

Monte Carlos for pp Scattering:

An Overview

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with contributions from

T. Pierog, S. Ostapchenko, C. Bierlich, F. Riehn, P. Tribedy, A. Fedynitch.

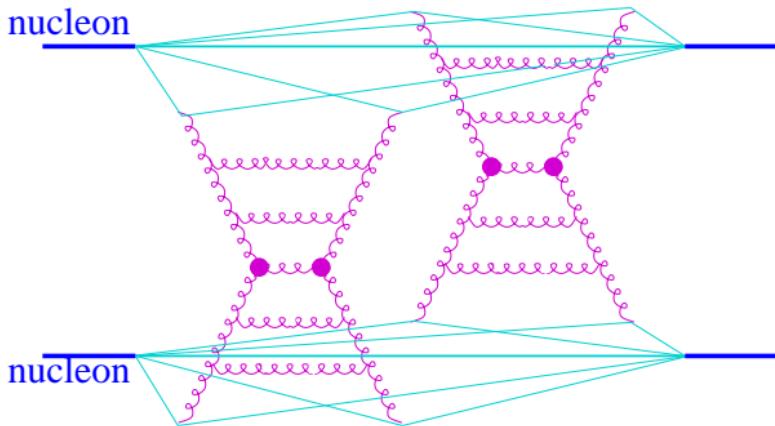
model	Gribov Regge	Dipole	Facto risation	authors
QGSJETII	X			Ostapchenko
EPOS LHC	X			Pierog, Werner
EPOS3	X			Werner, Pierog
DIPSY		X		Flensburg, Bierlich
IP-Glasma		X		Tribedy
SIBYLL			X	Engel, Riehn
DPMJETIII			X	Engel, Fedynitch
PYTHIA			X	
HERWIG			X	

To discuss: Initial state treatment / non-linear effects

Multiple scattering

Gribov-Regge multiple scattering approach

EPOS, GGSJETII



S-Matrix based
on Pomerons

Pomerons :
Parton ladders (initial
and final state radia-
tion, DGLAP)

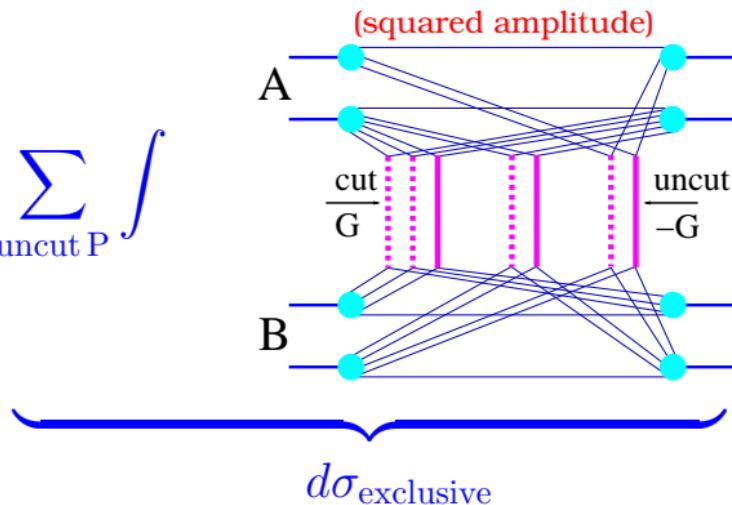
Cutting rules to get
inelastic cross sec-
tions.

