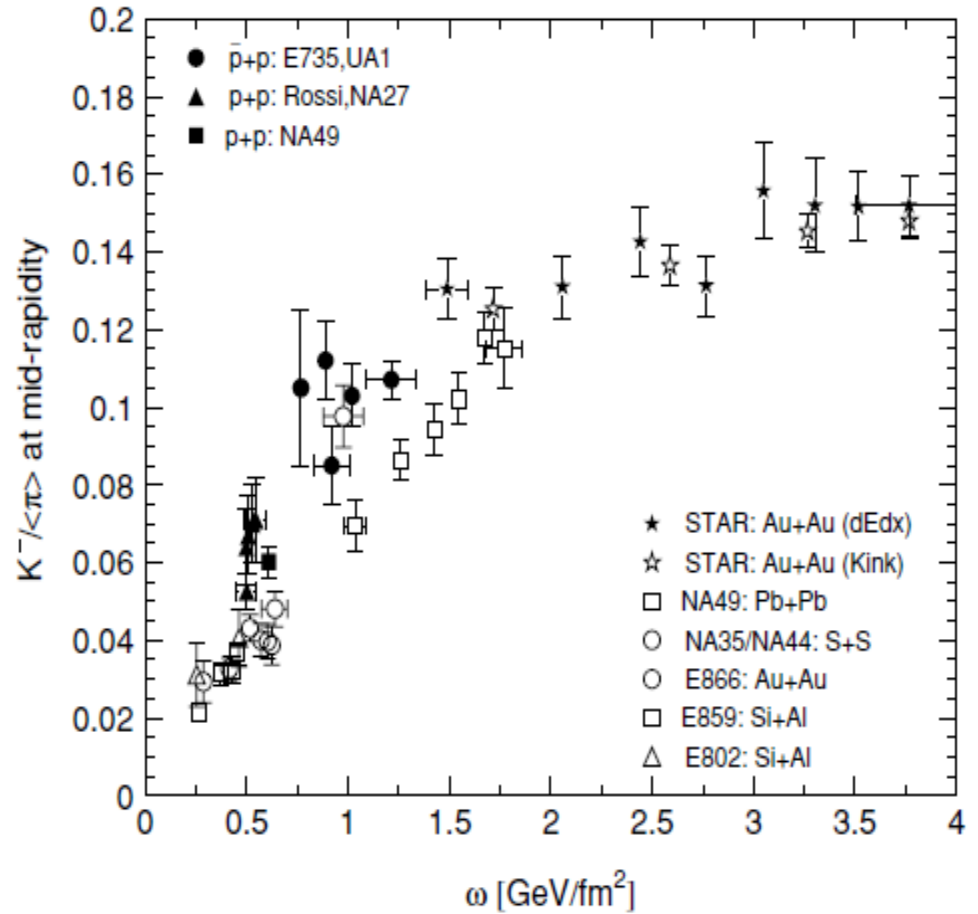


Phys. Rev. Lett. 105, 252301 (2010).

- At 2.76 TeV vs 0.2 TeV**
- Power law dependence fits well.
 - Faster rise in Pb-Pb, $\approx s^{0.15}$, than in pp, $\approx s^{0.11}$.

- $N_{ch}^{LHC} \approx 2N_{ch}^{RHIC}$
- $\epsilon_{LHC} \approx 3\epsilon_{RHIC}$
- Similar centrality dependence.

- ✓ K^-/π in A+A, p+p, $\bar{p}+p$ follow interesting systematics in ω .
- ✓ The systematic indicate that ω might be the relevant variable underlying K^-/π .
- ✓ At high energy, the ω variable is related to gluon saturation scale in high density QCD or perhaps to the initial density in the Bjorken picture.



$$\omega \approx \langle m_T \rangle \frac{3 dN_\pi / dy}{\pi R^2} \propto Q_s^3$$

- *J. Phy. G: Nucl. Part. Phys.* 28 (2002)2102
Fuqiang Wang:

$$\omega \approx \langle m_T \rangle \frac{3 (dN_\pi / dy)_{cent}}{\pi R^2} \left[\frac{dN_\pi / dy}{(dN_\pi / dy)_{cent}} \right]^{1/3}$$

Charge particle density ($dN/d\eta$) and Bjorken Energy

Bjorken Energy density approach
PRD27, 140 (1983)

$$\epsilon \sim \frac{dE_T/dy}{\pi R^2 \tau_0}$$

Scaling $dN/d\eta$ from pp to central PbPb collisions:

$$\epsilon \sim \frac{dE_T^{p+p}/d\eta}{\pi R_{p+p}^2 \tau_0} \sim \frac{\langle p_T^{p+p} \rangle dN^{p+p}}{A^{p+p} d\eta} = \frac{\langle p_T^{pb+pb} \rangle dN^{pb+pb}}{A^{pb+pb} d\eta}$$

→ A is the overlap area between hadron/nucleus colliding

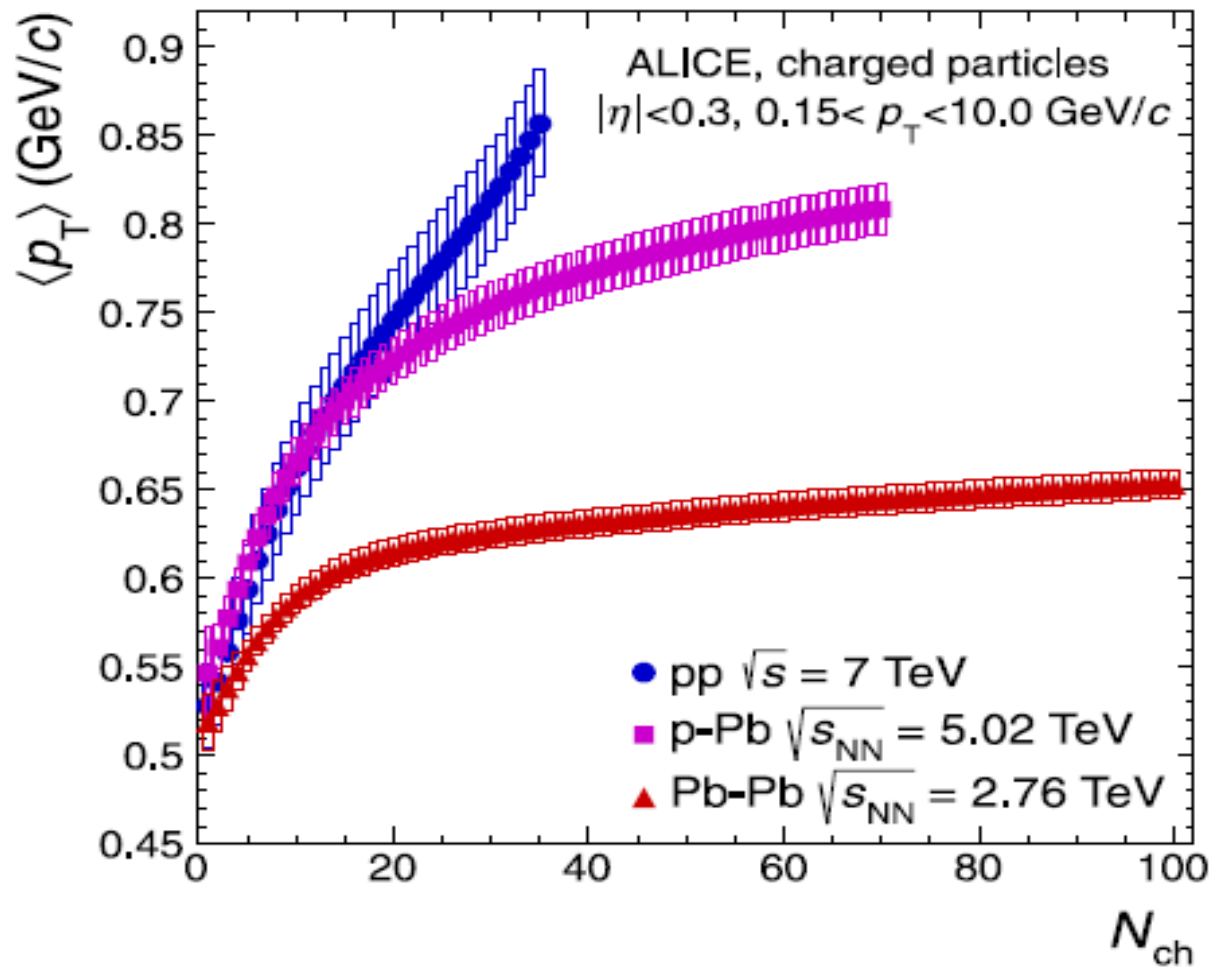
→ τ is the hadronization time

?

?

