International workshop

QCD challenges at the LHC:

String percolation model prediction for small systems at LHC energies

from pp to AA

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Outline

- Introduction to SPM
- Phase change signals

• p-p

• p-Pb





F. Karsch, Quark Matter 2004 - p.20/25



"Ridge"





String Percolation Model

- Macroscopic system where we have the formation of related structures, which each time goes bigger by a random addition of links process between the components.
- For a given critical density of links one gets a macro-structure called cluster (dimension of the order of the total system).

String Percolation Model

 In the transverse impact parameter plane the strings look like discs (2 dimensional percolation theory)



- At a given density the strings will start to overlap forming clusters
- At the critical density a macroscopic cluster appears and marks a geometrical phase transition.



- Due to the color random summation of the color charges SU(3) the total change generates a reduction in multiplicity and an increase in the string tension $< p_T^2 >$
- The stretched strings between the partons decay into new pairs of partons and so new strings are formed. Subsequently, particles are produced from interaction of partons by the Schwinger Mechanism

• The critical parameter is the string density.

•
$$\xi = N_s \frac{S_1}{S_A}, \ \xi_c = 1.1 - 1.5$$

• The area cover when a critical value is reached is given by

$$1 - e^{-\xi}$$

- We asume that a cluster behaves as a single string but with higher momentum and color
- In the n large limit the multiplicities and the transverse momentum can be express as:

$$<\mu_n>=\sqrt{rac{nS_n}{S_1}}<\mu_1>$$
 , $=\sqrt{rac{nS_1}{S_n}}$

$$\frac{dn}{dy} \sim F(\xi)\bar{N}_s$$

$$F(\xi) = \sqrt{\frac{1-e^{-\xi}}{\xi}}$$

$$N_p^s = 2 + 4\left(\frac{r_0}{R_p}\right)^2 \left(\frac{\sqrt{s}}{m_p}\right)^{2\lambda}$$

- mp-mass of the proton
- Rp -radius of the proton

 $\lambda = .201$

• In pp $\xi = N_p^s (rac{r_0}{R_p})^2$

•
$$dn_{ch}^{pp}/dy|_{y=0} = \kappa F(\xi)N_p^s$$
 with $\kappa = .63$



I. Bautista, J. G. Milhano, C. Pajares and d_2 Dias de Deus, Phys. Lett. B715, 230 (2012).

$$\quad h^{pp}_{ch}/d\eta|_{\eta} = \kappa' JF(\xi) N^s_p \frac{1}{\exp(\frac{\eta - (1 - \alpha)Y}{\delta}) + 1}$$



Comparison of the results from the evolution of the $\frac{dn_{ch}}{d\eta}$ with dependence in pseudorapidity for p-p collisions at different energies (lines).

I. Bautista, J. Dias de Deus, C. Pajares, Phys.Rev. C86 (2012) 034909.

$$\frac{d^2 N}{dp_T^2} = \omega(\alpha, p_0, p_T) = \frac{(\alpha - 1)(\alpha - 2)}{2\pi p_0^2} \frac{p_0^{\alpha}}{[p_0 + p_T]^{\alpha}}$$
$$p_0 \to p_0 \sqrt{\frac{F(\zeta)}{F(\zeta_{HM})}}$$

• Transverse momentum distribution

$$\frac{d^2N}{dp_T^2} = \frac{(\alpha-1)(\alpha-2)(p_0\sqrt{\frac{F(\zeta_{pp})}{F(\zeta_{HM})}})^{\alpha-2}}{2\pi[p_0\sqrt{\frac{F(\zeta_{pp})}{F(\zeta_{HM})}} + p_T]^{\alpha}}$$

$$\frac{1}{N}\frac{d^2N}{d\eta dp_T} = a'(\sqrt{s})\frac{dN}{d\eta}\Big|_{\eta=0}^{pp}(\sqrt{s})\omega(\alpha, p_0, p_T) = \frac{a(p_0\frac{F(\zeta_{pp})}{F(\zeta_{HM})})^{\alpha-2}}{[p_0\sqrt{\frac{F(\zeta_{pp})}{F(\zeta_{HM})}} + p_T]^{\alpha-1}}$$

. . .

pp collisions





Figure: Fits to the transverse momentum distribution for energies $\sqrt{s} = 900$ GeV in p - p Eur.Phys.J. C75 (2015) 226.



