ALICE

$\langle p_T \rangle$ fluctuations in p-p collisions at $\sqrt{s}$ = 13 TeV with ES

Angel Sierra, Pablo Fierro
Irais Bautista, Antonio Ortiz

Why we use ES?

(ES=Event Shape)

- They measure the geometrical properties of energy flow in QCD events
- Event by event classification of event with hard and soft topology

Definition of ES

Transverse spherocity is used to characterize the events through the geometrical distribution of the p_T's of the charged hadrons, which is by definition collinear and infrared safe.

Avoids the bias from the boost along the beam axis

It's defined for a unit transverse vector which minimizes the ratio

$$S_0 = \frac{\pi^2}{4}\left(\frac{\sum_i |\vec{p}_{\mathrm{T}i} \times \hat{\mathbf{n}}|}{\sum_i p_{\mathrm{T}i}}\right)^2$$

A. Ortiz, G. Paić and E. Cuautle, Nucl. Phys. A 941 (2015) 78.
E. Cuautle, R. Jimenez, I. Maldonado, A. Ortiz, G. Paic and E. Perez, arXiv:1404.2372.

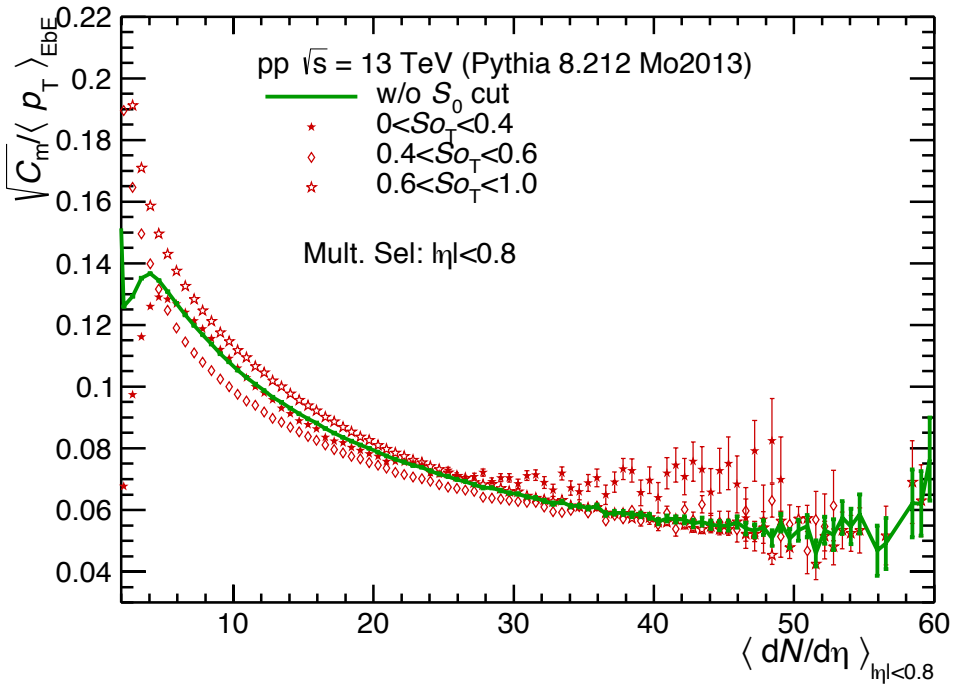
ES soft and hard

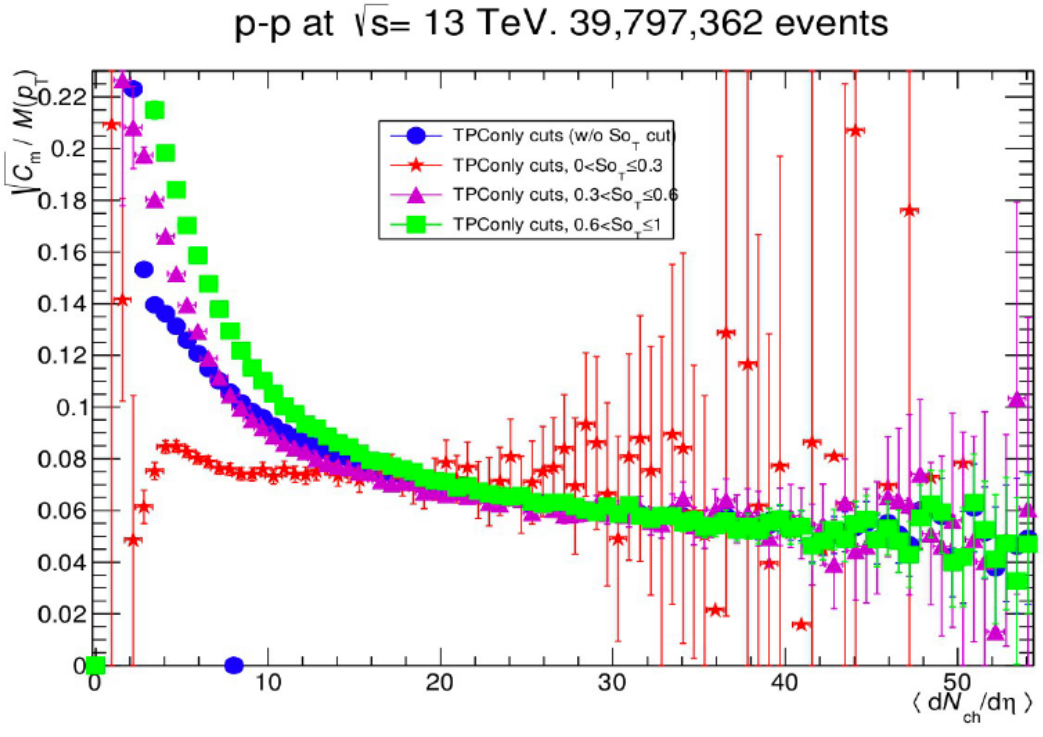
We use spherocity as a tool to split the sample in soft and hard

