

UPC

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- Work with Dr. Daniel Tapia

Comparating data with PhD student of Dr. Tapia
(Photon Flux and average energy W)

J/Psi MonteCarlo Simulation

and Comparison with Experimental Data

Rho Zero MonteCarlo Simulation and Comparison
with Experimental Data

- Beam Test

$$n(k, \mathbf{b}) = \frac{\alpha Z^2}{\pi^2 b^2} x^2 \left[K_1^2(x) + \frac{1}{\gamma} K_0^2(x) \right], \quad (3)$$

where k is the photon energy in the nucleus frame with Lorentz factor γ , Z is the electric charge of the emitting heavy nuclei, K_0 and K_1 are Bessel functions and $x = kb/\gamma$. This formula is a good approximation for heavy nuclei and at impact parameters b larger than b_{\min} , the sum of the radii of the interacting particles. In this case, the photon flux $n(k) = \int d^2\mathbf{b} n(k, \mathbf{b})$ is given by

$$n(k) = \frac{2\alpha Z^2}{\pi} \left[\xi K_0(\xi) K_1(\xi) - \frac{\xi^2}{2} (K_1^2(\xi) - K_0^2(\xi)) \right], \quad (4)$$

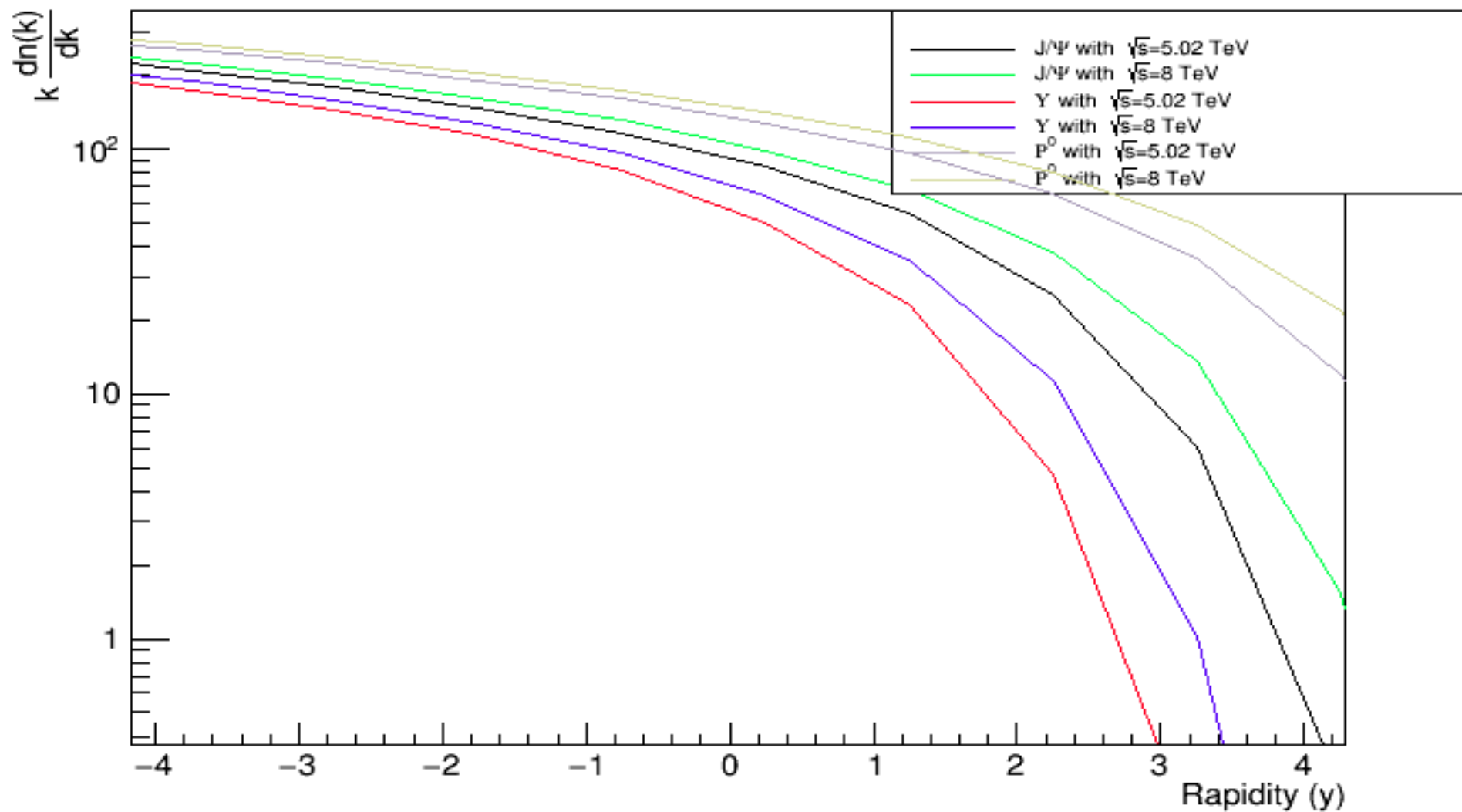
where $\xi = kb_{\min}/\gamma$.

The photon flux from a lead nucleus is then obtained using the corresponding values of Z and γ and using rapidity instead of photon energy as the relevant variable:

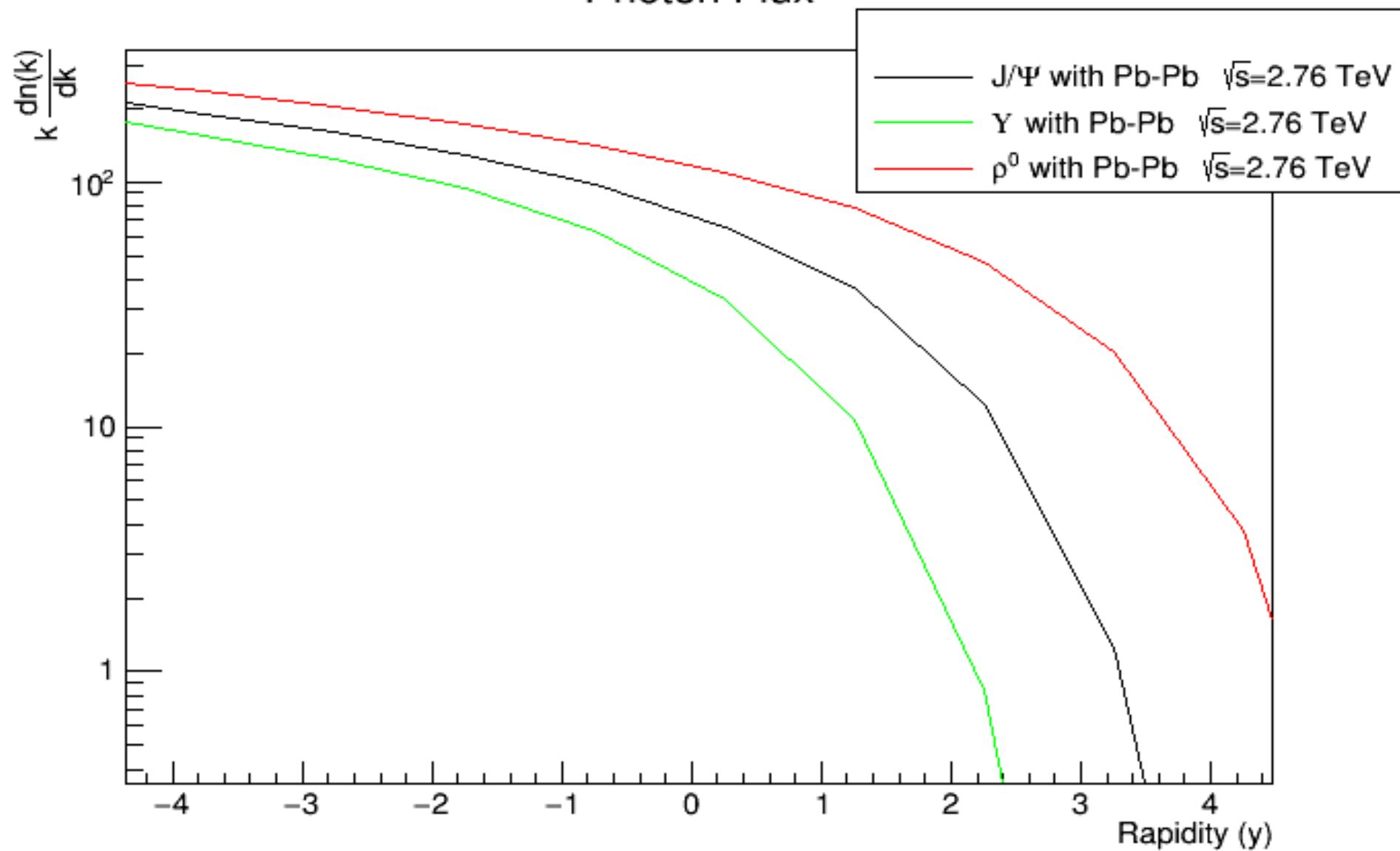
$$N_{\gamma/\text{Pb}}(y, M) \equiv k \frac{dn(k)}{dk} \Big|_{\text{Pb}}. \quad (5)$$