Figure: Fits to the transverse momentum distribution for energies $\sqrt{s} = 7$ TeV in p - p collisions for different multiplicity classes from $N_{track} = 40$ grey line to $N_{track} = 131$ orange line. Data taken from http://hepdata.cedar.ac.uk/view/ins1123117.



Figure: Fits to the transverse momentum distribution for energies $\sqrt{s} = 2.76$ TeV in p - p collisions for different multiplicity classes from $N_{track} = 40$ grey line to $N_{track} = 98$ pink line. Data taken from http://hepdata.cedar.ac.uk/view/ins1123117.



Figure: Fits to the transverse momentum distribution for energies $\sqrt{s} = 900$ GeV in p - p collisions for different multiplicity classes from $N_{track} = 40$ grey line to $N_{track} = 75$ blue line. Data taken from http://hepdata.cedar.ac.uk/view/ins1123117.



Figure: Color reduction factor at high multiplicities for different energies

• The Schwinger mechanism for massless particles

$$rac{dN}{dp_T} \sim e^{-\sqrt{2F(\zeta^t)}rac{p_T}{\langle p_T
angle_1}},$$

• The average value of the string tension which value fluctuates around its mean value because the chromoelectric field is not constant

$$\langle x^2
angle=\pi\langle p_T^2
angle_1/F(\zeta)$$
 ,

• The fluctuations of the chromo electric field strength lead to a Gaussian distribution of the string tension that transform it into a thermal distribution, where the temperature is given by

$$T(\zeta^t) = \sqrt{rac{\langle p_T^2
angle_1}{2F(\zeta^t)}}$$

- We consider that the experimentally determined chemical freeze out temperature is a good measure of the phase transition temperature Tc
- We calculate the effective temperature, T, from the equation, for each multiplicity class for a critical density 1.2 and at the critical temperature Tc = 154 \pm 9 MeV, as obtained by the latest LQCD results from the HotLQCD collaboration $T_{c} = 154 \pm 9 \text{ MeV}^{-1}$
- With the corresponding $\langle p_T \rangle_1 \sim 190.25 \pm 11.12$ MeV/c consistent with the measured of direct photon enhanced measured

[1] HotQCD: Phys. Rev. D85, 054503 (2012)



FIG. 3. Effective temperature vs $dn/d\eta$.

• The evolution of the mean transverse momentum can also described as an inverse function of the color reduction factor

$$\frac{1}{N}\frac{d^2N}{dp_T^2} = \omega(\alpha, p_0, p_T) = \frac{(\alpha - 1)(\alpha - 2)}{2\pi p_0^2} \frac{p_0^{\alpha}}{(p_T + p_0)^{\alpha}}$$

$$\langle p_T \rangle = p_0 \frac{2}{\alpha - 3}$$
 $p_0 \rightarrow p_0 \sqrt{\frac{F(\zeta)}{F(\zeta_{HM})}}$
 $\langle p_T \rangle = p_0 \sqrt{\frac{F(\zeta)}{F(\zeta_{HM})}} \frac{2}{\alpha - 3}$



$$\mathcal{E}_{i} = \frac{3}{2} \frac{\frac{dN_{c}}{dy} \langle p_{T} \rangle}{S_{N} \tau_{pro}}$$



where S_n is the nuclear overlap area, τ_{pro} is the production time for a boson gluon which we will replace by $\tau = 2.405\bar{h}/< m_t >$ the propagation time of the parton given in fermis. The results are

Shear viscosity / entropy

• In the relativistic kinetic theory

$$\frac{\eta}{s} \simeq \frac{T\lambda_{fp}}{5}$$

- $\lambda_{fp} \sim \frac{1}{n\sigma_{tr}}$ is the mean free path
- $n = \frac{N_{sources}}{S_N L}$ is the density of the effective number of sources per unit volume
- We considered $\frac{N_{sources}}{S_N L} \sigma_{tr} = (1 e^{-\zeta^t})/L$ and L=1fm the longitudinal extension of the source.