$$S_0 = \begin{cases} 0 & \text{“pencil-like” limit (hard events)} \\ 1 & \text{“isotropic” limit (soft events)} \end{cases}$$

ES characterize the distribution of the outgoing particle energy from high energy collision. In hadron-hadron collision they are restricted to the transverse component w.r.t. beam axis (avoid the bias from the boost)

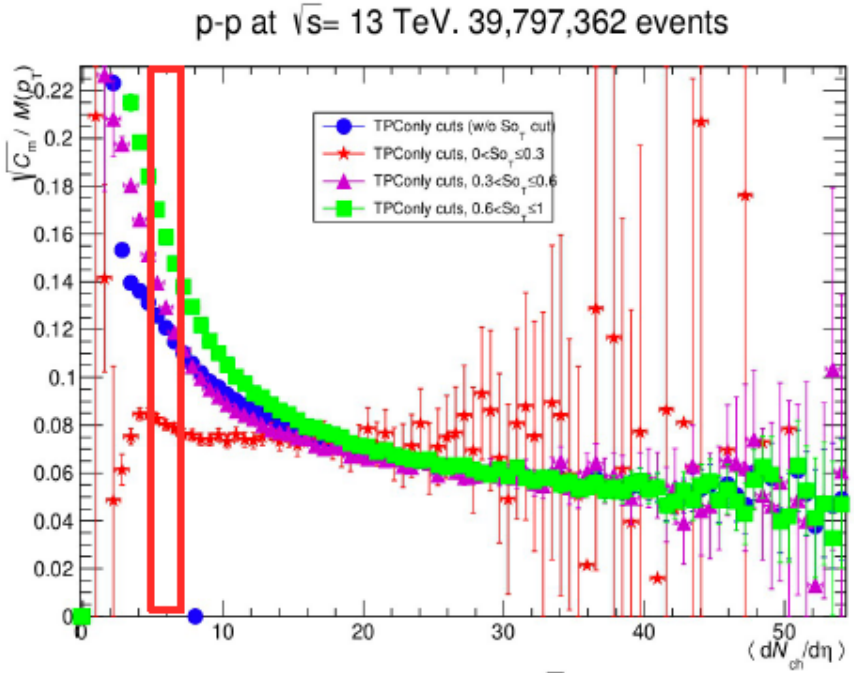
Mean transverse momentum fluctuations as a function of Spherocity