Same principle for AA

Explicite formulas for cross sections

(even partial cross sections)

$$\sigma^{\text{tot}} = \sum_{\text{cut P}} \int \sum_{\text{uncut P}} \int$$

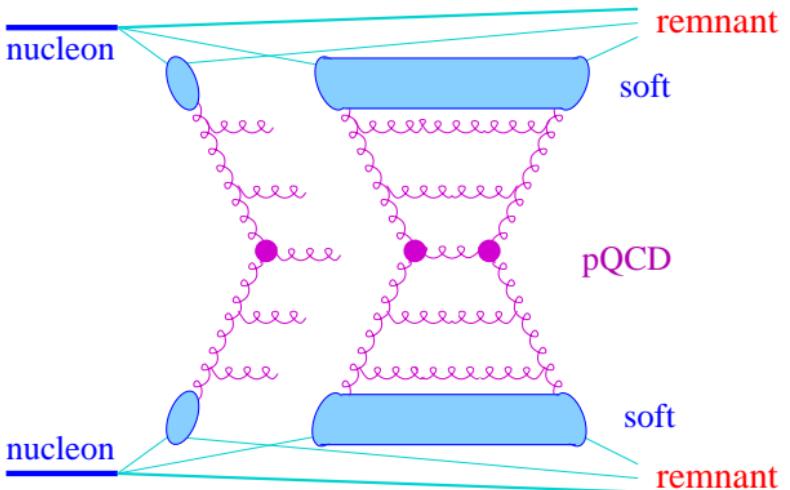


Soft evolution, remnants

EPOS, QGSJETII

Semihard Pomerons :
soft - pQCD - soft

Continuing evolution
into soft sector
=> large x Pomerons
(important for
forward physics)



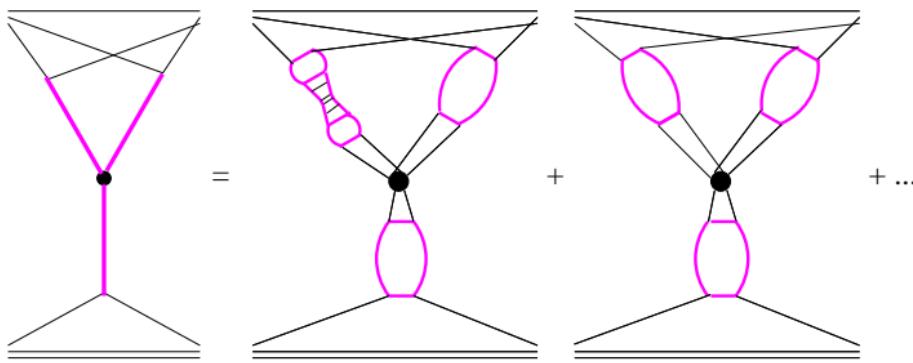
Remnants

Partonic final state => strings

EPOS: high string density => core => hydro

Nonlinear effects in QGSJET

Pomeron-Pomeron coupling



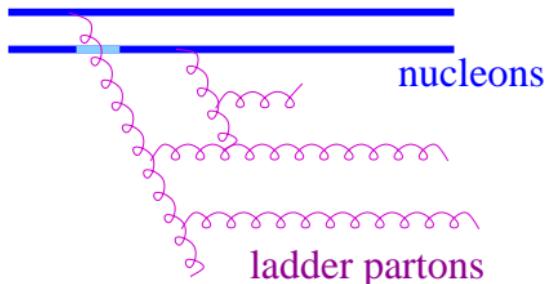
- Summing of **all orders**
- No energy conservation
- (in EPOS full energy conservation, but effective treatment of nonlinear effects)

Nonlinear effects in EPOS

Parton-ladders⁽¹⁾ are perfectly fitted⁽²⁾ as $G = \alpha (x^+)^{\beta} (x^-)^{\beta}$.
 G depends on the virtuality cutoff: $G = G(Q_0)$.

To mimic the effects of gluon fusion, the fits are modified as $\alpha (x^+)^{\beta} (x^-)^{\beta+\varepsilon}$, referred to as G_{eff} .

The exponent $\varepsilon = \varepsilon(s)$ is chosen to reproduce the energy dependence of cross sections.