Average transverse momentum of charged particles

ALICE: PLB727, 371 (2013)



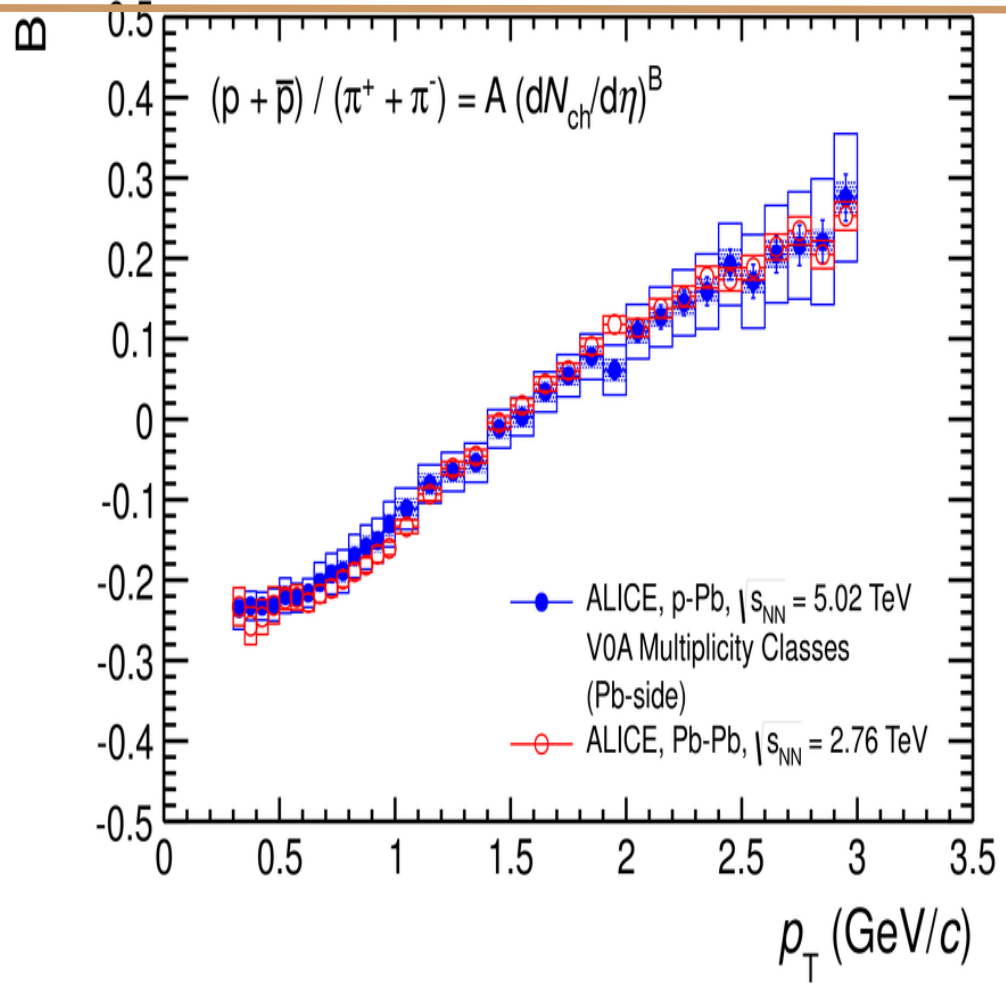
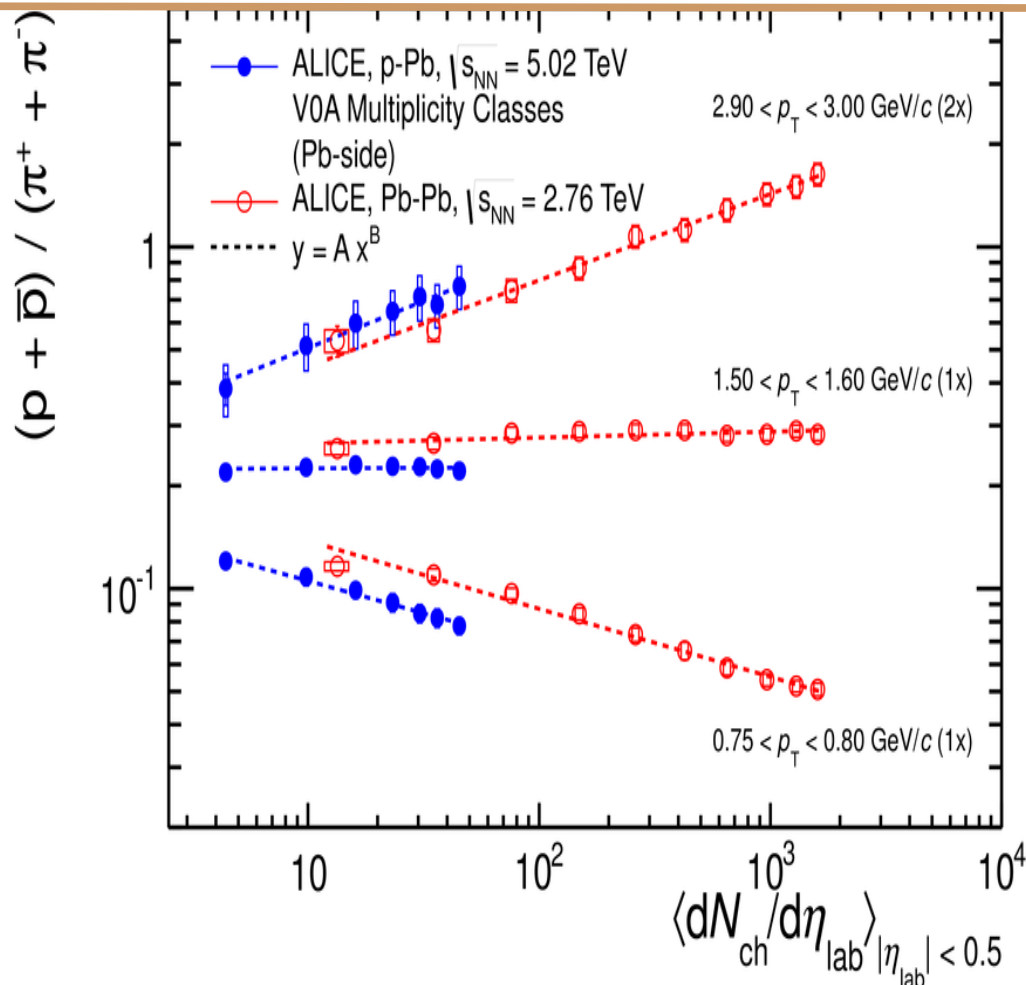
- $\langle p_T \rangle$ seems to be function of the energy and the colliding system
- $\langle p_T \rangle$ from p+p system is higher respect to those values from p+pb. pb+pb
- p-p is described by CR
- P-Pb qualitatively described by EPOS
- Pb-pb there is not model to describe it.

Scale variables to describe baryon to meson ratio:

$$\left(\frac{dN_{ch}}{d\eta} \right), \quad p_T, \quad \varepsilon$$

Probably combination of some variables

p/π Ratio vs $dN_{ch}/d\eta$ & p_T

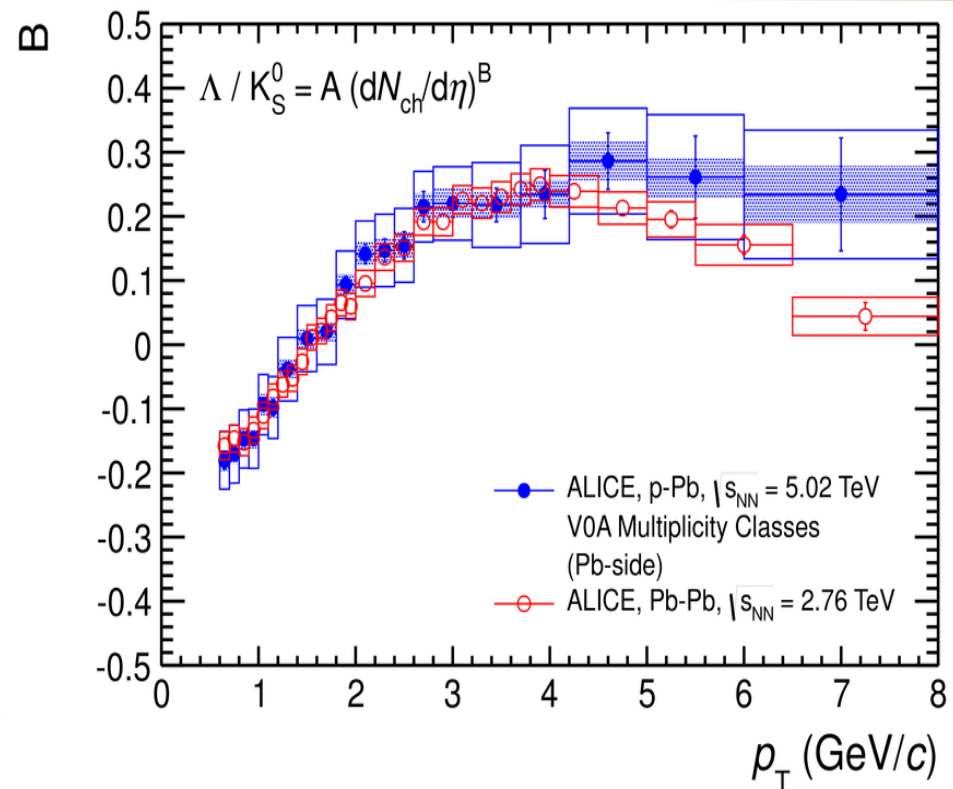
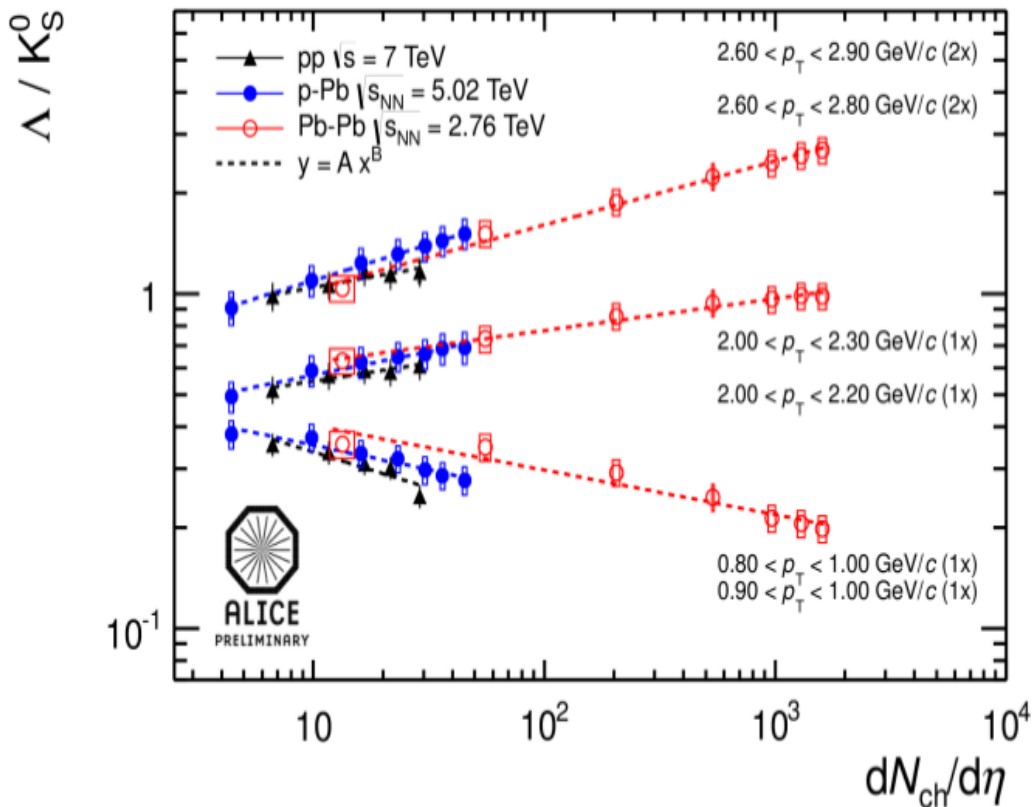


p/π ratio follows power law behavior with $dN_{ch}/d\eta$. **This Evolution is identical in p-Pb as in Pb-Pb!**
ALICE: LB728, 25 (2014)

What does this behavior is telling us?

$$\frac{p}{\pi}(p_T) = A(p_T) \left(\frac{dN_{ch}}{d\eta} \right)^{B(p_T)}$$

Λ/K ratio vs $dN_{ch}/d\eta$ & p_T



Extended p_T range

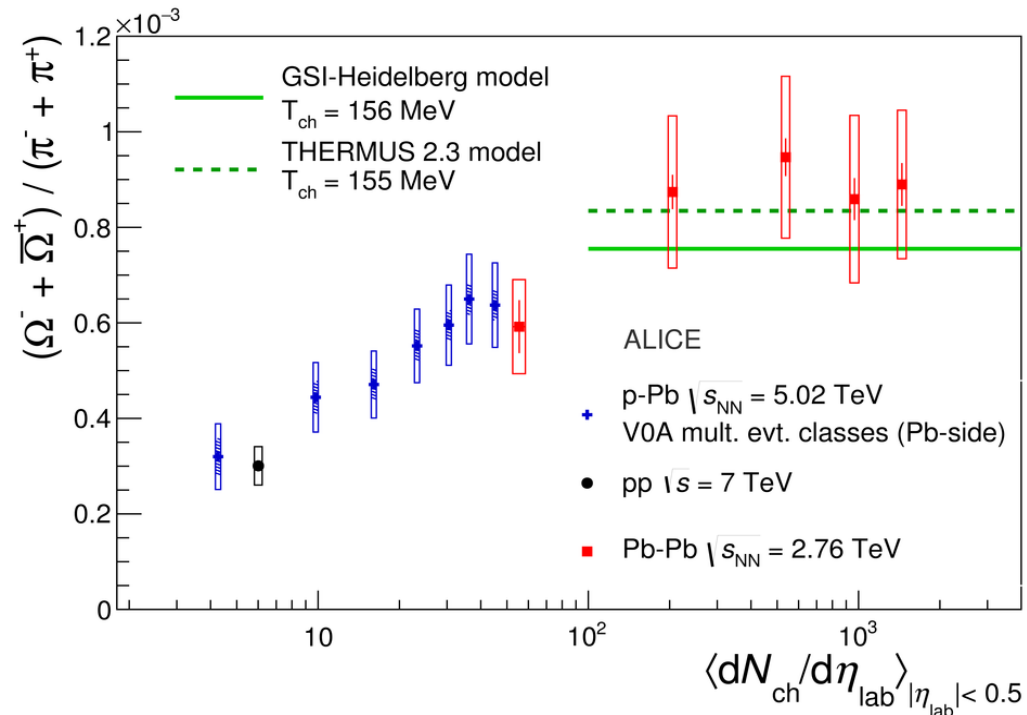
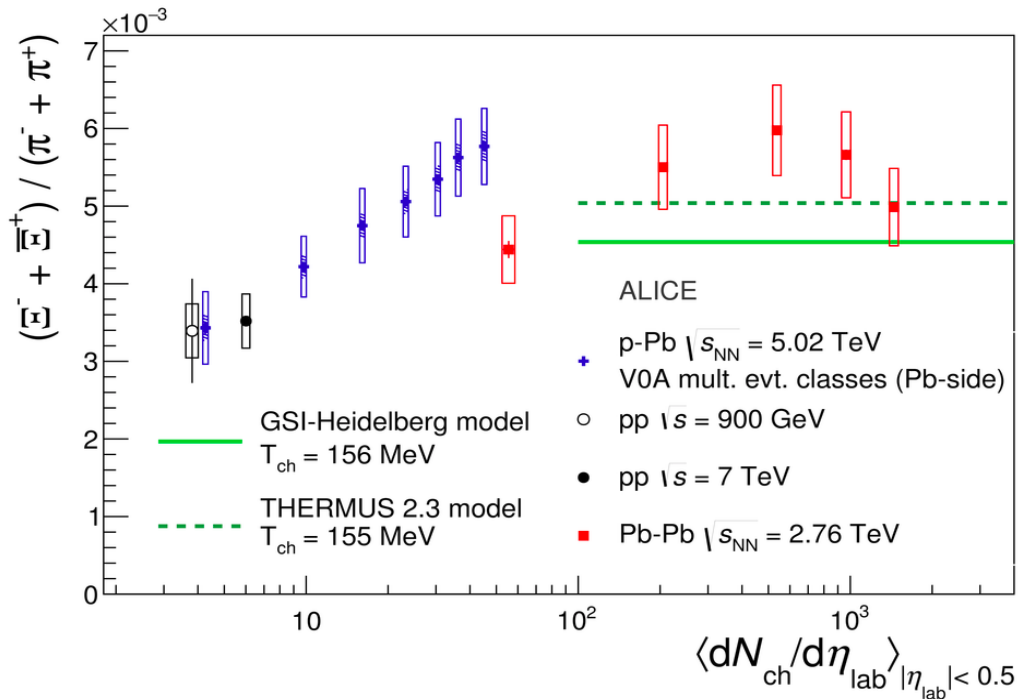
- ~ Same B values for pp, p-Pb, Pb-Pb!
- Is there a common mechanism for the ratio evolution in pp, p-Pb, Pb-Pb???
- Similar physics?
- Across systems, sizes/geometries, energies?

$$\frac{\Lambda}{K} (p_T) = A (p_T) \left(\frac{dN_{ch}}{d\eta} \right)^{B(p_T)}$$

Strangeness production as function of energy density ($\tau\varepsilon$)