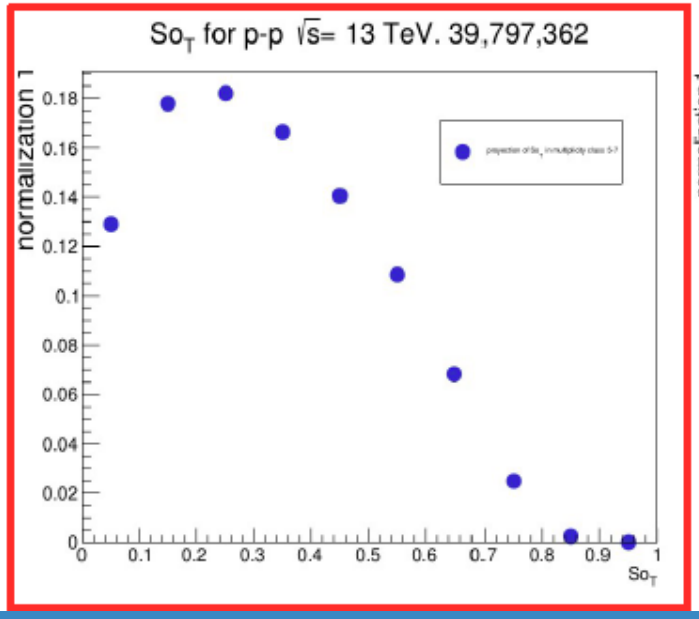


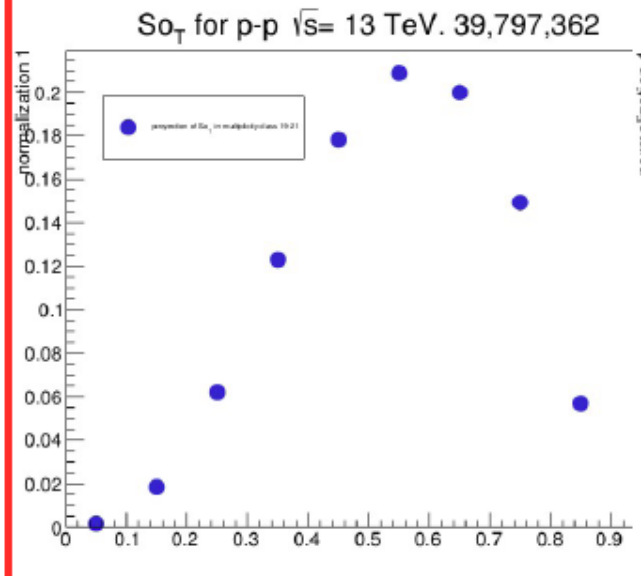
We already discussed about the bias of this selector. Using spherocity, we see that for high multiplicity jetty-like events larger fluctuations are obtained

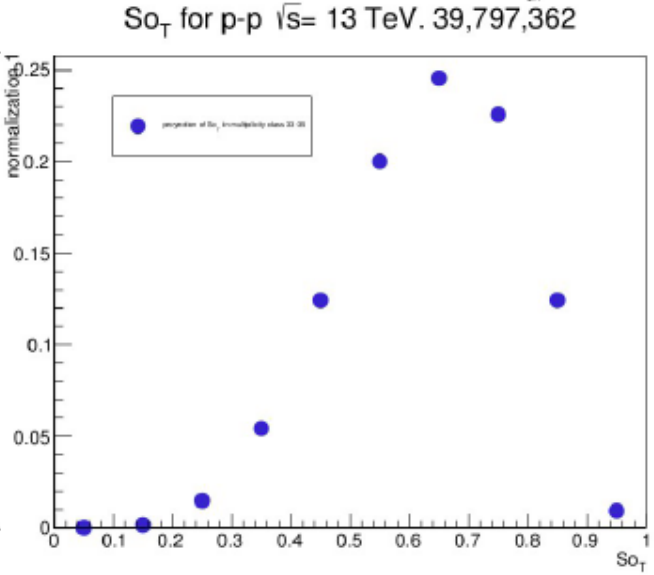
Spherocity (data)