- (1) Imaginary part G of the corresponding amplitude in b -space
- (2) x^+, x^- : light cone momentum fractions of the Pomeron end

Adding an exponent ε

- must be accompanied by a corresponding modification of the internal structure of the Pomeron**

This can be done by defining a **saturation scale Q_s** via

$$G_{\text{eff}} = kG(Q_s)$$

and then considering the parton ladder with the cutoff Q_s
(thus changing the internal structure! => consistent!)

We find (with $x = x^+x^-$ being the energy fraction of the Pomeron)

$$Q_s = Q_s(x) \propto x^{0.30}$$

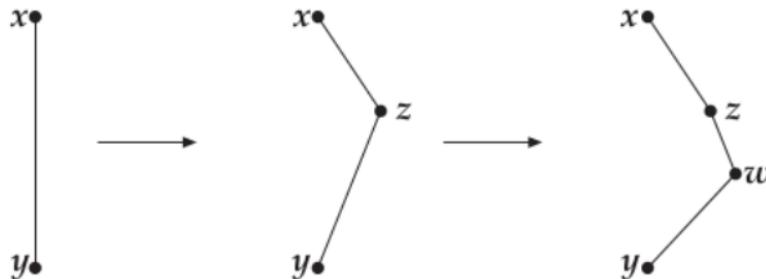
Dipole approach

Initial state radiation in DIPSY (from Christian Bierlich)

Initial nucleon: Three dipoles

LL BFKL in b -space + corrections: A dipole (\vec{x}, \vec{y}) can emit a gluon at position \vec{z} with probability (P) per unit rapidity (Y)

$$\frac{dP}{dY} = \frac{\bar{\alpha}}{2\pi} d^2 \vec{z} \frac{(\vec{x} - \vec{y})^2}{(\vec{x} - \vec{z})^2 (\vec{z} - \vec{y})^2}$$



Multiple scattering

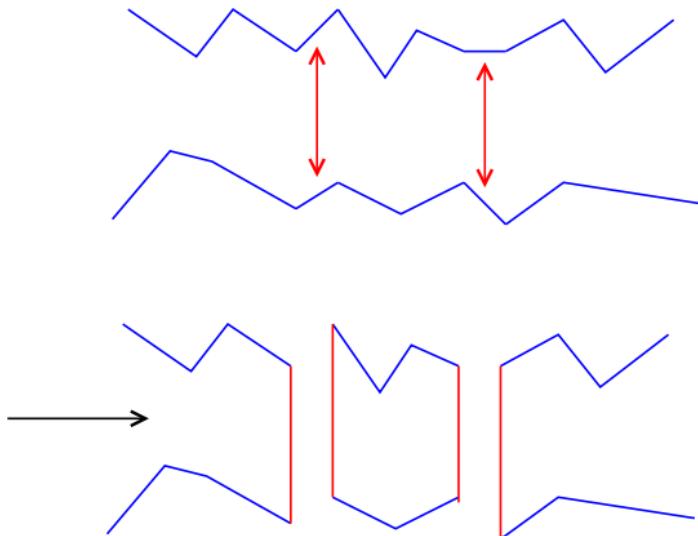
Multiple color exchange

between dipoles i and j
with probabilities

$$\frac{\alpha_s^2}{4} \left[\log \left(\frac{(\vec{x}_i - \vec{y}_j)^2 (\vec{y}_i - \vec{x}_j)^2}{(\vec{x}_i - \vec{x}_j)^2 (\vec{y}_i - \vec{y}_j)^2} \right) \right]^2$$

-> kinky strings

- Two “leading” strings
- Additional strings from loops
- No Remnants



Many strings:
Lund strings may overlap

=> color ropes
(Larger eff. string tension)

Initial state in IP-Glasma (from Prithwish Tribedy)

IP-Sat dipole model (r_\perp =dipole size):

$$\frac{d\sigma}{d^2b} = 2 [1 - \exp(-F(r_\perp, x, b))], \quad F \propto r_\perp^2 \alpha_s(\mu^2) x g(x, \mu^2) T(b)$$

$T(b)$: Gaussian profile, $\mu^2 = 4/r_\perp^2 + \mu_0^2$, xg : DGLAP evolution

Saturation scale Q_s defined via

$$F\left(r_\perp, x = \frac{2}{Q_s^2}, b\right) = \frac{1}{2}$$

IP-Glasma: Color charge squared for projectile A and target B :

$g^2 \mu_A^2 = \sum_{nucleons} g^2 \mu_i^2$, with $g^2 \mu_i^2 \propto Q_s^2$ from IP-Sat model.