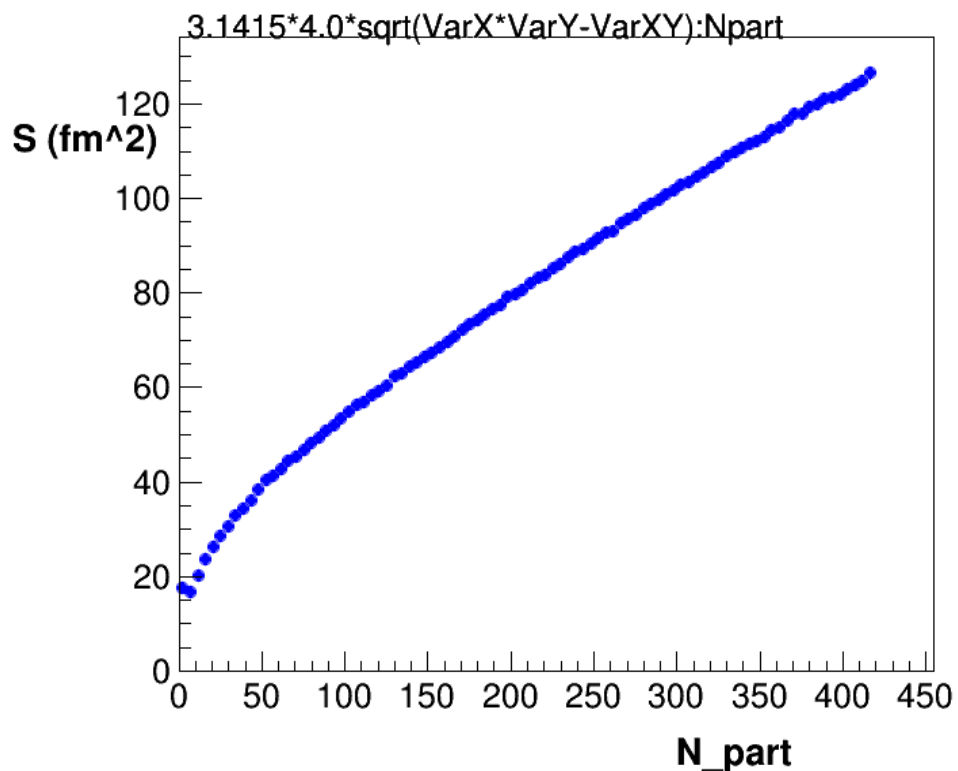
Multi-strange hadron to pion ratios vs energy density

ALICE: ArXiv: 1512.07227

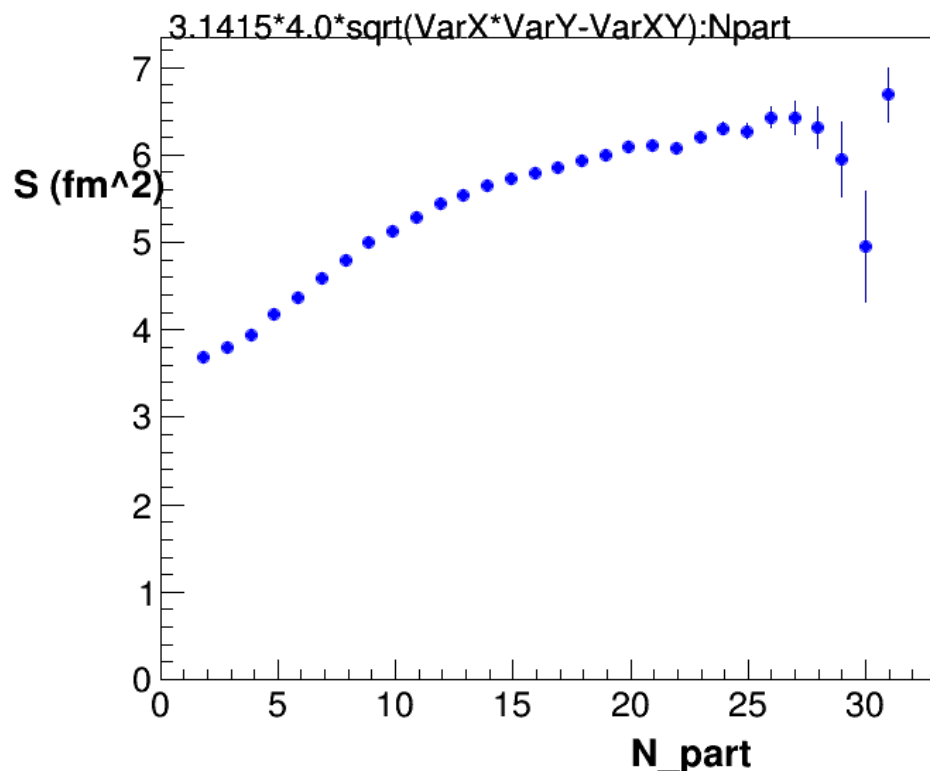


$$\epsilon \sim \frac{dE_T^{p+p} / d\eta}{\pi R_{p+p}^2 \tau_0} \sim \frac{\langle p_T^{p+p} \rangle dN^{p+p}}{A^{p+p} d\eta} = \frac{\langle p_T^{pb+pb} \rangle dN^{pb+pb}}{A^{pb+pb} d\eta}$$

From centrality bins and the number of participants we get area

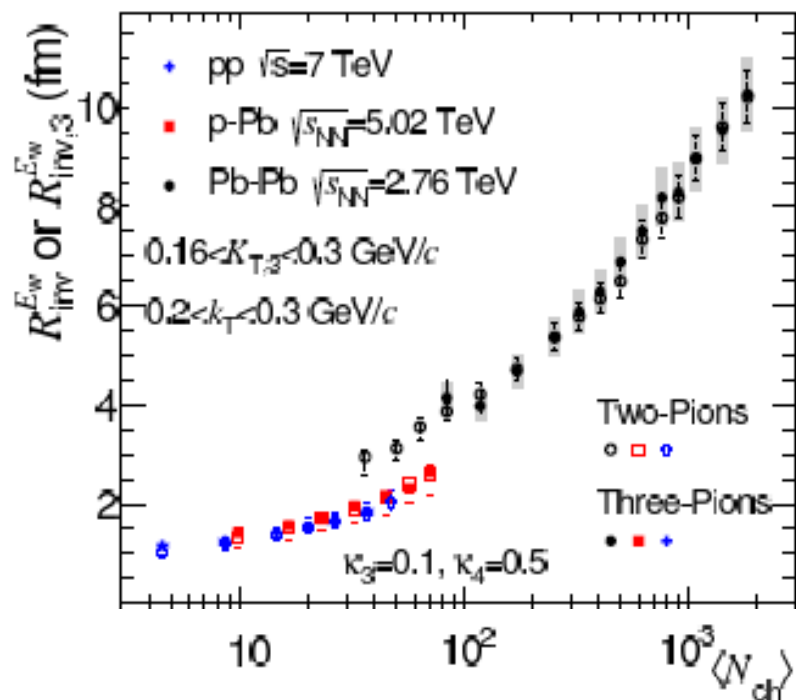


Overlap area calculated for Pb+Pb
The number of participants is used to get the centrality and multiplicity.



Overlap area calculated for p+Pb
The number of participants is used to get the centrality and multiplicity.

Experimental Invariant Radii from momentum correlations



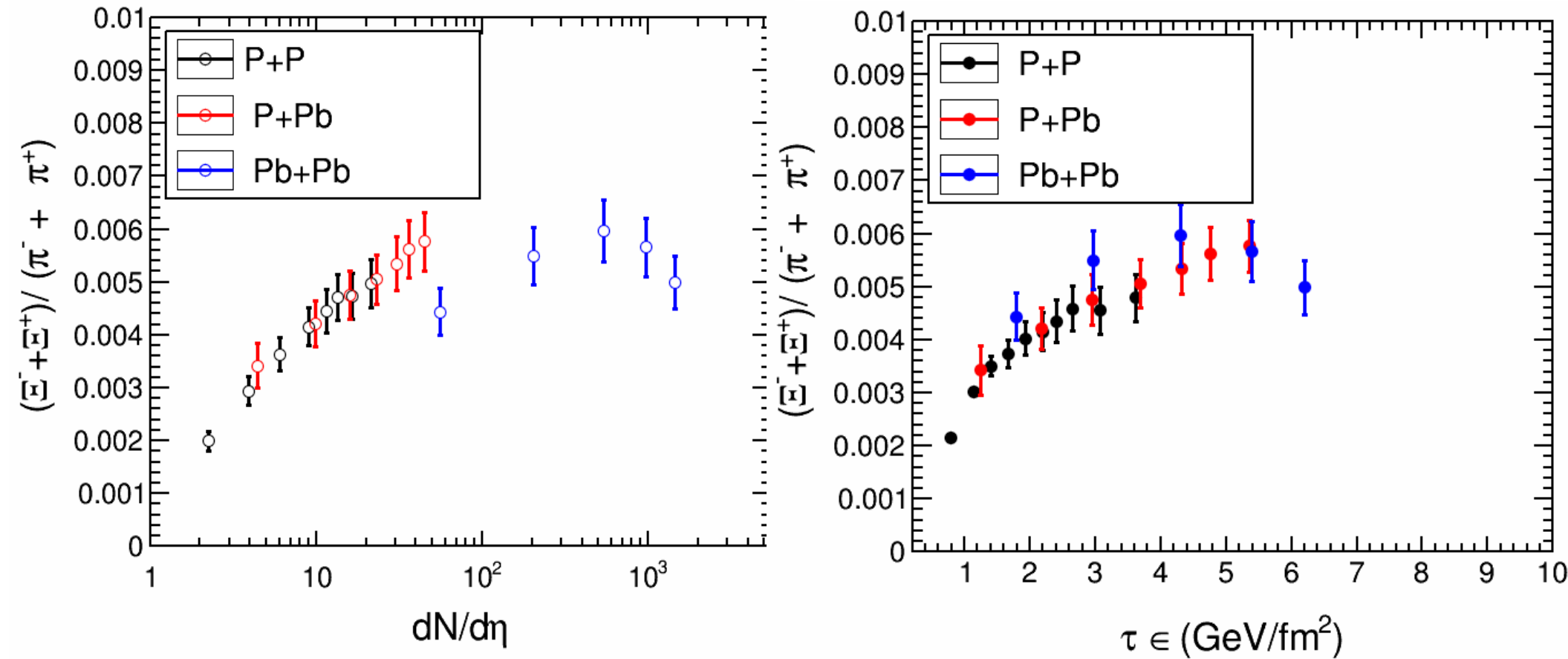
PLB739 (2014)139

- ◆ Radii depend on the multiplicity, the transverse momentum of the pairs.
- ◆ The radii for p+p and p+Pb seems to be the same