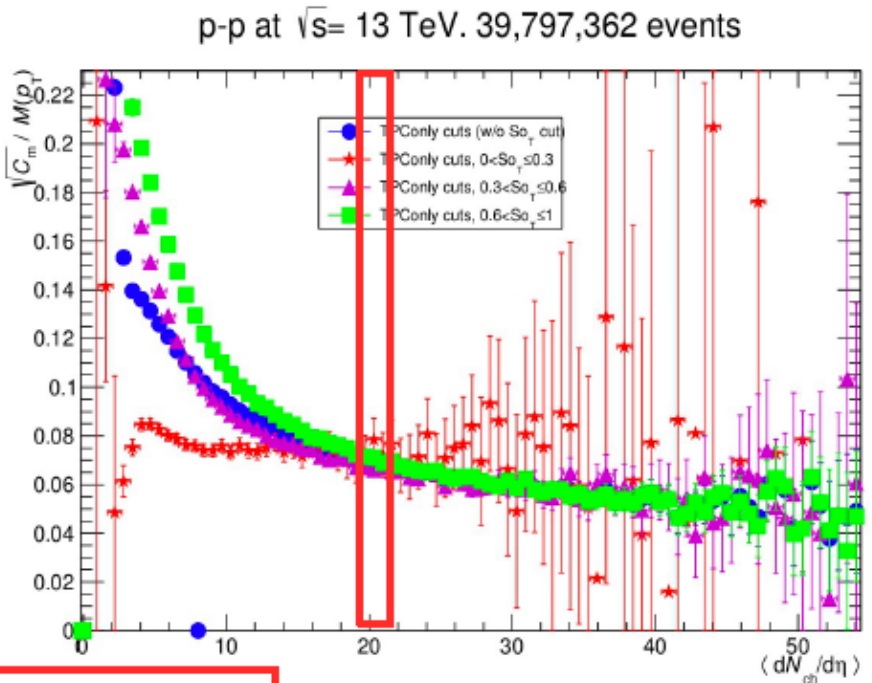
<dN/dη> interval: 5-7



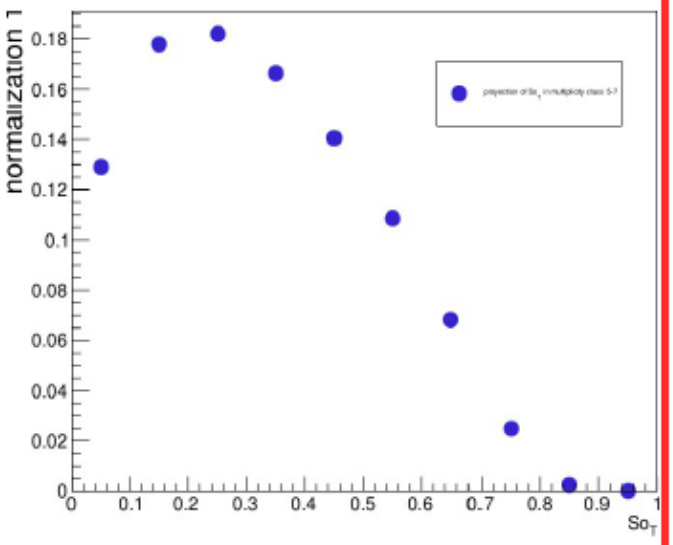


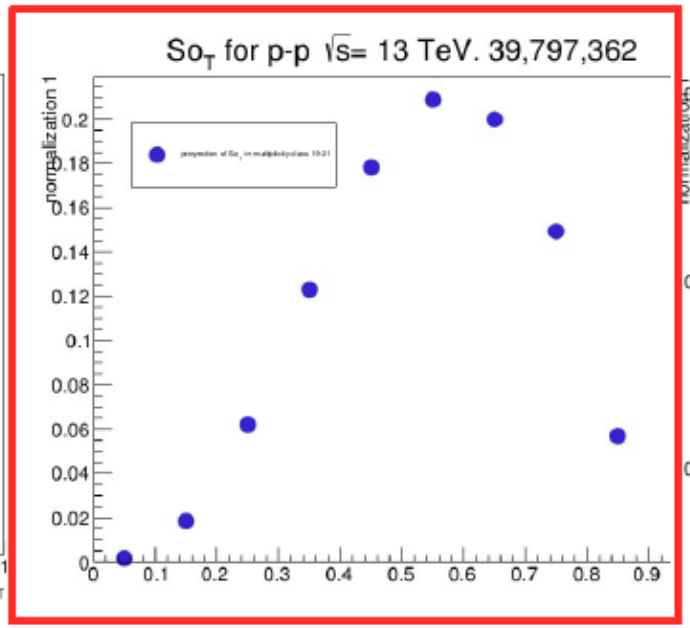


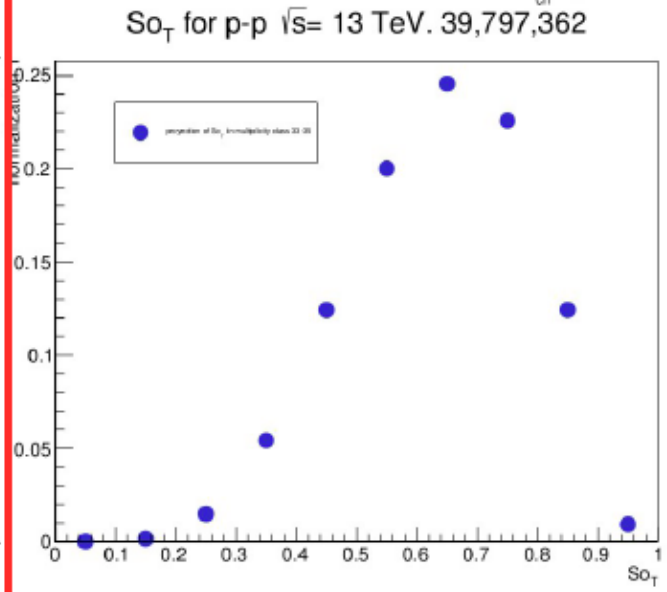
Spherocity (data)