J/Psi	Rapidity bin: (-2.3,-1.8)	Center-of-mass energy = 2760 GeV	kdn/dk_av = 137.214	W_av 328.743
J/Psi	Rapidity bin: (1.8,2.3)	Center-of-mass energy = 2760 GeV	kdn/dk_av = 16.295	W_av 42.804
Upsilon	Rapidity bin: (-2,-1.2)	Center-of-mass energy = 5020.01 GeV	kdn/dk_av = 14.9258	W_av 601.271
Upsilon	Rapidity bin: (-1.2,0)	Center-of-mass energy = 5020.01 GeV	kdn/dk_av = 39.9458	W_av 369.54
Upsilon	Rapidity bin: (0,1.2)	Center-of-mass energy = 5020.01 GeV	kdn/dk_av = 75.7304	W_av 206.665
Upsilon	Rapidity bin: (1.2,2)	Center-of-mass energy = 5020.01 GeV	kdn/dk_av = 106.749	W_av 124.97
Upsilon	Rapidity bin: (-2,-1.2)	Center-of-mass energy = 8000.33 GeV	kdn/dk_av = 25.4664	W_av 766.539
Upsilon	Rapidity bin: (-1.2,0)	Center-of-mass energy = 8000.33 GeV	kdn/dk_av = 53.4382	W_av 470.787
Upsilon	Rapidity bin: (0,1.2)	Center-of-mass energy = 8000.33 GeV	kdn/dk_av = 90.1214	W_av 261.807
Upsilon	Rapidity bin: (1.2,2)	Center-of-mass energy = 8000.33 GeV	kdn/dk_av = 121.266	W_av 157.855
Rho zero	Rapidity bin: (-2,-1.2)	Center-of-mass energy = 5020.01 GeV	kdn/dk_av = 85.0413	W_av 176.821
Rho zero	Rapidity bin: (-1.2,0)	Center-of-mass energy = 5020.01 GeV	kdn/dk_av = 116.169	W_av 108.699
Rho zero	Rapidity bin: (0,1.2)	Center-of-mass energy = 5020.01 GeV	kdn/dk_av = 153.64	W_av 59.8905
Rho zero	Rapidity bin: (1.2,2)	Center-of-mass energy = 5020.01 GeV	kdn/dk_av = 184.883	W_av 35.8871
Rho zero	Rapidity bin: (-2,-1.2)	Center-of-mass energy = 8000.33 GeV	kdn/dk_av = 99.5005	W_av 223.454
Rho zero	Rapidity bin: (-1.2,0)	Center-of-mass energy = 8000.33 GeV	kdn/dk_av = 130.694	W_av 137.421
Rho zero	Rapidity bin: (0,1.2)	Center-of-mass energy = 8000.33 GeV	kdn/dk_av = 168.178	W_av 75.6599
Rho zero	Rapidity bin: (1.2,2)	Center-of-mass energy = 8000.33 GeV	kdn/dk_av = 199.423	W_av 45.3034
J/Psi	Rapidity bin: (2.5,4)	Center-of-mass energy = 5020.01 GeV	kdn/dk_av = 7.30747	W_av 37.6104
J/Psi	Rapidity bin: (3.5,4)	Center-of-mass energy = 5020.01 GeV	kdn/dk_av = 1.68832	W_av 25.1017
J/Psi	Rapidity bin: (3,3.5)	Center-of-mass energy = 5020.01 GeV	kdn/dk_av = 6.04051	W_av 31.8919
J/Psi	Rapidity bin: (2.5,3)	Center-of-mass energy = 5020.01 GeV	kdn/dk_av = 14.1565	W_av 40.669
J/Psi	Rapidity bin: (-3.6,-2.6)	Center-of-mass energy = 5020.01 GeV	kdn/dk_av = 188.622	W_av 766.058
J/Psi	Rapidity bin: (-2,-1.2)	Center-of-mass energy = 8000.33 GeV	kdn/dk_av = 156.452	W_av 452.786
J/Psi	Rapidity bin: (-1.2,0)	Center-of-mass energy = 8000.33 GeV	kdn/dk_av = 125.22	W_av 282.65
J/Psi	Rapidity bin: (0,1.2)	Center-of-mass energy = 8000.33 GeV	kdn/dk_av = 87.8456	W_av 156.027
J/Psi	Rapidity bin: (1.2,2)	Center-of-mass energy = 8000.33 GeV	kdn/dk_av = 57.1559	W_av 92.19

Photon Flux



Photon Flux



J/Psi MonteCarlo Simulation and Comparison with Experimental Data

Input slight.in for J/Psi Production

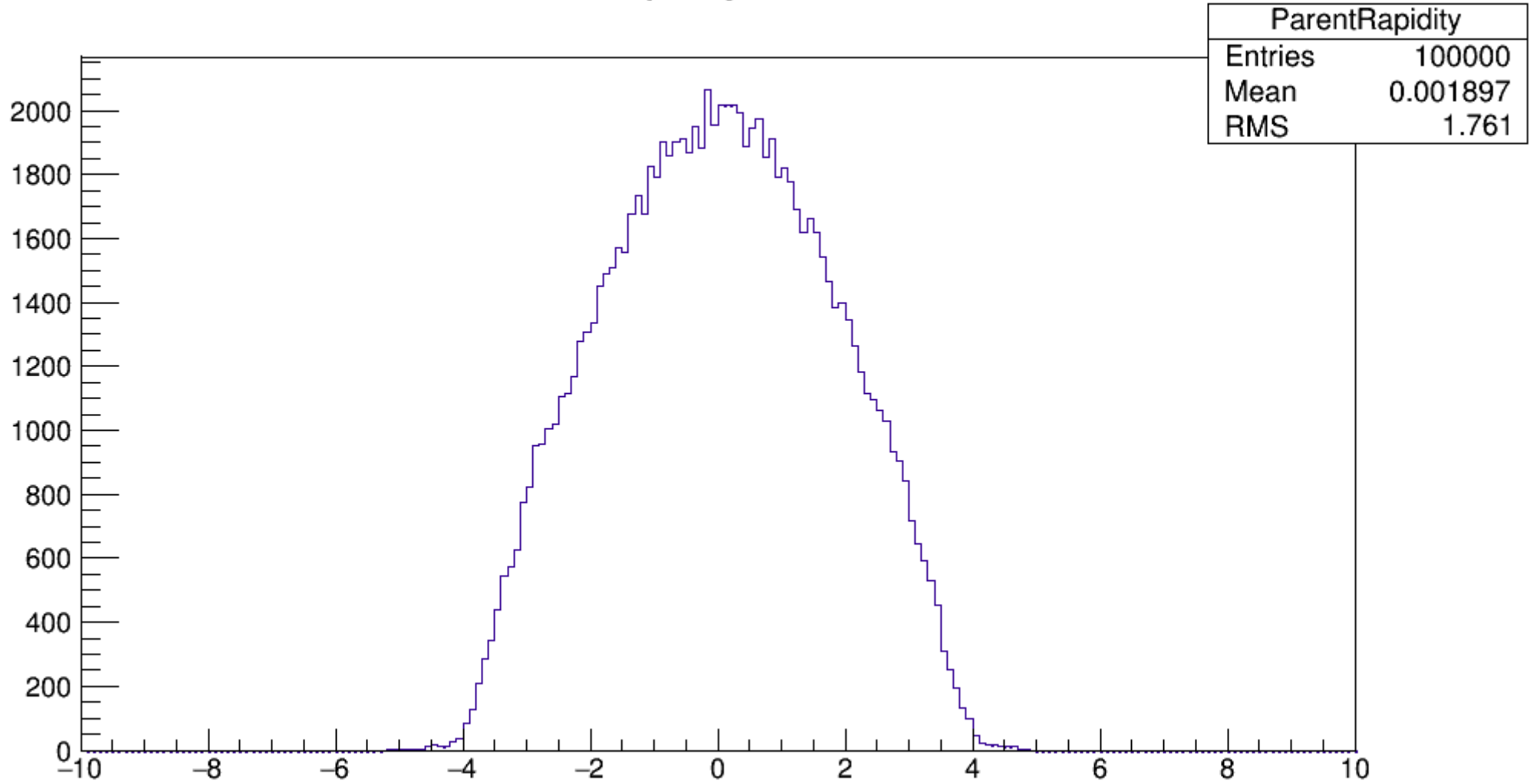
baseFileName = slight

- BEAM_1_Z = 82 #Z of projectile
- BEAM_1_A = 208 #A of projectile
- BEAM_2_Z = 82 #Z of target
- BEAM_2_A = 208 #A of target
- BEAM_1_GAMMA = 1470.0 #Gamma of the colliding ion 1
- BEAM_2_GAMMA = 1470.0 #Gamma of the colliding ion 2
- W_MAX = -1 #Max value of w
- W_MIN = -1 #Min value of w
- W_N_BINS = 50 #Bins i w
- RAP_MAX = 9. #max y
- RAP_N_BINS = 200 #Bins i y
- CUT_PT = 0 #Cut in pT? 0 = (no, 1 = yes)
- PT_MIN = 1.0 #Minimum pT in GeV
- PT_MAX = 3.0 #Maximum pT in GeV
- CUT_ETA = 0 #Cut in pseudorapidity? (0 = no, 1 = yes)
- ETA_MIN = -10 #Minimum pseudorapidity
- ETA_MAX = 10 #Maximum pseudorapidity
- PROD_MODE = 2 #gg or gP switch (1 = 2-photon, 2 = coherent vector meson (narrow), 3 = coherent vector meson (wide), 4 = incoherent vector meson)
- N_EVENTS = 100000 #Number of events
- PROD_PID = 443013 #Channel of interest; this is j/psi --> mu+ mu-
- RND_SEED = 5574533 #Random number seed
- BREAKUP_MODE = 5 #Controls the nuclear breakup; a 5 here makes no requirement on the breakup of the ions
- INTERFERENCE = 0 #Interference (0 = off, 1 = on)
- IF_STRENGTH = 1. #% of interference (0.0 - 0.1)
- INT_PT_MAX = 0.24 #Maximum pt considered, when interference is turned on
- INT_PT_N_BINS = 120 #Number of pt bins when interference is turned on
- XSEC_METHOD = 1 # Set to 0 to use old method for calculating gamma-gamma luminosity
- PYTHIA_FULL_EVENTRECORD = 0 # Write full pythia information to output (vertex, parents, daughter etc).