$$R_{p+p}(N_i) = 0.405 \frac{dN_i^{1/3}}{d\eta} + 0.332$$

$$R_{Pb+Pb}(N_i) = 0.772 \frac{dN_i^{1/3}}{d\eta} + 0.049$$

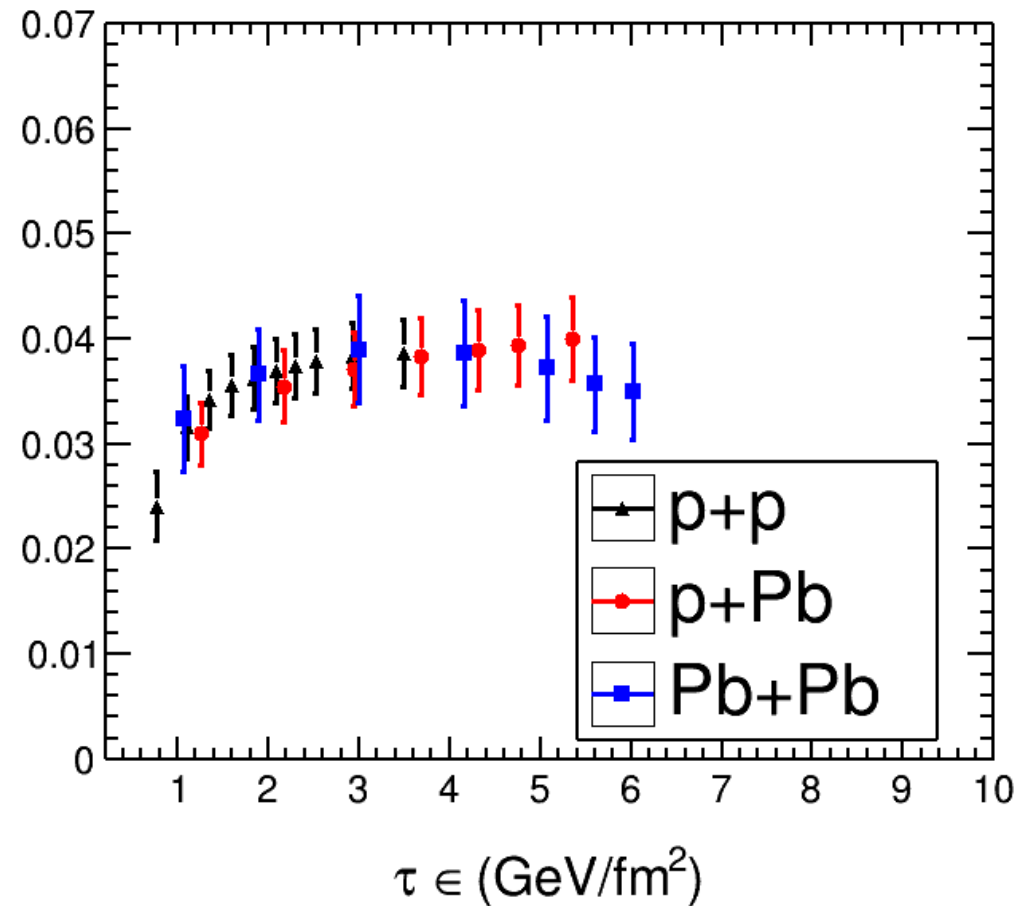
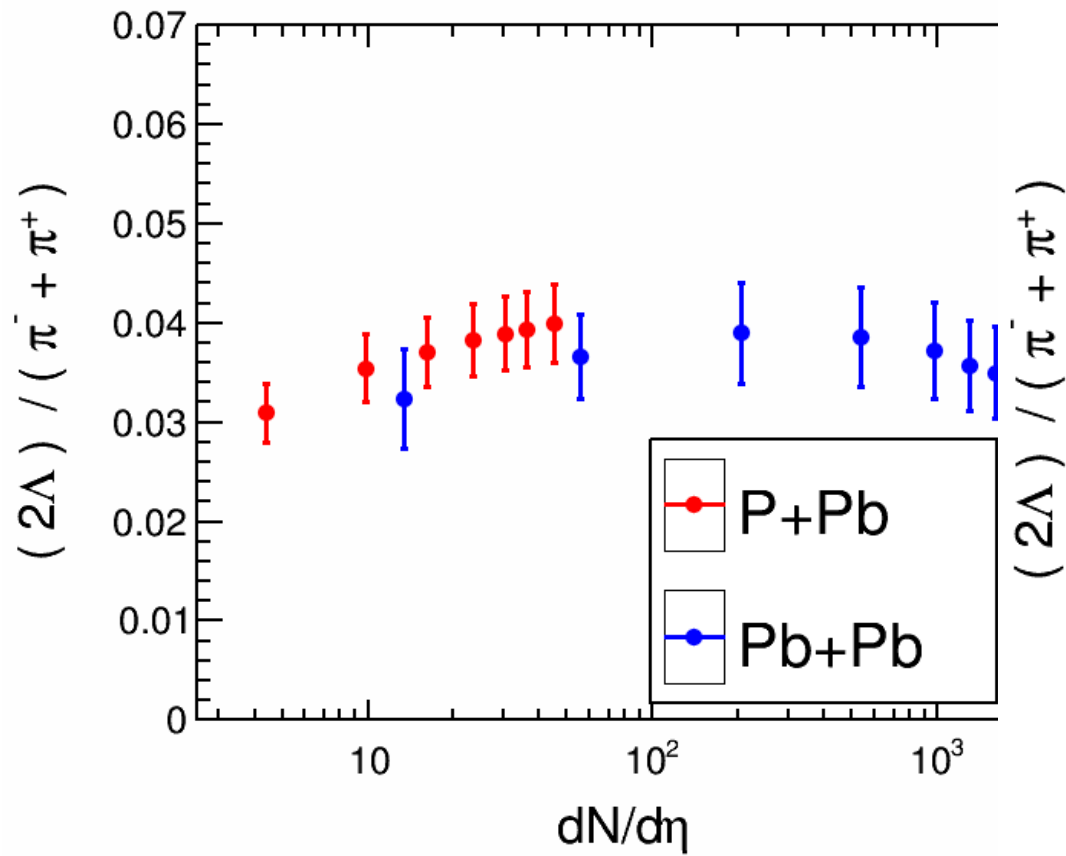
Ξ/π ratio vs $dN/d\eta$, & τ_ϵ