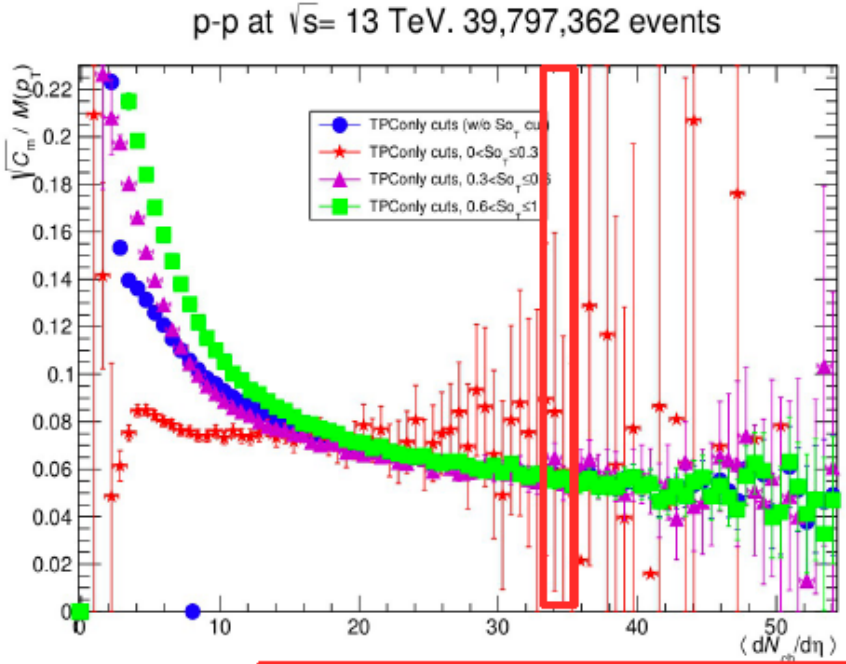
<dN/dη> interval: 19-21



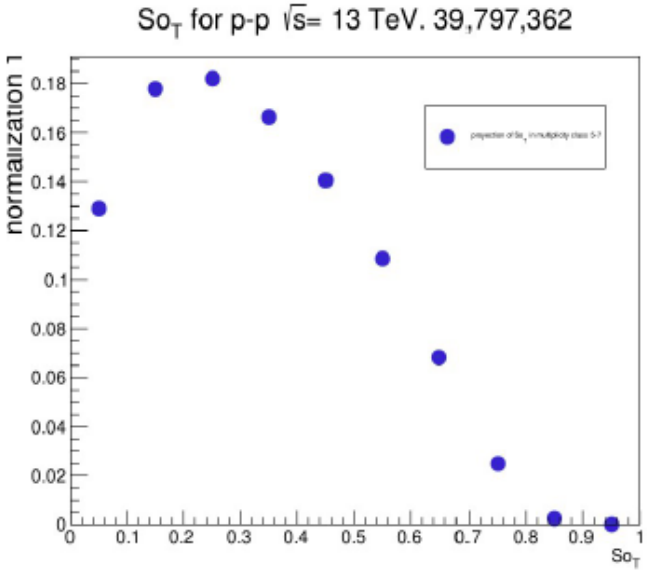


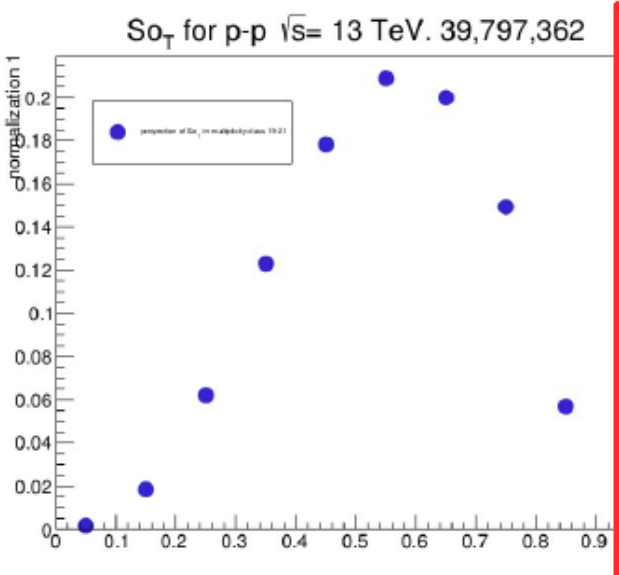


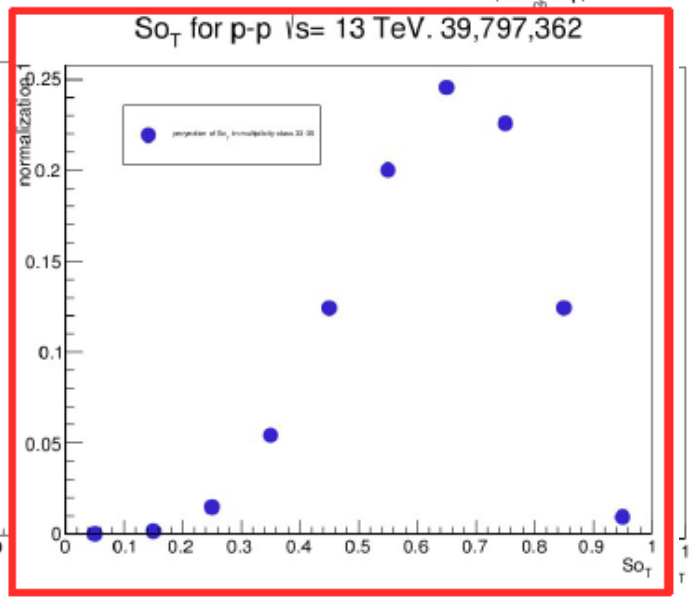
Spherocity (data)



<dN/dη> interval: 33-35







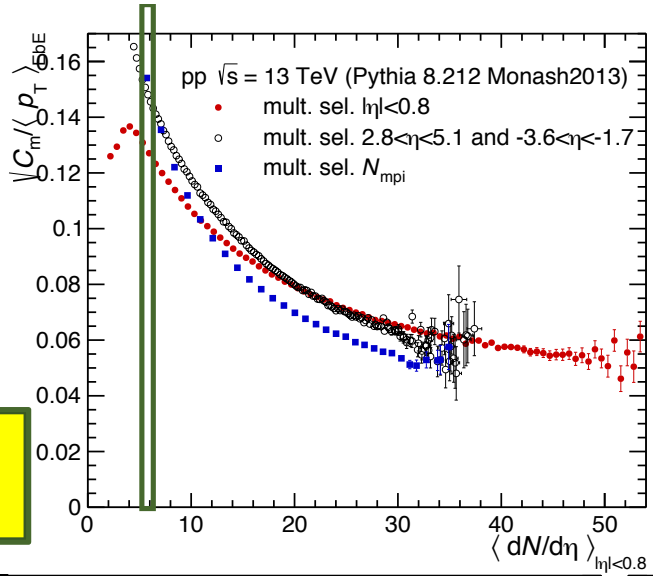
Spherocity (MC)