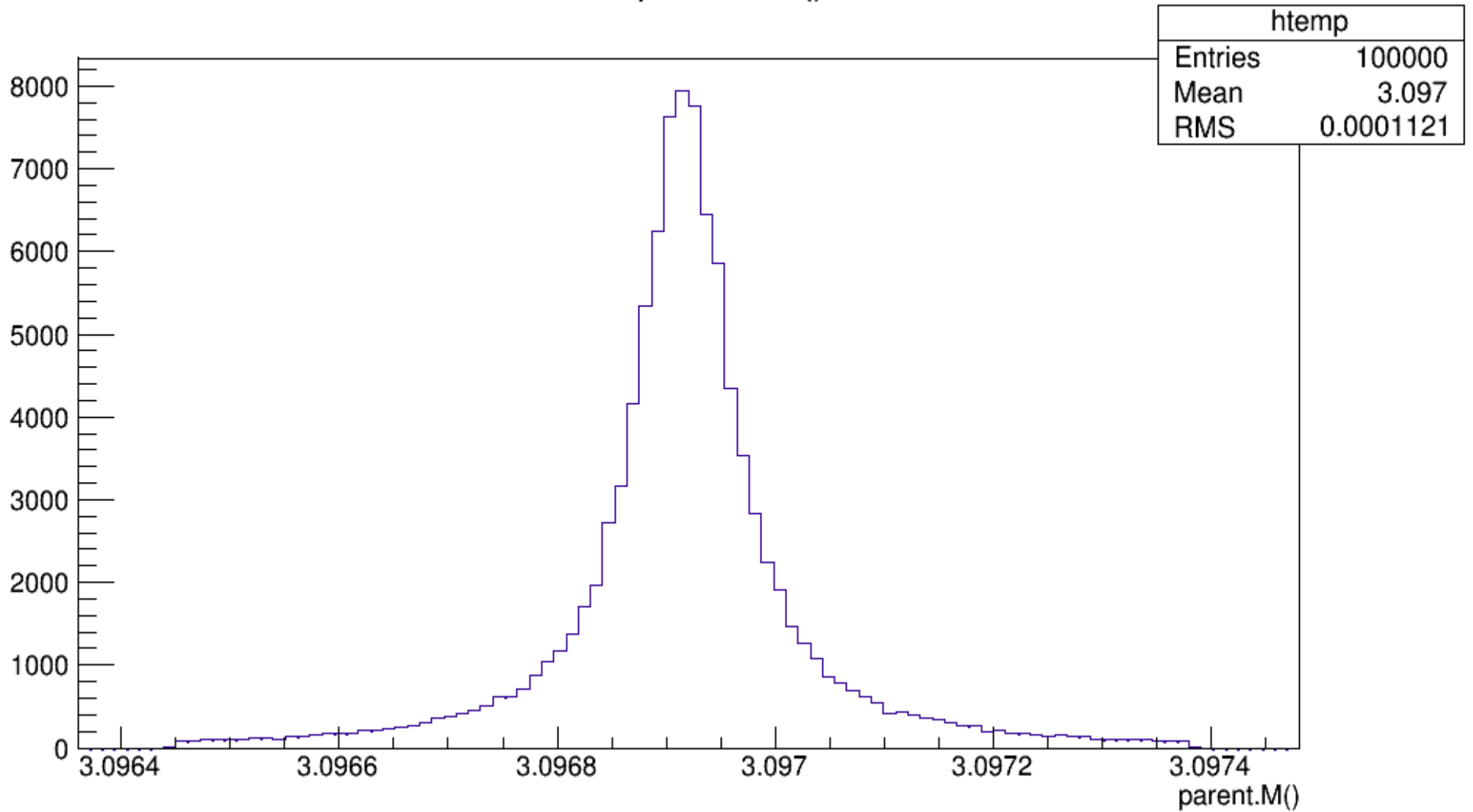
Created a Tree for Data Analysis and

- Plots of :
- Invariant Mass
- Pt
- Rapidity

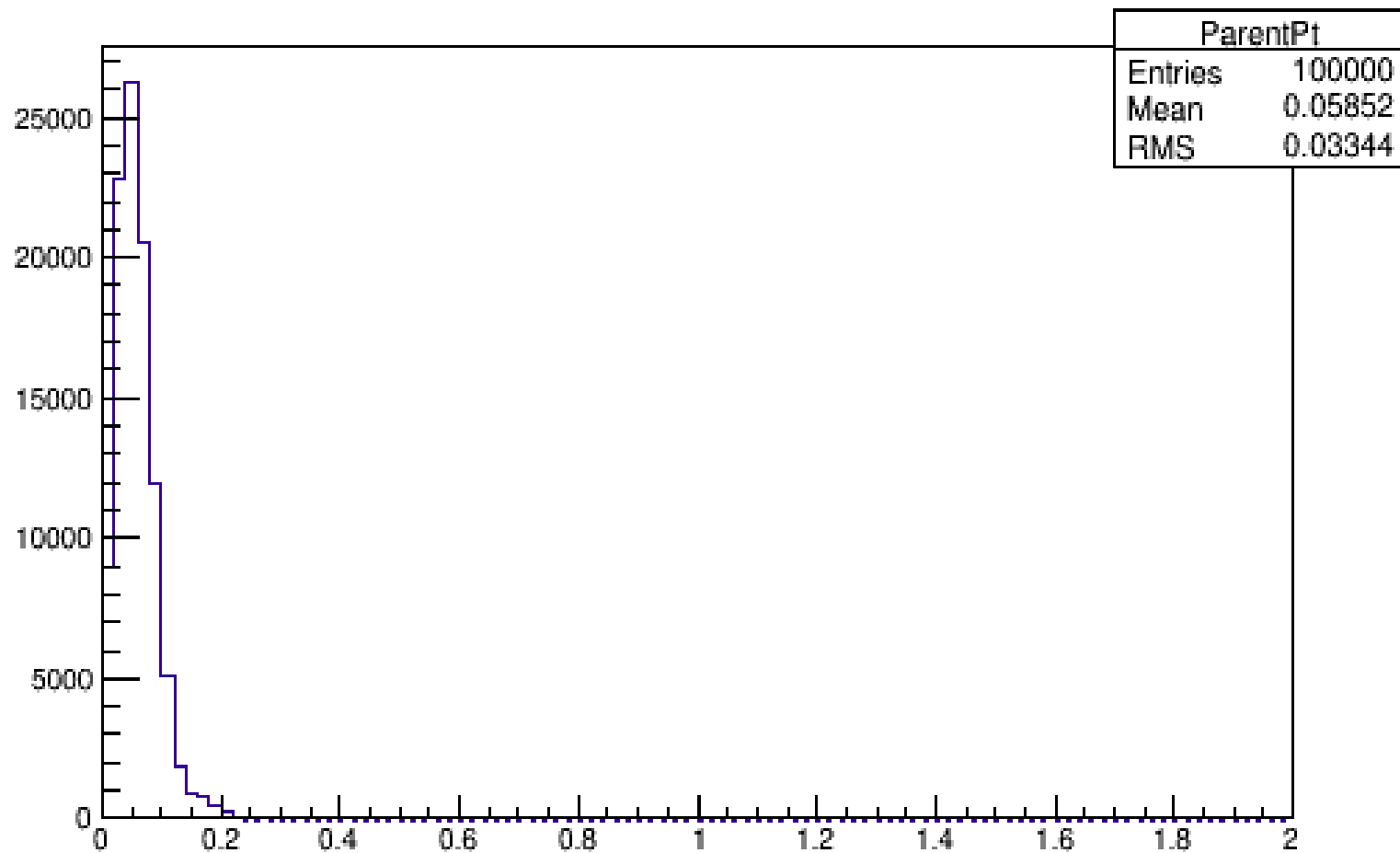
Rapidity of Parent



parent.M()



Transverse Momentum of Parent



Information for Plot

We obtain with the formula

$d\sigma/dy =$

$(\text{NumberofDataInaBin}/\text{TotalNumberofData}) * \sigma_{\text{given byMontecarlo}}$

$\sigma(y) = (1/\text{PhotonFlux}) * d\sigma/dy$

- Total Cross section given by MonteCarlo for J/Psi
15.191 mb

Experimental Data of $d\sigma/dy$ for J/Ψ

- $d\sigma/dy = 1.0 \pm 0.18(\text{stat}) \pm 0.24_{-0.26} \text{ mb}$ for bin $-3.6 < y < -2.6$
(obtained from [doi:10.1016/j.physletb.2012.11.059](https://doi.org/10.1016/j.physletb.2012.11.059))
- $d\sigma/dy = 2.38 \pm 0.34_{-0.24} \text{ mb}$ for bin $-0.9 < y < 0.9$
(obtained from [10.1140/epjc/s10052-013-2617-1](https://arxiv.org/abs/10.1140/epjc/s10052-013-2617-1))
- $d\sigma/dy = 0.36 \pm 0.22(\text{stat}) \pm 0.19(\text{theo}) \text{ mb}$ or bin $1.8 < y < 2.3$
(obtained from [arXiv:1605.06966](https://arxiv.org/abs/1605.06966))