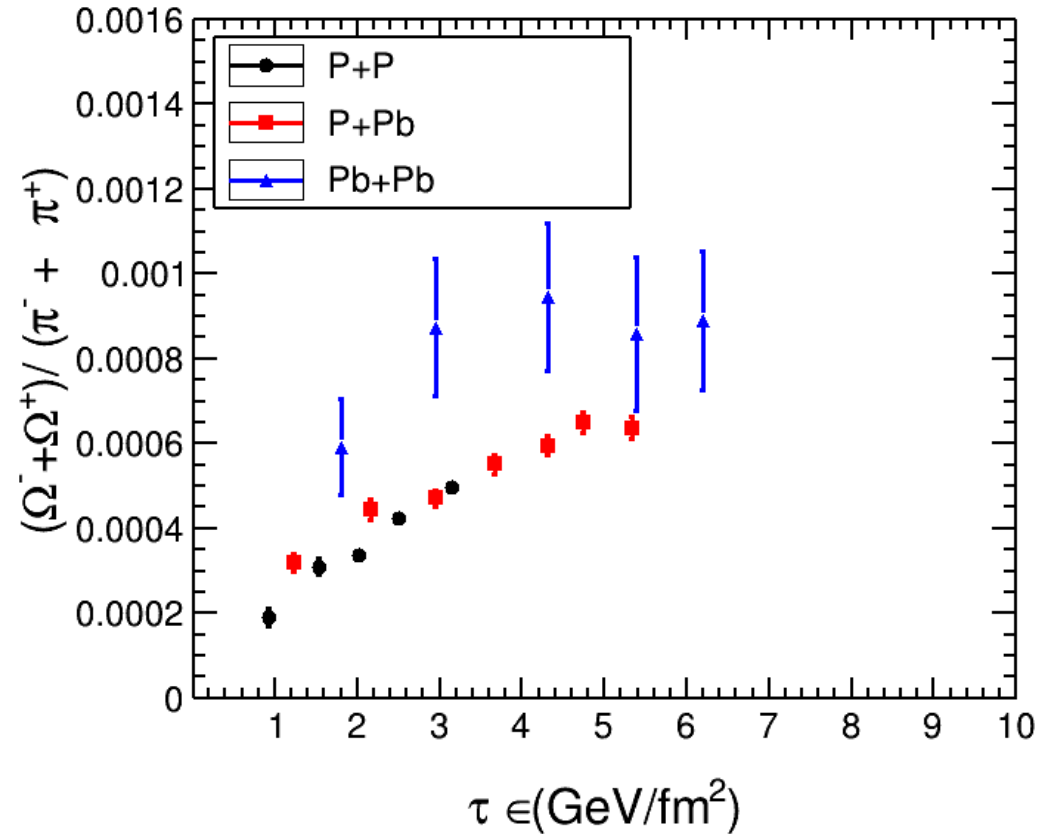
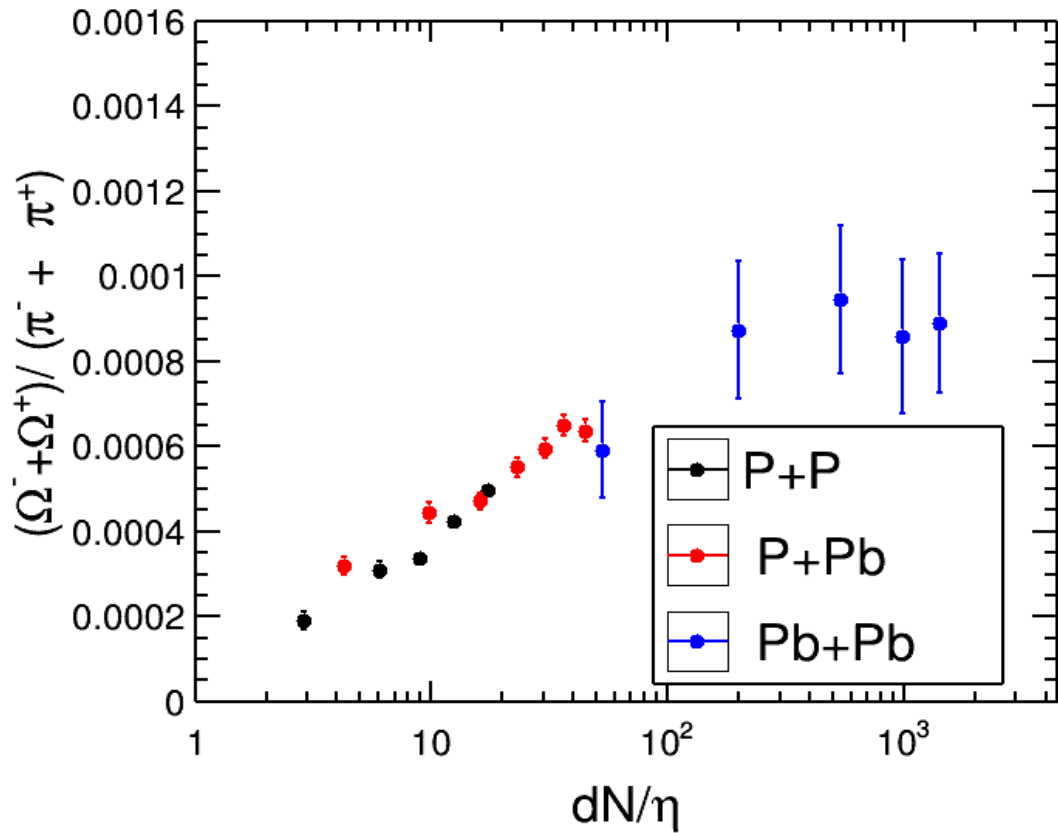
Ξ/π ratio vs $dN/d\eta$ could not be the best variable to describe the ratio

The energy density (ϵ) seems to be the better, at least for the Ξ/π .

How important is to reach higher multiplicity in p-p instead of pb-pb?

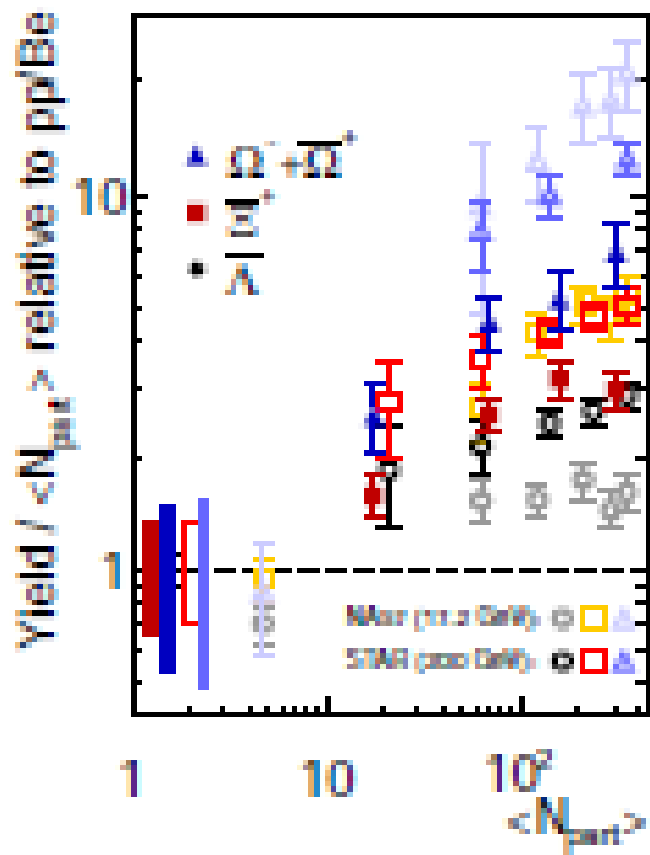
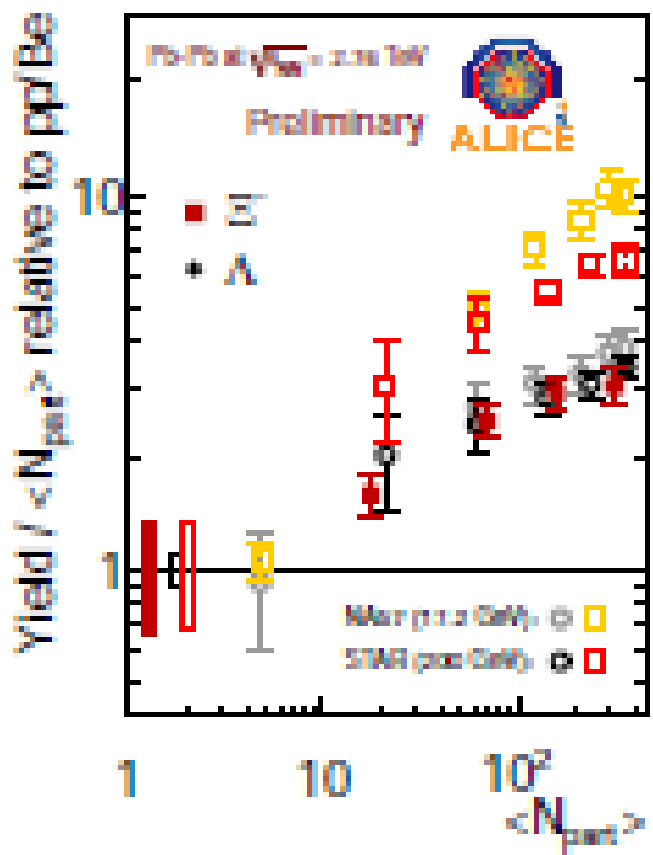


- ◆ Λ/π vs $dN/d\eta$ could not be the best variable to describe the ratio
- ◆ The energy density (τ_E) seems to be the better, at least for the Λ/π .



- ◆ Ω/π ratio vs $dN/d\eta$ could not be the best variable to describe the ratio
- ◆ The energy density (ε) seems to be the better, at least for the Ω/π .
- ◆ At the same ε the strangeness is enhancement in heaviest systems!