$$\frac{\eta}{s} = \frac{TL}{5(1-\varrho_5^{-\zeta^t})}$$



On the right Shear viscosity over entropy ratio for 7 TeV high multiplicity classes corresponding to $N_{track} = 40$ to $N_{track} = 131$, with the $T_c = 154 \pm 9$. In here we have plot the corresponding value corresponding to an approximate number of tracks $\sim 155 \pm 7$ corresponding to high multiplicity event in 13 TeV. Left side calculations the T_c value was taken as 167 MeV for heavy ion B. K. Srivastava, Eur. Phys. J. C72.

pPb collisions at 5.02 TeV



B. B. Abelev [ALICE Collaboration], Phys. Lett. B 728 (2014) 25

pPb collisions at 5.02 TeV



Data taken from: http://hepdata.cedar.ac.uk/view/ins1244523



Summary

The SPM gives a indication of the geometric phase transition for the highest multiplicity events on p-p and p-Pb collisions.

The SPM can give a qualitative explanation of the collective effects seen on small systems.

I. Bautista, A. Fernandez, P. Ghosh, Phys. Rev D 92 (2015) 7, 0172504

Thank you !!!

\sqrt{s} (TeV)	a	p_0	α
.9	23.29 ± 4.48	$1.82\pm.54$	9.40 ± 1.80
2.76	$22.48{\pm}~4.20$	$1.54\pm.46$	$7.94{\pm}~1.41$
7	33.12 ± 9.30	$2.32\pm.88$	9.78 ± 2.53

TABLE I. Parameters of the transverse momentum distribution (9) in pp collisions.

\sqrt{s}	7 (TeV)	2.76 (TeV)	900 (GeV)
$dN/d\eta$	ζ_{HM}	ζ_{MH}	ζ_{MH}
13.33	0.77 ± .13	$1.30\pm.15$	$1.75\pm.15$
17.33	$1.42\pm.15$	$2.09\pm.18$	$2.49\pm.19$
21.0	$1.98\pm.18$.78 ± .21	$3.13\pm.23$
25	$2.53\pm.21$	$3.52\pm.27$	$3.55\pm.28$
28.67	$3.02\pm.23$	$4.03\pm.31$	
32.67	3.42 ± .26	$4.33\pm.36$	
36.33	3.89 ± .30		
40.	4.40 ± .36		
43.67	$4.98\pm.40$		

Table: Corresponding $dN/d\eta$ and ζ_{HM} , and R for the $\langle N_{track} \rangle$ in pp collisions high multiplicity clases

The single string average transverse momentum $\langle p_t \rangle_1$ is calculated at $\zeta_c = 1.2$ and $\zeta_c = 1.5$ with the universal chemical freeze out temperature of 167.7 ± 2.6 MeV and 154 ± 9 MeV both values corresponding to the old and new LQCD results from the HotLQCD collaboration. The values for the corresponding ζ^t and T_c obtained:

 $p_{T1} = 190.25 \pm 11.12$ for $\zeta^t = 1.2$ and $T_c = 154 \pm 9$ $p_{T1} = 184.76 \pm 7.80$ for $\zeta^t = 1.5$ and $T_c = 154 \pm 9$ $p_{T1} = 207.18 \pm 3.21$ for $\zeta^t = 1.2$ and $T_c = 167.7 \pm 2.3$ $p_{T1} = 201.19 \pm 3.12$ for $\zeta^t = 1.2$ and $T_c = 167.7 \pm 2.3$.

We compare the obtained temperature T_i at the measured value of $\zeta = 2.88$ before the expansion of the QGP with the measured $T_i = 221 \pm 19_{stat} \pm 19_{sys}$ MeV from the enhanced direct photon experiment measured by PHENIX. All the values are consistent with the previously used value of ~ 200 MeV in the calculation of percolation transition of temperature with the exception of the one obtained at $T_c = 154$ with $\zeta_c = 1.5$. A. Bazavov et al., Phys. Rev. D80, 014504 (2009)₄ A. Adare et al., (PHENIX Collaboration), Phys. Rev. Lett. 104, 132301 (2010).