Code for Cross Section vs Rapidity (MonteCarlo)

```
• yrapidity=D1->Rapidity();
•
•   Double_t j_step=0.05;
•   int counting=0;
• for(Double_t j=-4.0;j<4.0-j_step;j+=j_step)
• {
•   Double_t PbBeamEnergy = pBeamEnergy*IonCharge/IonAtomicNumber;
•   Double_t PbLorentzBoost = PbBeamEnergy/ProtonMass;
•   Double_t k = 0.5*rhozeroMass*TMath::Exp(-yrapidity);
•   W = Wcms(yrapidity,pBeamEnergy,rhozeroMass);
• Flux = HardSphereFlux(PbLorentzBoost,k,BMIN);
•   if(yrapidity>j && yrapidity<j+j_step )
• {
•   bincounting[counting]= bincounting[counting]+1;
•   Wcounter[counting]= Wcounter[counting]+W;/*XS*Flux;
•   FluxCounter[counting]=FluxCounter[counting]+Flux;
•   dividing[counting]=dividing[counting]+XS*Flux;
• break;
• }
• counting=counting+1;
• }
• NUMBER=NUMBER+1;
• dXs_dy=bincounting[j]*sigma/NUMBER;
•   W=Wcounter[j]/bincounting[j];
• Flux=FluxCounter[j]/bincounting[j];
• TSIGMA=dXs_dy*(1/Flux); //mb
•   cout<<TSIGMA<<endl;
• h2->Fill(W,TSIGMA);
```

Code for Cross Section vs Rapidity (Experimental Data)

```
• Double_t dXs_dyExperimental=425; //mb
•   Double_t yExpstep=0.05;
• Double_t FluxAveExp;
• Double_t WAveExp;
• Double_t W2;
• Double_t Flux2;
• Double_t countern;
• Double_t sigmaExp;
• countern=0.0;
• WAveExp=0.0;
• for(Double_t yExp=-0.5;yExp<=0.5;yExp+=yExpstep)
• {
•   Double_t k2 = 0.5*rhozeroMass*TMath::Exp(-yExp);
•   W2 = Wcms(yExp,pBeamEnergy,rhozeroMass);
•   Flux2 = HardSphereFlux(PbLorentzBoost,k2,BMIN);
•   FluxAveExp=FluxAveExp+Flux;
•   WAveExp=WAveExp+W2;
•   countern=countern+1;
• }
• WAveExp=WAveExp/countern;
• FluxAveExp=FluxAveExp/countern;
• sigmaExp=(1/FluxAveExp)*dXs_dyExperimental;
• cout<<WAveExp<< " " <<sigmaExp<<" " <<countern<<endl;
• h3->Fill(WAveExp,sigmaExp);
```


Data of the Experimental Points to Plot

- $d\sigma/dy = 1.0 \pm 0.18(\text{stat})^{+0.24}_{-0.26}$ mb for bin $-3.6 < y < -2.6$

PhotonFLux 197.357 Wave 557.115 sigmaExp 0.00506696

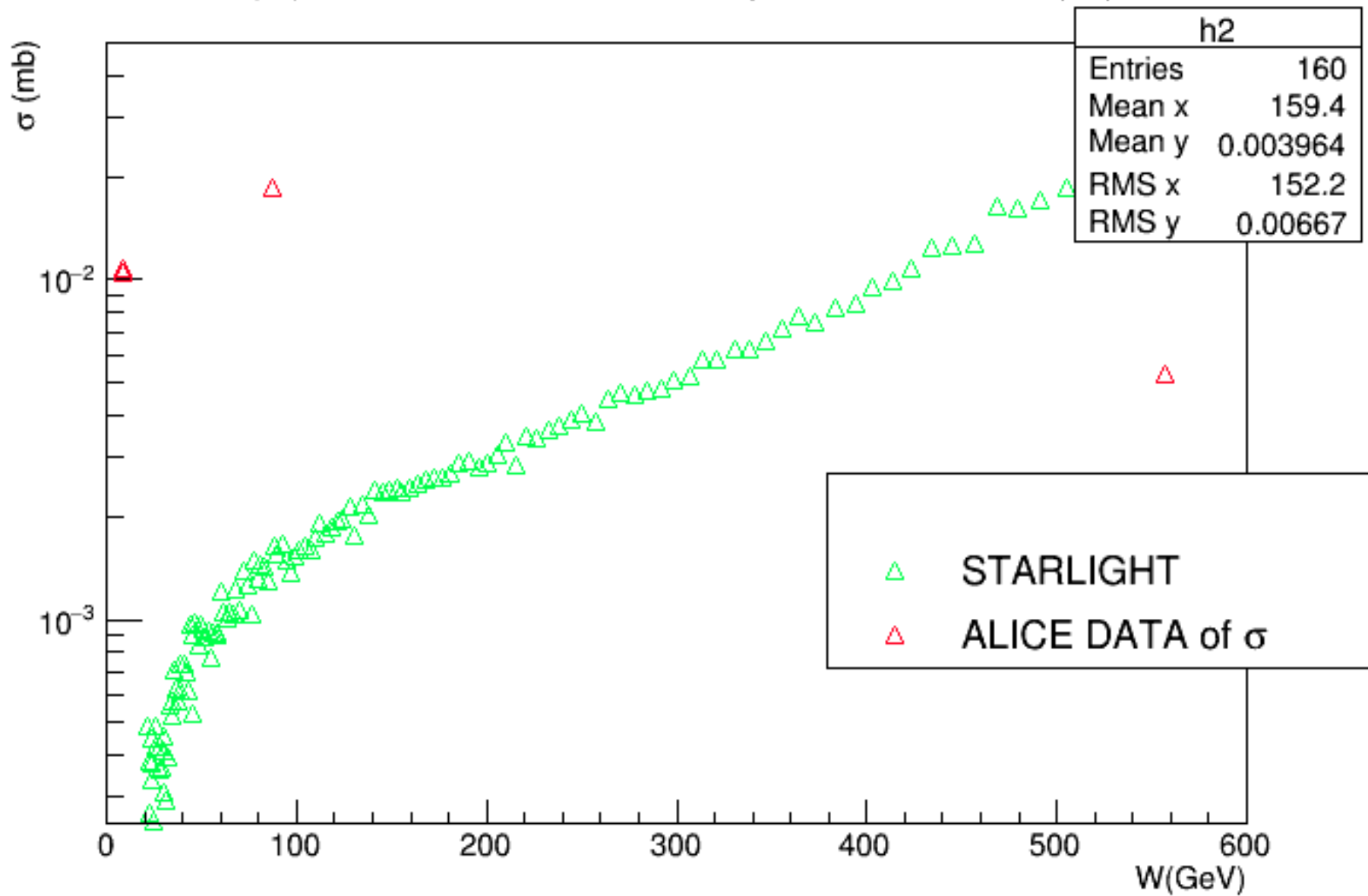
- $d\sigma/dy = 2.38^{+0.34}_{-0.24}$ mb for bin $-0.9 < y < 0.9$

PhotonFLux 128.109 Wave 87.0827 sigmaExp 0.0185779

- $d\sigma/dy = 0.36 \pm 0.22(\text{stat}) \pm 0.19(\text{theo})$ mb or bin $1.8 < y < 2.3$

PhotonFLux 33.8094 Wave 8.08694 sigmaExp 0.0106479

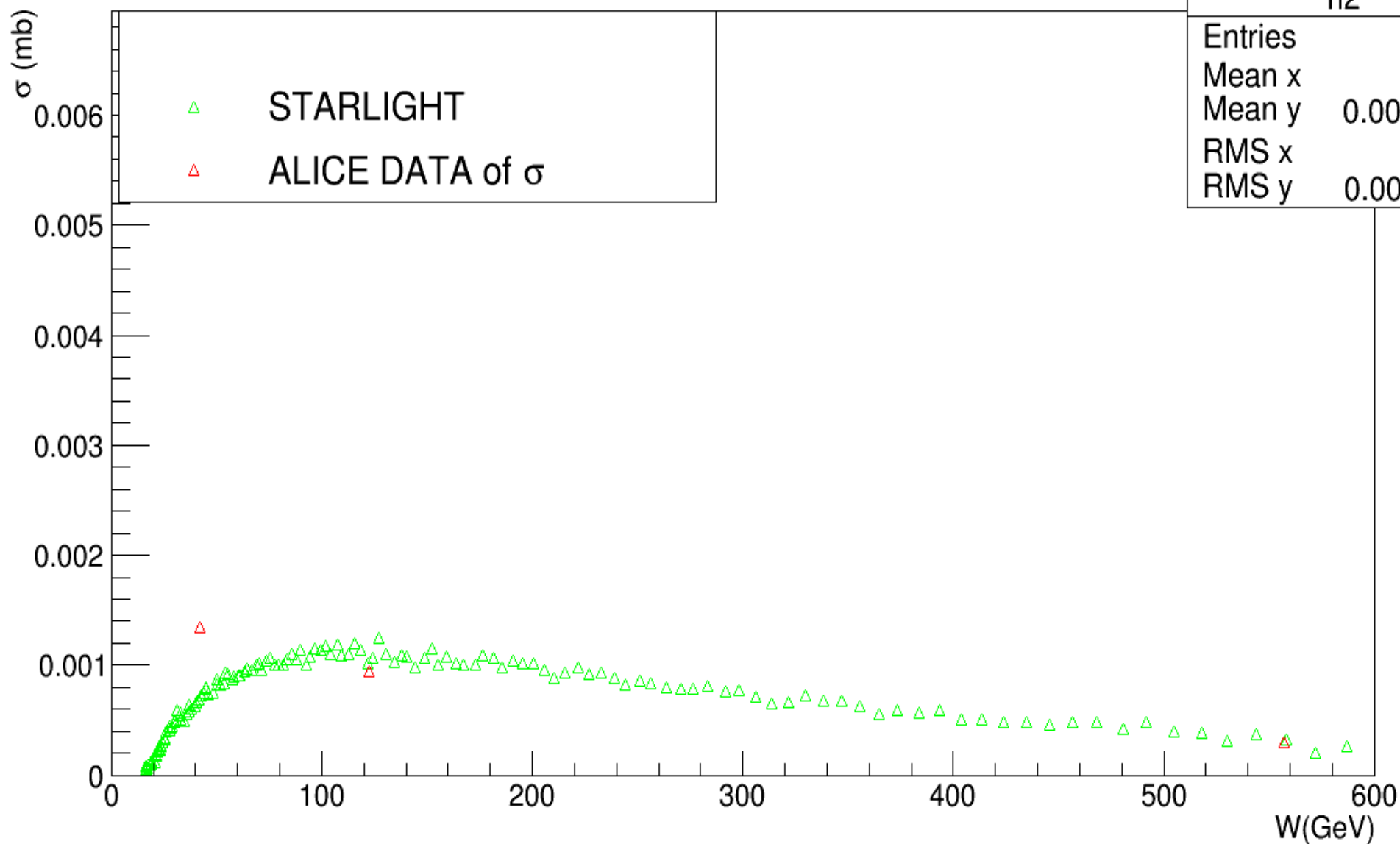
$\sigma(W)$ with Pb-Pb at $\sqrt{s}=2.76$ TeV, production of $J/\Psi \rightarrow \mu^+ \mu^-$