Multiple Scattering

Color charge density $\rho_{A/B}$ generated from Gaussian distribution with variance $g^2 \mu_A^2$ (contains DGLAP, saturation)

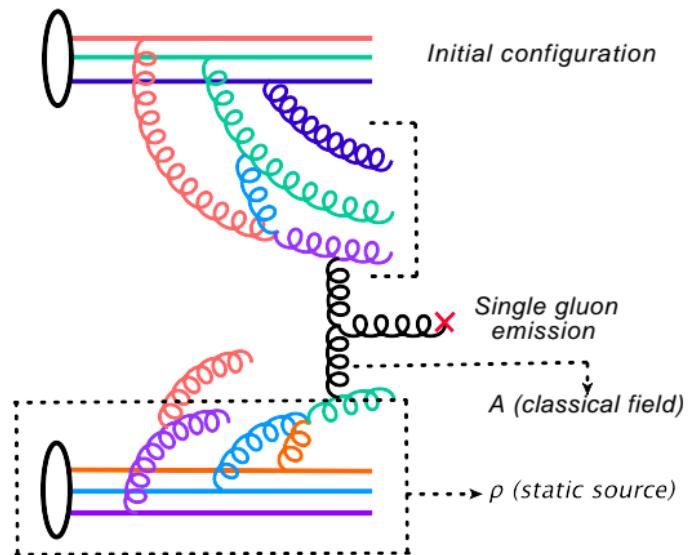
Current

$$J^\nu = \delta^{\nu\pm} \rho_{A/B}(x^\mp, x_\perp)$$

Field from $[D_\mu, F_{\mu\nu}] = J_\nu$

Numerical (lattice) solution, fields can be expressed in terms of initial ones:

$$A^i = A_A^i + A_B^i, A^\eta = \frac{ig}{2} [A_A^i, A_B^i]$$



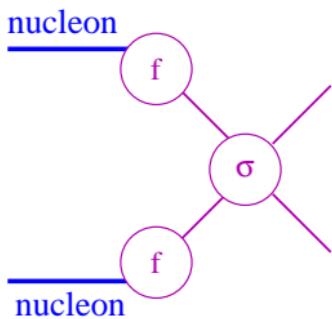
Multiple scattering:

Nonlinearity in terms of A :
Infinite number of $g + g \rightarrow g$ processes

Fields → Gluons → Pythia strings

Models based on factorization

$$\sigma_{\text{jet}} = \int dx_1 dx_2 \int dp_t^2 \sum f_i(x_1, p_t^2) f_j(x_2, p_t^2) \frac{d\sigma_{ij}}{dp_t^2}(\hat{s}, \hat{t}) \quad (1)$$



PYTHIA (->P.Iltén)
HERWIG (->P.Iltén)
SIBYLL
DPMJETIII

First step: Generation of partons according to (1)