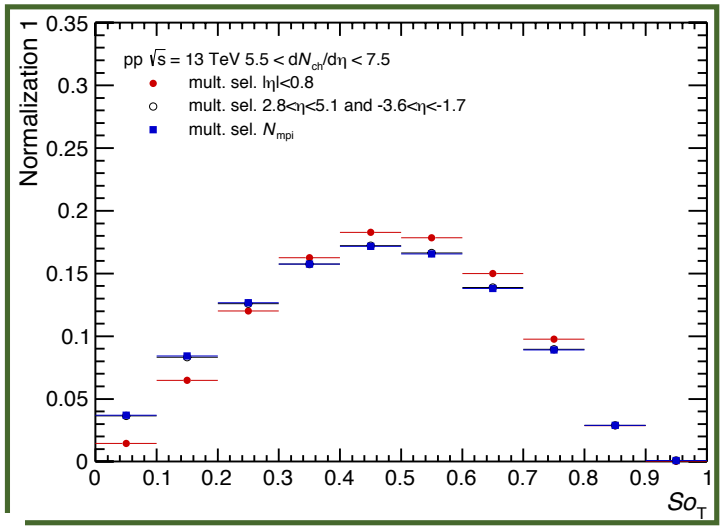
We now inspect transverse spherocity:

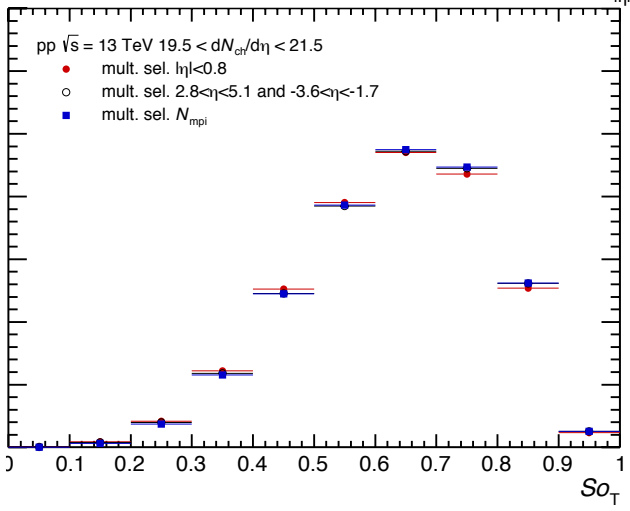
$$So_{\mathrm{T}} = (\min \hat{\mathbf{n}}) \frac{\pi^2}{4} \left(\frac{\sum_j |\vec{p}_T \times \hat{\mathbf{n}}|}{\sum_j p_{\mathrm{T},j}} \right)^2$$

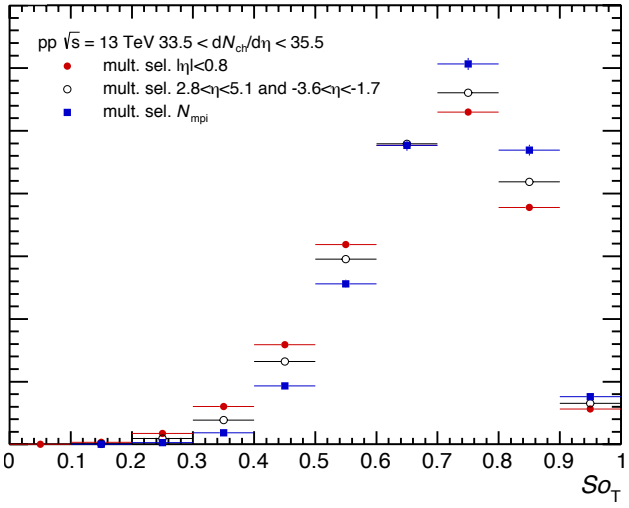
In jetty events, the unitary vector is roughly the jet axis. In this case $So_{\mathrm{T}} \approx 0$
For isotropic events, $So_{\mathrm{T}} \to 1$

Low <d*N*/dη>: <N_{mpi}>'s are more or less the same for the different classes. However, if the selection is done with N_{mpi} or VZERO acceptance, the events are more jetty