- With the photon flux contribution of both nuclei the MonteCarlo gives much better values compared to the data.

$$d\sigma/dy = \text{Photonflux}(y) * \sigma + \text{Photonflux}(-y) * \sigma$$

$\sigma(W)$ with Pb-Pb at $\sqrt{s}=2.76$ TeV, production of $J/\Psi \rightarrow \mu^+ \mu^-$

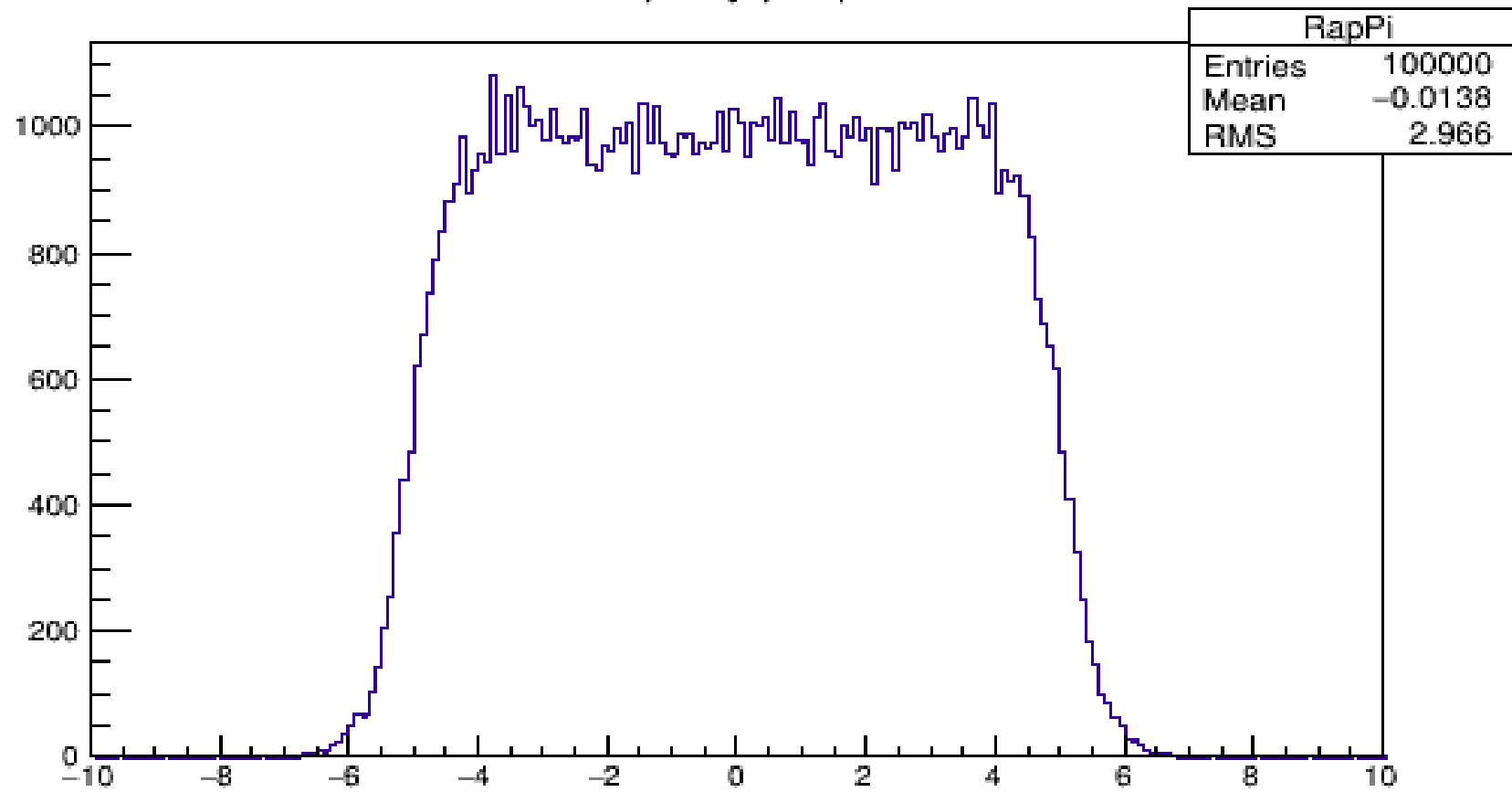


Rho Zero MonteCarlo Simulation and Comparison with Experimental Data

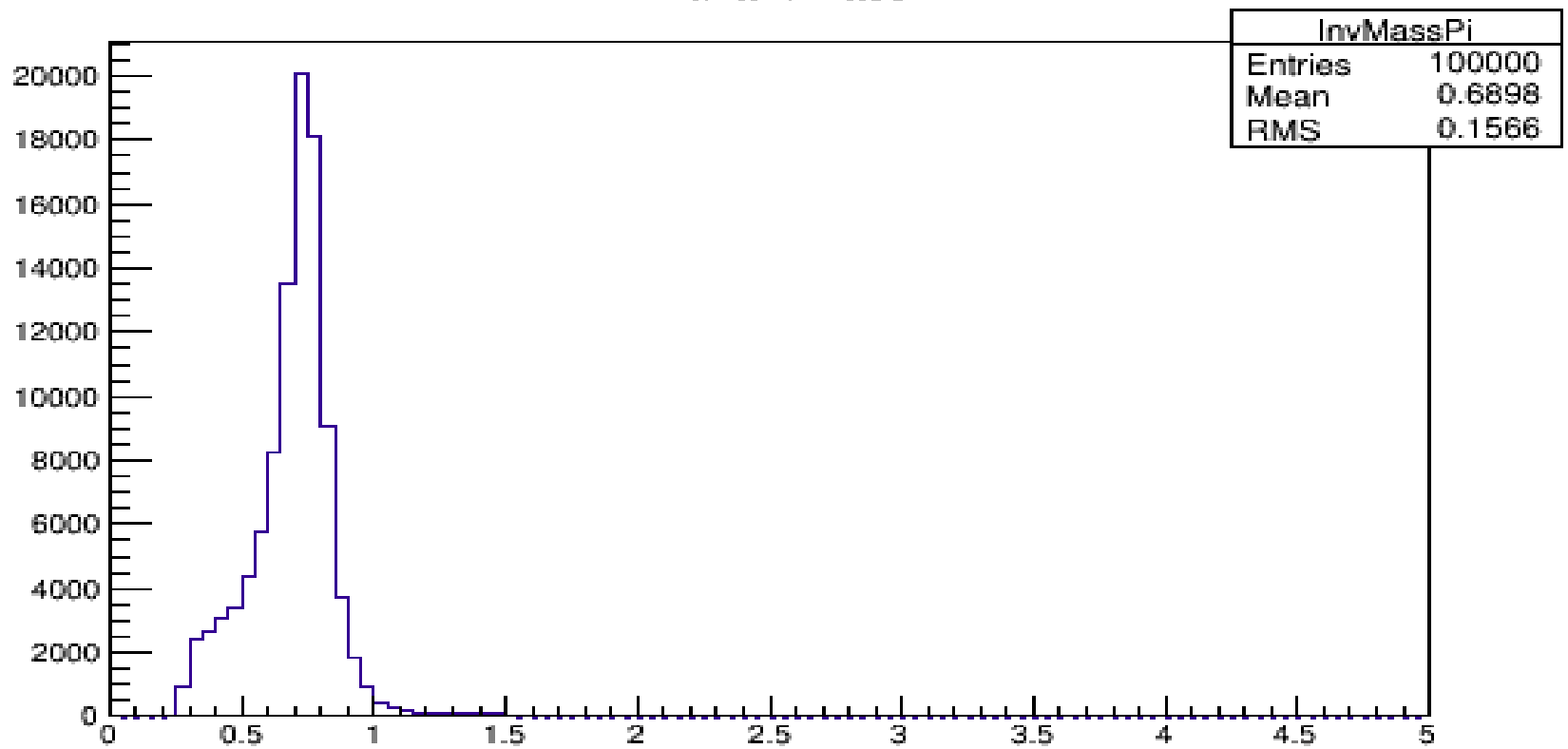
Input slight.in for Rho Zero Production

- baseFileName = slight
- BEAM_1_Z = 82 #Z of projectile
- BEAM_1_A = 208 #A of projectile
- BEAM_2_Z = 82 #Z of target
- BEAM_2_A = 208 #A of target
- BEAM_1_GAMMA = 1470.0 #Gamma of the colliding ion 1
- BEAM_2_GAMMA = 1470.0 #Gamma of the colliding ion 2
- W_MAX = -1 #Max value of w
- W_MIN = -1 #Min value of w
- W_N_BINS = 50 #Bins i w
- RAP_MAX = 9. #max y
- RAP_N_BINS = 200 #Bins i y
- CUT_PT = 0 #Cut in pT? 0 = (no, 1 = yes)
- PT_MIN = 1.0 #Minimum pT in GeV
- PT_MAX = 3.0 #Maximum pT in GeV
- CUT_ETA = 0 #Cut in pseudorapidity? (0 = no, 1 = yes)
- ETA_MIN = -10 #Minimum pseudorapidity
- ETA_MAX = 10 #Maximum pseudorapidity
- PROD_MODE = 2 #gg or gP switch (1 = 2-photon, 2 = coherent vector meson (narrow), 3 = coherent vector meson (wide), 4 = incoherent vector meson)
- N_EVENTS = 100000 #Number of events
- PROD_PID = 913 #Channel of interest; this is j/psi --> mu+ mu-
- RND_SEED = 5574533 #Random number seed
- BREAKUP_MODE = 5 #Controls the nuclear breakup; a 5 here makes no requirement on the breakup of the ions
- INTERFERENCE = 0 #Interference (0 = off, 1 = on)
- IF_STRENGTH = 1. #% of interference (0.0 - 0.1)
- INT_PT_MAX = 0.24 #Maximum pt considered, when interference is turned on
- INT_PT_N_BINS = 120 #Number of pt bins when interference is turned on
- XSEC_METHOD = 1 # Set to 0 to use old method for calculating gamma-gamma luminosity
- PYTHIA_FULL_EVENTRECORD = 0 # Write full pythia information to output (vertex, parents, daughter etc).

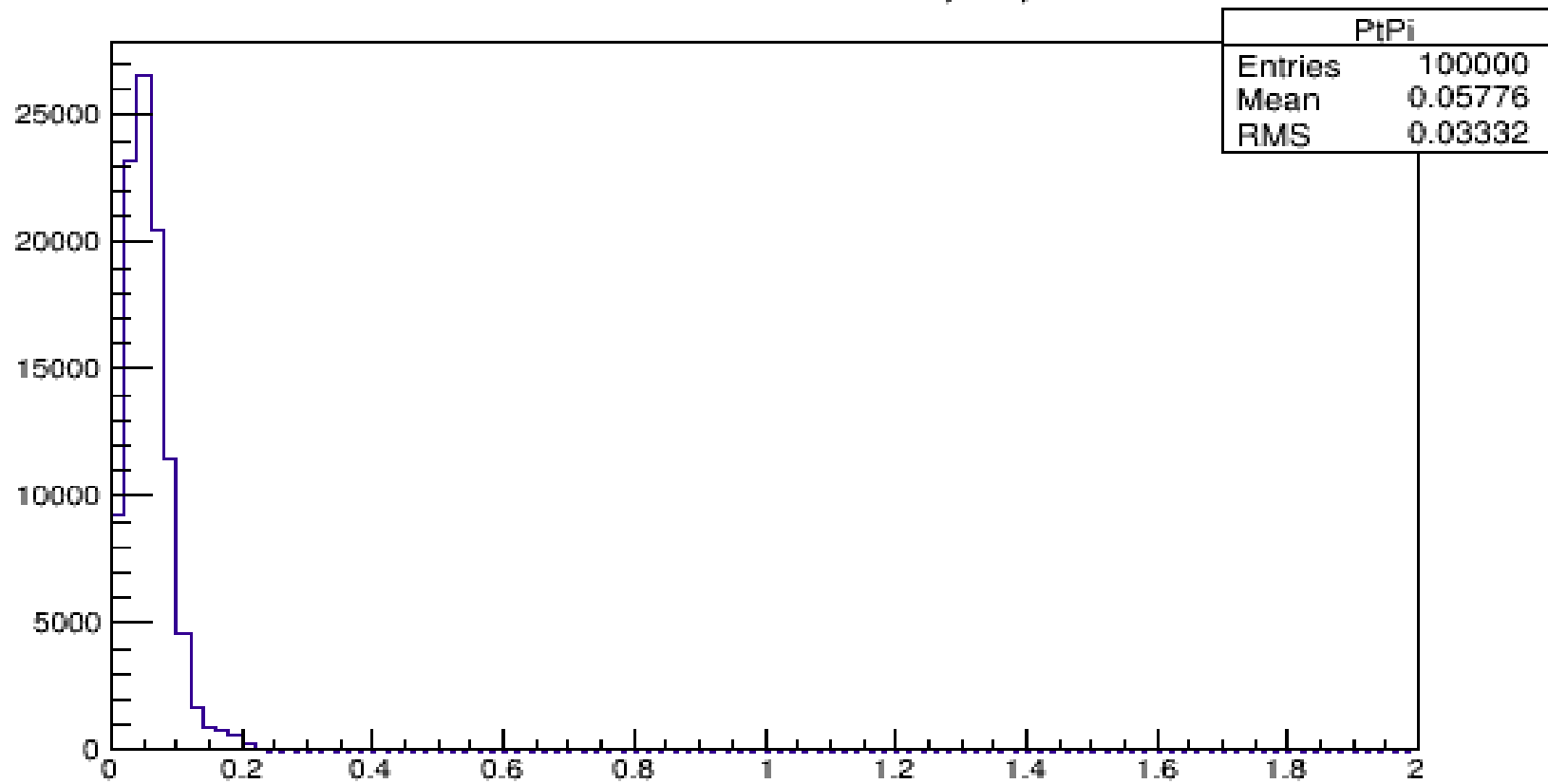
Rapidity pi+/pi-



Invariant mass



Transverse momentum pi+/pi-



Information for Plot