Second step: Multiple scattering scheme via eikonal formula

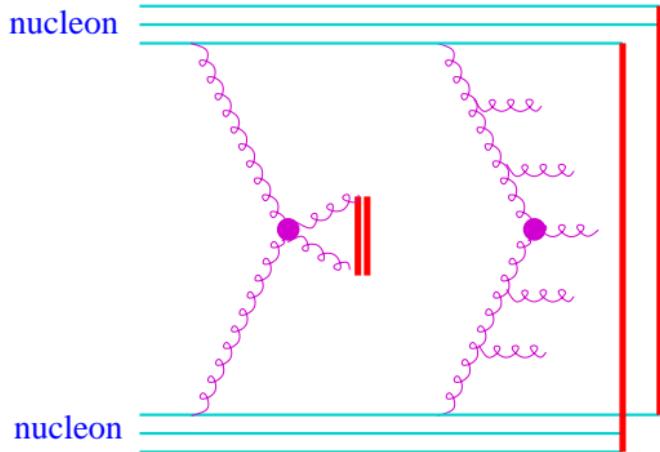
$$prob(n) = \frac{[\sigma_{\text{jet}}(s) T(s, b)]^n}{n!} \exp(-\sigma_{\text{jet}}(s) T(s, b))$$

Multiple scattering in SIBYLL

From F. Riehn

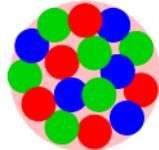
Multiple scattering via eikonal model with soft and hard component

- No Remnants
- Main scattering
=> qq-q strings
- Further scatterings
=> strings between gluon pairs



Saturation scale from

$$\frac{\alpha_s N_c}{Q^2} \times \frac{1}{N_c^2 - 1} \frac{xG}{\pi R^2} = 1$$



Some results

DIPSY, EPOS LHC

(not presented here)

Plots provided by from Christian Bierlich and Tanguy Pierog

EPOS Versions
(from Tanguy Pierog)

EPOS 1.99 (public 2009)

- Tuned to fit data up to Tevatron
- Effective flow, parametrized using SPS and RHIC data

EPOS LHC (public 2012)

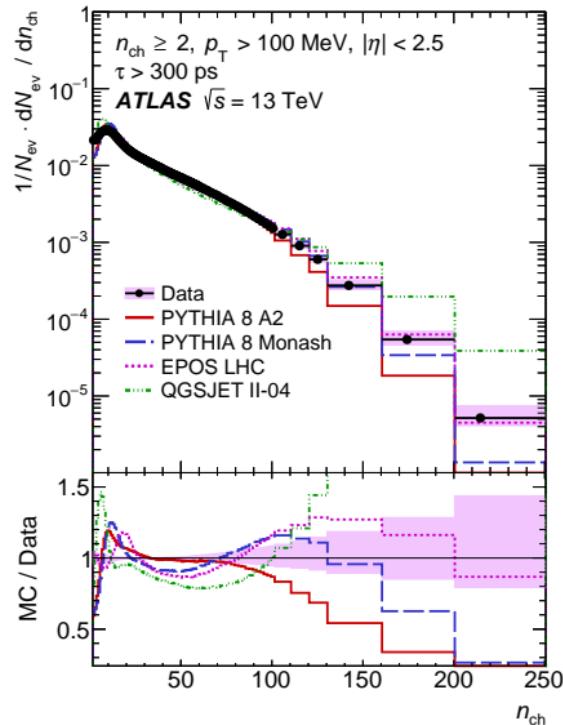
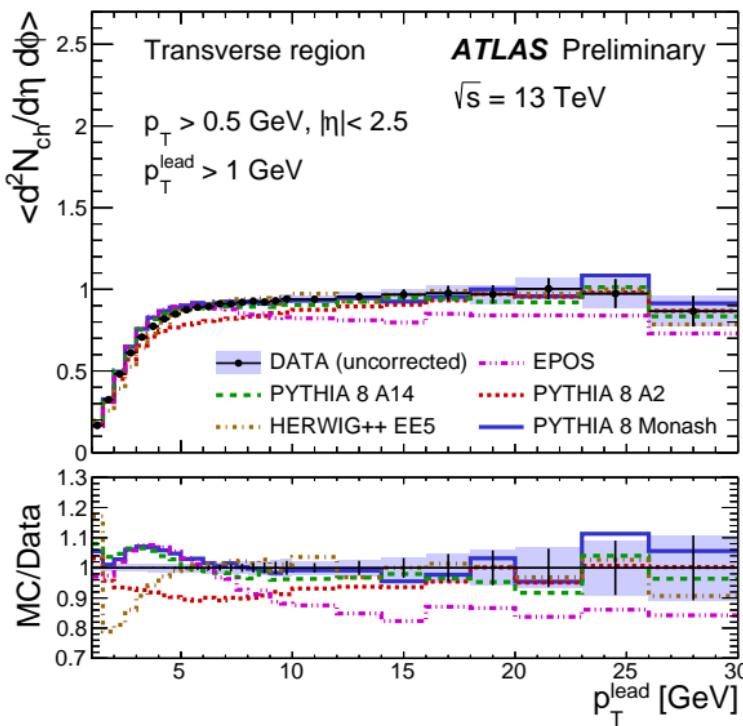
- Tuned to fit pp and pA data up to early LHC data
- Effective flow, parametrized using LHC data