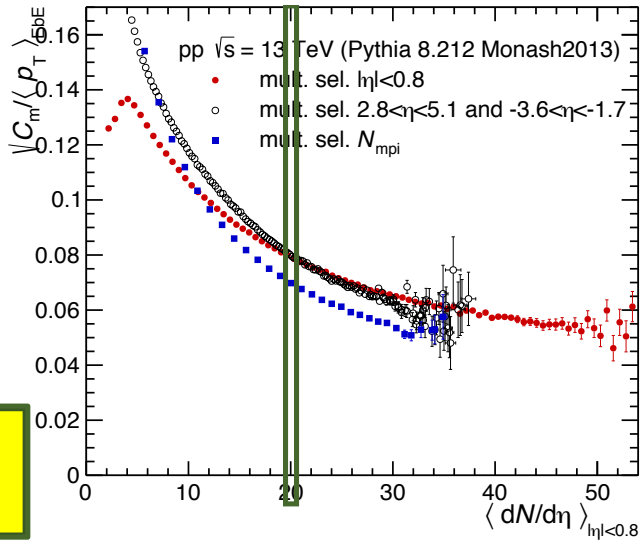
Spherocity (MC)

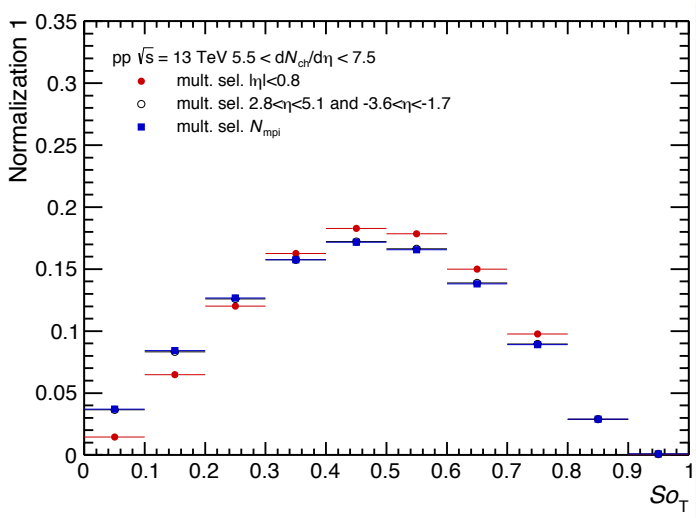
We now inspect transverse spherocity:

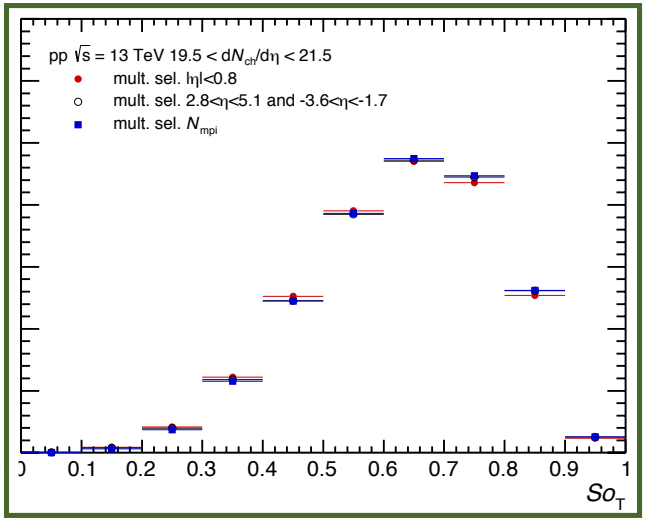
$$So_{\mathrm{T}} = (\min \hat{\mathbf{n}}) \frac{\pi^2}{4} \left(\frac{\sum_j |\vec{p}_T \times \hat{\mathbf{n}}|}{\sum_j p_{\mathrm{T},j}} \right)^2$$

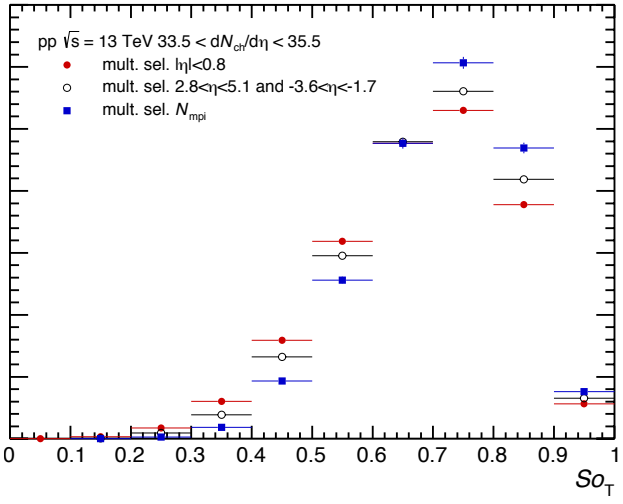
In jetty events, the unitary vector is roughly the jet axis. In this case $So_{\mathrm{T}} \approx 0$
For isotropic events, $So_{\mathrm{T}} \to 1$

Intermediate <d*N*/dη>: Slightly different <N_{mpi}> for the different event selections, however So_{T} distributions look very similar