We obtain with the formula

$d\sigma/dy =$

$(\text{NumberofDataInaBin}/\text{TotalNumberofData}) * \sigma_{\text{giving by Montecarlo}}$

$\sigma(y) = (1/\text{PhotonFlux}) * d\sigma/dy$

- Total Cross section given by MonteCarlo for RhoZero

3195 mb

Experimental Data of $d\sigma/dy$ for Rho Zero

- $D\sigma/dy = 425 \pm 10(\text{stat})^{42_50}$
- for bin $-0.5 < y < 0.5$

taken from

JHEP09(2015)095

Data of the Experimental Points to Plot

- $D\sigma/dy = 425 \pm 10(\text{stat})^{42_50}$

for bin $-0.5 < y < 0.5$

PhotonFLux 240.614

Wave 59.1519

sigmaExp 1.76632

- Rapidity beam 1: 7.52543, rapidity beam 2: -7.52543, rapidity CMS system: 0, beam gamma in C
 - 927.308
 - >>> inputParameters::init(): info: using the following starlight parameters:
 - base file name 'slight'
 - beam 1 atomic number 82
 - beam 1 atomic mass number 208
 - beam 2 atomic number 82
 - beam 2 atomic mass number 208
 - Lorentz gamma of beams in CM frame 927.308
 - mass W of produced hadronic system $0.27914 < W < 1.5275 \text{ GeV}/c^2$
 - # of W bins 50
 - maximum absolute value for rapidity 9
 - # of rapidity bins 200
 - cut in pT..... no
 - cut in eta..... no
 - production mode 2
 - number of events to generate 100000
 - PDG ID of produced particle 913
 - seed for random generator 5574533
 - breakup mode for beam particles 5
 - interference enabled no
 - coherent scattering off nucleus yes

#####

Initialising Starlight version: trunk...

#####

>>> beamBeamSystem::generateBreakupProbabilities(): info: Requiring no hadronic interactions.

>>> starlight::luminosityTablesValid(): info: using random seed = 5574533

>>> starlight::init(): info: creating luminosity table for coherent photon-Pomeron channel

Creating Luminosity Tables.

Calculating photon flux from Emin = 1.000000e-05 GeV to Emax = 1.657454e+02 GeV (CM frame) for source with Z = 82

Luminosity Tables created.

Reading in luminosity tables. Gammaanarrowvm()

Creating and calculating crosssection. Gammaanarrowvm()

Using Narrow Resonance ...

gamma+nucleon threshold: 5.845594e-04 GeV

Total cross section: 3.195 barn.