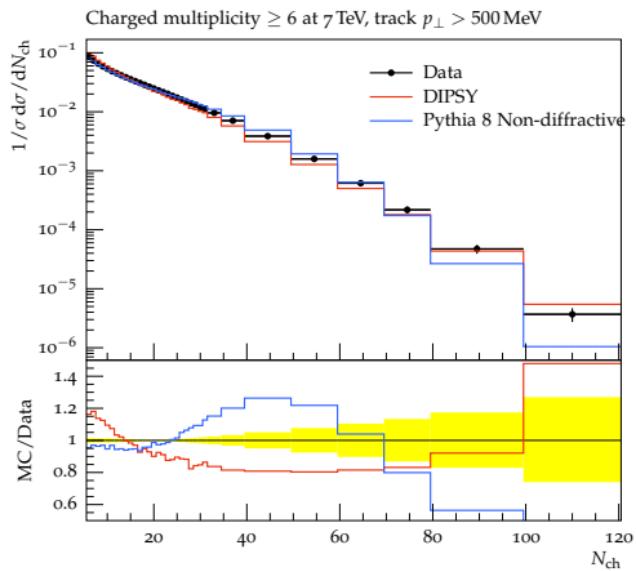
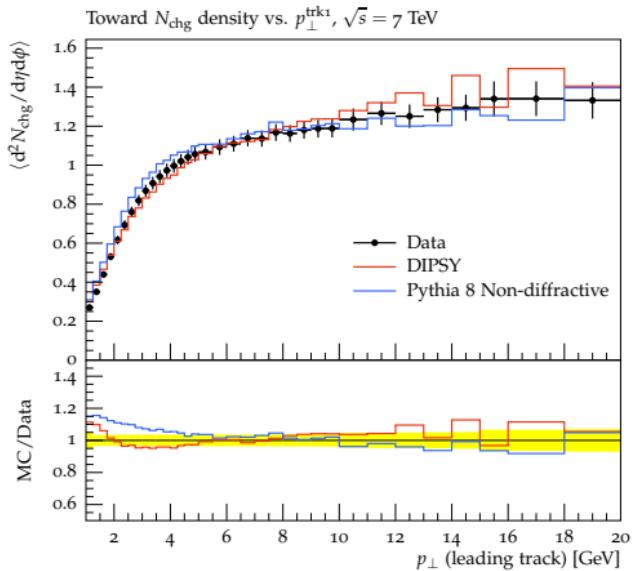
EPOS 2.x (semi-public)

- True 3D+1 ideal hydro + hadronic cascade (heavy ions)

EPOS 3.x (to be public 2017 ...)

- All data from LHC run 1 (incl. diffraction, UE, ...)
- True 3D+1 viscous hydro (slow) OR (fast) effective flow treatment, new saturation treatment (HM pp, pA and AA)





Data by ATLAS, many more comparisons at <http://home.thep.lu.se/DIPSY>