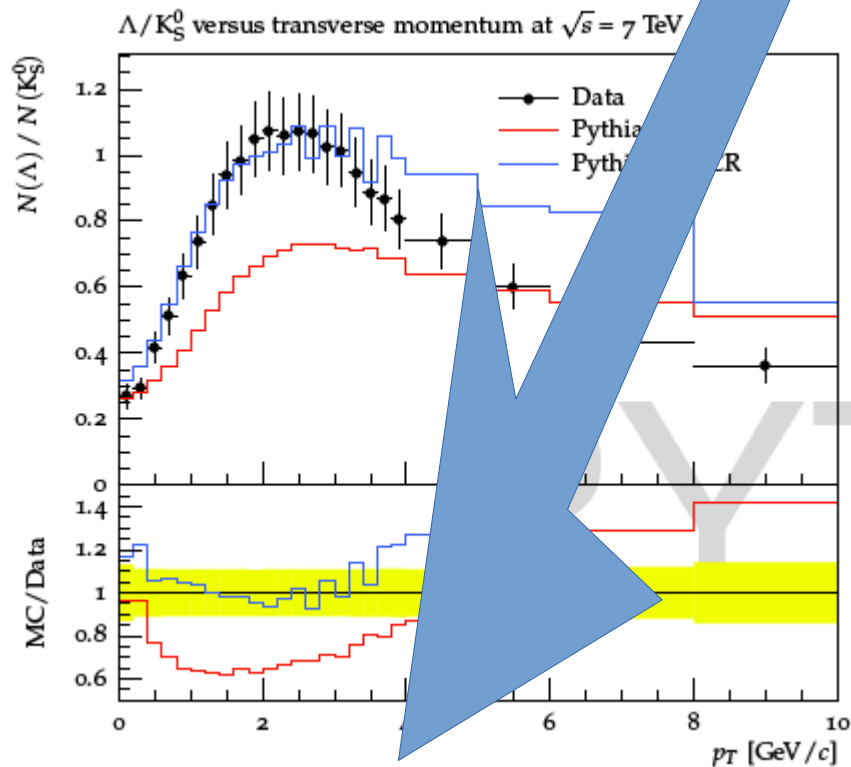
- ✓ The multiplicity could not be the best variable to describe baryons to meson ratios (may be on p_t intervals?)
- ✓ The Ξ/π (Λ/π) ratio presents a scaling with the Bjorken energy density.
- ✓ The observed scaling does not indicate saturation of the ratio hyperon to pions as proposed by the thermal model
- ✓ Does the highest multiplicity in $p+p$ events provides more information than the $Pb+Pb$ at the same multiplicity?



Last news (January 2016) on Pythia 8

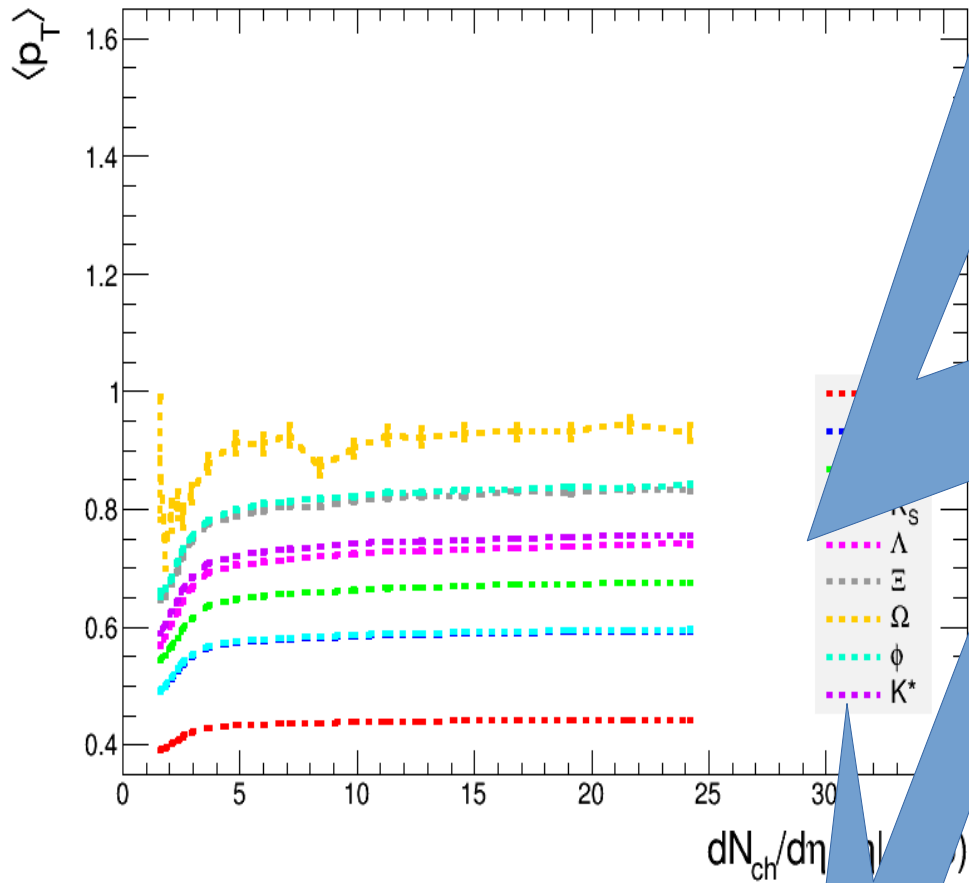
Monash tune remains as the best up to date one:
 It fails on pt spectra (and shapes) of identified particles, especially strange meson and baryons. **This could be pointing to interesting physics (beyond conventional CR?)**