>>> starlightStandalone::run(): info: generating events:

0 of 100000

10000 of 100000

20000 of 100000

30000 of 100000

40000 of 100000

50000 of 100000

60000 of 100000

70000 of 100000

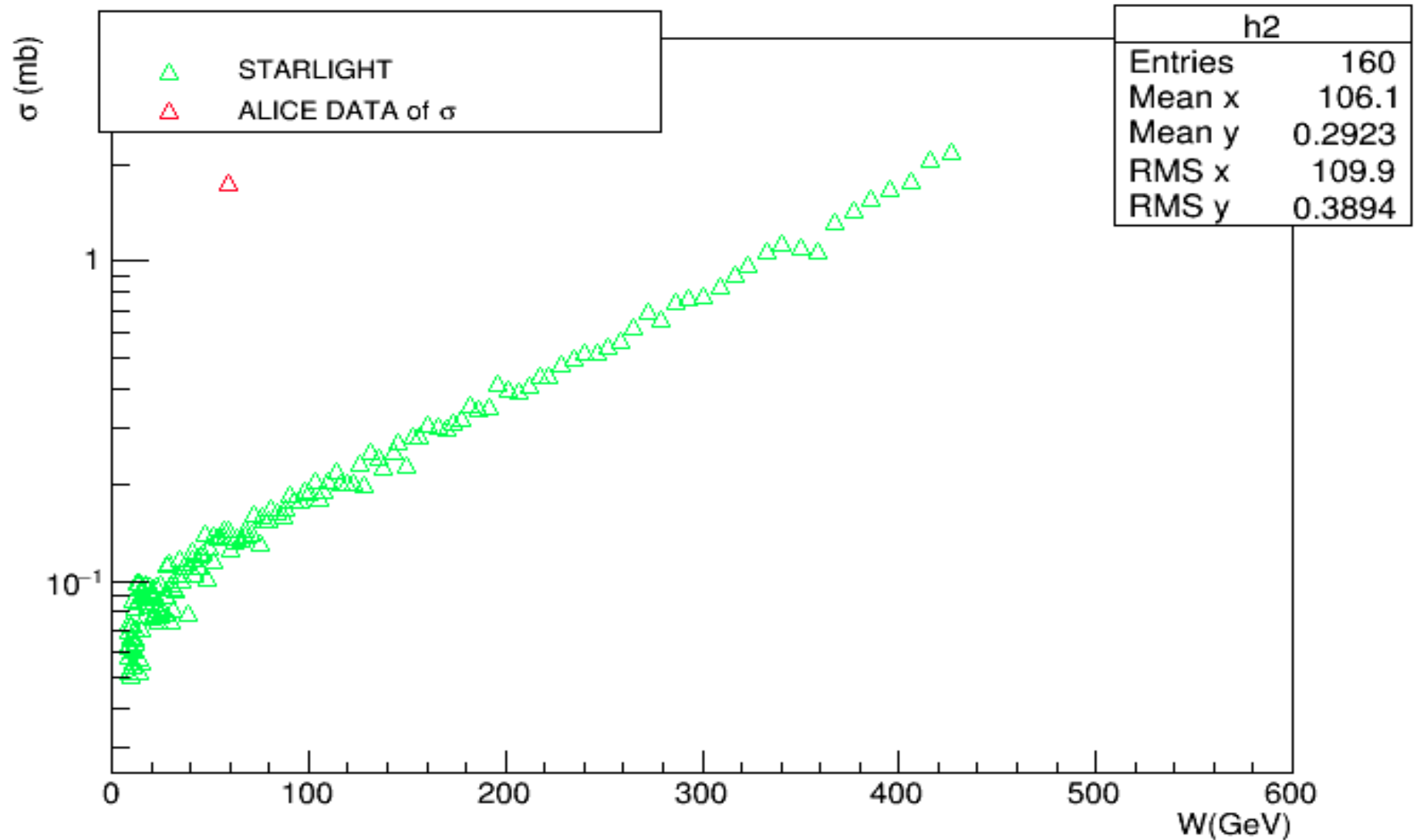
80000 of 100000

90000 of 100000

>>> starlightStandalone::run(): info: number of attempts = 100000, number of accepted events = 100000

The cross section of the generated sample is 3.195 barn.

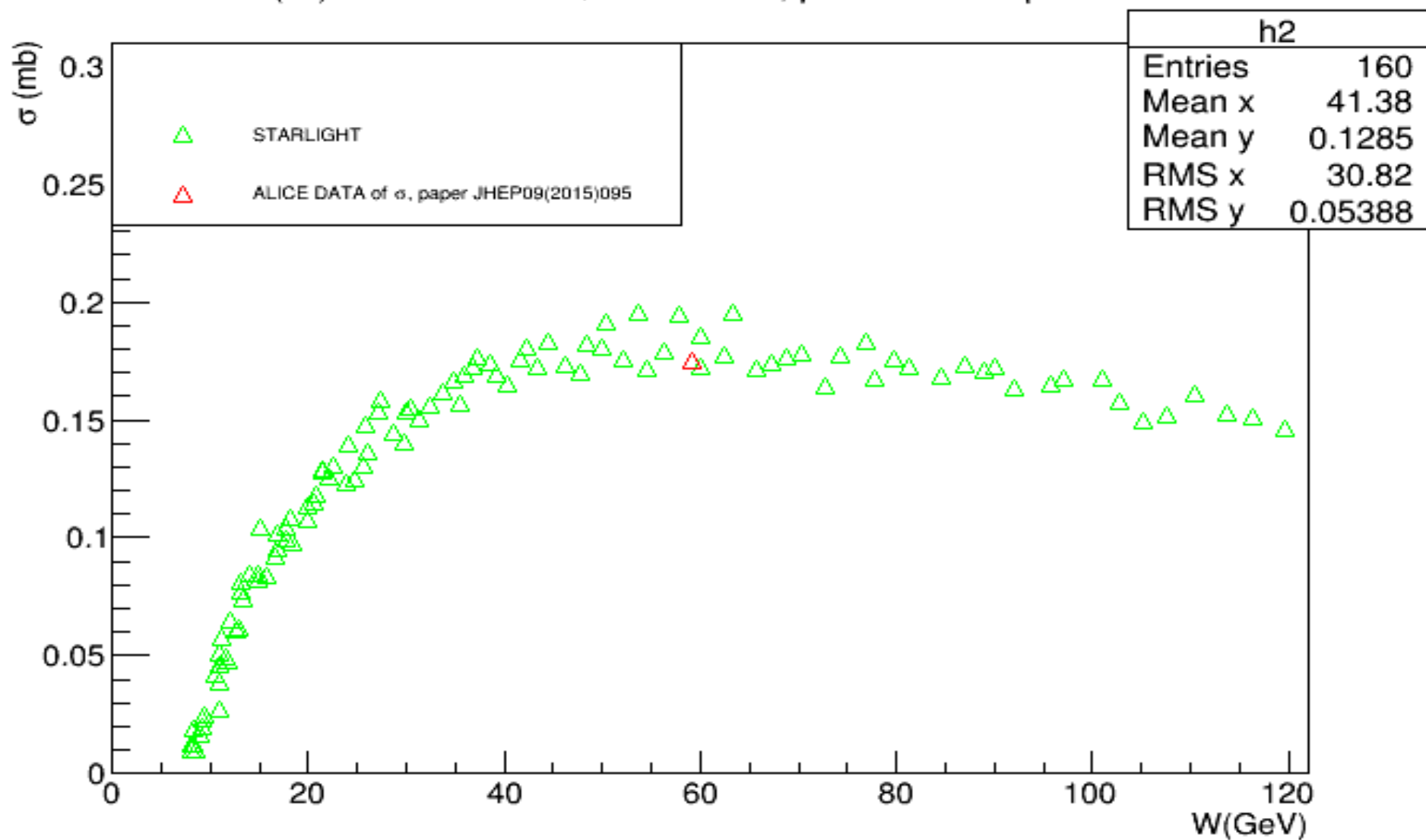
$\sigma (W)$ with Pb-Pb at $\sqrt{s}=2.76$ TeV, production of $\rho^0 \rightarrow \pi^+ \pi^-$



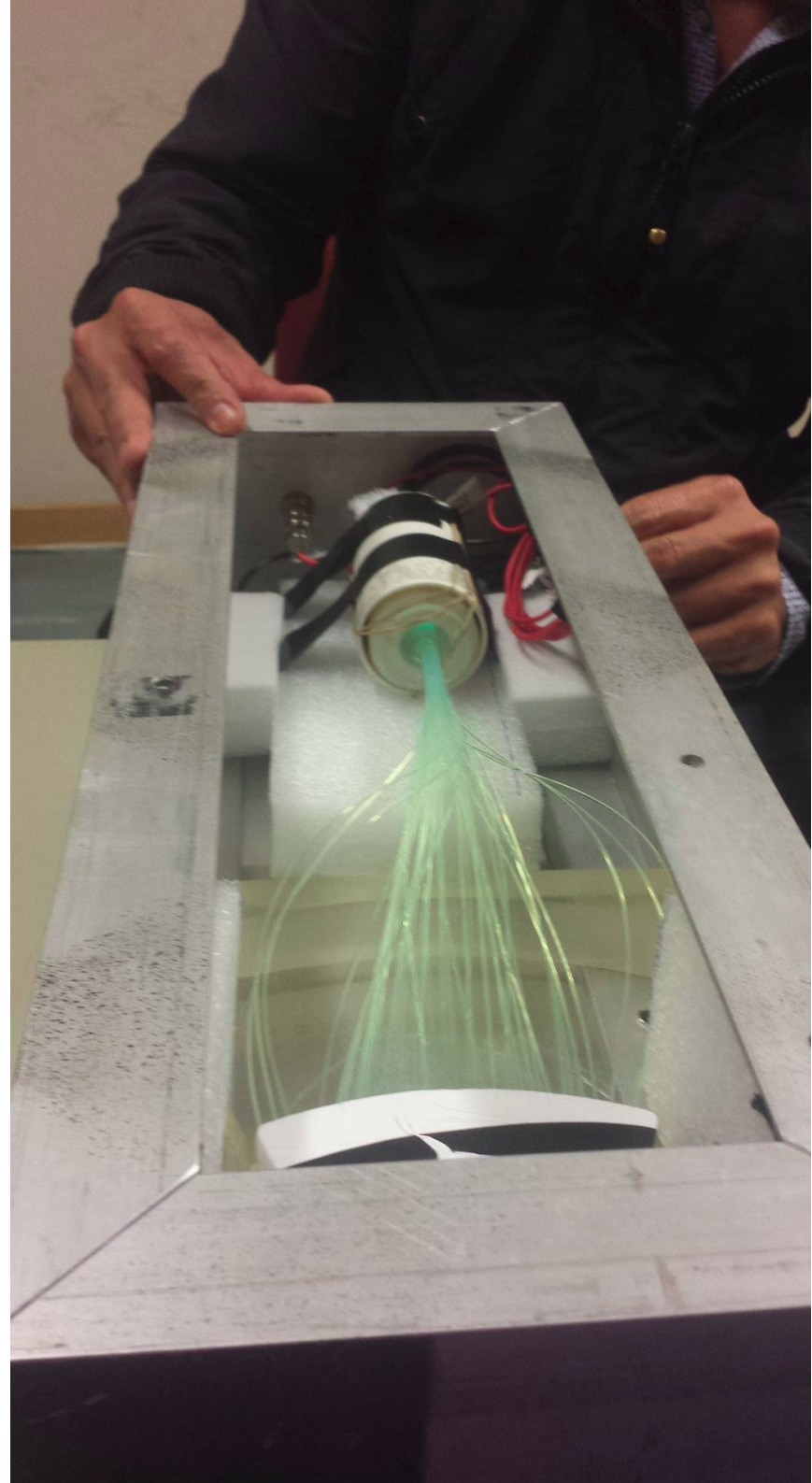
- With the photon flux contribution of both nuclei the MonteCarlo gives much better values compared to the data.