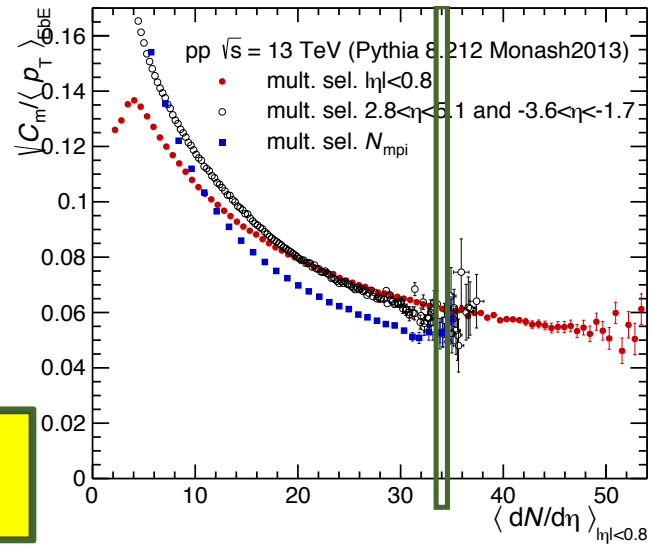
Spherocity (MC)

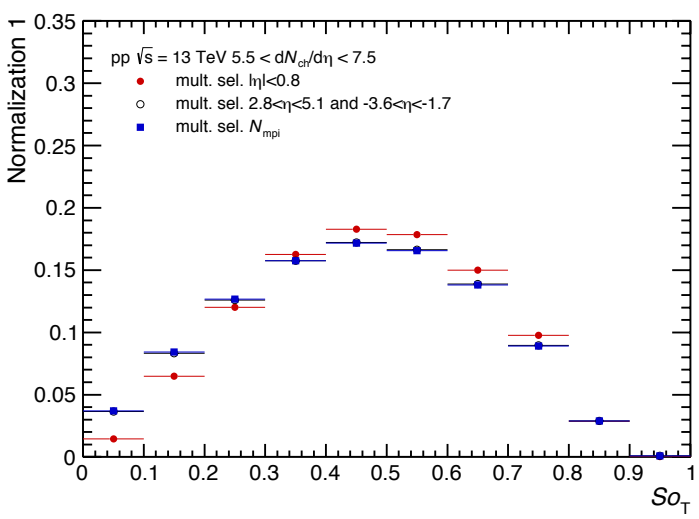
We now inspect transverse spherocity:

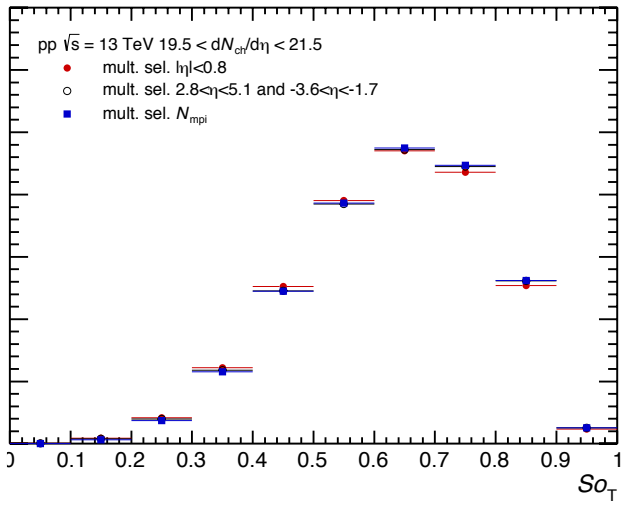
$$So_{\mathrm{T}} = (\min \hat{\mathbf{n}}) \frac{\pi^2}{4} \left(\frac{\sum_j |\vec{p}_T \times \hat{\mathbf{n}}|}{\sum_j p_{\mathrm{T},j}} \right)^2$$

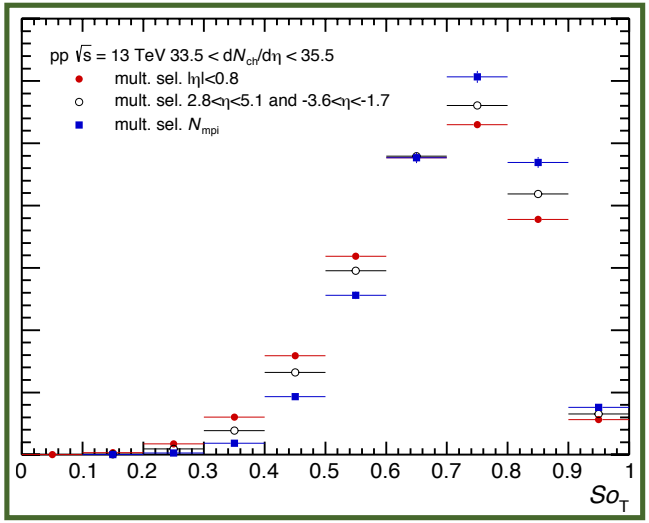
In jetty events, the unitary vector is roughly the jet axis. In this case $So_{\mathrm{T}} \approx 0$
For isotropic events, $So_{\mathrm{T}} \to 1$

High <d*N*/dη>: mid-rapidity selector gives a smaller average N_{mpi} and more jetty events than the selector based on N_{mpi}









Thank you !!!