New CR model: Λ/K_S shape is improved but Ξ/Λ remain the same

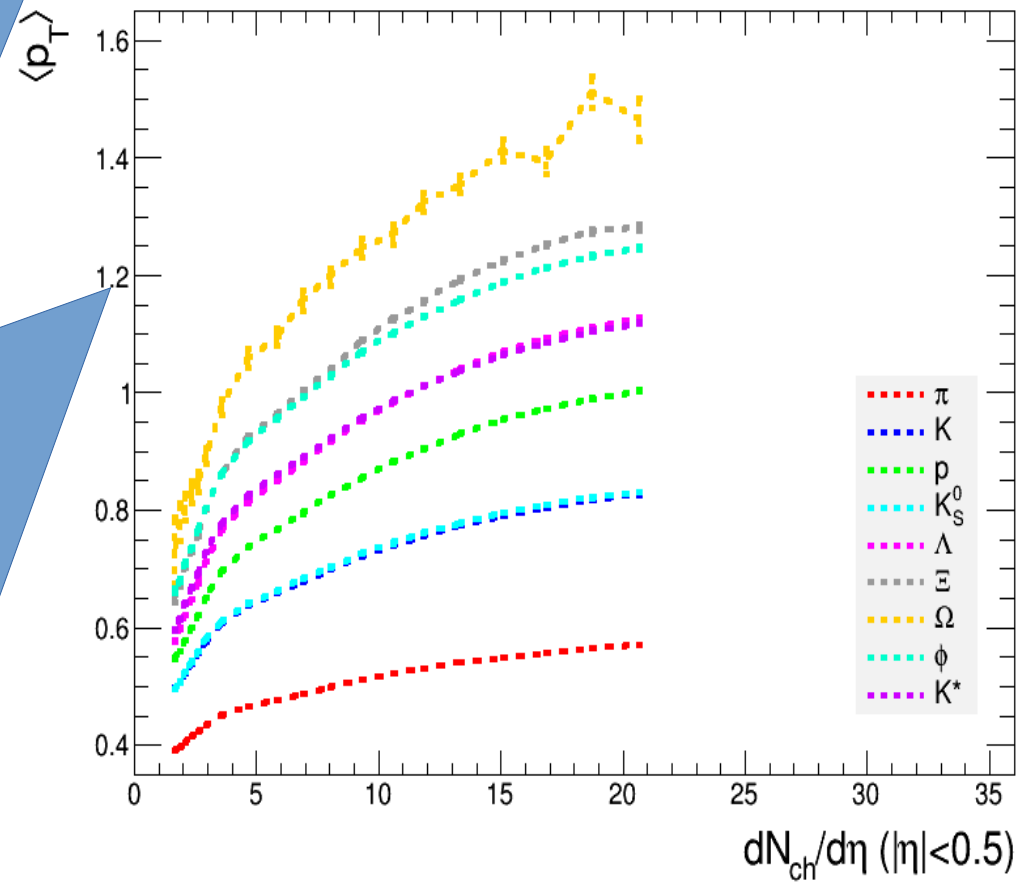


Pythia Status Report,
 Stephen Mrenna,
 January 11, 2016

$\langle p_T \rangle$ on Strangeness from Pythia 8



Pythia Monash w/o CR



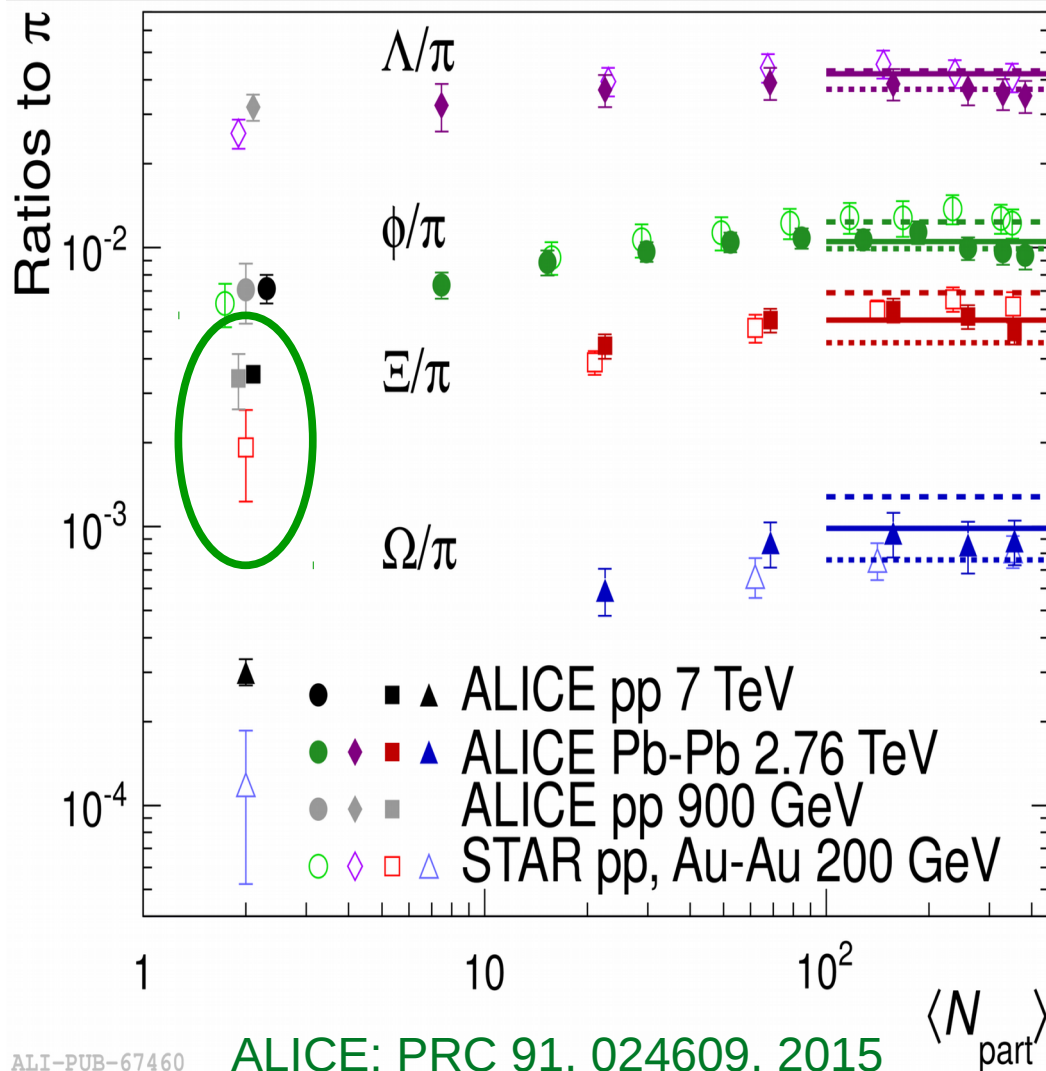
Pythia Monash CR

Is well known that Pythia 8 reproduce many of the data, but fail to reproduce the Strangeness production. CR help to improve the results but still we need more precision



Strange \rightarrow correlation vs N_{part} , $dN/d\eta$

Strangeness to pion ratios



Ratios of strange particle to pion at different energies as function of number of participants.

Does the ratio saturate as N_{part} increase?

The lines show ratios given by grand-canonical thermal models with temperatures of

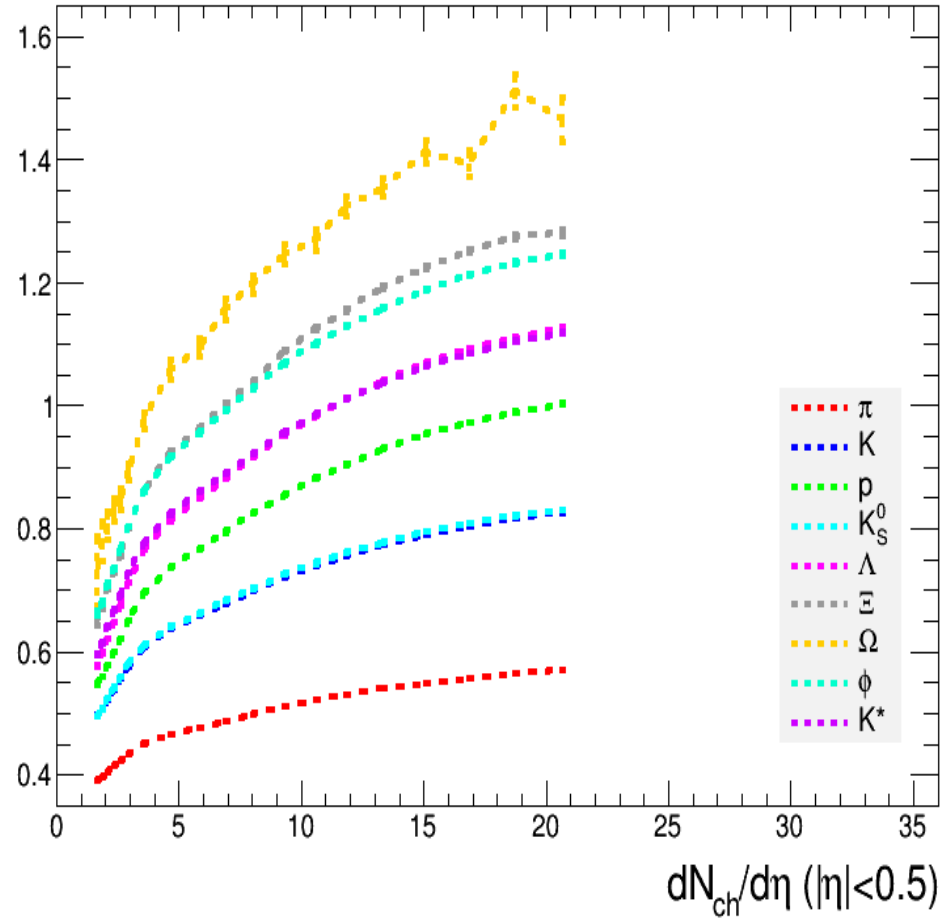
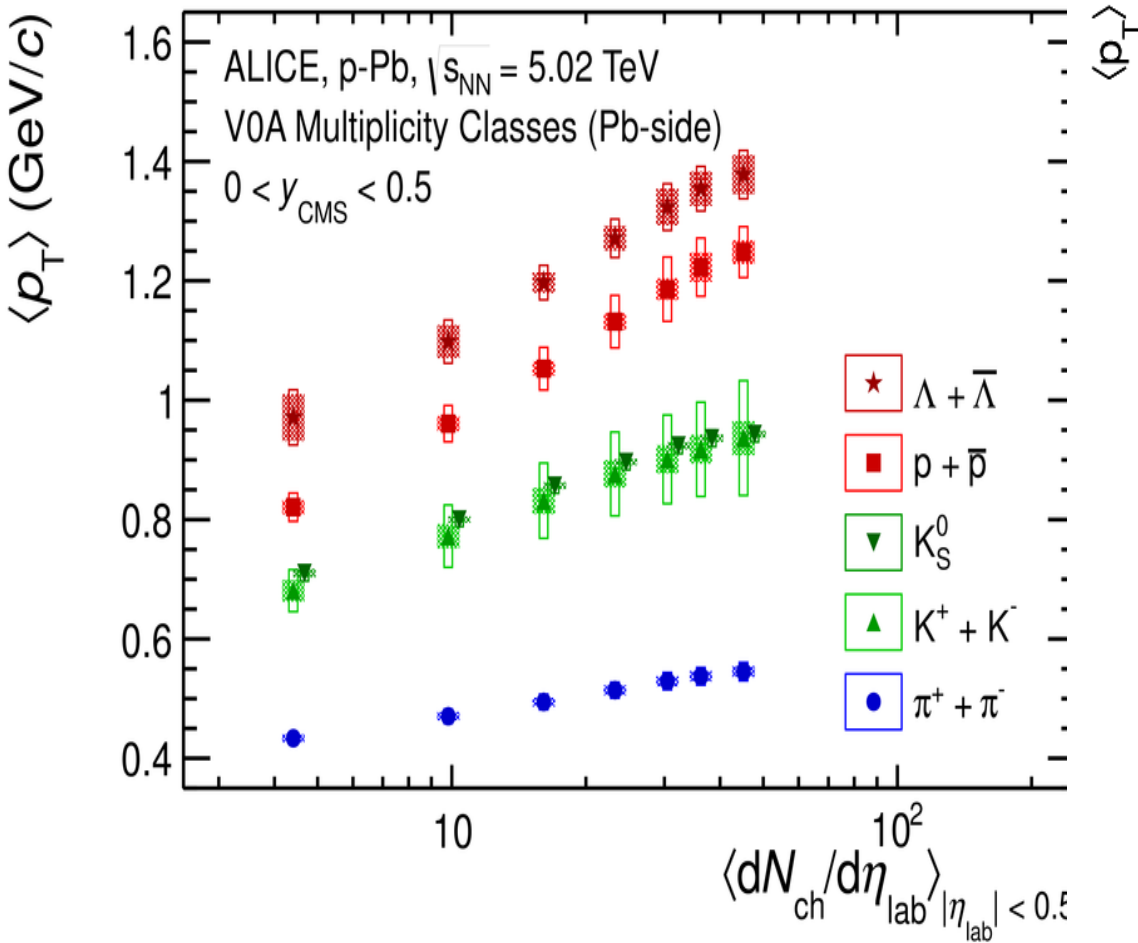
170 MeV (upper dashed lines),

164 MeV (solid lines),

156 MeV (lower dashed lines).

The multi-strange hadrons to pion ratio seems to follow certain scale

$\langle p_T \rangle$ vs multiplicity for strangeness, experimental vs Pythia



- Raising trend of $\langle p_T \rangle$ for all species
- Mass and strangeness content ordered
- The same behavior is observed for pp at 7 TeV

Pythia; pp simulations with CR,
The results present the same trend as the data.

ALICE: PLB 728, 25 (2014)