$$d\sigma/dy = \text{Photonflux}(y) * \sigma + \text{Photonflux}(-y) * \sigma$$

σ (W) with Pb-Pb at $\sqrt{s}=2.76$ TeV, production of $\rho^0 \rightarrow \pi^+ \pi^-$

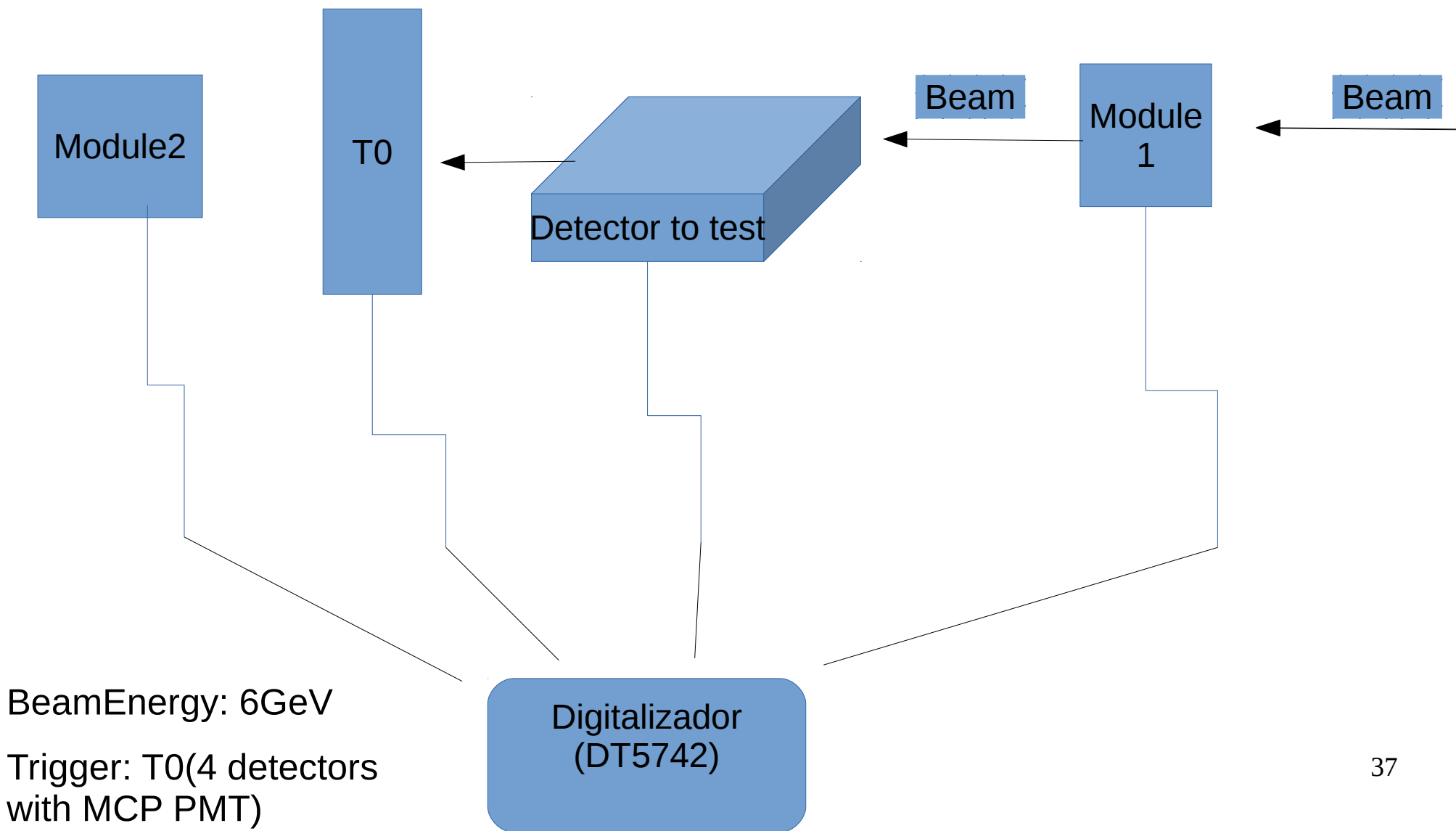


BEAM TEST

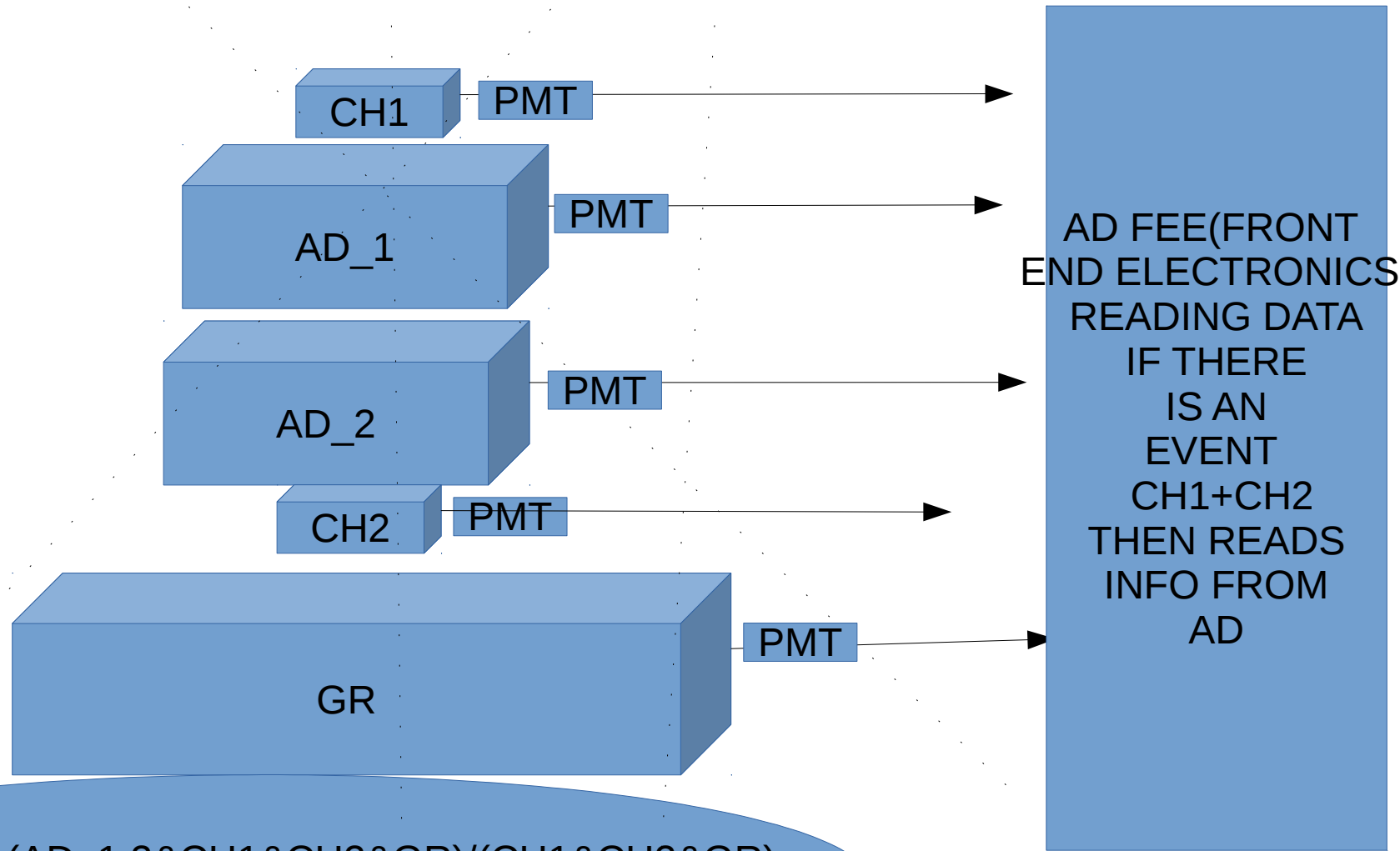


The detector is constituted of:
1) Photomultiplier tube
2) 38 Optical Fibers(17cm)
3) Scintillator Plastic
All inside of aluminum box of 52cmX19cm





Clean Room



$$E_{f_{AD_{1,2}}} = (AD_{1,2} \& CH1 \& CH2 \& GR) / (CH1 \& CH2 \& GR)$$

online

